



# ATSC

ADVANCED TELEVISION  
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## **ATSC Recommended Practice: Guidelines for the Physical Layer Protocol**

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# **ATSC Recommended Practice: Guidelines for the Physical Layer Protocol**

## **1. SCOPE**

This document provides recommended practices for the ATSC 3.0 physical layer protocol standards specified by A/321 [2] and A/322 [3]. The intent of this document is to make recommendations for physical layer operating modes so that readers can make informed decisions about physical layer configurations. Also, this document provides some implementation guidelines to aid with flexible configurations of physical layer design resources in transmitter and receiver manufacturers' equipment.

### **1.1 Introduction and Background**

The ATSC 3.0 physical layer protocol is designed to provide a toolbox of technology that allows flexible operating modes for a variety of harsh channel conditions (e.g., indoor or mobile) while maintaining efficient use of spectrum resources. This document provides recommended parameter and technology choices in A/321 [2] and A/322 [3] so that broadcasters can optimally deliver intended service(s). It also contains detailed guidelines for transmitter and receiver design implementations based on engineering studies of the latest technologies in the ATSC 3.0 physical layer. Guidelines for broadcasters' mobile service(s) are provided with operating modes and parameter choices of A/322 [3] in aspects of robustness and power consumption. The ATSC 3.0 system performance and recommended service examples cover aspects of real field experiences and are intended to provide practical guidance for all readers.

### **1.2 Organization**

This document is organized as follows:

- Section 1 – The scope of this document and general introduction
- Section 2 – References and applicable documents
- Section 3 – Definition of terms, acronyms, and abbreviations used
- Section 4 – System overview and guidelines for physical layer parameter choices
- Section 5 – Guidelines in detail for transmitter implementation
- Section 6 – Guidelines in detail for receiver implementation
- Section 7 – Guidelines for mobile services
- Annex A – ATSC 3.0 system performance: Simulation, laboratory and field test results
- Annex B – ATSC 3.0 receiver C/N models
- Annex C – ATSC 3.0 service examples

## **2. REFERENCES**

All referenced documents are subject to revision. Users of this Recommended Practice are cautioned that newer editions might or might not be compatible.

The following documents, in whole or in part, as referenced in this document, contain specific provisions that should be followed in order to facilitate implementation and application of this Recommended Practice.

- [1] IEEE: "Use of the International Systems of Units (SI): The Modern Metric System," Doc. SI 10, Institute of Electrical and Electronics Engineers, New York, NY.

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- [2] ATSC: “ATSC Standard: System Discovery and Signaling,” Doc. A/321:2024-04, Advanced Television System Committee, Washington, DC, 3 April 2024.
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  - [18] KOBETA: “ATSC 3.0 TxID,”  
<http://www.kobeta.com/txid/>.
  - [19] ATSC: “ATSC Standard: ATSC 3.0 MIMO Extension,” Doc. A/322:2024-04 Amendment No. 1, Advanced Television System Committee, Washington, D.C., 13 September 2024.

### 3. DEFINITION OF TERMS

With respect to definition of terms, abbreviations, and units, the practice of the Institute of Electrical and Electronics Engineers (IEEE) as outlined in the Institute’s published standards [1] is used. Where an abbreviation is not covered by IEEE practice or industry practice differs from IEEE practice, the abbreviation in question will be described in Section 3.2 of this document.

#### 3.1 Compliance Notation

This section defines compliance terms for use by this document:

**should** – This word indicates that a certain course of action is preferred but not necessarily required.

**should not** – This phrase means a certain possibility or course of action is undesirable but not prohibited.

### 3.2 Acronyms and Abbreviations

The following acronyms and abbreviations are used within this document.

<b>ACE</b>	Active Constellation Extension
<b>ALP</b>	ATSC Link-layer Protocol
<b>AP</b>	Additional Parity
<b>ATSC</b>	Advanced Television Systems Committee
<b>AWGN</b>	Additive White Gaussian Noise
<b>BBP</b>	BaseBand Packet
<b>BCH</b>	Bose, Chaudhuri, Hocquenghem
<b>BER</b>	Bit Error Rate
<b>BICM</b>	Bit-Interleaved Coded Modulation
<b>BIL</b>	Bit InterLeaver
<b>BSR</b>	Baseband Sampling Rate
<b>CDL</b>	Convolutional Delay Line
<b>CFO</b>	Carrier Frequency Offset
<b>CFR</b>	Channel Frequency Response
<b>CL</b>	Core Layer
<b>CLI</b>	Cross-Layer Interference
<b>Cod</b>	Code rate
<b>CP</b>	Continual Pilot
<b>CPM</b>	Circulant Permutation Matrix
<b>CRC</b>	Cyclic Redundancy Check
<b>CSI</b>	Channel State Information
<b>CSIR</b>	CSI at the Receiver
<b>CTDI</b>	Convolutional Time De-Interleaver
<b>CTI</b>	Convolutional Time Interleaver
<b>dB</b>	deciBel
<b>DFT</b>	Discrete Fourier Transform
<b>DRAM</b>	Dynamic Random Access Memory
<b>EL</b>	Enhanced Layer
<b>FDI</b>	Frequency De-Interleaver
<b>FDM</b>	Frequency Division Multiplexing
<b>FEC</b>	Forward Error Correction
<b>FER</b>	Frame Error Rate
<b>FFO</b>	Fractional Frequency Offset
<b>FFT</b>	Fast Fourier Transform
<b>FI</b>	Frequency Interleaver
<b>FIFO</b>	First-In-First-Out

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<b>GI</b>	Guard Interval
<b>GUR</b>	Guard Utilization Ratio
<b>HTDI</b>	Hybrid Time De-Interleaver
<b>HTI</b>	Hybrid Time Interleaver
<b>IFFT</b>	Inverse Fast Fourier Transform
<b>IFO</b>	Integer Frequency Offset
<b>i.i.d.</b>	Independent and Identically Distributed
<b>ISO</b>	International Organization for Standardization
<b>IU</b>	Interleaving Unit
<b>L1</b>	Layer 1
<b>LDM</b>	Layered Division Multiplexing
<b>LDPC</b>	Low Density Parity Check
<b>LFDM</b>	Layered Frequency Division Multiplexing
<b>LLR</b>	Log-Likelihood Ratio
<b>LLS</b>	Low Level Signaling
<b>LMT</b>	Link Mapping Table
<b>LS</b>	Least Square
<b>LSB</b>	Least Significant Bit
<b>LSI</b>	Large Scale Integration
<b>Mbps</b>	Megabits per second
<b>MHz</b>	Megahertz
<b>MIMO</b>	Multiple-Input Multiple-Output
<b>MISO</b>	Multiple-Input Single-Output
<b>Mod</b>	Modulation
<b>ModCod</b>	Modulation and Code Rate
<b>MPEG</b>	Moving Picture Experts Group
<b>Ms</b>	milliseconds
<b>MSA</b>	Min-Sum Algorithm
<b>MSB</b>	Most Significant Bit
<b>N/A</b>	Not Allowed
<b>NMSA</b>	Normalized Min-Sum Algorithm
<b>NoA</b>	Number of Active (cells)
<b>NoC</b>	Number of (useful) Carriers
<b>NTSC</b>	National Television System Committee
<b>NUC</b>	Non-Uniform Constellation
<b>OFDM</b>	Orthogonal Frequency Division Multiplexing
<b>OMSA</b>	Offset Min-Sum Algorithm
<b>OTA</b>	Over the Air
<b>PAM</b>	Pulse Amplitude Modulation
<b>PAPR</b>	Peak-to-Average Power Ratio
<b>PCM</b>	Parity Check Matrix
<b>pdf</b>	Probability Distribution Function
<b>PH</b>	Phase Hopping



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<b>PHY</b>	PHYsical layer
<b>PLP</b>	Physical Layer Pipe
<b>PRBS</b>	Pseudo Random Binary Sequence
<b>PSR</b>	Number of Punctured Bits to Number of Shortened Bits Ratio
<b>PTP</b>	Precision Time Protocol
<b>QAM</b>	Quadrature Amplitude Modulation
<b>QEF</b>	Quasi Error Free
<b>QPSK</b>	Quadrature Phase Shift Keying
<b>RF</b>	Radio Frequency
<b>RFU</b>	Reserved for Future Use
<b>SBS</b>	Subframe Boundary Symbol
<b>SFN</b>	Single Frequency Network
<b>SHVC</b>	Scalable High Efficiency Video Coding
<b>SINR</b>	Signal-to-Interference plus Noise Ratio
<b>SISO</b>	Single-Input Single-Output
<b>SLS</b>	Service Layer Signaling
<b>SLT</b>	Service List Table
<b>SNR</b>	Signal-to-Noise Ratio
<b>SP</b>	Scattered Pilot
<b>SPA</b>	Sum-Product Algorithm
<b>SRAM</b>	Static Random Access Memory
<b>SSM</b>	Subslice Multiplexing
<b>STL</b>	Studio-to-Transmitter Link
<b>STO</b>	Symbol Timing Offset
<b>TBDI</b>	Twisted Block De-Interleaver
<b>TBI</b>	Twisted Block Interleaver
<b>TDCFS</b>	Transmit Diversity Code Filter Sets
<b>TDM</b>	Time Division Multiplexing
<b>TI</b>	Time Interleaver
<b>TR</b>	Tone Reservation
<b>TSID</b>	Transmission Signal Identifier
<b>TxID</b>	Transmitter Identification
<b>XPD</b>	Cross-Polarization Discrimination

### 3.3 Terms

The following terms are used within this document.

**Base Field** – The first portion of a Baseband Packet Header.

**Base Layer** – The smallest video sub-stream (first layer) of SHVC.

**Baseband Packet** – A set of  $K_{payload}$  bits which form the input to a FEC encoding process. There is one Baseband Packet per FEC Frame.

**Baseband Packet Header** – The header portion of a Baseband Packet.

**Block Interleaver** – An interleaver where the input data is written along the rows of a memory configured as a matrix, and read out along the columns.

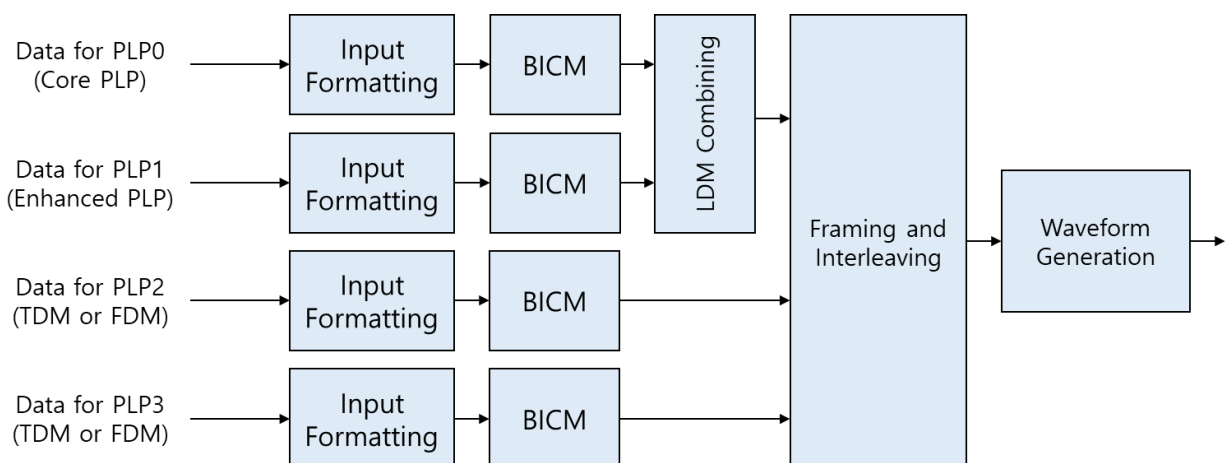
- Cell** – One pair of encoded I/Q components in a constellation.
- Cell Interleaver** – An interleaver operating at the cell level.
- Combined PLP** – A PLP comprised of the Layered Division Multiplexing of a Core PLP and one or more Enhanced PLP(s) after processing by the LDM injection block.
- Concatenated Code** – A code having an Outer Code followed by an Inner Code.
- Constellation** – A pair of encoded (I component/Q component) points in the I/Q plane.
- Core Layer** – The first layer of a 2-layer LDM system. The only layer in a non-LDM system.
- Core PLP** – A PLP belonging to the Core Layer.
- Cross-Polarization Discrimination (XPD)** – The ratio of the power in a co-polarized wave to the power in a cross-polarized wave.
- Data Payload Symbols** – Data and Subframe Boundary Symbols (i.e., non-Preamble symbols).
- Enhanced Layer** – The second layer of a 2-layer LDM system.
- Enhanced PLP** – A PLP belonging to the Enhanced Layer.
- Enhancement Layer** – The larger video sub-stream (second layer) of SHVC.
- Extension Field** – The third portion of a Baseband Packet Header.
- FEC Block** – A FEC Frame after constellation mapping to cells.
- FEC Frame** – A single Baseband Packet with its associated FEC parity bits attached, having a total size of 64800 or 16200 bits (per FEC Frame).
- Frequency Interleaver** – An Interleaver which takes cells and interleaves them in frequency within a particular OFDM symbol.
- Inner Code** – One code of a concatenated code system.
- Interleaver** – A device used to counteract the effect of burst errors.
- Layered Division Multiplexing** – A multiplexing scheme where multiple PLPs are combined in layers with a specific power ratio.
- ModCod** – A combination of modulation and code rate that together determine the robustness of the PLP and the size of the Baseband Packet.
- Non-Uniform Constellation** – A constellation with a non-uniform spread of constellation points.
- Optional Field** – The second portion of a Baseband Packet Header.
- Outer Code** – One code of a Concatenated Code system.
- PHY Functional Scalability** – An attribute pertaining to SISO, MIMO, channel bonding, and their combined operations, describing the hierarchical compatibility among these technology sets (see Section 4.2.22.1).
- Physical Layer Pipe** – A data-carrying structure specified to an allocated capacity and robustness that can be adjusted to broadcaster needs.
- reserved** – Set aside for future use by a Standard.
- Systematic** – A property of a code in which the codeword is composed of the original data in its sequential order followed by the parity data for the codeword.
- TI Block** – An integer number of FEC Blocks.
- Time Interleaver** – An Interleaver which takes cells and interleaves them over a particular time period.

## 4. SYSTEM OVERVIEW AND GUIDELINES FOR PHYSICAL LAYER MODE

### 4.1 System Overview

The ATSC 3.0 physical layer protocol described by A/321 [2] and A/322 [3] provides distinct features and descriptions of the physical layer technologies. For a channel coding method, a well-optimized Bit-Interleaved Coded Modulation (BICM) chain, comprised of Low-Density Parity Check (LDPC) codes (2/15 – 13/15 code rates), Bit Interleavers, and Non-Uniform Constellations (QPSK – 4096QAM modulation orders), is used to achieve near Shannon limit performance of channel error mitigation across a wide range of SNR values. Multiple data streams can be carried by one or multiple Physical Layer Pipes (PLPs) using flexible choices of framing and multiplexing techniques including Time Division Multiplexing (TDM), SubSlice Multiplexing (SSM), Frequency Division Multiplexing (FDM), and Layered Division Multiplexing (LDM). Waveform parameters based on Orthogonal Frequency Division Multiplexing (OFDM) modulation also support a wide range of guard intervals, pilot patterns, and FFT sizes for broadcasters to select optimal system performance of intended services. Optional technologies such as channel bonding, Multiple-Input Single-Output (MISO), Multiple-Input Multiple-Output (MIMO), and Transmitter Identification (TxID) are included as additional features in the ATSC 3.0 physical layer protocol.

Figure 4.1 shows a high-level ATSC 3.0 physical layer protocol diagram of an example multiple-PLP architecture. Multiple data streams intended to have different robustness levels are delivered by input PLPs. After each PLP is processed by independent Input Formatting and BICM blocks, further block processes are selected depending on the choices of multiplexing methods. TDM, SSM, and FDM can be achieved in the Framing and Interleaving block (bypassing the LDM Combining block) by using PLP multiplexing within a subframe. When different waveform parameters such as guard intervals, pilot patterns and FFT sizes are configured in the Waveform Generation block, TDM can also be enabled by constructing multiple subframes with each PLP contained in a separate subframe. LDM can be achieved with data processing right after the BICM stage as it contains combinations of data cells. A 2-layer LDM may be combined with TDM and/or FDM to configure multiple PLPs as shown in Figure 4.1.



**Figure 4.1** High level ATSC 3.0 physical layer protocol diagram enabling an example of multiple-PLP architecture.

The key technologies of the ATSC 3.0 physical layer protocol can be summarized as following.

- Bit-Interleaved Coded Modulation (BICM)
  - FEC: LDPC (inner code), BCH / CRC (outer code)

- Code rate: 2/15 – 13/15 (64800, 16200 bits)
  - Constellations: QPSK, 16QAM – 4096QAM (Non-uniform constellations)
- Time Interleaver
  - Convolutional Time Interleaver (CTI)
  - Hybrid Time Interleaver (HTI): Cell Interleaver, Twisted Block Interleaver, Convolutional Delay Line
  - Maximum TI memory size:  $2^{19}$  cells
- Multiplexing
  - TDM, SSM, FDM, LDM
  - Maximum number of PLPs per RF channel: 64
  - Maximum number of PLPs per complete delivered product: 4
- Framing and Waveform
  - Time-aligned and symbol-aligned frames
  - Minimum frame length: 50 ms
  - Maximum frame length: 5 seconds
  - One or more subframes per frame
  - FFT size: 8K, 16K, and 32K
  - Pilot patterns: Scattered pilots (16 choices), Continual pilots, Edge pilots, and Subframe boundary pilots
  - Guard intervals: 12 choices
- Optional Technologies
  - Channel bonding
  - MISO: TDCFS
  - MIMO
  - PAPR reduction: TR and ACE
  - Transmitter Identification (TxID)

## 4.2 Guidelines for Physical Layer Mode

### 4.2.1 FFT Size

ATSC 3.0 defines three FFT sizes: 8K, 16K and 32K. The choice of FFT size defines the number of carriers included in a fixed bandwidth. FFT size influences the capacity, delay and mobility tolerance of the transmitted signal. For example, if a large FFT size (32K FFT) is used, the guard interval overhead is reduced compared to smaller FFT sizes for a fixed guard interval duration in microseconds. Moreover, a greater delay tolerance for the same fractional guard interval is obtained, allowing larger Single Frequency Networks (SFNs) to be constructed. Conversely, the use of a larger FFT size implies greater vulnerability to fast time-varying channels due to the narrower carrier spacing.

Therefore, for delivering high-bit-rate services where fixed reception is mainly targeted, the 32K FFT mode is recommended as the time variations of the channel in fixed reception scenarios are small. For mobile reception, the smaller FFT sizes such as 8K and 16K FFT modes are recommended. Note that in ATSC 3.0, multiple subframes per frame may be used with a different FFT size for each subframe. See Section 5.3.2 for recommendations when multiple FFT sizes are present in the same ATSC 3.0 frame.

#### 4.2.2 Bandwidth and Bandwidth Reduction

The bandwidth of the system is indicated by the value of **system\_bandwidth** signaled in bootstrap symbol 1 as described in Section 6.1.1.1 of [2]. Options available for the current version of the standard are 6 MHz, 7 MHz and 8 MHz. A greater than 8 MHz option is also available to facilitate future operation using a system bandwidth greater than 8 MHz, but it is not intended to be used by the current version described by the present signaling set.

The number of useful carriers, denoted by NoC in [3], determines the occupied bandwidth of an ATSC 3.0 signal which is typically smaller than the system bandwidth. As described in Section 7.2.3 of [3], the NoC for each FFT size is configured by a carrier reduction coefficient  $C_{red\_coeff}$  that indicates the number of control units to be deducted from the maximum configurable NoC for that FFT size,  $NoC_{max}$ . The carrier reduction coefficient ranges from 0 to 4 and the corresponding ranges of occupied bandwidths are from 5.832844 MHz to 5.508844 MHz for **bsr\_coefficient** = 2 which is a typical value for 6 MHz system bandwidth.

Note that the control unit size of 96 carriers for an 8K FFT is the least common multiple of 24 and 32, which are the maximum configurable  $D_x$  values of base 3 and 4, respectively. Therefore, the selected control unit size of 96 carriers simplifies receiver design by eliminating the need for extrapolation during channel estimation for all possible combinations of NoC and scattered pilot patterns. For 16K and 32K FFT sizes, the control unit sizes are scaled by 2 and 4, respectively, to keep the control unit granularity in absolute frequency and signaling overhead the same.

The first Preamble symbol always uses the minimum NoC possible for the Preamble FFT size of the current frame to eliminate the need to signal the NoC of the first Preamble symbol in the bootstrap. When the Preamble comprises more than one Preamble symbol, i.e., **L1B\_preamble\_num\_symbols** > 0, all Preamble symbols except the first Preamble symbol have the same NoC as indicated by **L1B\_preamble\_reduced\_carriers** (Section 9.2.2 of [3]) in L1-Basic. For data symbols, all of the OFDM symbols within a subframe have the same NoC which is configured per subframe and is indicated by **L1D\_reduced\_carriers** (Section 9.3.3 of [3]) in L1-Detail. One exception is the NoC of all of the OFDM symbols in the first subframe which is indicated by **L1B\_first\_sub\_reduced\_carriers** (Section 9.2.2 of [3]) in L1-Basic. Carrying the NoC information of the first subframe in L1-Basic helps receivers to begin processing the first subframe without further waiting for L1-Detail decoding which would be the case if the NoC information of the first subframe were carried in L1-Detail.

Symmetric reduction of the occupied bandwidth or NoC is assumed in [3] in favor of smaller signaling overhead compared to asymmetric reduction. If asymmetric control of the occupied bandwidth or NoC is needed for some reason during the frequency-planning process, asymmetric control of the occupied bandwidth or NoC can still be implemented by combining symmetric control of NoC and an intentional frequency offset at transmitters. Then, with the aid of the bootstrap having a wide acquisition range of frequency offset, ATSC 3.0 receivers can acquire the frequency-shifted ATSC 3.0 signal without any additional information. Note that the ATSC 3.0 Scheduler [5] allows a carrier frequency offset in order to avoid co-channel interference among neighboring transmitters. The allowed carrier frequency offsets are -1 or +1 OFDM carriers in the 8K FFT size (see Section 10.3 of [5]).

Narrower bandwidth than the occupied bandwidth currently supported by the current version can be supported, if desired, in later versions by defining new values for the reserved fields of **L1B\_preamble\_reduced\_carriers**, **L1B\_first\_sub\_reduced\_carriers** and **L1D\_reduced\_carriers**.

In general, a smaller value of the carrier reduction coefficient (larger number of carriers) is recommended for increased data capacity, while a larger carrier reduction coefficient (smaller

number of carriers) is recommended for the case where there is severe adjacent channel interference.

#### 4.2.3 Pilot Pattern

Scattered pilots (SPs) are carriers that do not contain payload data but whose value is known by receivers in order to get a proper channel estimation at the SP positions. Next, the channel estimates at data cells can be obtained by interpolation. The SP pattern defines the density and location of the SPs inside the ATSC 3.0 subframes.

As the Channel Frequency Response (CFR) varies with both time and frequency, the SP pattern is characterized by two terms, the frequency separation of pilots,  $D_x$ , and the length of the SP pattern in OFDM symbols,  $D_y$ . The 16 different SP patterns of ATSC 3.0 are obtained from 8  $D_x$  values (3, 4, 6, 8, 12, 16, 24, and 32) and from 2  $D_y$  values (2, 4). It is strongly recommended that the values of  $D_x$  and  $D_y$  be selected according to the CFR characteristics.

##### 4.2.3.1 Separation of Pilot Carriers ( $D_x$ )

The latest path that can contribute constructively so that it can be correctly equalized by a receiver depends on the channel delay spread, i.e., the coherence bandwidth. According to the Nyquist sampling theorem, this limit (when both time and frequency interpolation are implemented) is estimated as:

$$T_n = \frac{T_U}{D_x}$$

where  $T_n$  represents the Nyquist limit and  $T_U$  is the useful symbol duration. For ATSC 3.0 it has been assumed that receivers are only able to correctly equalize those signals with echoes up to 75% or 89% of Nyquist limit. That is, only those GIs with a length shorter than 75% or 89% of  $T_n$  are allowed. This ratio is also known as the Guard Utilization Ratio (GUR). It can be seen that the Nyquist limit is increased with the useful symbol duration, i.e., with an increased FFT size, while it is reduced with the SP spacing. Therefore, not all GIs are allowed for each combination of SP pattern and FFT size.

##### 4.2.3.2 Length of Pattern in Symbols ( $D_y$ )

If the transmitted signal is expected to be received in mobile conditions, the propagation channel will vary across OFDM symbols. Thus, the pilots need to be inserted at a certain rate ( $D_y$ ) that is a function of the coherence time, which is related to the Doppler shift limit. As OFDM symbols occur at the rate  $f_D = 1/(T_U + T_G)$  Hz, the Doppler shift limit for frequency channel variation,  $f_D$ , that can be measured is:

$$f_D = \frac{\pm 1}{2D_y \cdot (T_U + T_G)} \text{ Hz}$$

where  $T_G$  is the GI length in time.

At first, it can be assumed that the densest SP pattern provides the most accurate channel estimation. Nevertheless, at the same time, it introduces the highest data rate overhead. From the expression above, it can be observed that the smaller the  $D_y$ , the GI, and the FFT size, the higher the Doppler shift limit. Hence, in order to support high speeds,  $D_y = 4$  was discarded for 32K FFT size.

In summary, taking the Nyquist ( $D_x$ ) and Doppler ( $D_y$ ) limits into account, the permitted FFT/GI/SP combinations in ATSC 3.0 are presented in Table 8.3 of [3]. Note however that as the

pilot density increases, the data overhead also increases. The SP overhead (which does not take into account Preamble, continual, edge and subframe boundary pilots) can be expressed as the simple fraction  $1/(D_x \times D_y)$  as shown in Table 4.1.

**Table 4.1** Scattered Pilot Pattern Overheads

SP	D <sub>x</sub>	D <sub>y</sub>	Overhead (%)	SP	D <sub>x</sub>	D <sub>y</sub>	Overhead (%)
SP3_2	3	2	16.67	SP12_2	12	2	4.17
SP3_4	3	4	8.33	SP12_4	12	4	2.08
SP4_2	4	2	12.50	SP16_2	16	2	3.13
SP4_4	4	4	6.25	SP16_4	16	4	1.57
SP6_2	6	2	8.33	SP24_2	24	2	2.08
SP6_4	6	4	4.17	SP24_4	24	4	1.04
SP8_2	8	2	6.25	SP32_2	32	2	1.57
SP8_4	8	4	3.13	SP32_4	32	4	0.78

#### 4.2.4 Pilot Boosting

The pilot boost factor defines the pilot amplitude with respect to data carriers. The pilot boosting affects the reception performance as higher pilot boosting improves channel estimation accuracy. However, since the total signal power is fixed, a higher pilot boosting results in a reduced data carrier power. Thus, the choice of the pilot boosting is not straightforward.

For the choice of pilot boost, the equalized data Signal-to-Noise Ratio ( $SNR_{EQ,b}$ ) can be considered as a metric that obtains the best overall performance taking into account different receiver equipment. It is estimated as:

$$SNR_{EQ,b} = \frac{\sigma_s^2 \cdot k}{\sigma_N^2 + \sigma_N^2 \cdot f_{int}/b} = SNR \cdot \frac{k}{1 + f_{int}/b}$$

where  $\sigma_s^2$  is the data signal variance,  $\sigma_N^2$  is the noise variance,  $b$  is the SP boosting factor,  $k$  is the power normalization ( $k = D_x \cdot D_y / (D_x \cdot D_y - 1) + b$ ), and  $f_{int} = f_{int,time} \cdot f_{int,freq}$  is the noise reduction factor by time and frequency interpolation. The value of  $f_{int,time}$  is set to  $\{0.75, 0.6875\}$  for  $D_y = \{2, 4\}$ , which can be calculated from the distance between the two symbols to be linearly interpolated. Although the values of  $f_{int,freq}$  vary depending on the frequency interpolator of each receiver implementation, ATSC 3.0 provides 5 boosting values by assuming  $f_{int,freq} = \{0, 0.25, 0.5, 0.75, 1\}$ . The available boosting values are shown in Table 9.14 of [3].

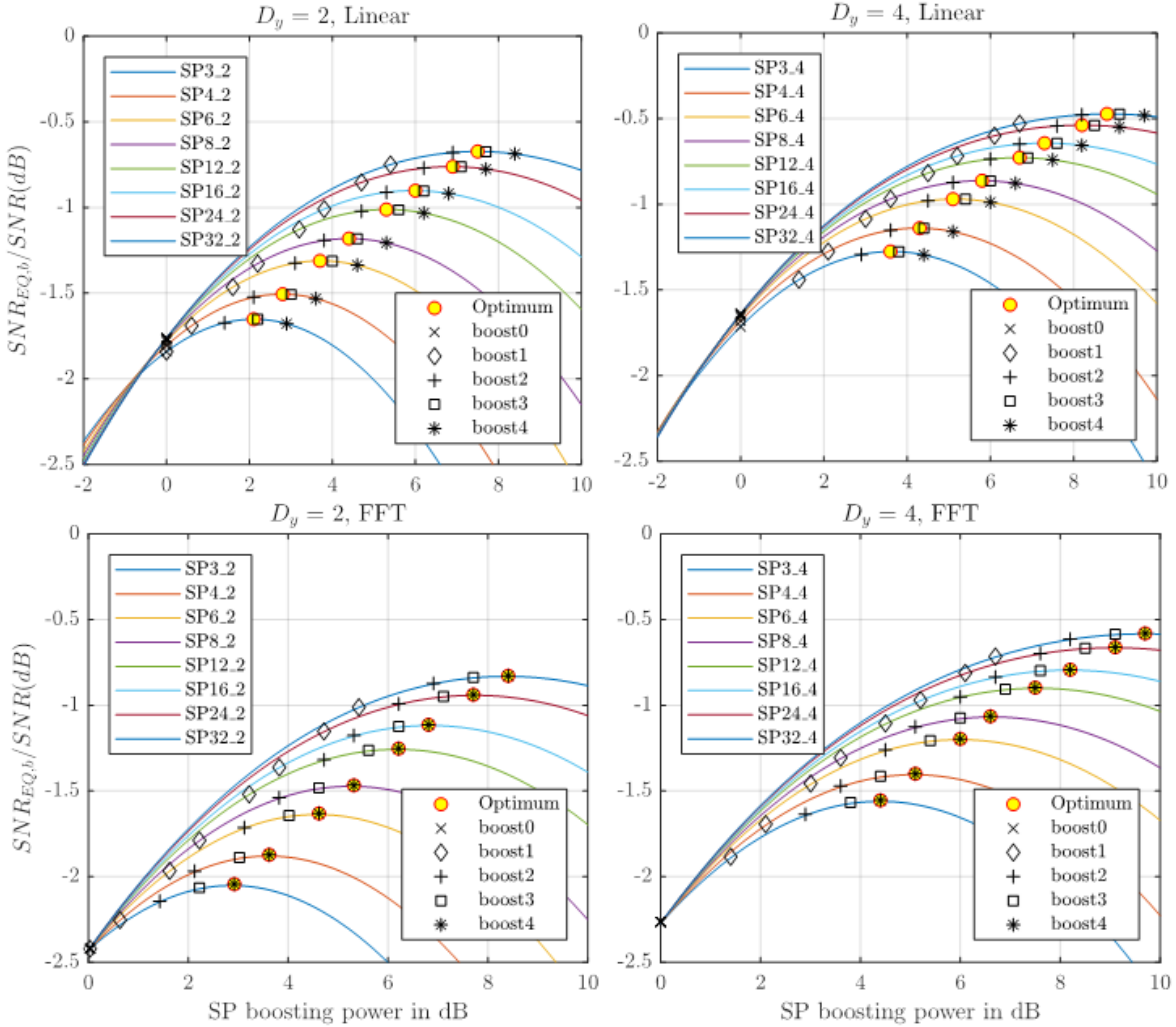
As noted, the choice of boosting value depends primarily on the frequency interpolator. For example, Figure 4.2 presents the  $SNR_{EQ,b}/SNR$  for each SP pattern when a linear (top) or a DFT (bottom) frequency interpolator is employed in a receiver. The higher  $SNR_{EQ,b}/SNR$  corresponds to a lower degradation due to the channel estimation. The corresponding boosting values and the optimum boosting value are marked.

As shown in Figure 4.2, since DFT  $f_{int,freq} = 1$ , the optimum  $SNR_{EQ,b}/SNR$  matches with a boosting value of 4. In the case of linear interpolation,  $f_{int,freq}$  varies from  $\{0.667, 0.704\}$ , so that the optimum  $SNR_{EQ,b}/SNR$  is closer to a boosting value of 3.

Note that a high pilot boosting improves channel estimation accuracy, but it reduces the power of the data carriers, which will degrade the overall SNR of the system. This data cell power reduction is approximated as an SNR reduction ( $\Delta_{BP}$ ), and it can be estimated as:

$$\Delta_{BP}(dB) = 10 \cdot \log_{10} \frac{N_{data} + (N_{SP} + N_{EP}) \cdot A_{SP}^2 + N_{CP} \cdot A_{CP}^2}{N_{data} + N_{SP} + N_{EP} + N_{CP}}$$

where  $N_{data}$  refers to the number of data cells per OFDM symbol,  $N_{SP}$  refers to the number of scattered pilots per OFDM symbol,  $N_{EP}$  refers to the number of edge pilots per OFDM symbol,  $A_{SP}^2$  refers to scattered pilot amplitude,  $N_{CP}$  refers to the number of continual pilots per OFDM symbol, and  $A_{CP}^2$  refers to continual pilot amplitude. The corresponding data cell power reduction values for each combination of pilot boosting and SP pattern in ATSC 3.0 are shown in Table B.4.1 in Annex B.



**Figure 4.2** Equalized SNR performance for  $D_y = 2$  (left) and  $D_y = 4$  (right) with linear frequency interpolation (top) and DFT frequency interpolation (bottom).



#### 4.2.5 Frame and Subframe Length

##### 4.2.5.1 Frame Length

A frame comprises the bootstrap, Preamble and one or more subframe(s). The frame length is the time period measured from the beginning of the first sample of the bootstrap associated with the current frame to the end of the final sample associated with the current frame. The frame length is a configurable parameter that can be chosen as required by broadcasters and network operators. The range of the frame length that can be configured within the normative constraints imposed by [3] are from 50 ms to 5 seconds as specified in Section 7.2.2.2 of [3].

A longer frame length typically has the benefit of smaller percentage overhead because the bootstrap and Preamble always occur once per frame irrespective of the configured frame length. Conversely, a shorter frame length is preferable if features such as faster service acquisition and reacquisition are more critical. Note that receiver time-out depends not only on the frame length but also on the worst-case effect of the channel (multipath, Doppler) as well as receiver side impairments (noise, frequency offset, crystal drift). When a long frame length is set, receivers may time-out before acquiring the transmitted signal in poor reception conditions, and longer frame lengths may also lead to a requirement for more memory. In general, when fast service acquisition and reacquisition are required, it is recommended that ATSC 3.0 frame length be set at less than or equal to 250 ms.

The exact value of the frame length depends on the choice of frame type i.e., choice of symbol-aligned or time-aligned mode. **L1B\_frame\_length\_mode** in L1-Basic indicates the frame type of the current frame. **L1B\_frame\_length\_mode=0** indicates time-aligned mode and **L1B\_frame\_length\_mode=1** indicates symbol-aligned mode. For time-aligned mode, **L1B\_frame\_length** in L1-Basic indicates the exact value of the frame length in 5 ms units. Given the configurable range of frame length from 50 ms to 5 seconds, **L1B\_frame\_length** ranges from 10 to 1000.

For the symbol-aligned mode (**L1B\_frame\_length\_mode=1**), the overall frame length is the summation of each of the time durations of the bootstrap, Preamble and subframe(s). The bootstrap consists of a number of bootstrap symbols. Each bootstrap symbol has a fixed time duration of 500  $\mu$ s (Section 5.1 of [2]). The total time duration in microseconds of the bootstrap is 500  $\mu$ s multiplied by the total number of bootstrap symbols.

##### 4.2.5.2 Number of Preamble Symbols

The Preamble consists of one or more Preamble symbol(s). The time duration of the Preamble is the time duration of one Preamble symbol multiplied by the number of Preamble symbols constituting the Preamble. The **preamble\_structure** in the bootstrap indicates the FFT size and guard interval length of the Preamble as described in Section 9.1.4 and Annex H of [3] and **L1B\_preamble\_num\_symbols** in L1-Basic indicates one less than the number of Preamble symbols in the Preamble. In theory, the number of Preamble symbols in a Preamble ranges from 1 to 8 according to the value assigned to **L1B\_preamble\_num\_symbols** in L1-Basic. Note, however, that the memory size required to implement the block interleaver/de-interleaver for L1-Detail signaling data is proportional not only to the number of Preamble symbols but also is proportional to the FFT size of the Preamble symbols (Section 7.2.5.2 of [3]). An arbitrary combination of the number of Preamble symbols and the FFT size, e.g., eight Preamble symbols with 32K FFT size, renders the ATSC 3.0 device unnecessarily costly, due to the huge memory size required to implement the block interleaver/de-interleaver for L1-signaling data. Therefore, it is recommended to set upper limits on the maximum supported number of Preamble symbols per each Preamble FFT size as described in Table 4.2.

**Table 4.2** Maximum Recommended Number of Preamble Symbols for Different FFT Sizes

Preamble FFT Size	Maximum Recommended Number of Preamble Symbols
8K	8
16K	4
32K	2

#### 4.2.5.3 Subframe Configuration

The time duration of each subframe can be configured by varying the number of OFDM symbols in the subframe. Related to the subframe length, two normative constraints are imposed by [3]. Firstly, for a subframe configured with a 32K FFT, the sum of the number of data and subframe boundary symbols present in the subframe is always even, except for the first subframe of a frame where the sum of the number of Preamble, subframe boundary and data symbols is even (Section 7.2.4.2 of [3]). This is to limit the amount of memory used by the frequency interleaver and frequency de-interleaver. Secondly, the minimum duration of a subframe is the greater of 20 ms or the duration in ms of  $4 \times D_y$  data and subframe boundary symbols of that subframe. At least  $4 \times D_y$  data and subframe boundary symbols are present in every subframe. (Section 7.2.2.3 of [3]). This is because accurate channel estimation is difficult for very short subframes, and very short subframes are also less efficient.

**L1B\_num\_subframes** in L1-Basic indicates the number of subframes present within the current frame. **L1B\_first\_sub\_fft\_size** and **L1B\_first\_sub\_guard\_interval** in L1-Basic indicate the FFT size and guard interval associated with the first subframe, respectively. **L1B\_first\_sub\_num\_ofdm\_symbols** in L1-Basic signals the number of OFDM symbols present within the first subframe. Similarly, **L1D\_fft\_size** and **L1D\_guard\_interval** in L1-Detail indicate, for each subframe following the first subframe, the FFT size and guard interval of that subframe, respectively. **L1D\_num\_ofdm\_symbols** in L1-Detail indicates, for each subframe following the first subframe, the number of OFDM symbols present within the associated subframe.

In the case that additional samples are added to the end of a symbol-aligned frame to facilitate sampling clock adjustment in possible future versions of ATSC 3.0 (Section 9.2.1 of [3]), the time duration of additional samples is added to the frame length calculation. **L1B\_additional\_samples** in L1-Basic indicates the number of additional samples added at the end of a symbol-aligned frame to facilitate sampling clock alignment.

#### 4.2.6 Symbol-Aligned or Time-Aligned Mode

ATSC 3.0 physical layer frames are configured as either symbol-aligned or time-aligned frames, as stated in Section 7.2.2.2 of [3]. The bootstrap and Preamble symbols of both types of frames are identical in structure. The primary difference between the two frame types lies in the guard intervals of the OFDM symbols belonging to the subframe(s) within a frame.

In a symbol-aligned frame, the guard interval lengths for the OFDM symbols belonging to a particular subframe are exactly equal to the length signaled by either **L1B\_first\_sub\_guard\_interval** (Section 9.2.3 of [3]) or **L1D\_guard\_interval** (Section 9.3.3 of [3]) for the corresponding subframe.

A time-aligned frame has a total length, in samples, exactly equal to an integer multiple of 5 ms with that frame length being indicated by **L1B\_frame\_length** (Section 9.2.1 of [3]). The frame length is achieved by padding a configured frame out to the desired length, and this padding is performed by adding an appropriate number of extra samples to the guard interval of each and every OFDM symbol belonging to each and every subframe within the frame. The same number of excess samples is added to the guard interval of each of these OFDM symbols regardless of the

guard interval length signaled by **L1B\_first\_sub\_guard\_interval** or **L1D\_guard\_interval**. The number of extra samples to be added to each guard interval is calculated as specified in Section 8.5.1 of [3] and is signaled by **L1B\_excess\_samples\_per\_symbol** (Section 9.2.1 of [3]). Note that excess samples are not added to any of the Preamble symbols, since the Preamble contains the **L1B\_excess\_samples\_per\_symbol** signaling field and the Preamble should therefore be decodable without knowledge of the contents of this field. There will also likely be a non-zero number of padding samples that cannot be equally distributed to the OFDM symbol guard intervals, and these padding samples are used to construct a cyclic postfix on the final OFDM symbol of the corresponding frame. Note that the length, in samples, of any such cyclic postfix should necessarily be less than the number of non-Preamble OFDM symbols within the frame (since otherwise it would be possible to equally distribute at least one more excess sample to each of the relevant guard intervals within the frame).

The frame type of the current frame is signaled in L1-Basic by **L1B\_frame\_length\_mode** (Section 9.2.1 of [3]).

Time-aligned frames are useful when it is desired to have physical layer frame boundaries aligned on specific time points (e.g., exactly on a 1 ms GPS time tick). Potential use cases for this configuration include the time-division multiplexing of different wireless services within a single RF channel. There is a very small loss of efficiency by using time-aligned frames, due to the extra padding samples that are used to achieve the time alignment, but this efficiency loss should be minimal with a carefully chosen frame configuration.

If a broadcaster has no requirement for the time alignment of physical layer frames, then it is recommended that symbol-aligned frames be configured since this will maximize the efficient use of the configured physical layer resources.

At the present time, there is no known use case for multiplexing symbol-aligned and time-aligned frames within the same RF channel, so it is recommended that **L1B\_frame\_length\_mode** maintain the same value from one physical layer frame to the next. In the infrequent event of switching a flow of frames from symbol-aligned to time-aligned frames within a given RF channel, it is recommended that the broadcaster temporarily suspend the transmitted signal of symbol-aligned frames and recommence transmitting time-aligned frames at an appropriate time boundary. Switching from time-aligned to symbol-aligned frames (also expected to be a rare event) can be achieved via an immediate cut-over with no requirement to suspend transmission since there will be no need to align the frame edges of symbol-aligned frames with any kind of time boundary.

#### 4.2.7 PLP Multiplexing

##### 4.2.7.1 PLP Cell Multiplexing

In the context of PLP cell multiplexing and as defined in Section 7.2.6.6 of [3], there are two basic types of PLPs in the ATSC 3.0 physical layer: non-dispersed PLPs and dispersed PLPs. All of the data cells in a non-dispersed PLP within a subframe are contiguous in the one-dimensional indexed data cell space that is defined in Section 7.2.6.1 of [3]. Conversely, a dispersed PLP is subsliced (see Section 7.2.6.8 of [3]) such that equal-sized blocks (or subslices) of that PLP appear at non-contiguous periodic intervals in the indexed data cell space of a subframe.

The two different PLP types lead to two basic approaches when multiplexing the cells of more than one PLP into a subframe.

Non-dispersed PLPs can be multiplexed in a time-division multiplexed manner. Here, for example, a first non-dispersed PLP would occupy a certain contiguous block in the indexed data cell space, followed by a second non-dispersed PLP occupying a different contiguous block within the indexed data cell space. TDM is a relatively simple multiplexing scheme that can be used for

different applications and has the benefit of potentially reducing power consumption at a receiver, especially in battery-powered receivers. A receiver could access and decode an ATSC 3.0 signal only during the portion where the TDMed PLP of interest is transmitted. During unwanted portions of the transmission (e.g. other TDMed PLPs), the receiver could fall into an idle mode to reduce battery energy consumption. An example of TDMed PLPs is shown in Section 7.2.7.3 of [3].

Dispersed PLPs can be cell multiplexed in a subslice multiplexed (SSM) manner. Here, the subslices of multiple (at least two) dispersed PLPs are essentially interwoven with each other across a greater period of time than would be otherwise occupied by only one of those PLPs if that PLP was configured as a non-dispersed PLP. This leads to greater time diversity by spreading the same amount of data over a longer period of time. The basic requirement for subslice multiplexing multiple dispersed PLPs together is that all of those PLPs are configured with the same subslice interval value. Note that the frequency-division multiplexed example shown in Section 7.2.7.5 of [3] is a special case of SSM where the subslice interval is configured to be equal to the number of available data cells in one OFDM symbol. However, SSM is more general than the limited case of FDM and is not limited just to an FDM configuration.

TDM and SSM PLP configurations can be combined within a subframe when both non-dispersed and dispersed PLPs are present. One such example is the case of time/frequency-division multiplexing (TFDM) shown in Section 7.2.7.6 of [3]. Note again, however, that the FDM portion of this example is a special case of SSM and that SSM is not limited just to FDM configurations.

The special case of FDM allocates dispersed PLPs within a subframe such that each PLP is delivered within a narrower bandwidth than the overall system bandwidth, and may therefore allow receivers to use lower-power narrower-bandwidth operations for the body of that subframe. However, the bootstrap and the preamble symbols occupy the full system bandwidth (subject to any carrier reduction that is applied), so a receiver will need to process the full system bandwidth at the beginning of each physical layer frame.

#### 4.2.7.2 Layered Division Multiplexing

LDM is a PLP multiplexing scheme where multiple PLPs share the same time and frequency resources, but are multiplexed together with different power levels. In terms of performance, PLPs that are strictly layered-division multiplexed together make more efficient use of physical layer resources than do PLPs that are strictly time-division or frequency-division multiplexed together. In a receiver implementation of LDM, it is necessary to cancel out the Core Layer signal in order to decode the Enhanced Layer signal, so there is an increase in computational complexity and memory use as compared to the decoding of a single PLP.

It is important to note that LDM is a PLP multiplexing scheme, but is not a PLP cell multiplexing scheme for framing, since LDM occurs earlier in the transmit chain (immediately following modulation) than does PLP cell multiplexing. Consequently, LDM and the PLP cell multiplexing schemes discussed further above are actually complementary PLP multiplexing schemes, in that they can be used in conjunction with each other. For example, LDM can be combined with TDM as TLDM (i.e., each TDMed PLP is a Combined PLP consisting of a Core PLP and an Enhanced PLP that have been LDMed together) or LTDM (i.e., each of the Core Layer and Enhanced Layer uses TDM methods independently of the other layer). LDM can also be combined with FDM (i.e., FLDM or LFDM) and/or, more generally, with SSM. Combining all three multiplexing methods (LDM, TDM, SSM/FDM) is also theoretically possible. Note, however, that as more than two multiplexing methods are combined, more hardware complexity may be required. Particular care that should be taken when LDM is combined with TDM and/or SSM/FDM, including memory considerations, is described in Section 5.3.3.

#### 4.2.8 LDM Parameters

##### 4.2.8.1 LDM Injection Level

When LDM is used, the injection level of an Enhanced PLP is signaled by **L1D\_plp\_ldm\_injection\_level** to determine the Enhanced PLP's power level relative to the associated Core PLP(s). The injection level of Enhanced PLP(s) can be varied from 0 dB to 25 dB below the associated Core PLP(s) as described in Sections 6.4.2 and 9.3.5 of [3]. As shown in Figure 4.3, a lower injection level of an Enhanced PLP implies that the transmission power of the Enhanced PLP increases. However, this Enhanced PLP signal becomes additional noise to the associated Core PLP(s), which will impact the performance of the Core PLP(s). Conversely, a higher injection level implies less transmission power allocated to an Enhanced PLP and more robustness to the associated Core PLP(s). Note that the total power after the injection of Enhanced PLP(s) is normalized to be equal to the power of a single PLP configuration. The required SNR of the Core and Enhanced PLPs after LDM combining depends on the required SNR of Core and Enhanced PLPs before LDM combining as well as the injection level. The required SNR of Core PLP ( $\text{SNR}_{\text{CL\_AC}}$ ) and Enhanced PLP ( $\text{SNR}_{\text{EL\_AC}}$ ) after LDM combining can be calculated as:

$$\text{SNR}_{\text{CL\_AC}} = \text{SNR}_{\text{CL\_BC}} + 10 \log_{10} \left( 1 + 10^{\frac{-\text{IL}}{10}} \right) - 10 \log_{10} \left( 1 - 10^{\frac{\text{SNR}_{\text{CL\_BC}} - \text{IL}}{10}} \right)$$

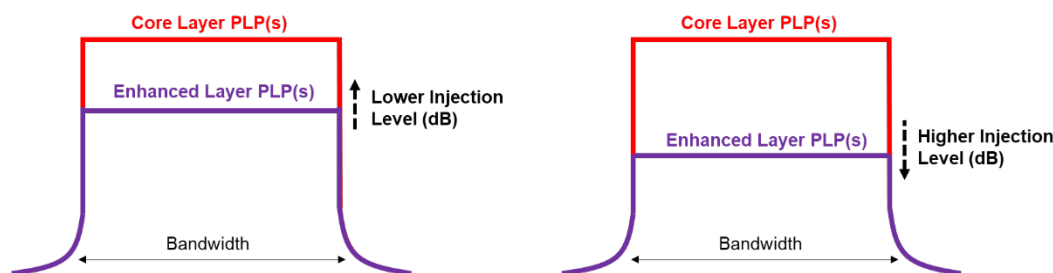
$$\text{SNR}_{\text{EL\_AC}} = \text{SNR}_{\text{EL\_BC}} + 10 \log_{10} \left( 1 + 10^{\frac{\text{IL}}{10}} \right)$$

where IL is the injection level in dB scale,  $\text{SNR}_{\text{CL\_BC}}$  is the required SNR value in dB of the PLP that is assigned to the Core Layer (i.e., the required SNR before LDM combining), and  $\text{SNR}_{\text{EL\_BC}}$  is the required SNR value in dB of the PLP that is assigned to the Enhanced Layer (i.e., the required SNR before LDM combining). Note that when multiple Enhanced PLPs are associated with one Core PLP, the same value of injection level should be used for all of those multiple Enhanced PLPs (see Section 5.3.3). Therefore, there will be no multiple values of required SNRs for a Core PLP.

When the injection level of an Enhanced PLP is chosen, it is important to consider the required SNR of Core PLP(s) before LDM combining. Since the injected Enhanced PLP acts as additional noise to the associated Core PLP(s), the Core PLP(s) will not be decodable if the injection level is less than the required SNR of Core PLP(s) before LDM combining. Furthermore, even if the injection level is slightly higher (e.g., 1 dB) than the required SNR of Core PLP(s) before LDM combining, there is still an effect on the SNR performance of the Core PLP(s) after LDM combining. Therefore, in order to provide enough headroom between the threshold of required SNR of Core PLP(s) and the injection level, it is recommended that the injection level (IL) of Enhanced PLP(s) be chosen according to the following condition:

$$\text{IL} \geq \text{SNR}_{\text{CL\_BC}} + 3$$

Note that this recommended headroom also considers possible implementation losses. Note also that when multiple Core PLPs are associated with an Enhanced PLP, the least robust Core PLP should be used to choose the condition of the injection level.



**Figure 4.3** Injection level control of Enhanced PLP(s).

#### 4.2.8.2 LDM ModCod Combination

As described in Section 4.2.8.1, particular care is needed to choose a ModCod combination for the Core Layer depending on the injection levels of the Enhanced Layer. Therefore, it is recommended that a Core PLP be configured with QPSK, 16QAM, or 64QAM constellations. When 64QAM is used for a Core PLP, it is recommended that code rates no higher than 7/15 be used to avoid high required SNRs in the Core Layer. An Enhanced PLP may be configured with any choice of ModCod combination described in Section 6.3.2 of [3].

#### 4.2.9 Code Rate, Length and Constellation

The total number of modulation and code rate (ModCod) combinations in ATSC 3.0 is 120 (72 and 48 for long and short LDPC codes, respectively). Among these 120 choices of ModCod, there are ModCod combinations that have equivalent throughputs with other combinations, and therefore, Section 6.3.2 of [3] describes the mandatory ModCod combinations from all of the ModCod combinations given those duplicated throughputs. Table 4.3 and Table 4.4 show the required SNRs for AWGN and i.i.d. Rayleigh channels, respectively, in long code (64800 bits) cases. In these tables, capacity-equivalent ModCods are marked by the same color, and for each color, the ModCods that show the lowest required SNRs are marked in bold. ModCods that do not have equivalent throughputs are not marked. Similarly, the required SNRs for short LDPC codes (16800 bits) are also shown in Table 4.5 and Table 4.6, for AWGN and i.i.d Rayleigh channels, respectively.

**Table 4.3** Required SNRs (dB) for all ModCod Combinations, Long LDPC codes (64800 bits) and AWGN Channel

Constellation	Code Rate											
	2/15	3/15	4/15	5/15	6/15	7/15	8/15	9/15	10/15	11/15	12/15	13/15
QPSK	-6.23	-4.32	<b>-2.89</b>	-1.70	<b>-0.54</b>	0.30	<b>1.16</b>	<b>1.97</b>	<b>2.77</b>	3.60	<b>4.49</b>	5.53
16QAM	<b>-2.73</b>	<b>-0.25</b>	1.46	2.82	4.21	5.21	<b>6.30</b>	<b>7.32</b>	<b>8.36</b>	9.50	10.57	11.83
64QAM	<b>-0.26</b>	2.27	<b>4.15</b>	5.96	7.66	8.92	<b>10.31</b>	11.55	<b>12.88</b>	14.28	15.57	17.03
256QAM	1.60	4.30	6.57	<b>8.53</b>	10.61	12.10	13.91	<b>15.55</b>	<b>17.13</b>	18.76	<b>20.44</b>	22.22
1024QAM	3.23	6.17	8.77	11.07	<b>13.46</b>	15.30	17.46	19.45	21.35	23.43	<b>25.52</b>	27.62
4096QAM	4.58	7.85	10.73	<b>13.45</b>	16.04	18.22	20.69	23.05	25.55	28.11	30.34	32.83

**Table 4.4** Required SNRs (dB) for all ModCod Combinations, Long LDPC Codes (64800 bits) and i.i.d. Rayleigh Channel

Constellation	Code Rate											
	2/15	3/15	4/15	5/15	6/15	7/15	8/15	9/15	10/15	11/15	12/15	13/15
QPSK	-5.72	-3.62	-1.97	-0.55	0.86	1.95	3.16	4.35	5.62	7.05	8.76	10.97
16QAM	-1.84	0.81	2.69	4.32	5.98	7.21	8.63	9.94	11.40	12.78	14.60	16.85
64QAM	0.86	3.61	5.88	7.74	9.72	11.10	12.75	14.25	15.81	17.44	19.39	21.82
256QAM	2.89	5.97	8.46	10.59	12.92	14.58	16.54	18.23	20.06	21.94	24.01	26.62
1024QAM	4.65	8.04	10.85	13.25	15.91	17.84	20.13	22.34	24.47	26.61	28.82	31.59
4096QAM	6.23	9.83	12.95	15.75	18.79	21.03	23.67	26.37	28.64	31.18	33.82	36.54

**Table 4.5** Required SNRs (dB) for all ModCod Combinations, Short LDPC Codes (16200 bits) and AWGN Channel

Constellation	Code Rate											
	2/15	3/15	4/15	5/15	6/15	7/15	8/15	9/15	10/15	11/15	12/15	13/15
QPSK	-5.55	-3.73	-2.32	-1.30	-0.33	0.56	1.38	2.20	2.94	3.82	4.70	5.76
16QAM	-2.15	0.35	1.99	3.16	4.45	5.51	6.51	7.58	8.59	9.74	10.81	12.09
64QAM	0.35	2.85	4.65	6.30	7.93	9.29	10.56	11.83	13.13	14.52	15.86	17.33
256QAM	2.27	4.78	7.19	8.93	10.91	12.57	14.25	15.80	17.45	19.08	20.78	22.55

**Table 4.6** Required SNRs (dB) for all ModCod Combinations, Short LDPC Codes (16200 bits) and i.i.d. Rayleigh Channel

Constellation	Code Rate											
	2/15	3/15	4/15	5/15	6/15	7/15	8/15	9/15	10/15	11/15	12/15	13/15
QPSK	-5.06	-2.97	-1.36	-0.08	1.15	2.30	3.44	4.70	5.97	7.46	9.15	11.56
16QAM	-1.14	1.45	3.41	4.78	6.27	7.58	8.96	10.28	11.73	13.22	14.97	17.44
64QAM	1.60	4.30	6.55	8.29	10.05	11.54	13.09	14.62	16.20	17.87	19.82	22.44
256QAM	3.60	6.79	9.32	11.16	13.29	15.15	16.95	18.64	20.50	22.40	24.54	27.23

The mandatory ModCod combinations for long codes (shown in Table 4.7) and short codes (shown in Table 4.8) are obtained based on the performance results in AWGN and i.i.d. Rayleigh channels only. Note that these mandatory ModCod combinations may be useful when broadcasters have a desired physical layer throughput and need to choose the best-performing ModCod combination among all the possible ModCod combinations that have the same throughput. For maximum broadcaster flexibility, and possible future extensibility of ATSC 3.0, it is strongly recommended that all the ModCod combinations (i.e., 72 choices for long codes and 48 choices for short codes) be implemented in ATSC 3.0 transmitters as well as in ATSC 3.0 receivers.

**Table 4.7** Mandatory ModCod Combinations for Long Codes (64800 bits)

Constellation	Code Rate											
	2/15	3/15	4/15	5/15	6/15	7/15	8/15	9/15	10/15	11/15	12/15	13/15
QPSK	✓	✓	✓	✓	✓	✓	✓	✓		✓		
16QAM			✓	✓		✓	✓	✓		✓		
64QAM		✓	✓	✓	✓	✓	✓	✓	✓	✓		
256QAM			✓	✓		✓	✓	✓	✓	✓	✓	✓
1024QAM				✓		✓	✓	✓	✓	✓	✓	✓
4096QAM						✓		✓		✓	✓	✓

**Table 4.8** Mandatory ModCod Combinations for Short Codes (16200 bits)

Constellation	Code Rate											
	2/15	3/15	4/15	5/15	6/15	7/15	8/15	9/15	10/15	11/15	12/15	13/15
QPSK	✓	✓	✓	✓	✓	✓	✓	✓				
16QAM				✓	✓	✓	✓			✓		
64QAM				✓	✓	✓	✓	✓	✓	✓		
256QAM				✓		✓	✓	✓	✓	✓	✓	✓

#### 4.2.10 L1 Protection Mode

The L1-Basic Mode is indicated via **preamble\_structure** of the bootstrap signaling together with the FFT size, guard interval length, and pilot pattern of the Preamble as described in Table H.1.1 of [3]. Note that Section 6.5 of [3] defines seven L1-Basic Modes (i.e., from L1-Basic Mode 1 to L1-Basic Mode 7); however, the current **preamble\_structure** of the bootstrap signaling can indicate only five L1-Basic Modes (i.e., from L1-Basic Mode 1 to L1-Basic Mode 5).

The L1-Detail Mode is indicated via **L1B\_L1\_Detail\_fec\_type** of the L1-Basic signaling. Section 6.5 of [3] defines the seven L1-Detail Modes (i.e., from L1-Basic Mode 1 to L1-Basic Mode 7), and the current **L1B\_L1\_Detail\_fec\_type** from the L1-Basic signaling can select all the choices of L1-Detail Modes.

The length of L1-Basic data is fixed at 200 bits, while the length of L1-Detail data is variable. Since the L1 protection uses the LDPC codes of rate 3/15 (Type A) and rate 6/15 (Type B) from data PLP, zero padding (i.e., shortening LDPC information bits) is performed before LDPC encoding. Furthermore, parity repetition and puncturing are also performed to achieve desired robustness after LDPC encoding. The protection mode of L1-Basic and L1-Detail signaling is determined based on the LDPC code rate, modulation order, parity repetition and parameters such as the number of punctured parity bits and the number of zero-padded bits, as shown in Table 4.9. Note that the parameters *A* and *B* in Table 4.9 indicate the number of punctured bits to the number of shortened bits ratio (i.e., zero-padding bits) and the constant integer for parity puncturing, respectively. More detailed parameters for L1 protection modes are given in Tables 6.17, 6.18, 6.23, 6.24 and 6.25 of [3].

**Table 4.9** Definition of L1 Protection Modes

L1 Protection Mode		LDPC Code Rate	Modulation	Parameters for Puncturing		Parity Repetition
				A	B	
L1-Basic	Mode 1	R=3/15 (Type A)	QPSK	0	9360	✓
	Mode 2		QPSK		11460	N/A
	Mode 3		QPSK		12360	N/A
	Mode 4		16QAM		12292	N/A
	Mode 5		64QAM		12350	N/A
	Mode 6		256QAM		12432	N/A
	Mode 7		256QAM		12776	N/A
L1-Detail	Mode 1	R=6/15 (Type B)	QPSK	7/2	0	✓
	Mode 2		QPSK	2	6036	N/A
	Mode 3		QPSK	11/16	4653	N/A
	Mode 4		16QAM	29/32	3200	N/A
	Mode 5		64QAM	3/4	4284	N/A
	Mode 6		256QAM	11/16	4900	N/A
	Mode 7		256QAM	49/256	8246	N/A



The required SNRs of the L1-Basic and L1-Detail Modes under AWGN and Rayleigh channels are shown in Table 4.10. Note that the Preamble (including L1-Basic and L1-Detail) does not provide time diversity unless the Additional Parity for L1-Detail is used. Therefore, when selecting the L1-Basic and L1-Detail Modes, it is always recommended that both L1-Basic and L1-Detail Modes be more robust than the data payload modes. The general recommendation of L1-Basic and L1-Detail Modes is to use Mode 1 to Mode 3 to provide much higher robustness than the data payload. It is also recommended that the L1-Detail Mode use the same mode as the L1-Basic Mode indicated by the bootstrap signaling. For example, when the L1-Basic Mode is selected as Mode 1, then L1-Detail Mode 1 is also recommended.

**Table 4.10** Performance of L1-Basic and L1-Detail Modes Under AWGN and Rayleigh Channels ( $\text{FER}=10^{-4}$ )

Mode	L1-Basic (dB)		L1-Detail (dB)	
	AWGN	Rayleigh	AWGN	Rayleigh
1	-9.2	-9.0	-7.8	-7.5
2	-2.7	-1.8	-1.4	-0.3
3	1.0	2.8	1.5	3.3
4	5.4	7.5	6.1	8.3
5	9.9	12.3	10.2	12.9
6	Not used		15.8	18.6
7			22.5	27.2

#### 4.2.11 Time Interleaver Mode

Each PLP transmitted at the physical layer is configured with one of three time interleaver modes, as specified in Section 7.1.1 of [3], with the available time interleaver modes being: no time interleaving, Convolutional Time Interleaver (CTI) mode, and Hybrid Time Interleaver (HTI) mode. The time interleaver mode for a particular PLP is indicated via the **L1D\_plp\_TI\_mode** signaling field for that PLP (see Section 9.3.4 of [3]). The time interleaver mode is signaled on a per PLP basis for all PLPs, even when Layered Division Multiplexing (LDM) is in use and Core and Enhanced PLPs are present. That is, **L1D\_plp\_TI\_mode** is signaled for Enhanced PLPs, even though such Enhanced PLPs pass through time interleaving as a combined part of the Core PLP(s) with which they have been layered division multiplexed.

When LDM is configured, the time interleaver mode signaled for an Enhanced PLP is the same as for the time interleaver mode signaled for the Core PLP(s) with which that Enhanced PLP is layered division multiplexed. Note that an Enhanced PLP can be layered division multiplexed with multiple Core PLPs (see Section 5.3.3 for details).

##### 4.2.11.1 Valid Conditions for CTI Mode

A PLP can be configured with any time interleaver mode that is considered valid for that particular PLP's situation. Time interleaver mode validity for a PLP is determined on the basis of what is referred to in [3] as a complete delivered product. A complete delivered product represents all of the data (e.g., video, audio, captions, meta-data) that goes together to form a complete product (e.g., program, movie, sportscast, etc) presented to an end user at a receiver. For example, this data could all be multiplexed together into a single PLP that carries video and audio data packets together. Alternatively, video data for a particular program could be carried in one PLP and the corresponding audio data for the same program could be carried in a second PLP. Consequently, a complete delivered product consists of one or more PLPs carrying related components of the same end-user service. Note that multiple programs may be multiplexed together in the same RF

channel, so different PLPs within the same RF channel may belong to the same or different complete delivered products.

Valid time interleaver modes for the PLPs of a particular complete delivered product are determined independently of any other distinct complete delivered products present within the same RF channel. That is, only the characteristics of PLP(s) belonging to a particular complete delivered product are considered when determining which time interleaver modes are considered as valid for the PLP(s) of that complete delivered product.

The CTI mode can only be, but does not necessarily need to be, used for the PLP(s) of a complete delivered product if either of the following two conditions is satisfied. (These two conditions are mutually exclusive so a maximum of only one of them can be satisfied.)

- The complete delivered product is composed of a single PLP that has a constant cell rate as measured at the input to the time interleaver.
- The complete delivered product is composed of a single Core PLP and one or more Enhanced PLPs layered division multiplexed with that Core PLP, with all of those PLPs having a constant cell rate as measured at the input to the time interleaver.

In the context of the above two conditions, constant cell rate means that over a given period of time (e.g., 1 second) that begins at any time point within the data flow, the same amount of data always arrives (e.g., from the studio) at the input to the time interleaver. For example, a 4 Mbps constant cell rate PLP would mean that during any one-second time period, 4 Mbits of data would arrive at the modulator for that PLP.

Note that it is important to consider the cell rate at the input to the time interleaver, rather than at the output from the time interleaver. Depending upon the exact physical layer frame configuration, the cell rate for a PLP at the output from the time interleaver may be bursty rather than constant. For example, consider the same 4 Mbps constant cell rate PLP. Suppose that each physical layer frame is configured to have a length of 1 second and that each such frame contains two subframes with each subframe having a length of 0.5 seconds. Assume that the PLP is carried only in the first subframe of each frame. Then, at the output of the time interleaver, the observed cell rate for the PLP will be 8 Mbps (4 Mbits divided by the first subframe's length of 0.5 seconds) during the first subframe, but 0 Mbps (0 Mbits divided by the second subframe's length of 0.5 seconds) during the second subframe. Thus, it is necessary to consider a PLP's data rate at the input to the time interleaver, rather than at the output, when determining whether or not that PLP possesses a constant cell rate. The other key condition, of course, is that over a certain period of time (e.g., 1 second), the number of cells arriving at the input of the time interleaver (e.g., from the studio) equals the number of cells leaving the output of the time interleaver (i.e., being multiplexed into physical layer subframes). This ensures that the CTI never overflows or underflows.

When the CTI mode is valid for a particular complete delivered product, this does not imply that the CTI mode is mandated to be used for the PLP(s) belonging to that complete delivered product. Instead, the PLP(s) may be configured, if so desired, with one of the other time interleaver modes (HTI mode or no time interleaving mode). However, it is recommended that PLP(s) for which the CTI mode is considered valid should be configured with the CTI mode for optimum performance.

#### 4.2.11.2 Valid Conditions for HTI and No TI Mode

Any PLPs can be configured with either the HTI mode or the no time interleaving mode. Multiple Core and/or non-layered-division-multiplexed PLPs belonging to the same complete delivered product can be configured individually with either the HTI mode or the no time interleaving mode.

That is, when a complete delivered product contains multiple Core and/or non-layered-division-multiplexed PLPs belonging to the same complete delivered product, each of those PLPs can be configured with either the HTI mode or the no time interleaving mode, regardless of the time interleaver mode(s) configured for other PLPs within the same complete delivered product. Additionally, when a complete delivered product contains multiple Core and/or non-layered-division-multiplexed PLPs belonging to the same complete delivered product, each of those PLPs can be configured with the same or different time interleaver parameters with some restrictions, as described in more detail below.

For use cases considered at the present time it is anticipated that multiple Core and/or non-layered-division-multiplexed PLPs belonging to the same complete delivered product would benefit from all being configured with the HTI mode (see also the discussion on the no time interleaving mode further below).

When a complete delivered product contains multiple Core and/or non-layered-division-multiplexed PLPs and all of those PLPs are configured with the HTI mode, then the normative constraint is that all of those PLPs use the same subframe interleaving mode within the HTI. That is, those PLPs either all use intra-subframe interleaving or all use inter-subframe interleaving; it is not allowed for some of those PLPs to use intra-subframe interleaving while other PLPs within the same complete delivered product use inter-subframe interleaving. Additionally, when those PLPs use inter-subframe interleaving, then the normative constraint is that those PLPs all use the same time interleaving unit ( $N_{IU}$ ).

When a complete delivered product contains multiple Core and/or non-layered-division-multiplexed PLPs and at least one of those PLPs is configured with the no time interleaving mode, then the use of the HTI mode with inter-subframe interleaving is disallowed for any of the other PLPs within the same complete delivered product. In this situation (with at least one PLP within a complete delivered product being configured with no time interleaving), the normative constraint is that all of the PLPs configured with HTI mode within that same complete delivered product use the same subframe interleaving mode, which is intra-subframe interleaving. Inter-subframe interleaving is not allowed for any of the PLPs within a complete delivered product if at least one PLP within that same complete delivered product is configured with the no time interleaving mode.

As mentioned earlier, any PLP can be configured with the no time interleaving mode. When the no time interleaving mode is configured for a PLP, that PLP does not consume any time interleaver memory resources. There may be certain use cases where it may be desirable to completely disable time interleaving for one or more PLPs, since time interleaving does introduce an additional amount of time latency (dependent upon the time interleaver depth). Note, however, that disabling time interleaving also removes any performance benefits obtained from time diversity. It is therefore recommended that broadcasters do not configure the no time interleaving mode unless they are very certain that it is applicable to the particular use case under consideration.

#### 4.2.11.3 Extended Time Interleaving

Extended time interleaving is specified in Section 7.1.3 of [3] and is indicated on a per PLP basis via **L1D\_plp\_TI\_extended\_interleaving** (see Section 9.3.9 of [3]). Extended interleaving can only be used when the corresponding PLP is configured with QPSK modulation and is not layered division multiplexed as either a Core or Enhanced PLP. Extended interleaving can be used with either CTI mode or HTI mode, but has no real meaning for the no time interleaving mode since no time interleaver memory is associated with that latter mode. When a complete delivered product is comprised of multiple PLPs, a subset of those PLPs can be configured for extended time interleaving provided that the other conditions discussed in this section are satisfied.

The purpose behind extended interleaving is to extend the number of cells that can be stored in the time interleaver memory provisioned within an ATSC 3.0 device. As specified in Section 7.1.2 of [3], ATSC 3.0 receivers should be able to store up to  $2^{19}$  cells (per complete delivered product) in time interleaver memory for regular time interleaving and up to  $2^{20}$  cells for extended time interleaving. When a complete delivered product is comprised of multiple PLPs, with at least one PLP configured for regular time interleaving and at least one PLP configured for extended time interleaving, then the sum of the total time interleaver memory (in cells) required for PLPs configured with regular time interleaving and half of the total time interleaver memory (in cells) required for PLPs configured with extended time interleaving should be less than or equal to  $2^{19}$  cells. There are two primary approaches that can be used to provision the time interleaver memory in an ATSC 3.0 receiver.

- The ATSC 3.0 receiver can be provisioned with sufficient memory to store  $2^{20}$  regular data cells (per complete delivered product), which meets the requirement of storing up to  $2^{19}$  cells in time interleaver memory for regular time interleaving and up to  $2^{20}$  cells for extended time interleaving.
- The ATSC 3.0 receiver can be provisioned with sufficient memory to store  $2^{19}$  regular data cells (per complete delivered product). When extended interleaving is configured, a coarser quantization resolution can be used for QPSK constellations (as compared to higher-order QAM constellations) such that the memory normally used to store one regular data cell can instead store two extended interleaving data cells.

The use of extended time interleaving, when allowed for a particular PLP, should increase the time diversity benefits experienced by that PLP. At the same time, however, the extended time depth of the interleaver will result in additional time latency experienced by the PLP's data passing through the time interleaver at a transmitter and the time de-interleaver at a receiver.

#### 4.2.12 Guard Interval

Each OFDM symbol within a physical layer frame has a guard interval prepended to it. There are twelve available guard interval lengths as listed in Section 8.5 of [3], ranging from short (192 samples) to long (4864 samples). Note that the guard interval length is limited to a maximum of one-quarter of the corresponding configured FFT size.

The guard interval length is configured per subframe and is indicated by **L1B\_first\_sub\_guard\_interval** (Section 9.2.3 of [3]) and **L1D\_guard\_interval** (Section 9.3.3 of [3]), depending upon the applicable subframe.

The guard interval provides protection against inter-symbol interference that arises when multiple time-delayed copies of the same OFDM symbol arrive at a receiver. Such time-delayed copies can arise from one or both of the following causes.

- Multi-path propagation. When the local terrain includes various “reflectors” such as hills, mountains, buildings, etc., the originally transmitted signal may reflect off these features and cause a time-delayed copy of the signal to arrive at a receiver.
- Multiple transmitters in a Single Frequency Network (SFN). In an SFN, all transmitters transmit the same signal at the same time. However, the propagation distances to a receiver from each transmitter will, in general, be different, and thus multiple copies of the same signal will arrive with differing time delays.

The end result, as viewed by a receiver, of both of the above two causes is essentially the same: multiple copies of the desired signal will arrive with differing time delays. The range, in time, between these different echoes is termed the delay spread of the propagation channel. For a single transmitter scenario (no SFN), the presence and length of the delay spread will be dependent upon

the local terrain and should be able to be measured using a professional receiver. Flat terrain with no reflectors will likely result in little or no delay spread, while the presence of many reflectors will result in a larger delay spread of the propagation channel.

In an SFN, the apparent delay spread will primarily be a function of the distance between adjacent transmitters since this will also result in copies of the same signal arriving with different time delays at a receiver. The delay spread in this scenario can be estimated using the propagation distances from different transmitters to various example receiver locations and/or can be measured using a professional receiver.

The configured guard interval length for a given deployment is recommended to be equal to or greater than the observed and/or estimated delay spread for that same deployment in order to minimize the performance impacts of inter-symbol interference. At the same time, the guard interval represents overhead so selecting a guard interval that is significantly longer than is actually required would result in the unnecessary loss of efficiency.

When multiple subframes are configured within a frame, there is a choice whether to configure all subframes with the same guard interval length or to configure different guard interval lengths for different subframes within the same frame, since the guard interval length is configured per subframe. It is generally recommended that the same guard interval length be configured for all subframes, with the possible exception of the following scenario. In an SFN, transmitted signals might contain both region-wide content (transmitted by all transmitters in the SFN) and local content (different content transmitted by each individual transmitter). For subframes containing region-wide content, the configured guard interval length needs to take into account the distance between adjacent transmitters. For subframes containing only local content, the configured guard interval length may only need to consider the delay spread introduced by local terrain features.

#### 4.2.13 Frequency Interleaver Mode

After PLP data has been mapped to the data cells of OFDM symbols in the frequency domain and prior to pilot insertion, those OFDM symbol data cells can be frequency interleaved within each OFDM symbol as described in Section 7.3 of [3]. Frequency interleaving can be enabled or disabled on a per subframe basis, and this enabling/disabling is indicated for each subframe by **L1D\_frequency\_interleaver** (Section 9.3.3 of [3]).

When enabled, frequency interleaving changes the order in which carriers are shuffled in the frequency dimension every one or two OFDM symbols, depending upon the configured FFT size. As such, frequency interleaving is intended to introduce frequency diversity into an ATSC 3.0 physical layer transmission, which should result in improved performance.

There may be possible future use cases that would benefit from or that would require frequency interleaving to be disabled. See, for example, the quasi-frequency-division-multiplexing and quasi-time-frequency-division-multiplexing examples in Sections 7.2.7.5 and 7.2.7.6, respectively, of [3]. However, at the present time and for presently-envisioned use cases it is recommended that frequency interleaving be enabled for all transmitted subframes in order to obtain the benefits of frequency diversity.

#### 4.2.14 Time Information Type

It is recommended that time information be always sent in every frame. There are several choices for the components of the time information. It is recommended that the most detailed information available be sent, that is, if nanosecond time information is available, this should be sent, i.e., **L1B\_time\_info\_flag**=11. This allows receivers to use the maximum time accuracy of transmitters.

#### 4.2.15 Multiple Subframes within a Frame

There are many possible ways to transmit multiple PLPs according to the ATSC 3.0 specification. Particularly broadcasters may wonder about whether to transmit multiple PLPs in a single subframe or in multiple subframes.

It is recommended that the number of subframes used be limited to the minimum number possible, since there is a small loss of efficiency when SBS (subframe boundary symbols) are used. Therefore, if there are 2 PLPs that both use 8K FFT size and the same pilot pattern and there are no other considerations (for example different broadcasters operating different services), although separate subframes with the same parameters are possible, it makes sense to combine the 2 PLPs into the same subframe.

Furthermore, care should be taken with the order of the subframes, as described in Section 5.3.2. The most common envisaged use of subframes is to allow completely different OFDM parameters, specifically different FFT sizes and/or different pilot patterns. For example, a typical scenario for a 2-PLP TDM may be to have one service targeting mobile reception, and another service targeting stationary reception. With multiple subframes, the mobile service could use the 8K or 16K FFT size for greater resistance to Doppler fading and thus high speed and mobility. A denser pilot pattern can provide better time and frequency interpolation of the channel leading to better channel estimation and higher mobile performance. Conversely, the service targeting stationary reception could use a 32K FFT for better efficiency and a less dense pilot pattern since mobility is not a priority for that service. In this way, there is great flexibility in combining TDM with multiple subframes.

Some common examples for combinations of subframes and multiple PLPs are as below:

- 1 PLP in subframe 1 (8K FFT), 1 PLP in subframe 2 (32K FFT, example above)
- 1 PLP in subframe 1 (8K FFT), 3 PLPs in subframe 2 (32K FFT)
- 2 PLPs in subframe 1 (8K FFT), 2 PLPs in subframe 2 (32K FFT)
- 4 PLPs in one subframe (16K FFT)

While not common, the following example may also be used

- 4 PLPs, each in their own subframe

While the use of PLPs spanning multiple subframes within the same frame is allowed by the specification, this option should be used with care. Note that Section 7.2.2.1 of [3] mandates that subframes containing the same PLP are of the same type (e.g., it is not allowed to map the same PLP to subframes containing different FFT sizes). Therefore, it is recommended that broadcasters consider that up to 4 subframes per frame are likely to be supported by receivers, where the PLP(s) are completely contained within each subframe (and do not span multiple subframes within the same frame).

#### 4.2.16 L1D\_plp\_fec\_type

In the current version of [3], **L1D\_plp\_fec\_type** has defined values 0 to 5 and reserved values 6 to 15. At the present time, **L1D\_plp\_fec\_type** should not be set to a value greater than or equal to 6 since those values are currently reserved. However, legacy receivers should be able to correctly parse a future version of the L1-Detail signaling in the event that additional FEC types are defined at a later time. Note that legacy receivers would not be expected to decode such new FEC types, but would be expected to correctly handle the L1-Detail signaling.

For the current version of [3], when the indicated value of **L1D\_plp\_fec\_type** for a particular PLP is greater than or equal to 6 in Table 9.8 of [3], the signaling fields **L1D\_plp\_mod** and **L1D\_plp\_cod** will not be included and will therefore have unspecified values for that PLP. There is a later

condition in Table 9.8 of [3] that is evaluated to determine whether or not to include the **L1D\_plp\_TI\_extended\_interleaving** signaling field for each PLP. This condition is based, in part, on testing the indicated value of **L1D\_plp\_mod**. When **L1D\_plp\_mod** has an unspecified value for a particular PLP (as could arise if a currently-reserved value of **L1D\_plp\_fec\_type** is indicated), it should be assumed that this condition is not satisfied and that therefore **L1D\_plp\_TI\_extended\_interleaving** is not configured for that PLP. This assumption will allow receivers to ensure correct interpretation of future versions of the L1-Detail signaling.

#### 4.2.17 Transmitter Identification (TxID)

TxID is signaled from the Scheduler that is commonly located in a studio, and is injected into ATSC 3.0 host signals for unique identification of individual transmitters. The TxID, injected only in the first Preamble symbol (see Annex N of [3]), should appear as only a small amount of interference to ordinary ATSC 3.0 consumer receivers, and should therefore be transparent to such receivers. Precisely, the receiving performance of the Preamble will be degraded depending on the injection level of the TxID, but the data payload part of the frame will not be affected by the TxID. Table 4.11 shows the required SNRs of the Preamble according to the TxID injection.

**Table 4.11** Required SNRs of the Preamble when TxID is Injected (AWGN Channel)

Injection Level [dB]	Preamble Decoding Performance [dB]											
	L1-Basic					L1-Detail						
	Mode 1	Mode 2	Mode 3	Mode 4	Mode 5	Mode 1	Mode 2	Mode 3	Mode 4	Mode 5	Mode 6	Mode 7
Off	-9.2	-2.7	1.0	5.4	9.9	-7.8	-1.4	1.5	6.1	10.2	15.8	22.5
45	-9.2	-2.7	1.0	5.4	9.9	-7.8	-1.4	1.5	6.1	10.2	15.8	22.5
42	-9.2	-2.7	1.0	5.4	9.9	-7.8	-1.4	1.5	6.1	10.2	15.8	22.5
39	-9.2	-2.7	1.0	5.4	9.9	-7.8	-1.4	1.5	6.1	10.2	15.8	22.6
36	-9.2	-2.7	1.0	5.4	9.9	-7.8	-1.4	1.5	6.1	10.2	15.8	22.6
33	-9.2	-2.7	1.0	5.4	9.9	-7.8	-1.4	1.5	6.1	10.2	15.9	22.8
30	-9.2	-2.7	1.0	5.4	9.9	-7.8	-1.4	1.5	6.1	10.2	15.9	23.0
27	-9.2	-2.7	1.0	5.4	10.0	-7.8	-1.4	1.5	6.1	10.3	16.0	23.6
24	-9.2	-2.7	1.0	5.4	10.0	-7.8	-1.4	1.5	6.1	10.3	16.2	25.1
21	-9.2	-2.7	1.0	5.5	10.1	-7.8	-1.4	1.5	6.2	10.4	16.7	32.4
18	-9.2	-2.7	1.1	5.6	10.3	-7.8	-1.4	1.6	6.3	10.7	17.9	N/A
15	-9.2	-2.7	1.1	5.7	10.8	-7.8	-1.3	1.6	6.5	11.2	22.1	N/A
12	-9.2	-2.6	1.2	6.0	12.1	-7.8	-1.3	1.8	6.9	12.6	N/A	N/A
9	-9.2	-2.5	1.5	6.8	16.5	-7.7	-1.1	2.0	7.8	18.1	N/A	N/A

Note that N/A in Table 4.11 implies that the TxID cannot be injected because of the performance limitation of the corresponding L1-Basic or L1-Detail Modes. For example, the required SNR of L1-Detail Mode 7 is 22.5 dB, and therefore, any TxID injection level less than or equal to 22.5 dB (i.e., 9 – 18 dB) cannot be used because the injected TxID would cause sufficient interference in those cases such that no receiver would be able to decode L1-Basic or L1-Detail successfully. Therefore, all the N/A modes in Table 4.11 should not be used by the Scheduler.

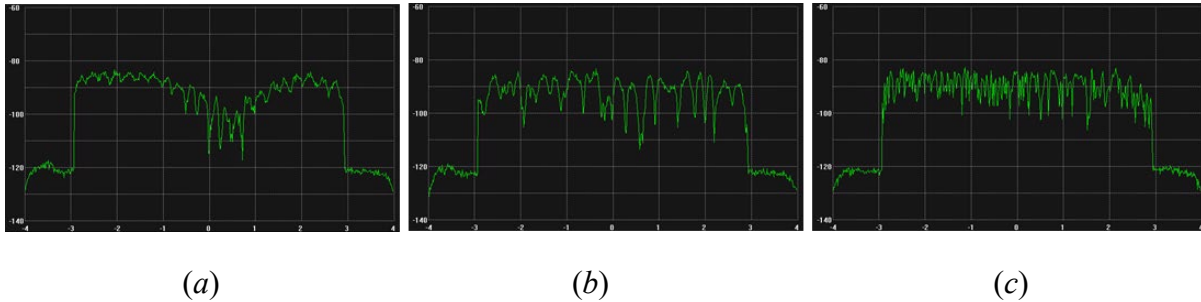
Broadcasters should turn on the TxID only when network design, adjustment, monitoring, or measurements are needed in SFNs since otherwise the injected TxID will cause unnecessary interference to the first Preamble symbol. Specialized receivers will be needed to obtain channel

impulse response information given by the TxID for such monitoring and measurement, but ordinary consumer ATSC 3.0 receivers will not necessarily decode the TxID.

#### 4.2.18 MISO Operation

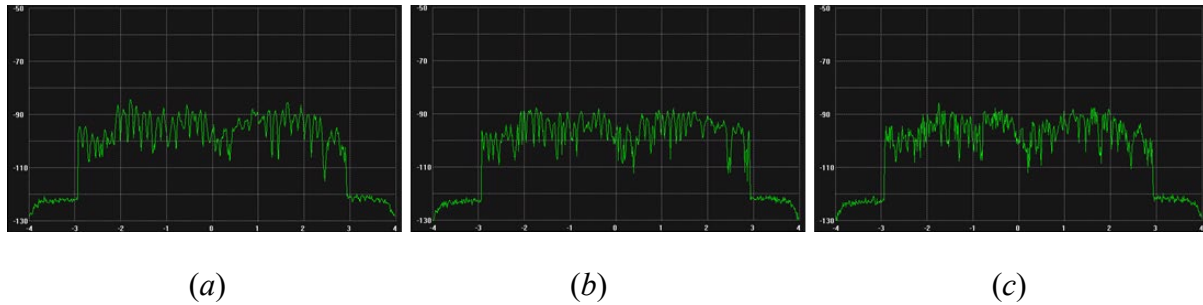
MISO in ATSC 3.0 uses Transmit Diversity Code Filter Sets (TDCFSs) that predistort waveforms from individual SFN transmitters so that possible cross-interference due to overlapped signals in SFN can be mitigated. In ATSC 3.0, two different code filter sets, 64 or 256 coefficients, are allowed, and a code filter set can be applied up to four transmitters. For MISO operation by broadcasters, the Timing and Management Packet controls the number of different MISO filter codes in use (indicated by `num_miso_filt_codes`) and the MISO filter code assignment to individual transmitters (indicated by `num_filts_code_index`) as described in Section 9.3.1 of [5]. In Preamble, `L1D_miso` indicates the use of MISO (i.e., no MISO, MISO with 64 coefficients, or MISO with 256 coefficients). Note that MISO is not applied to the bootstrap nor Preamble, but is only applied to subframes.

TDCFS is generally effective when there is a reception area having low delay among multiple transmitted signals, causing deep nulls in the frequency domain. Figure 4.4 and Figure 4.5 show examples of frequency responses in a two-transmitter SFN of a field environment when a short delay (0.1  $\mu$ s) and a relatively longer delay (7.1  $\mu$ s) are present, respectively. As shown in Figure 4.4, a deep null can be mitigated by using MISO, and in such a fixed reception condition, MISO with 256 coefficients provides better performance. Conversely, in longer delay cases as exemplified in Figure 4.5, there is no effect using MISO. Note that in practice, the use of MISO besides short delay cases may result in unexpected distortion of waveforms in certain reception areas, providing negative MISO gain. Note also that in cases of mobile reception, the channel is normally time-varying so that there is no MISO effect.



**Figure 4.4** Frequency response of a two-transmitter SFN when relative delay is 0.1  $\mu$ s: (a) No MISO, (b) MISO with 64 coefficients, and (c) MISO with 256 coefficients.

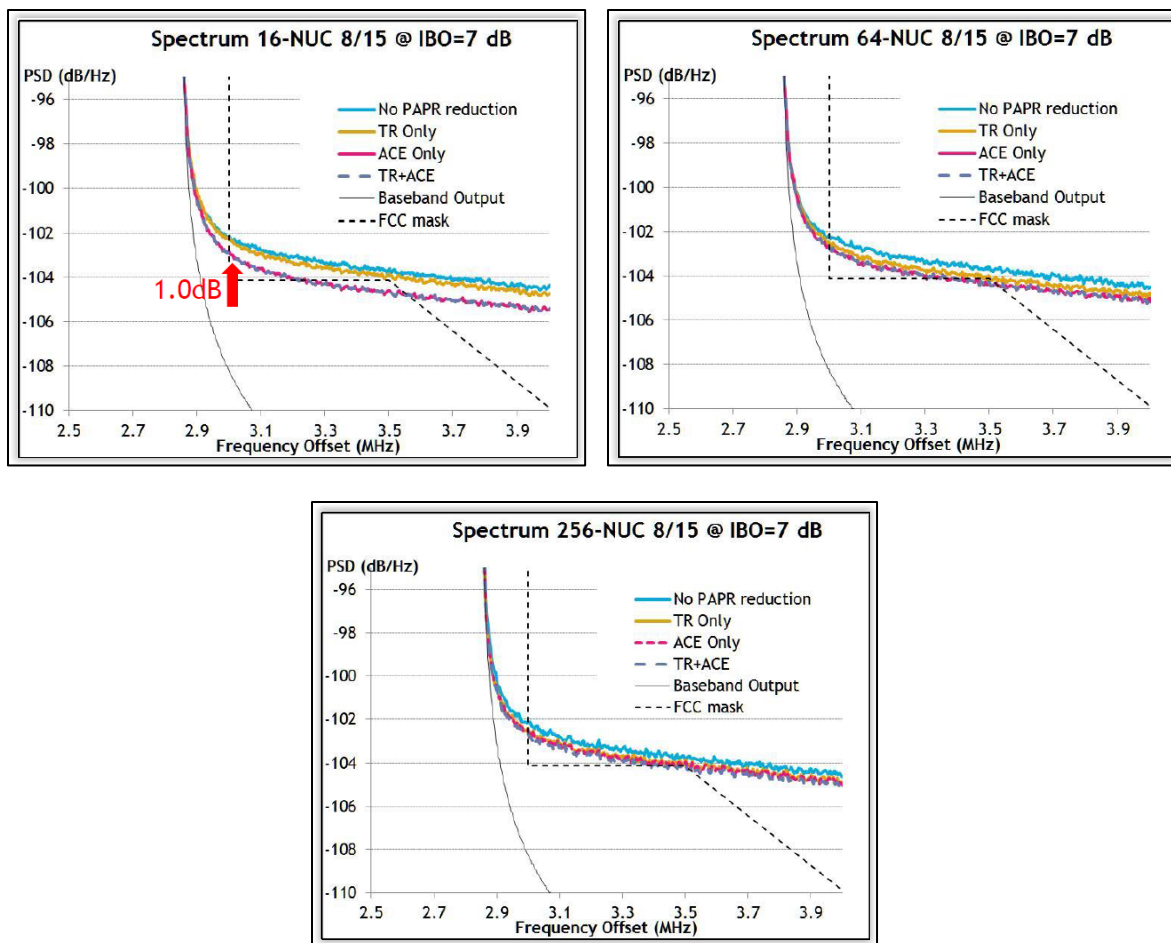




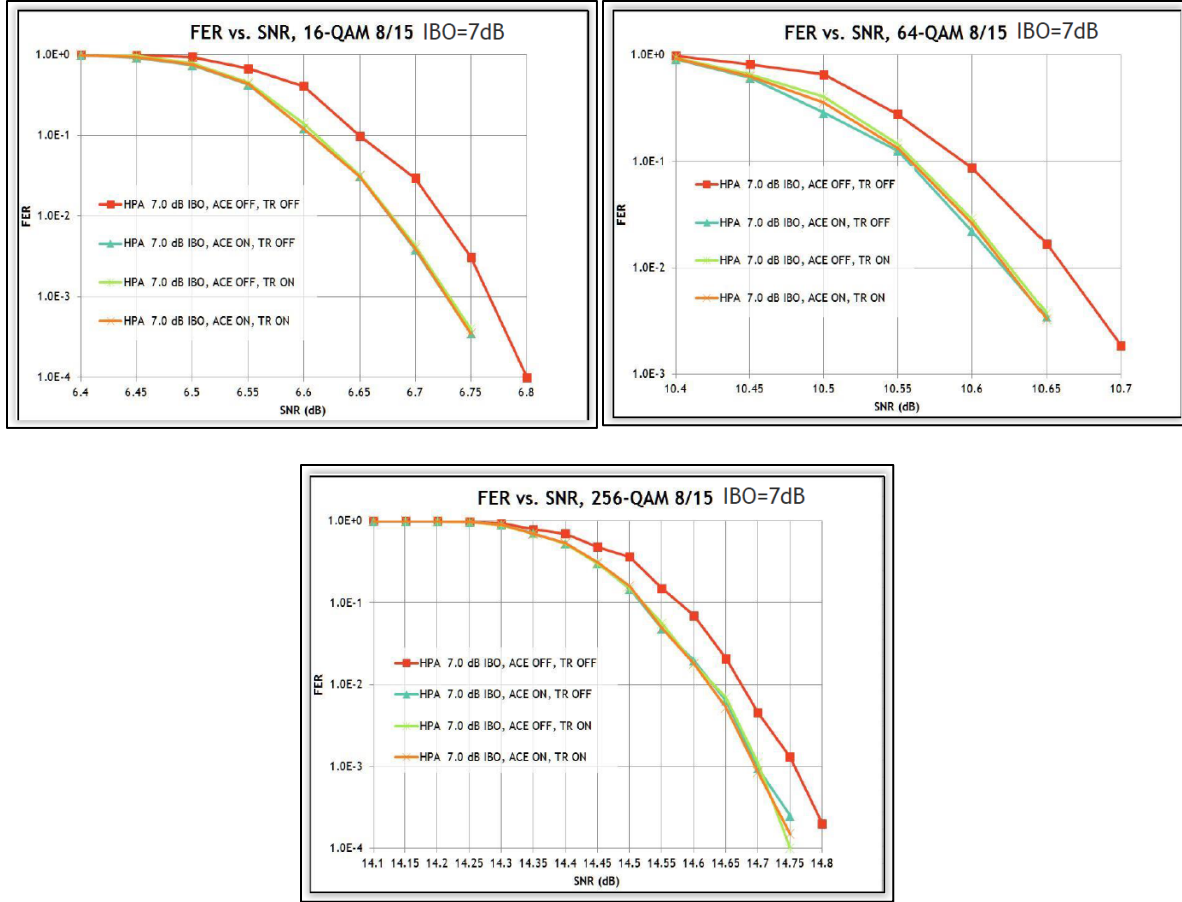
**Figure 4.5** Frequency response of a two-transmitter SFN when relative delay is  $7.1 \mu\text{s}$ : (a) No MISO, (b) MISO with 64 coefficients, and (c) MISO with 256 coefficients.

#### 4.2.19 PAPR Reduction

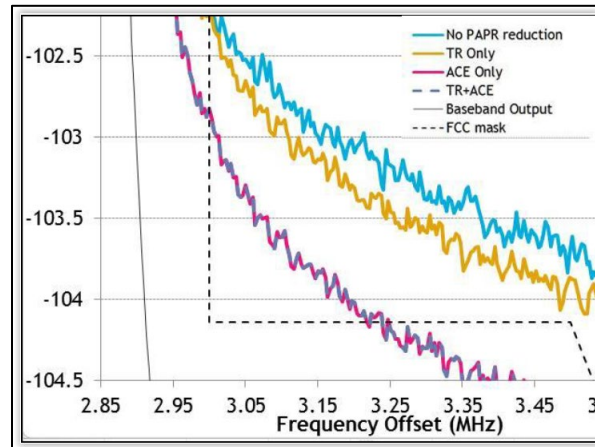
A well-known disadvantage of the OFDM signal is high PAPR, especially in the case of the largest FFT size (32K), which results in low efficiency of a high-power amplifier in order to match out of band distortion limits imposed by a spectrum mask. ATSC 3.0 optionally allows to use TR, ACE, or the combination of these two techniques (i.e., TR+ACE) to perform PAPR reduction. TR is a well-known technique that constructs a kernel signal to cancel out peaks in the time domain, but this TR technique costs about 1% of data capacity. Conversely, the ACE technique, which extends the boundary constellation points of the active data sub-carriers, does not cost any data capacity. Figure 4.6 to Figure 4.8 show the simulation results of the effect on the spectrum mask and link budget when ACE, TR, or TR+ACE are enabled.



**Figure 4.6** Effect on spectrum mask for low, mid and high order constellations.



**Figure 4.7** Effect on link budget for low, mid and high order constellations.



**Figure 4.8** Effect on RF channel spectrum as regards the FCC mask.

As shown in the figures, ACE reduces the side-lobe re-generation (leakage) on adjacent channels leading to up to 1 dB margin with respect to the FCC mask. There is no difference in terms of link budget performance (FER vs SNR) among ACE only, TR only and TR+ACE. It is also noted that ACE outperforms TR when low and mid order constellations are used. Conversely, TR outperforms ACE when high order constellations are used. Therefore, when a PAPR reduction technique is used, broadcasters should be able to choose an option (i.e., TR only, ACE only, or

TR+ACE) depending on intended services, which correspond to constellation choices (e.g., mobile service using low order constellations and fixed service using high order constellations).

#### 4.2.20 BSID Assignment

For ATSC 3.0 transmissions in North America and South Korea, the value of BSID (**L1D\_bsid**) should be set to the value of NTSC TSID, as assigned/registered with country registration authorities as follows:

- Canada registration authority: Government of Canada [11].
- Mexico registration authority: Instituto Federal de Telecomunicaciones [12].
- United States registration authority: Federal Communications Commission [13].
- South Korea registration authority: Ministry of Science and ICT [14], [15].

#### 4.2.21 MIMO Operation

MIMO (Multiple Input Multiple Output) in ATSC 3.0 allows a higher spectral efficiency and/or a higher transmission robustness compared to SISO via additional spatial diversity and multiplexing by sending two data streams in a single radio frequency channel. Although it is not directly specified in the physical layer protocol standard [3], it is expected in practice to use cross-polarized 2×2 MIMO (i.e., horizontal and vertical polarization) to retain multiplexing capabilities in line-of-sight conditions.

The MIMO operation is indicated and optionally enabled on a per subframe basis (via **L1B\_first\_sub\_mimo** and/or **L1D\_mimo**) within an ATSC 3.0 transmission. All MIMO-enabled subframes within the same ATSC 3.0 physical layer frame must use the same MIMO pilot encoding scheme, since this scheme is indicated only on a per frame basis (via **L1B\_mimo\_scattered\_pilot\_encoding**).

In [3], two MIMO pilot antenna encoding schemes, Walsh-Hadamard encoding and Null Pilot encoding, have been defined and one of these two schemes is selected to be configured for use within a transmitted ATSC 3.0 waveform for 2×2 MIMO channel estimation. The two MIMO pilot encoding schemes are configured with the same pilot positions and boosting as SISO pilots, which are described in Section 4.2.3 and 4.2.4. It is recommended that the configured MIMO pilot encoding scheme be selected according to intended service scenarios and receiver implementations. For a fixed reception scenario in a time-invariant channel, it is recommended to use the Null Pilot encoding scheme since the 3 dB boosting in pilot power improves channel estimation accuracy at a receiver. For a mobile reception scenario in a high Doppler time-varying channel, it is recommended to use the Walsh-Hadamard encoding scheme for MIMO pilots because of the higher Doppler shift limit for frequency channel variation  $f_D$  described in Section 4.2.3.2.

##### 4.2.21.1 Layered MIMO Operation

LDM can be applied to multiplex a MIMO PLP with other PLPs, and the procedures for doing so are specified in Annex O of [3]. The combination of LDM and MIMO is referred to in [3] as Layered MIMO.

ATSC 3.0 defines two types of Layered MIMO operations, namely, Layered MIMO Type A and Layered MIMO Type B. Type A is a homogeneous superposition of MIMO PLPs, whereas Type B combines a SISO Core PLP and a MIMO Enhanced PLP. These designs attribute extensive throughput to Type A and versatile backward compatibility to Type B.

The use and type of Layered MIMO are indicated on a subframe basis. **L1D\_mimo** (or **L1B\_first\_sub\_mimo**), **L1D\_mimo\_mixed** (or **L1B\_first\_sub\_mimo\_mixed**), and **L1D\_plp\_layer** participate in this indication, as specified in Sections 9.2.3, 9.3.3, and O.14 of [3]. The enabling of **L1D\_mimo** and **L1D\_mimo\_mixed** is mutually exclusive (see Tables 9.8 and 9.10 of [3]). This design is a measure

to ensure backward compatibility with existing SISO receivers when Layered MIMO Type B is applied. **L1D\_mimo\_mixed** identifies whether the corresponding subframe includes a heterogeneous mixture of SISO and MIMO PLPs. Nevertheless, ATSC 3.0 SISO receivers fielded before the release of [19] may be unable to parse **L1D\_mimo\_mixed** (or **L1B\_first\_sub\_mimo\_mixed**) because this signaling field was not defined until [19]. Accordingly, the existing SISO receivers can ignore the PLPs indicated by **L1D\_mimo** (or **L1B\_first\_sub\_mimo**) = 1. When Layered MIMO Type B is applied, **L1D\_mimo** (or **L1B\_first\_sub\_mimo**) = 0 is set and the SISO receivers will proceed with decoding the Core PLP encoded in SISO. On the contrary, MIMO receivers manufactured after the release of [19] are available to access the combination of **L1D\_mimo** (or **L1B\_first\_sub\_mimo**) and **L1D\_mimo\_mixed** (or **L1B\_first\_sub\_mimo\_mixed**), and hence proceeds with decoding MIMO Enhanced PLP even while **L1D\_mimo** (or **L1B\_first\_sub\_mimo**) = 0 is seen for the Layered MIMO Type B subframe.

Basically, the use of LDM in a subframe is indicated by a nonzero **L1D\_plp\_layer**. However, in the current version of the standard [3], **L1D\_mimo\_mixed** (or **L1B\_first\_sub\_mimo\_mixed**) = 1 also directs the use of LDM, as only a form of Layered Type B is permitted for the mixed use of SISO and MIMO within a subframe. This means that whenever **L1D\_mimo\_mixed** (or **L1B\_first\_sub\_mimo\_mixed**) = 1 is set, one or more PLPs holding **L1D\_plp\_layer** > 0 shall be included in the corresponding subframe.

Within subframes using Layered MIMO Type B, MIMO and SISO PLPs are recognized by **L1D\_plp\_mimo**. This field is conditionally announced only when **L1D\_mimo\_mixed** (or **L1B\_first\_sub\_mimo\_mixed**) = 1 is flagged<sup>1</sup>. Note that Layered MIMO Type B applies SISO to all Core PLPs and MIMO to all Enhanced PLPs. Therefore, PLPs in such subframes accompany **L1D\_plp\_mimo** = 0 with **L1D\_plp\_layer** = 0 and **L1D\_plp\_mimo** = 1 with **L1D\_plp\_layer** > 0.

Whenever both SISO and MIMO PLPs are present in a frame, MIMO PLPs employ Walsh-Hadamard pilot encoding to secure compatibility with SISO PLPs. This applies to frames containing Layered MIMO Type B subframe(s) and frames alternating between SISO and MIMO subframes. In terms of L1-signaling parameters, the condition can be expressed as follows: The presence of **L1D\_mimo\_mixed** (or **L1B\_first\_sub\_mimo\_mixed**) = 1, or the coexistence of differing **L1D\_mimo** (or **L1B\_first\_sub\_mimo**) values. This constraint sets **L1B\_mimo\_scattered\_pilot\_encoding** = 0, which applies to the entire portion of a single frame. As a result, all subframes within such frames shall use Walsh-Hadamard or SISO pilot encoding.

When MISO mode is enabled with Layered MIMO Type B, a single MIMO transmitter applies different TDCFS code indices to each Polarization. Specifically, within a **Per\_Transmit\_Polarization\_Data()**, STLTP assigns different values of **miso\_filt\_code\_index** to Polarizations #1 and #2. This mitigates correlated pilot contamination at SISO receivers, which may result from cross-Polarization interference under Walsh-Hadamard pilot encoding.

When Layered MIMO Type B is used, a constraint implied by the IFFT equations in Section O.12 of [3] requires that all Enhanced PLPs in the subframe apply the same injection level. In other words, if **L1D\_mimo\_mixed** (or **L1B\_first\_sub\_mimo\_mixed**) = 1, all constituent PLPs with **L1D\_plp\_layer** > 0 shall be configured with the same value of **L1D\_plp\_ldm\_injection\_level**. This constraint applies not only to non-aligned LDM examples in Section 7.2.7.4.3 of [3] and Section 5.3.3.3 but also to any possible configurations of Type B subframes, regardless of **L1D\_plp\_start** values. This ensures system simplicity and maintains a uniform signal level within a subframe.

<sup>1</sup> In the current version of the standard, **L1D\_mimo\_mixed** (or **L1B\_first\_sub\_mimo\_mixed**) = 1 is exclusive to Layered MIMO Type B.

System simplicity in Layered MIMO Type A is also achieved by constraining MIMO precoding configurations. Layered MIMO Type A involves two MIMO PLPs, each undergoing an individual MIMO precoding process configured with its own parameter set  $\{\text{L1D\_plp\_mimo\_stream\_combining}, \text{L1D\_plp\_mimo\_IQ\_interleaving}, \text{L1D\_plp\_mimo\_PH}\}$ . However, those associated Core and Enhanced PLPs are constrained to have identical  $\text{L1D\_plp\_mimo\_IQ\_interleaving}$  values and identical  $\text{L1D\_plp\_mimo\_PH}$  values. This means that Layered MIMO Type A applies exactly the same I/Q polarization interleaving and phase hopping operations to the Core and Enhanced PLPs, thereby allowing reduced complexity at the receiver. Unlike the rest, stream combining varies with ModCod combinations even if  $\text{L1D\_plp\_mimo\_stream\_combining}$  is identical. For this reason, the constraints have been introduced only to I/Q polarization interleaving and phase hopping.

According to Section 7.1.3 in [3], extended time interleaving mode is not allowed for LDM. Therefore, extended time interleaving shall not be applied to any PLPs participating in Layered MIMO even when MIMO precoding is not in use (see Sections L.6 and O.7 in [3]).

Section O.12.1 in [3] states that subframes shall be arranged in descending order of the scaling factor  $K_m[1]$ . Note that SISO subframes having Polarization #2 muted (i.e., the 1<sup>st</sup> option in Section L.11.2) do not define  $K_m[1]$ . This does not mean that  $K_m[1]$  is zero for such subframes. Therefore, such SISO subframes precede Layered MIMO subframes.

#### 4.2.21.2 Combined Operation of MIMO and Channel Bonding

MIMO and channel bonding can be jointly applied as specified in Sections K.4, L.13, and O.13 of [3]. In other words, MIMO can be applied to one or more RF channels over which data from a single PLP are spread.

The use of this combination is indicated when both technology subsets, MIMO and channel bonding, are enabled, while each is signaled independently. No new flag parameters are required for this combined use. Channel bonding is signaled by  $\text{L1D\_num\_rf}$  and  $\text{L1D\_plp\_num\_channel\_bonded}$ , while  $\text{L1D\_mimo}$  (or  $\text{L1B\_first\_sub\_mimo}$ ),  $\text{L1D\_mimo\_mixed}$  (or  $\text{L1B\_first\_sub\_mimo\_mixed}$ ), and  $\text{L1D\_plp\_mimo}$  signal the use of MIMO.

Note that  $\text{L1D\_num\_rf}$  and  $\text{L1D\_plp\_num\_channel\_bonded}$  apply on a frame and PLP basis, respectively. A nonzero  $\text{L1D\_num\_rf}$  indicates only the presence of PLP(s) engaged in channel bonding, while the specific PLP(s) participating are identified by  $\text{L1D\_plp\_num\_channel\_bonded} = 1$ . For a PLP holding  $\text{L1D\_plp\_num\_channel\_bonded} = 1$  in the current RF channel,  $\text{L1D\_bonded\_bsid}$  is where to find the counterpart RF channel.  $\text{L1D\_bonded\_bsid}$  corresponds to the  $\text{L1D\_bsid}$  of the counterpart RF channel, with the BSID assignment being regionally unique (see Sections 3.4 and 9.3.2 in [3]). A channel-bonded PLP holds an identical, unique  $\text{L1D\_plp\_id}$  across the engaged RF channels. Based on this premise, the positions of channel-bonded signals are precisely specified by tracing  $\text{L1D\_plp\_id}$  within the engaged RF channels.

Both plain and SNR averaging modes of channel bonding remain applicable even when combined with MIMO. A 2-bit parameter  $\text{L1D\_plp\_channel\_bonding\_format}$  determines the channel bonding mode, shortly indicating whether the cell exchange block is enabled. Behind its use, cell exchange requires tight synchronicity and PLP rate matching as a prerequisite.

As long as plain channel bonding is used ( $\text{L1D\_plp\_channel\_bonding\_format} = 00$ ), a channel-bonded PLP can be modulated differently in each individual RF channel, and this applies to MIMO as well. This means that bonding between MIMO and SISO signals is allowed. Such configurations enable cooperation between MIMO transmitter and SISO transmitter that are not co-located. Broadcast Gateway operations running two separate STLTP tunneled data streams (defined in Section 9.5 and Annex E of [5]) support this type of channel bonding. The bonding can also be

applied alongside Layered MIMO, and bonding between CL and EL signals is allowed. For example, SISO-modulated CL signals in RF channel #0 can be bonded with MIMO EL signals in RF channel #1. This allowance also includes channel bonding between LDM and non-LDM signals.

Note that MIMO-capable transmitters also support SISO operations based on their physical capability. Thus, channel bonding between MIMO and SISO paths allows SFNs to coordinate the following three types of transmitter sets: (i) A co-located transmitter unit that exclusively handles the combined operation of MIMO and channel bonding; (ii) a pair of MIMO transmitters cooperating for channel bonding, but not co-located; (iii) a MIMO transmitter and a SISO transmitter cooperating for channel bonding, but not co-located. This maximizes the opportunity to reuse transmitter/network resources, enabling flexible and efficient SFN construction.

Not only transmitters but also receivers supporting the combined operation of MIMO and channel bonding are also capable of individually operating in MIMO, channel bonding, and SISO modes. Receivers compatible with channel-bonded MIMO, necessarily equipped with two Polarization antenna sets, can also process the bonding of MIMO and SISO signals.

Nevertheless, the heterogeneous form of channel bonding is available only in the absence of SNR averaging mode. If SNR averaging is applied (**L1D\_plp\_channel\_bonding\_format** = 01), the channel-bonded PLP must maintain across the bonded RF channels the same configurations of: BICM setting, TI setting, number of FEC Blocks per subframe, multiplexing scheme, LDM layer index, use of MIMO, MIMO precoding setting, and Layered MIMO Type. The related L1 parameters include **L1D\_mimo**, **L1D\_mimo\_mixed**, **L1D\_plp\_mimo**, **L1D\_plp\_layer**, **L1D\_plp\_mimo\_stream\_combining**, **L1D\_plp\_mimo\_IQ\_interleaving**, **L1D\_plp\_mimo\_PH**, **L1D\_plp\_TI\_mode**, **L1D\_plp\_CTI\_depth**, **L1D\_plp\_size**, **L1D\_plp\_mod**, **L1D\_plp\_cod**, **L1D\_plp\_ldm\_injection\_level**, etc. That is, whenever SNR averaging is used, both partitioned streams under channel-bonded MIMO operation apply MIMO in the same way, and bonding occurs only within the same LDM layer. Additionally, cell exchange occurs only within each Polarization independently (as specified in Section L.13 of [3]).

#### 4.2.22 Coexistence of SISO, MIMO, and Channel Bonding: System Capability Aspect

A single transmitter can be provisioned with multiple capabilities, including SISO, MIMO, and channel bonding operations, as provided by [3] and [5]. Networks utilizing such transmitters may operate extensional technologies like MIMO and channel bonding while enabling individual SISO operations. This means that a single transmitted emission, more specifically a complete delivered product, can include MIMO or channel-bonded PLP(s) along with SISO PLP(s). Alternatively, a single complete delivered product can also consist of MIMO and channel-bonded PLPs while having no SISO PLPs.

This aspect calls for provisions to ensure that receivers with partial capabilities can still access a subset of the complete delivered product. For example, the allocation of LLS accounts for such compatibility (see Section 5.1.1 for details). In the same context, the signaling parameters for Layered MIMO Type B are designed to maintain backward compatibility with SISO receivers that do not support MIMO operations. The provisions for compatibility account for physical capabilities and related scalability of the system. The following examples are worth noting:

- A MIMO-capable transmitter or receiver can perform all SISO operations, but a SISO-capable transmitter or receiver may not necessarily support MIMO operations.
- A transmitter or receiver supporting joint operations of MIMO and channel bonding will also support individual operations of MIMO and channel bonding (and SISO as well).

However, a transmitter or receiver that supports only one of those technologies may not necessarily support the combined operation of MIMO and channel bonding.

MIMO, channel bonding, and their joint operations are extensional technologies that can be added to the SISO capability, which is mandatory for all ATSC 3.0 entities. Conversely, entities supporting an extensional technology can operate any functional subsets necessary for the supported extensional technology. This demonstrates the scalability among SISO and extensional technologies.

PHY Functional Scalability (abbreviated as PHY Scalability) is defined in this context to describe the priority for functional compatibility. PHY Scalability can be described by tiers as presented in Table 4.12. A higher tier number represents higher PHY Scalability, with the following meaning: When a technology is marked as Tier  $N$ , entities supporting this technology also support all technologies with lower PHY Scalability, from Tier 1 to Tier  $N-1$ . In other words, systems capable of a certain technology will necessarily be able to operate scaled-down operations with lower PHY Scalability.

Tier 1 at the ground level represents the minimum scalability and requires the highest priority for compatibility. SISO and all mandatory technologies belong to Tier 1. Tier 2, representing the next priority, includes MIMO and channel bonding. In essence, MIMO and channel bonding are considered equal in priority unless a specific preference or constraint is predefined. If national or regional preference exists, a tier can be further divided into sub-tiers. For example, if MIMO is deployed first and channel bonding is introduced later, MIMO might have a higher priority than channel bonding. In this case, the country or service region can assign MIMO and channel bonding to Tier 2-1 and Tier 2-2, respectively. Tier 3 is assigned to the combined operation of MIMO and channel bonding (see Section L.13 and O.13 of [3] for details). Combined operations of extensional technologies require provisions for standalone operations of subset technologies and, therefore, take higher tiers than the individual subsets.

**Table 4.12** PHY Functional Scalability Tiers

<b>Tier</b>	<b>Technology</b>
Tier 1 (Highest Priority and Lowest Scalability)	Pure SISO
Tier 2	MIMO, Channel Bonding
Tier 3	Combined Operation of MIMO and Channel Bonding

A receiver's accessibility to a PLP is determined by transmission robustness and PHY Scalability.

#### 4.2.22.1 SISO Operation of MIMO-Capable Transmission System

When it is possible to include both SISO and MIMO operation alternately in a single transmitted emission, as provided by A/322 and A/324, it is important to establish the correct signal phasing between the two outputs of a MIMO-capable transmitter and through the following portions of the RF system, including the antenna, during SISO portions of the transmission.

Given the two outputs of a MIMO-capable transmitter, when in SISO operation, either one output (Polarization #2) will be muted, or the two outputs will have identical signals on each. (What follows presumes that the Polarization #2 output is not muted during SISO operation but remains active to enable taking advantage of the power available from the combination of the two high-power outputs.) It is assumed in the ATSC 3.0 MIMO system design described that the two outputs will feed a pair of passive RF systems (e.g., mask filters and transmission lines) that connect to a pair of antenna inputs that, in turn, produce a pair of cross-polarized radiated signals.



To obtain optimum performance from the MIMO transmitting antenna with its pair of inputs, when operated in SISO mode, the emitted signals must be both time-coincident and in-phase with one another. In such an arrangement, the two radiated signals will add to create a stronger signal for SISO reception, while, if they are out of time or phase, they will subtract one from the other, resulting in effectively weaker signals at receiver inputs.

For maximum benefit from the addition of power from the two transmitted signals, they should be offset in phase from one another by 90 degrees. This will produce a signal rotating in polarization with one rotation for each cycle of the carrier frequency. Depending on which part of the antenna leads in phase and which one lags, the result will be either left-hand or right-hand circular or elliptical polarization. Either can work, but which should be used may be specified in regulations by a national or regional communications authority. If the power in both polarizations is equal, circular polarization will result upon radiation; if they are unequal, elliptical polarization will result. Most important with respect to the direction of rotation is that, if receivers have only single inputs (i.e., they are not capable of MIMO), they can use circular-polarized receiving antennas to improve reception, but the transmitting and receiving antennas must be designed for the same direction of polarization rotation.

It is worth noting that, in MIMO signal delivery, because different data is being sent in the two polarizations, there will be no signal coherence between the two polarizations of the transmission, thus no power gain as in the circularly polarized SISO case. But the benefit of the additional transmitter capacity nevertheless is obtained in MIMO operation either through sending the same data in both polarizations but coded independently, or through sending up to twice as much data as would be sent in a SISO signal.

#### 4.2.22.1.1 Choice of Option 1 or 2 when Transmitting both MIMO and SISO Subframes

When MIMO and SISO subframes are combined in the same RF transmission there are two options presented in L.11.2 of [3]. The broadcaster may wonder which is the best choice for their system. This section describes the background behind why two options are presented, notes on possible implementation difficulties, and provides guidance to broadcasters on the choice of option.

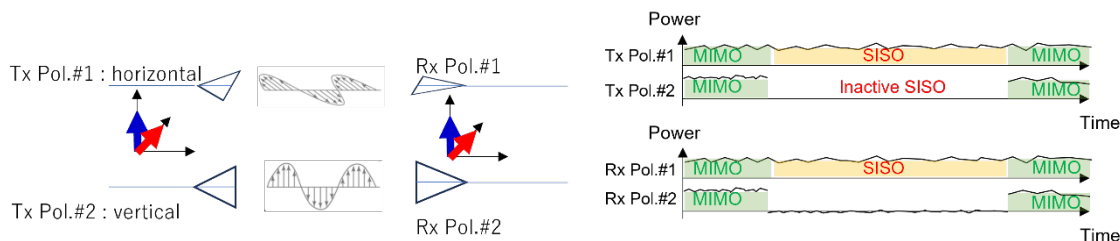
#### 4.2.22.1.2 Background

The major use case to transmit both MIMO and SISO subframes arises in countries where ATSC 3.0 SISO transmissions already exist; MIMO transmission is to be started while the SISO transmission continues, but sufficient new frequency bands are not available to transmit MIMO on a separate RF channel. Thus, the transmission of SISO and MIMO subframes in the same RF channel allows existing SISO-capable receivers to decode the SISO transmission and newer, more advanced MIMO-capable receivers to decode both the SISO and MIMO transmissions.

However, in some regions the polarization of broadcast transmission is specified by regulation and cannot be freely chosen by the broadcaster. For example, only horizontal polarization is allowed for SISO transmissions.

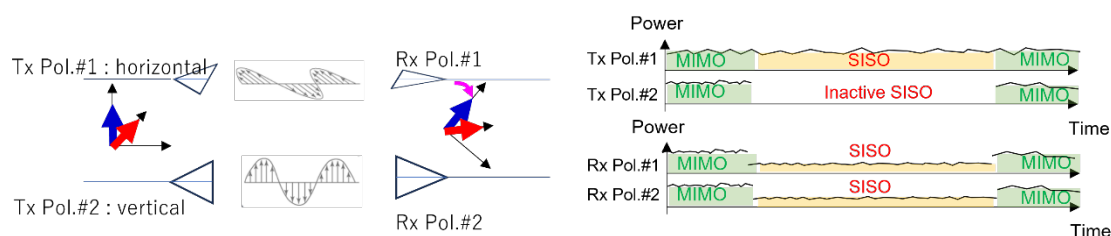
#### 4.2.22.1.3 Further Explanation of Option 1 and Option 2

In L.11.2 of [3] (Option 1) SISO transmission only occurs on one polarization. This is depicted in Figure 4.9.



**Figure 4.9** Example of Option 1 SISO transmission in MIMO systems.

It will be common (particularly for indoor or mobile reception) for the signal polarization to change due to channel effects such as reflection. In this case, only some of the SISO power in one polarization will be received at the transmitted SISO polarization. This is depicted in Figure 4.10.



**Figure 4.10** Illustration of polarization changes in Option 1 SISO transmission.

#### 4.2.22.1.4 Transmitter Implementation Issues for Option 1

As described above, in the case of Option 1, during the SISO transmission there will times when only one polarization transmission will be active. This must be detected and controlled at the transmitter dynamically, differing from conventional continuous broadcast output.

#### 4.2.22.1.5 Receiver implementation Issues for Option 1

At the receiver there will be a received power difference between the SISO and MIMO signals, which is dependent on the channel effects in each polarization. While the exact effects on the receiver will vary for each receiver design and mitigation measures employed, typically the receiver automatic-gain control circuits will operate to increase the signal level when it is low and decrease again when the SISO transmission begins again. Therefore, it can be expected that there will be performance degradation at the receiver due to imperfections in the channel equalization at the receiver.

#### 4.2.22.1.6 Recommendations for Choice of Option 1 or Option 2

It is recommended that the use of Option 1 or Option 2 be carefully considered and decided on a national level before introduction, with appropriate consideration of the regulatory environment, country requirements and broadcaster needs.

In the absence of any regulatory or commercial requirements, it is recommended to use Option 2, as this provides superior performance and coverage for SISO transmission.

It is recommended that SISO subframes precede MIMO subframes, and that SISO subframes are grouped together followed by a grouping of all MIMO subframes.

## 5. GUIDELINES FOR TRANSMITTER IMPLEMENTATION

### 5.1 Input Formatting

The input formatting consists of three blocks: encapsulation and compression of data, baseband formatting, and the Scheduler. Encapsulation and compression of data blocks creates ALP (ATSC Link-layer Protocol) packets which are defined in [4]. Baseband formatting consists of three blocks (i.e., Baseband Packet Construction, Baseband Packet Header Addition, and Baseband Packet Scrambling) and creates Baseband Packets as defined in Section 5.2 of [3]. The Scheduler that is defined in [5] oversees the generation of Baseband Packets, and those Baseband Packets are encapsulated in the dedicated format by [5] and sent to ATSC 3.0 transmitters through a studio to transmitter link (STL).

#### 5.1.1 Delivered Product in Multiple PLPs

When a complete delivered product is assembled and delivered by multiple PLPs, those multiple PLPs are required to be simultaneously recovered in ATSC 3.0 receivers, and therefore, the maximum number of PLPs required to assemble a complete delivered product is limited to four, while also satisfying the condition of the maximum TI memory size of receivers, i.e.,  $2^{19}$  cells.

Depending on broadcasters' intended services, a complete delivered product carried by multiple PLPs may contain a number of different data streams such as signaling, multiple audios, video, enhanced video, or application data. Care should be taken when such multiple data streams requiring simultaneous recovery in receivers (i.e., complete delivered product) are carried in multiple PLPs. In principle, additional PLP(s) are required when different robustness levels and different coverage areas are intended by broadcasters. If multiple data streams are required to have the same robustness level and the same coverage area (e.g., multiple audio streams in multiple languages), it is recommended that those data streams be carried in the same PLP. Note that multiplexing those multiple data streams prior to the physical layer may even be beneficial due to the statistical multiplexing gain as long as the same robustness for those multiple data streams is intended. Therefore, when all of the components of a transmitted product are carried by multiple PLPs, it is strongly recommended that the maximum number of PLPs for that product be limited to four at the transmitter, and those four PLPs consume the full TI memory size (i.e.,  $2^{19}$  cells) in order to maximize the time diversity of individual PLPs. It is not recommended that all of the components of a transmitted product be carried by more than four PLPs at the transmitter, even though a 4-PLP subset within the complete delivered product of more than four PLPs would meet the TI memory requirement at receivers.

The IP-level signaling information such as Low Level Signaling (LLS), including Service List Table (SLT) and Service Layer Signaling (SLS) [6], and Link Mapping Table (LMT) [4] may be configured in a separate PLP in order to provide different robustness for the signaling information. In such cases, it is strongly recommended that the IP-level signaling information be present in the most robust PLP out of multiple PLPs carrying a complete delivered product. When LDM is used, it is recommended that the IP-level signaling information be present in the most robust Core PLP out of multiple PLPs carrying a complete delivered product.

The carriage of IP-level signaling ensures compatibility with receivers that have the least functional capability in extensional technologies, such as (Layered or non-Layered) MIMO and channel bonding. This aspect is described in terms of PHY Scalability: Receivers with lower PHY Scalability are preferentially supported to maintain maximum compatibility. A complete delivered product may consist of a mixture of SISO PLP(s) and MIMO PLP(s). In such cases, it is strongly recommended that the IP-level signaling information be present in the most robust SISO PLP out of multiple PLPs carrying the complete delivered product. When LDM or Layered MIMO is used

in part, it is strongly recommended that the complete delivered product contain the IP-level signaling information in the most robust Core PLP using SISO.

Likewise, when a mixture of channel-bonded PLP(s) and nonbonded PLP(s) assemble a complete delivered product, it is strongly recommended that the complete delivered product contain the IP-level signaling information in the most robust, nonbonded Core PLP out of the engaged PLPs within each RF channel. If nonbonded Core PLP is absent, the IP-level signaling information is included in the most robust Core PLP using channel bonding. Overall, a general rule that accounts for mixed use of SISO, MIMO, Layered MIMO, and channel bonding is as follows: Within each RF channel, it is recommended that the IP-level signaling information be present in the most robust Core PLP that is nonbonded and uses SISO. If no such nonbonded SISO Core PLP exists, the IP-level signaling information should be included in the most robust MIMO Core PLP, applying the one with lower PHY Scalability between MIMO and channel bonding in the service area.

A complete delivered product that may be composed of one or more PLPs should contain the appropriate IP-level signaling information including LLS and LMT. Note that in [4] and [6], the minimum requirement of the LLS and LMT delivery is to be repeated every 5 seconds. For fast service acquisition, it is recommended that the LLS and LMT be sent in every physical layer frame. This would result in setting **L1B\_lls\_flag** = 1 (for LLS carried in the current frame) and **L1D\_plp\_lls\_flag** = 1 (for LLS carried in the corresponding PLP) in every frame.

When a complete delivered product is carried by multiple PLPs, one possible configuration is to use multiple subframes. One example of such a service scenario is a robust audio service delivered in an 8K or 16K FFT subframe and a video service delivered in a 32K FFT subframe. Therefore, it is recommended that ATSC 3.0 receivers be able to simultaneously recover multiple subframes that may carry different components of a complete delivered product. Note that in such cases, the CTI mode is not allowed by the current version of the specification since the CTI mode is used only when a complete delivered product is composed of only a single Core PLP with constant cell rate (see Section 7.1.1 of [3]). Further guidelines for multiple PLPs configured in multiple subframes are described in Section 4.2.15.

When LDM is used, multiple PLPs that are layered division multiplexed share common subframe parameters such as FFT size, pilot pattern, and guard interval. Therefore, it is not recommended that a complete delivered product be delivered by multiple subframes that are all LDM configured, so that receivers do not need simultaneous recovery of multiple LDM configured subframes. Further guidelines for multiple PLPs in combination with LDM are described in Section 5.3.3.

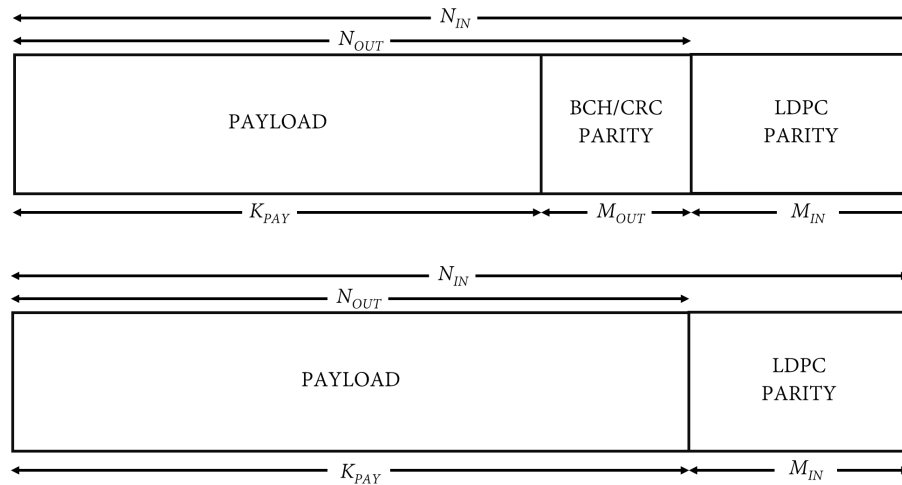
## 5.2 Bit-Interleaved Coded Modulation (BICM)

The ATSC 3.0 BICM chain consists of three processes: forward error correction (FEC), bit interleaving, and constellation mapping. For protection of input data, an ATSC 3.0 transmitter performs FEC with outer and/or inner coding. Then, bit interleaving is performed with three steps such that (1) the parity interleaver interleaves only the LDPC parity bits, (2) the group-wise interleaver interleaves bit groups which are obtained by splitting an LDPC codeword, and (3) the block interleaver interleaves the bit groups interleaved by the group-wise interleaver. Finally, the interleaved codeword bits are mapped onto constellation points according to the selected modulation scheme. When LDM is used, a superposition technique of constellations is further performed (see Section 6.4 of [3]).

### 5.2.1 Forward Error Correction (FEC)

The FEC of the BICM is formed by concatenation of an outer code and an inner code with the information part. The outer code is either a Bose, Chaudhuri, Hocquenghem (BCH) code, a Cyclic Redundancy Check (CRC) or none, while the inner code is a Low Density Parity Check (LDPC) code. Both BCH and LDPC codes are systematic codes, such that the information part is contained within the codeword. The resulting codeword is thus a concatenation of information or payload part, BCH or CRC parities and LDPC parities, as shown in Figure 5.1 (top). The codeword when no BCH or CRC parity is used is also depicted in Figure 5.1 (bottom).

To provide maximum flexibility and achieve higher throughput when sufficient error correction capability of the inner code is expected, the CRC may be used as an outer code or even no outer code may be selected. Note that when the CRC is used for improved efficiency, it does not provide any error correction capability, but only provides error detection. Since the use of BCH provides additional 12-bit error correction and detection capability that can prevent possible error floors depending on the LDPC decoding methods of receivers, it is recommended that BCH be used as an outer code (see Section 6.5.3 for the performance analysis of the decoding methods). When BCH is used, the length of  $M_{OUT}=192$  bits for  $N_{IN}=64800$  and  $M_{OUT}=168$  bits for  $N_{IN}=16200$ . When the CRC is used, the length of  $M_{OUT}=32$  bits. When no outer code is used,  $M_{OUT}=0$ .



**Figure 5.1** Format of FEC frame when BCH/CRC is used (top) or is not used (bottom).

Regarding the inner LDPC, two different structures are defined in ATSC 3.0. The Type A LDPC code structure is mostly used in lower code rates, and the Type B LDPC code structure is used in medium and higher code rates. Two different lengths of LDPC code ( $N_{IN}$ ) are defined: 64800 and 16200 bits. The 64800 bit codes provide better performance than the 16200 bit codes (see Annex A and Annex B for details of performance results). As the 16200 bit codes provide lower latency and memory use, it is recommended that 16200 bit codes be used for mobile services when consumer receivers have limited power resources.

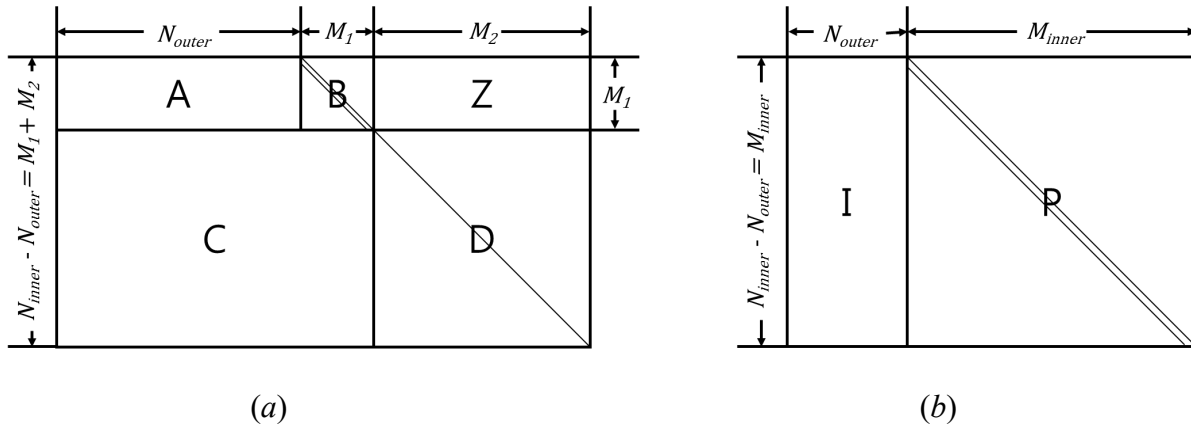
#### 5.2.1.1 Inner Encoding

The ATSC 3.0 LDPC codes are defined by a parity check matrix (PCM) as shown in Figure 5.2. For both Type A and Type B LDPC codes, the sub-matrix of PCM corresponding to the information bits consists of row/column-permuted quasi-cyclic matrices such as circulant permutation matrices (CPMs). Due to this quasi-cyclic structure, the ATSC 3.0 LDPC codes based

on the Type A and Type B structures can be efficiently implemented in the aspects of partial parallel encoding and decoding with the parallel factor of CPM size (=360).

The PCM of a Type A LDPC code consists of 5 sub-matrices A, B, C, D, and Z as shown in Figure 5.2 (a). For each combination of code length and code rate, the lengths of the first parity part corresponding to matrix B and of the second parity part corresponding to matrix D are deterministic values as specified in Table 6.5 of [3]. Once the length of information bits  $N_{outer}$ , the first parity part  $M_1$ , and the second parity part  $M_2$  are derived, the size of each matrix is defined as follows. The sizes of matrices A and C are  $M_1 \times N_{outer}$  and  $M_2 \times (N_{outer} + M_1)$ , respectively. Matrix Z is a zero matrix having a size of  $M_1 \times M_2$ , matrix D is an identity matrix having a size of  $M_2 \times M_2$ , and matrix B is a dual diagonal matrix having a size of  $M_1 \times M_1$ . In matrix B, all elements are 0 except elements along a diagonal line and neighboring elements.

In the case of the Type A LDPC encoding process, the accumulation is performed at parity bit addresses corresponding to the values of each row of the sequence specified in Annex A of [3]. For a given code length and code rate, the rows of the sequence are repeatedly changed by the CPM size (=360) of the PCM. In Type A LDPC, each sequence has a number of rows equal to the sum of the value obtained by dividing the length of the information part  $N_{outer}$  by the CPM size 360 and the value obtained by dividing the length of the first parity part  $M_1$  by the CPM size 360.



**Figure 5.2** PCM structure of (a) Type A LDPC and (b) Type B LDPC.

The PCM of a Type B LDPC code, consisting of the I and P sub-matrices in Figure 5.2 (b), has the same structure as the sub-matrix [A B] that is a part of the PCM of Type A LDPC codes. The size of matrix I is  $M_{inner} \times N_{outer}$ , and matrix P is a dual diagonal matrix having a size of  $M_{inner} \times M_{inner}$ . Similar to the Type A LDPC codes, the Type B LDPC codes generate the parity bits using the PCM determined by the parity bit indices in Annex A of [3].

In ATSC 3.0, the PCM for each LDPC code (Type A and B) is described by an indices list (see Annex A of [3]). The indices in the  $i$ -th row in the indices list denote the positions of weight-1 in the 0-th column of the  $i$ -th column group. Note that each column group consists of 360 columns, and for the Type A LDPC code, the column groups corresponding to the indices list represent the sub-matrix of the PCM corresponding to the information bits and the first parity bits. For the Type B LDPC code, all the column groups corresponding to the indices list represent the sub-matrix of the PCM corresponding to information bits only. The weight-1s in the other 359 columns of each column group are arranged based on the indices list in a quasi-cyclic manner. The indices list is equivalent to a set of cyclic shift values for non-zero CPMs since the list is defined by the number, location and cyclic shift values of the CPMs. Each indices list is obtained by adjusting cyclic shift

values of non-zero CPMs (this is known as lifting), which can be derived from the algebraic properties such as cycle characteristics or degree distribution.

### 5.2.2 Bit Interleaving

The bit interleaver in the ATSC 3.0 BICM chain distributes burst errors occurring in a physical propagation channel by interleaving the LDPC codeword using the interleaving sequence defined in Section 6.2 and Annex B of [3]. ATSC 3.0 has a 3-stage bit interleaver, which consists of a parity interleaver followed by a group-wise interleaver followed by a block interleaver, as shown in Figure 5.3. This structure allows for parallel LDPC decoding while optimizing the performance of the FEC codes to any constellation.



**Figure 5.3** Bit interleaver structure: Parity, group-wise and block interleavers.

The role of the parity interleaver is to convert the staircase structure of the parity-part of the LDPC PCM into a quasi-cyclic structure similar to the information-part of the matrix enabling parallel decoding. Note that Type A LDPC codes already form a quasi-cyclic structure in the LDPC encoding process, and hence, the parity interleaver is only used for the Type B LDPC codes.

The group-wise interleaving allows optimizing the combination between the FEC code and the constellation, and hence the group-wise interleaver is optimized for each ModCod combination. Since the group-wise interleaving is performed on a bit group basis, an LDPC codeword is first split into multiple bit groups consisting of 360 bits (i.e., parallel factor of the LDPC codeword or CPM size). Then, the bit groups are interleaved based on the equation in Section 6.2.2 of [3] and the interleaving order in Annex B of [3].

The group-wise interleaved codeword is then interleaved by the block interleaver. There are two block interleaver types: Type A and Type B, and the type used for each ModCod combination is defined in Section 6.2.3 of [3]. Note that some Type A FEC and constellation combinations use a Type A block interleaver while other Type A FEC and constellation combinations use a Type B block interleaver, and similarly for Type B FEC and constellation combinations, and Type A and Type B block interleavers. That is, Type A FEC and constellation combinations are not necessarily always paired with a Type A block interleaver, and Type B FEC and constellation combinations are not necessarily always paired with a Type B block interleaver. The block interleaving is performed using memory containers (i.e., columns for Type A block interleaver and rows for Type B block interleaver) with write/read operations. The Type A block interleaver uses the column-writing/row-reading operation, and the Type B block interleaver uses the row-writing/column-reading operation, as specified in Section 6.2.3 of [3].

The containers for both Type A and Type B block interleavers are divided into two parts: Part 1 and Part 2 as specified in Section 6.2.3 of [3]. The configurations for Part 1 and Part 2 block interleaving are determined based on each modulation format and code length. In the case of the Type A block interleaver, for example, if an LDPC code of length 64800 and 256QAM modulation are used, the numbers of rows of Part 1 and Part 2 are 7920 and 180, respectively. If an LDPC code of length 16200 and 256QAM modulation are used, the numbers of rows of Part 1 and Part 2 are 1800 and 225, respectively. Note that the number of columns for Type A block interleaver ( $N_c$ ) is also determined by the modulation format. Note also that the numbers of rows and bits to be written in Part 1,  $N_{r1}$  and  $N_{r1} \times N_c$ , are multiples of 360 (= bit group size) and  $360 \times N_c$ ,

respectively. Consequently, the numbers of rows and bits to be written in Part 2 are easily obtained by  $(\frac{N_{inner}}{N_c} - N_{r1})$  and  $(N_{inner} - N_{r1} \times N_c)$ , respectively. If  $(\frac{N_{inner}}{N_c} - N_{r1}) > 0$ , at least one bit group of 360 bits is interleaved in Part 2.

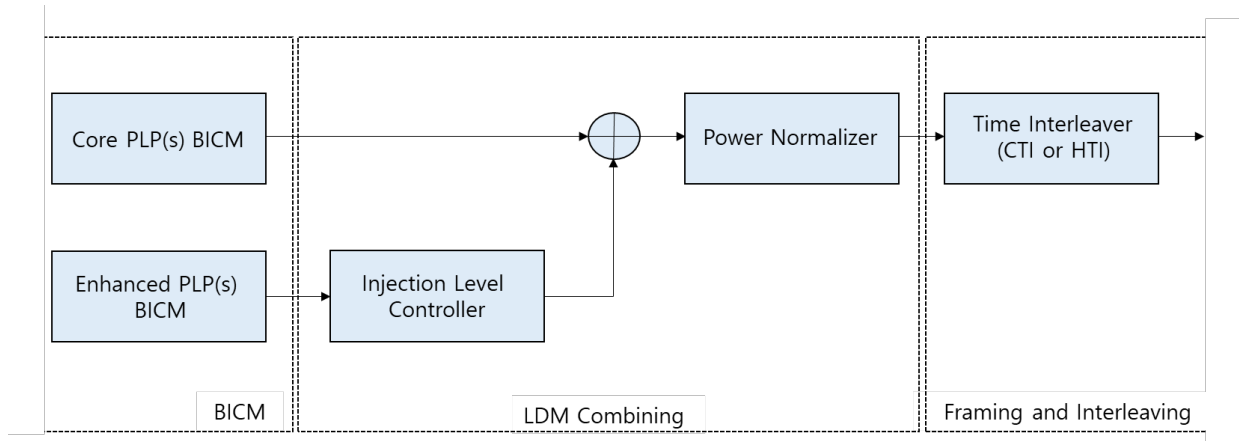
### 5.2.3 Constellation Mapping

There is one non-uniform constellation (NUC) defined for each ModCod combination (see Section 6.3 and Annex C of [3]). The interleaved LDPC codeword as the output bits of the block interleaver is mapped onto the defined constellation points. For implementation, a look-up table with the defined constellation mapping for each ModCod combination can be used.

### 5.2.4 Layered Division Multiplexing (LDM)

LDM is a power-based non-orthogonal-multiplexing technology using constellation superposition to combine multiple PLPs at different power levels. It provides a significant capacity increase compared with traditional TDM and FDM technologies when delivering multiple services with different quality of service (QoS) requirements over the same RF channel.

A block diagram of a two-layer LDM structure is shown in Figure 5.4 (see Section 6.4.1 of [3] for details). When LDM is used, it is recommended that Core PLP(s) belonging to the Core Layer (CL) use robust ModCod combinations intended for mobile, handheld, and indoor services (see Section 4.2.8.2 for recommended Core PLP ModCods). Enhanced PLP(s) belonging to the Enhanced Layer (EL) use equal or less robust ModCod combinations as specified in Section 6.4.1 of [3], and hence, it is recommended that Enhanced PLP(s) use ModCod combinations delivering higher capacity (i.e., less robust) intended for fixed services.



**Figure 5.4** A two-layer LDM transmitter configuration.

The code length of the inner code may also be different for Core and Enhanced PLPs. As Core PLP(s) are targeted for mobile, pedestrian and indoor services, short codes (i.e., 16200 bits) may be used, resulting in computational simplicity and low power consumption in ATSC 3.0 receivers (see Section 7.2.1 for mobile guidelines). Enhanced PLP(s) for higher data rate fixed services may use long codes (64800 bits) for better performance. For simpler receiver complexity and less memory use, ATSC 3.0 is designed such that CL and EL share the same time and frequency interleavers as well as waveform parameters, including the pilot pattern, FFT size, and guard intervals.

The Enhanced PLP injection level relative to CL is selectable from 0 dB to 25 dB below the CL. Relative power distributions of the two layers as a function of the allowed injection levels are



listed in Table 6.15 in [3]. The SNR performance of Core and Enhanced PLPs is highly related to the injection level. Smaller injection levels will bring the powers of the two layers closer. Under such conditions, while the Enhanced PLP will have higher transmission power for better SNR performance, it will cause more interference to the CL. Conversely, a higher injection level difference will reduce the Enhanced PLP power resulting in deteriorated SNR performance for the Enhanced PLP and reduced interference to the CL, making the Core PLP more robust. Therefore, it is recommended that the injection level be selected based on the QoS requirements of the Core and Enhanced PLPs' services and a balanced performance.

LDM uses the power normalizer to normalize the average power of the combined CL and EL signals to unity. In Table 6.16 of [3], the scaling and normalization factors as a function of the injection level are shown. As noted in the table, when the injection level of an Enhanced PLP becomes larger (i.e., less power for the Enhanced PLP), the scaling factor decreases and the normalization factor increases in order to equate the average power of the combined signal to unity.

For L1 signaling, the Enhanced PLP injection level relative to that of the CL is indicated by the L1-Detail signaling field **L1D\_plp\_ldm\_injection\_level** in Table 9.8 in [3]. The signaling format of **L1D\_plp\_ldm\_injection\_level** is indicated in Table 9.22 in [3].

In the CTI mode, with LDM, the field **L1D\_plp\_cti\_fec\_block\_start** needs to be signaled separately for both Core and Enhanced PLPs, as specified in Section 9.3.9.1 of [3].

When LDM is used, **L1D\_plp\_type** is signaled only for Core PLPs and Enhanced PLPs will not have a specific non-dispersed or dispersed PLP type as described in Section 7.2.2.6 of [3]. Further implementation details and examples with respect to the LDM-based framing and PLP multiplexing are described in Section 5.3.3.

### 5.2.5 Protection for L1-Signaling

ATSC 3.0 L1 protection performs zero padding for the LDPC information part and puncturing for the LDPC parity part with a set of optimized patterns in addition to parity repetition according to the protection mode. Additional parity can be optionally used to further enhance the time diversity of L1-Detail.

#### 5.2.5.1 Common Block for L1-Basic and L1-Detail

The signaling information in L1-Basic and L1-Detail signaling is protected by concatenation of the BCH outer code and LDPC inner code. L1-Basic and L1-Detail are first scrambled and then BCH-encoded, as described in Sections 6.5.2.2 and 6.5.2.3 of [3]. Note that the number of BCH parity-check bits for BCH encoding is fixed at 168 bits.

The concatenated signaling and BCH parity-check bits are further protected by a shortened and punctured 16K LDPC code. When the length of the concatenated signaling and BCH parity-check bits is smaller than that of LDPC information bits  $K_{ldpc}$ , zero-padding (i.e., shortening of LDPC information bits) is performed to fill the rest of  $K_{ldpc}$  LDPC information bits. Since the zero-padding operation is performed on a bit-group basis, bit-grouping of the LDPC information bits precedes zero padding, as described in 6.5.2.4 of [3]. Note that the number of bit-groups is different according to LDPC codes.

The coding performance of a shortened and punctured LDPC code depends on the number of punctured bits to the number of shortened bits ratio (PSR). Moreover, the optimum zero-padding patterns are different according to the PSR. Table 6.20 of [3] shows that the optimum pattern for zero-padding is determined based on the L1 protection mode corresponding to each PSR, as defined in Table 4.9 of Section 4.2.10. Since each LDPC code rate and PSR for L1-Basic and L1-Detail is different, the optimum shortening patterns for L1-Basic and L1-Detail are also different, as shown in Table 6.20 of [3].

After the zero-padding operation, LDPC encoding is performed, followed by parity permutation. Parity permutation is performed only for the parity part of an LDPC codeword. The purpose of parity permutation is to easily support an optimum puncturing of LDPC parity bits for each L1 protection mode. Note that for L1-Detail Mode 3 to Mode 7, parity interleaving is performed before parity permutation. Parity interleaving enables the parity part of the LDPC parity-check matrix to have the same structure as the information part, i.e., almost quasi-cyclic structure with parallel factor 360. Due to this quasi-cyclic structure, parity permutation is performed on a bit-group basis to provide stable and good coding performance.

After parity permutation, in the case of L1-Basic Mode 1 and L1-Detail Mode 1 only, parity repetition is additionally performed before parity puncturing, as described in Section 6.5.2.7 of [3]. The number of repeated parity bits is determined based on the number of the concatenated signaling and BCH parity-check bits. In the case of L1-Basic Mode 1 and L1-Detail Mode 1, the repetition of parity bits allows enhanced decoding performance due to the parity-check matrix structure of the 16K LDPC code of rate 3/15.

After parity permutation and repetition, portions of the LDPC parity bits are punctured to provide desired robustness while minimizing unnecessary overhead. Note that these punctured bits are not transmitted. The number of punctured bits is determined based on PSR and a constant integer corresponding to the minimum temporary size of puncturing bits for each L1 protection mode. Once the final number of punctured bits  $N_{punc}$  is determined, the last  $N_{punc}$  bits of the entire LDPC codeword with parity permutation and repetition are punctured, as described in Section 6.5.2.8 of [3]. Finally, the ATSC 3.0 transmitter transmits the final LDPC codeword excluding zero-padding bits and punctured bits, as described in Section 6.5.2.9 of [3].

#### 5.2.5.2 L1-Detail Specific Block: L1 Segmentation

The number of signaling information bits in L1-Detail is variable and depends mainly on the number of subframes and PLPs in the corresponding frame. Therefore, one or more FEC Frames may be required for transmission of the total amount of signaling information in L1-Detail. In ATSC 3.0, when the size of L1-Detail signaling exceeds a threshold number  $K_{seg}$ , the L1-Detail signaling is segmented into multiple smaller blocks. Furthermore, each segmented block is protected by concatenation of BCH outer and LDPC inner codes, and the coded bits are mapped to appropriate modulation symbols, as described in Sections 6.5.2 of [3]. Note that in the case of L1-Detail Mode 1, the repetition of portions of parity bits is used before parity puncturing after LDPC encoding of each segmented block.

$K_{seg}$  is determined based on the LDPC code rate and PSR which affect coding performance. In Table 6.25 of [3], L1-Detail Mode 1 and Mode 2 use the rate 3/15 LDPC code, and L1-Detail Mode 3 to Mode 7 use the rate 6/15 LDPC code. Therefore,  $K_{seg}$  has different values for each LDPC code. Despite the use of the same LDPC code for L1-Detail Mode 1 and Mode 2, the reason why their values for  $K_{seg}$  are different is that Mode 1 and Mode 2 have different targeted robustness and PSR. As shown in Table 4.9, the PSR for L1-Detail Mode 1 is 7/2, while that for L1-Detail Mode 2 is 2.

#### 5.2.5.3 L1-Detail Specific Block: Additional Parity

Additional parity may be used when the performance of L1-Detail under mobile or indoor conditions needs to be improved. This method basically adds time diversity to L1-Detail by including a certain number of additional parity bits in the previous frame as specified in Section 6.5.3.2 of [3]. The ratio of additional parity bits to be included in the previous frame is either 1, 1/2, or 0 as signaled in L1-Basic (**L1B\_L1\_Detail\_additional\_parity\_mode**), and the amount of bits may be configured depending on the channel conditions.

The additional parity bits are selected among the punctured bits in the corresponding frame in order to exploit not only diversity gain but also coding gain. In ATSC 3.0, the number of additional parity bits is defined to be greater than that of punctured bits. As specified in Section 6.5.3.2 of [3], the repeated bits are selected when the number of additional parity bits exceeds the number of punctured bits.

For the implementation aspect, additional parity for L1-Detail Modes 1, 2, and 3 has relatively low hardware complexity in the receiver. Conversely, additional parity for L1-Detail Modes 4, 5, 6, and 7 will require more hardware complexity in the receiver compared to L1-Detail Modes 1, 2, and 3. Therefore, when additional parity is used, it is recommended that L1-Detail Modes 1, 2, or 3 be used. Note that receivers can ignore any transmitted additional parity bits in situations where those additional parity bits are not required (e.g., the receiver knows that it is not at the edge of the broadcast area based on the measured SINR).

### 5.3 Framing and Interleaving

#### 5.3.1 Time Interleaving

##### 5.3.1.1 Convolutional Time Interleaving (CTI)

It is recommended that the CTI mode be always used for single Core PLP operation with constant cell rate. The CTI operation provides twice the time interleaving depth of a block interleaver, and for the single Core PLP case where both the HTI and CTI modes are allowed, it is recommended that the CTI mode be always used. The CTI mode is also more efficient because insertion of dummy modulation values to obtain an integer number of FEC Blocks per subframe is not required. Further details of the valid conditions for using the CTI mode are described in Section 4.2.11.1.

It is recommended that the maximum CTI depth (1024 rows) be used. Unless the small savings in latency are critical to the broadcaster operation, the maximum CTI depth provides the best performance. ATSC 3.0 receivers should be able to support the maximum time interleaving depth, and therefore, the choice of smaller depths of the CTI from transmitters is not desired.

##### 5.3.1.2 Hybrid Time Interleaving (HTI)

The hybrid time interleaver is composed of a cell interleaver, a twisted block interleaver (TBI), and a convolutional delay line (CDL) (see Section 7.1.5 of [3]). Different from the CTI mode, the HTI mode can support all frame configurations regardless of the number of PLPs and a delivered product type, i.e., a particular complete delivered product and a complete delivered product as described in Section 4.2.11. The following are the key properties of HTI component blocks:

- In principle, the HTI optimally interleaves subframes by accomplishing an intra-subframe interleaving (inner interleaving) and an inter-subframe interleaving (outer interleaving). The role of the cell interleaver is to interleave the cells (output from the modulation mapper block) within a single FEC Block. The TBI for the intra-subframe interleaving interleaves FEC blocks in a single TI Block consisting of FEC Blocks (cell-interleaved FEC Blocks or non-cell-interleaved FEC Blocks). The CDL for the inter-subframe interleaving interleaves TI Blocks consisting of the output TI Blocks of the TBI.
- In HTI mode, the TBI is always used while the cell interleaver and CDL are each optionally used. The use of the cell interleaver and CDL is signaled by **L1D\_plp HTI\_cell\_interleaver** and **L1D\_plp HTI\_inter\_subframe**, respectively. The cell interleaver and/or CDL may be used to further enhance robustness to burst errors in a severe block/multipath fading environment.
- The cell interleaver takes input cells in FEC Blocks and arranges them into TI Blocks, each of which contains one or more FEC Blocks. Cell interleaving is accomplished via a linear writing operation and pseudo-random reading operation.

- In the TBI, the FEC Blocks are serially written column-wise into a TBI memory and then cells are read out diagonal-wise. This diagonal-wise reading operation increases the interleaving depth (or robustness to a burst error) compared to a conventional row-wise reading operation. In particular, note that any virtual FEC Blocks used to support a non-constant cell-rate PLP are located ahead of data FEC Blocks in order to guarantee the twisted block de-interleaving (TBDI) in a given single-memory at a receiver (see Section 6.3.2.2.2). The concept of virtual FEC Blocks is similarly applied to the CDL operation.
- The CDL is a kind of convolutional interleaver as used in the CTI mode. Different from the CTI, a FIFO register in each branch of the CDL delays a group of cells. The key role of the CDL is to spread FEC Blocks within a TI Block over multiple subframes after splitting a TI Block into interleaving units (IUs). Note that when the CDL is enabled by **L1D\_plp\_HTI\_inter\_subframe=1**, the field **L1D\_plp\_HTI\_num\_ti\_blocks** denotes the number of subframes used for the interleaving while the number of TI Blocks is set to 1. This will in general consume a large TI memory, and therefore, each PLP size within a subframe will necessarily be limited in order to meet the TI memory requirement ( $2^{19}$  cells). Another constraint when using the CDL is that when a complete delivered product is composed of multiple PLPs, the normative condition is that all the PLPs use the same IU in order to have the same decoding time.

### 5.3.2 Frame Structure

There are many possible combinations of frame structure in ATSC 3.0. This section provides some recommendations and examples of frame structure combinations in the aspects of power saving and performance.

It is recommended that the Preamble and the first subframe meet the following relationship  $Tu_p/Dx_p \geq Tu_0/Dx_0$ , where  $Tu_p$  is the useful symbol time of the Preamble,  $Dx_p$  is the preamble pilot spacing in the frequency direction of the Preamble,  $Tu_0$  is the useful symbol time of the first subframe, and  $Dx_0$  is the unit of scattered pilot spacing in the frequency direction of the first subframe. The time  $Tu/Dx$  is the maximum interpolation length that receivers can cope with when using both time and frequency interpolation. Note that this is always longer than when only frequency interpolation is used i.e.,  $Tu/(Dx \cdot Dy)$ , and hence, the frequency-only interpolation case is not considered further here.

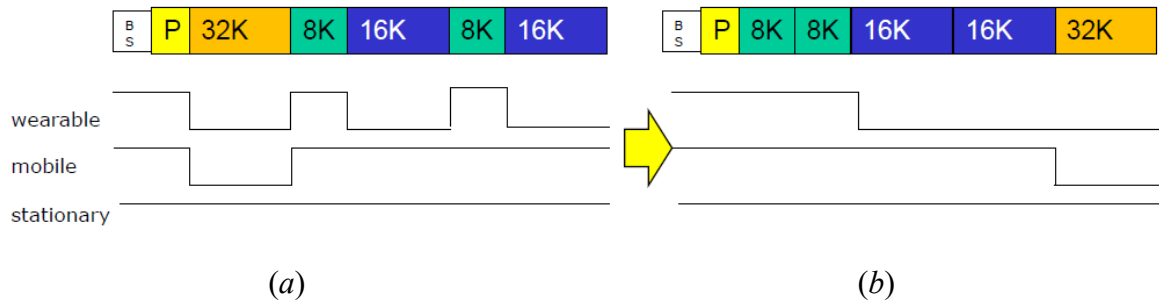
It is recommended that when multiple subframes are used, the order of the subframes are arranged in order with the relationship  $Tu_i/Dx_i \geq Tu_{i+1}/Dx_{i+1}$  maintained where  $i$  represents the  $i$ th subframe, and where the useful symbol time of that subframe is  $Tu_i$ , and the unit of scattered pilot spacing in the frequency direction of that subframe is  $Dx_i$ . In most cases, this works out to keeping the order of the subframes as

- First 8K FFT subframe(s), followed by 16K FFT subframe(s), followed by 32K FFT subframe(s), and
- Within each FFT size grouping, the order of the subframes should be based on the unit of scattered pilot spacing in the frequency direction  $D_x$  being from most dense to least dense (that is, from the smallest  $D_x$  to the largest  $D_x$ ).

It is recommended that the number of subframes be as low as possible in order to increase efficiency by reducing the need for dummy cells and subframe boundary symbols. This also enables receivers to do simple intermittent operation for power saving and to improve interpolation at subframe boundaries for performance improvement.

### 5.3.2.1 Example Scenario for Power Saving Aspect

Figure 5.5 shows an example scenario including ATSC 3.0 mobile services that are restricted to using lower FFT sizes (see Section 7.4.2). As shown in Figure 5.5 (a), if the order of the subframes is random, ATSC 3.0 mobile receivers that only receive lower FFT sizes will switch on and off several times, which wastes power on the mobile receivers. Note that receivers cannot switch on exactly at the beginning of a subframe but in general should start some number of symbols before the start. Conversely, if the subframes are ordered as shown in Figure 5.5 (b), mobile receivers can stay in a power-on state to receive mobile subframes after the bootstrap and Preamble and then switch off for the rest of the frame, which allows simpler operation and lower power consumption.

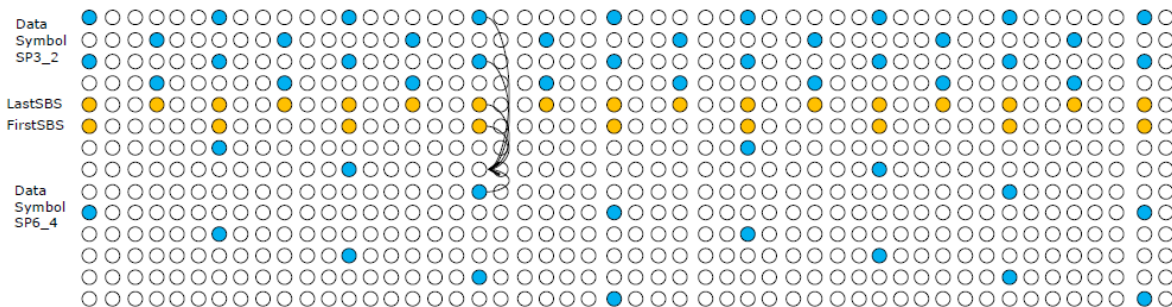


**Figure 5.5** Grouping of FFT sizes: (a) Not recommended, random order, (b) Recommended, in 8K, 16K and 32K order.

### 5.3.2.2 Example Scenario for Performance Aspect

Example scenarios for the performance improvement aspect are shown from Figure 5.6 to Figure 5.12. In these figures, blue dots represent scattered pilots, and orange dots represent SBS pilots. The arrows represent how interpolation is performed.

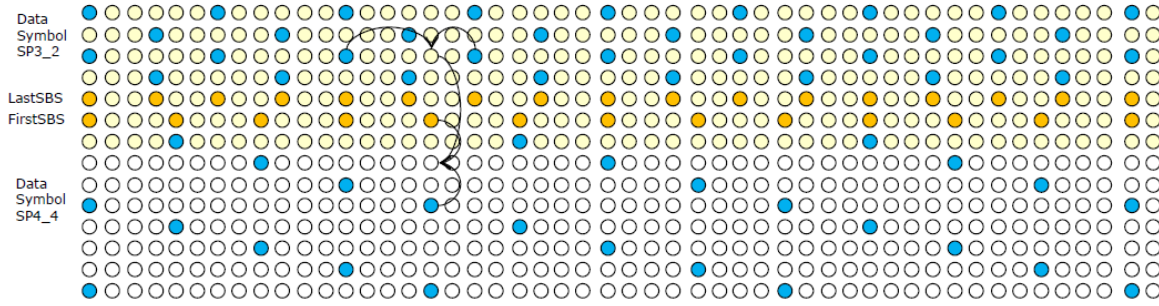
#### (1) Dense to Sparse, Integer Multiples of $D_x$ (Recommended Order)



**Figure 5.6** Example at subframe boundary from SP3\_2 to SP6\_4.

As shown in Figure 5.6, for integer multiples of  $D_x$  and dense to sparse pilot subframe order, at the subframe boundary, the previous subframe's pilots can be used when estimating the channel for the sparse subframe, which improves the performance.

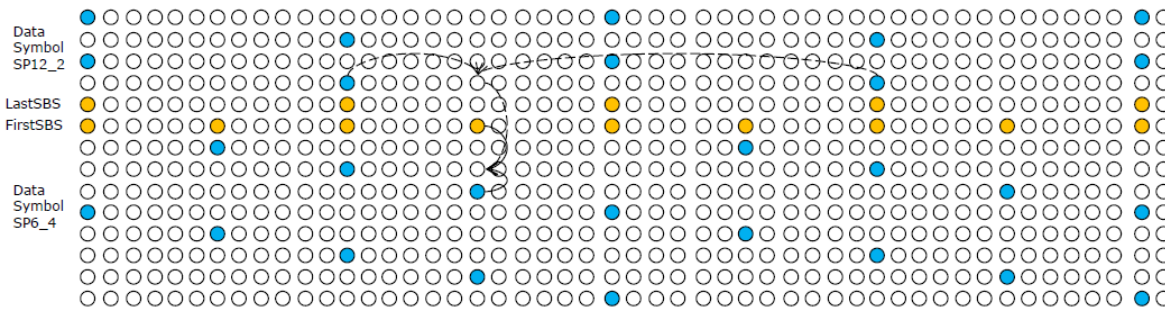
#### (2) Dense to Sparse, Non-Integer Multiples of $D_x$ (Less Recommended Order)



**Figure 5.7** Example at subframe boundary from SP3\_2 to SP4\_4.

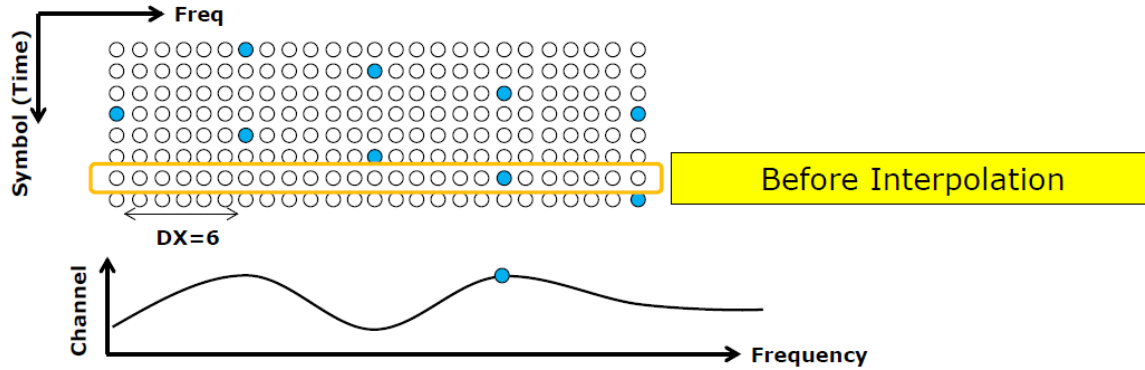
As shown in Figure 5.7, for non-integer multiples of  $D_x$  and dense to sparse pilot subframe order, the previous subframe's frequency-interpolated carriers can be reused when estimating the channel for the sparse subframe, which improves the performance. This is not as accurate as using the known pilots as shown in (1), but still can help to improve the time interpolation of the sparse subframe. Therefore, (1) is preferred over (2).

### (3) Sparse to Dense, Integer Multiples of $D_x$ (Not Recommended)

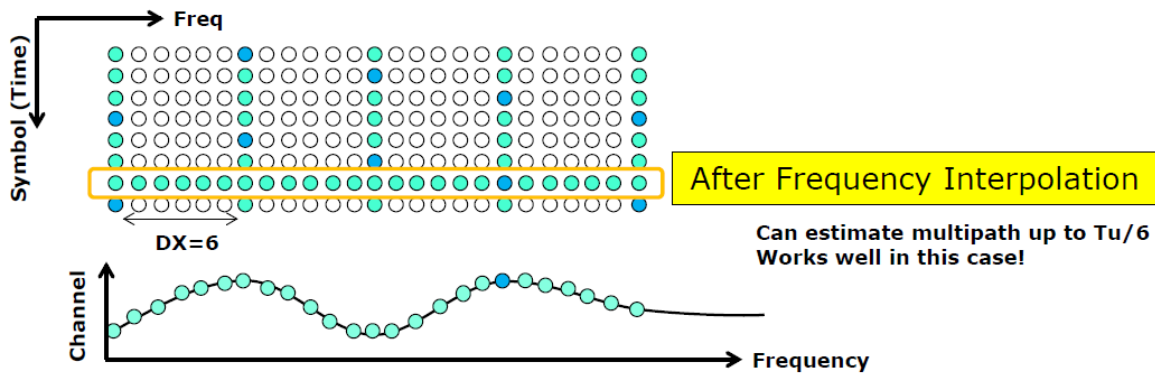


**Figure 5.8** Example at subframe boundary from SP12\_2 to SP6\_4.

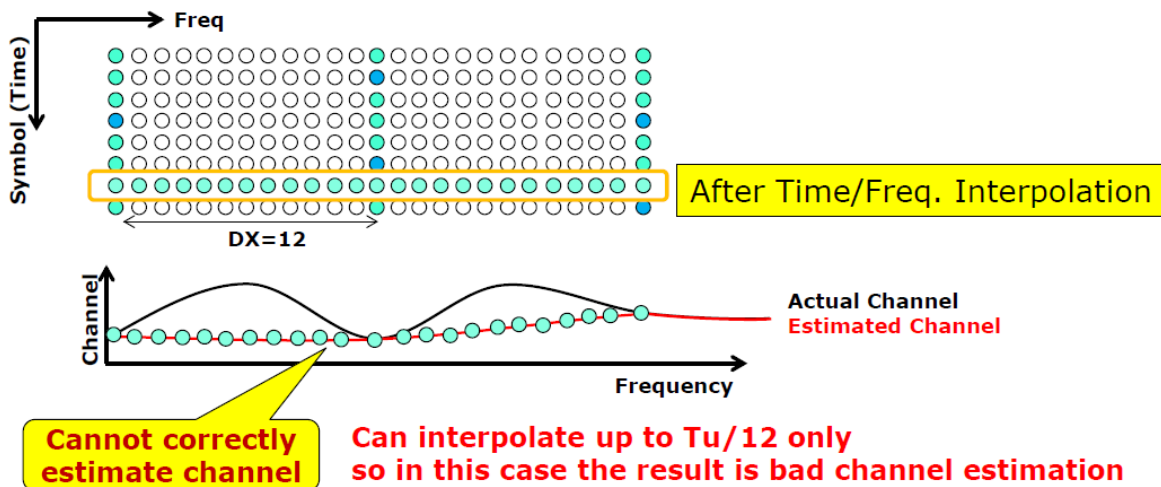
As shown in Figure 5.8, for integer multiples of  $D_x$  and sparse to dense pilot subframe order, the previous subframe's frequency-interpolated carriers cannot be used to accurately estimate the channel for the dense pilot subframe, leading to worse performance. The time-interpolation performance of the first  $D_y$  symbols may be poor, since it is not possible to separate out the channel effects from noise in a time/frequency varying channel. This can be seen in the following example:



**Figure 5.9** Example showing channel at a receiver before interpolation with scattered pilots  $D_x = 6$  and  $D_y = 4$ .



**Figure 5.10** Example at a receiver showing that after time and frequency interpolation the channel can be well estimated up to  $T_u/6$ .



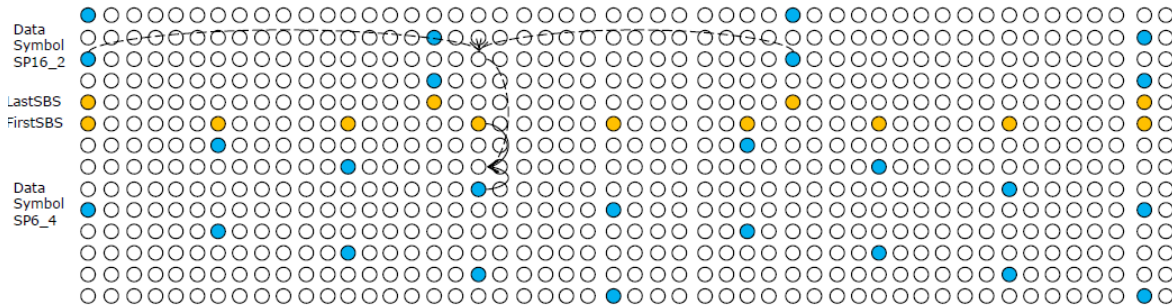
**Figure 5.11** Example at a receiver with  $D_x = 12$  and  $D_y = 4$  showing that the receiver cannot estimate the channel well in this case, since the variation is greater than  $T_u/12$  which is the maximum that can be interpolated.

It can be seen that using the interpolated results of a sparse pilot subframe ( $D_x=12$  in the example) can lead to incorrect interpolation results in a channel with strong multipath. Therefore,



if the strong multipath channel is estimated using a sparse pilot subframe first, the result cannot be used to improve the channel estimate for the dense pilot subframe as the result may be even worse than beginning channel estimation from the subframe boundary itself.

#### (4) Sparse to Dense, Non-Integer Multiples of $D_x$ (Not Recommended)



**Figure 5.12** Example at subframe boundary from SP16\_2 to SP6\_4.

As shown in Figure 5.12, for non-integer multiples of  $D_x$  and sparse to dense pilot subframe order, the previous subframe's frequency-interpolated carriers and pilots cannot be used to accurately estimate the channel for the dense pilot subframe, leading to worse performance. The time-interpolation performance of the first  $D_y$  symbols may be poor, since it is not possible to separate out channel effects from noise in time/frequency varying channel.

#### 5.3.3 LDM and PLP Multiplexing

ATSC 3.0 allows up to two-layer LDM that can be combined with TDM and/or FDM configurations in order to configure multiple PLPs within a subframe. When LDM is configured with more than 2 PLPs, it can be formed as one of the configurations such as Layered Time Division Multiplexing (LTDM), Time Layered Division Multiplexing (TLDM), Layered Frequency Division Multiplexing (LFDM), or Frequency Layered Division Multiplexing (FLDM).

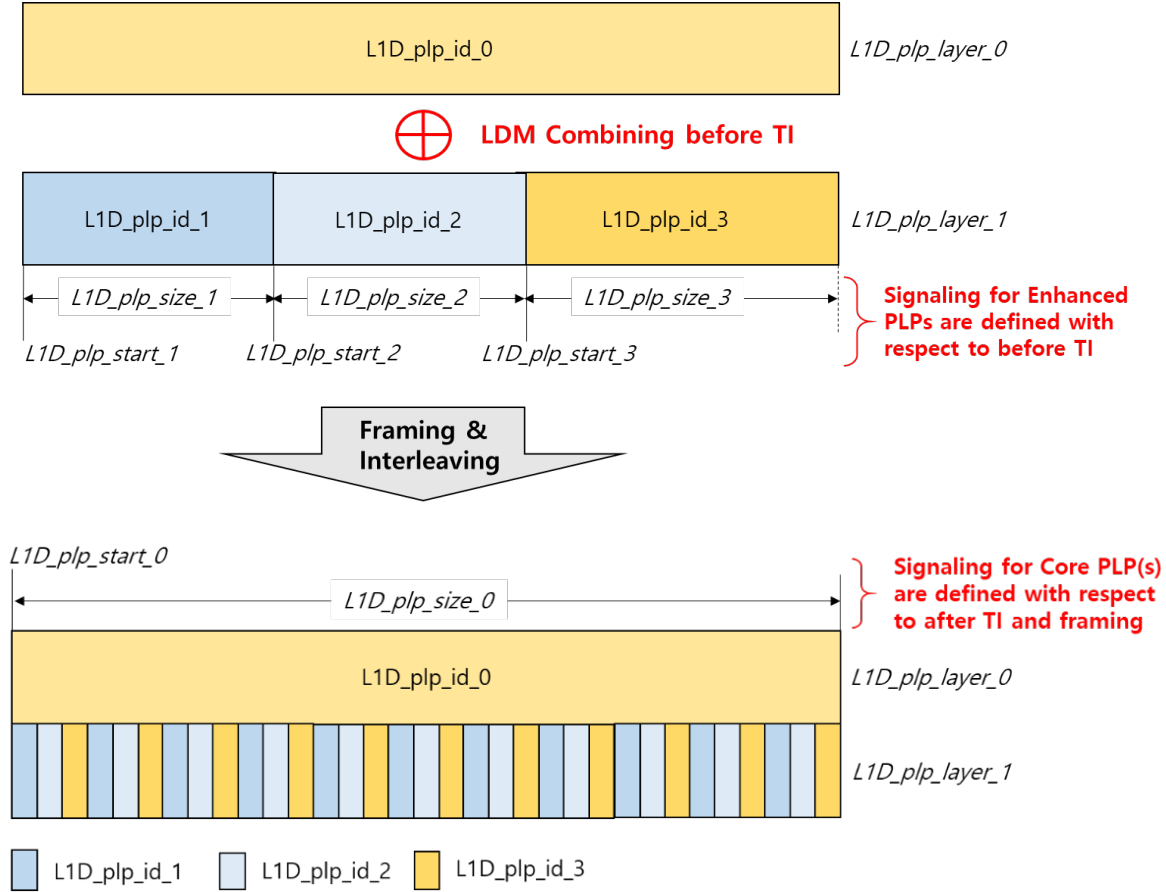
For the implementation to have low complexity and low memory use, A/322 [3] specifies that the time interleaver block including the time interleaver memory is shared by both Core and Enhanced PLPs, and due to this transmission system architecture, there are certain cases that are allowed or disallowed by A/322 when LDM is combined with TDM or FDM. Note that the example configurations in Section 5.3.3.1 to Section 5.3.3.5 are assumed to be TLDM or LTDM configurations. FLDM or LFDM configurations can be regarded as special cases of TLDM or LTDM, respectively, by subslicing dispersed Core PLPs as described in Section 5.3.3.6. Note also that the example configurations in this section show up to 4 PLPs that may be assembled as a complete delivered product requiring simultaneous recovery in receivers according to the constraint in Section 5.1.1 of [3].

##### 5.3.3.1 Definition of L1D\_plp\_start and L1D\_plp\_size

**L1D\_plp\_start** and **L1D\_plp\_size** are the signaling fields that determine the position and placement of each PLP within a subframe. Regardless of the use of LDM, these signaling fields of Core PLP(s) are defined with respect to after time interleaving (CTI or HTI) and framing. However, when LDM is used, **L1D\_plp\_start** and **L1D\_plp\_size** of Enhanced PLP(s) are defined with respect to before time interleaving because the LDM combining is performed after constellation mapping and before time interleaving as described in Section 6.4.1 of [3]. Further details of the signaling definitions of **L1D\_plp\_start** and **L1D\_plp\_size** for Core and Enhanced PLPs are illustrated in Figure 5.13. As presented in the figure, those cells indicated by the signaling fields of Enhanced PLPs are spread



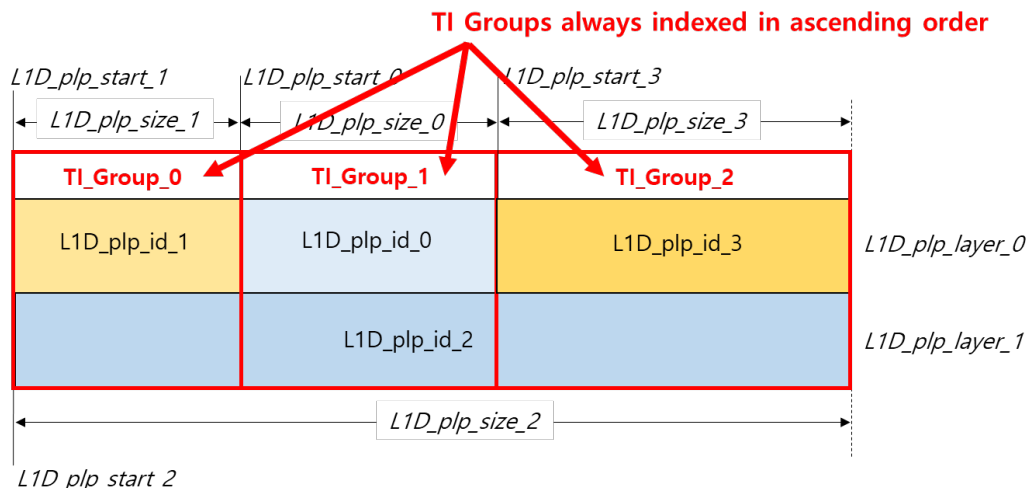
over a subframe after time interleaving, which will not be meaningful information at the framing stage. In receivers, Enhanced PLPs decoded after time de-interleaving and cancellation of Core PLP(s) will be recovered based on the corresponding **L1D\_plp\_start** and **L1D\_plp\_size** of the Enhanced PLPs in L1-Detail.



**Figure 5.13** L1D\_plp\_start and L1D\_plp\_size definitions for Core and Enhanced PLPs.

### 5.3.3.2 Indexing TI Groups

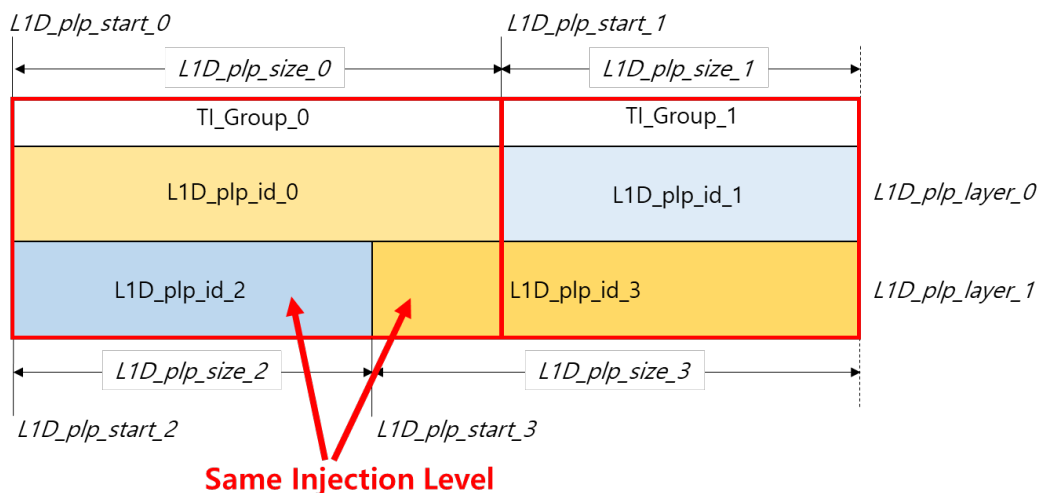
When LDM is configured with multiple Core PLPs, each Core PLP represents a time interleaving group (TI Group) as defined in Section 7.2.7.4 of [3] and as shown in the example of Figure 5.14. These TI Groups are implicitly indexed in ascending order according to the order in which the corresponding Core PLPs appear within the L1-Detail control signaling. For the efficient use of receiver memory, it is strongly recommended that the Core PLPs for each subframe be arranged within that subframe in ascending order. That is, **L1D\_plp\_start** of the first Core PLP in a subframe's L1-Detail control signaling indexed as **TI\_Group\_0** should have the lowest cell index of the **L1D\_plp\_start** values for all Core PLPs within that subframe. Then, **L1D\_plp\_start** of the second Core PLP in that subframe's L1-Detail control signaling indexed as **TI\_Group\_1** should be larger than that of the first Core PLP (**TI\_Group\_0**) and smaller than that of the third Core PLP (**TI\_Group\_2**), and so on. Note that **L1D\_plp\_id** of each PLP is independent of the **TI\_Group** values, so that it is not necessary for **L1D\_plp\_id** values to be arranged in ascending order within the L1-Detail control signaling (as in Figure 5.14).



**Figure 5.14** TI Group assignment for multiple Core PLPs.

### 5.3.3.3 Injection Level (*L1D\_plp\_idm\_injection\_level*) for Multiple Enhanced PLPs

When multiple Enhanced PLPs are associated with a Core PLP as shown in the example of Figure 5.15 (*L1D\_plp\_id\_2* and *L1D\_plp\_id\_3* are associated with *L1D\_plp\_id\_0*), those Enhanced PLPs should all have the same LDM injection level as signaled by *L1D\_plp\_idm\_injection\_level*. Note that if those Enhanced PLPs have different injection levels, the portions of the Core PLP associated with the two different injection levels (e.g., *L1D\_plp\_id\_0* of Figure 5.15) will have different robustness, which will eventually provide different coverage areas for a single content.

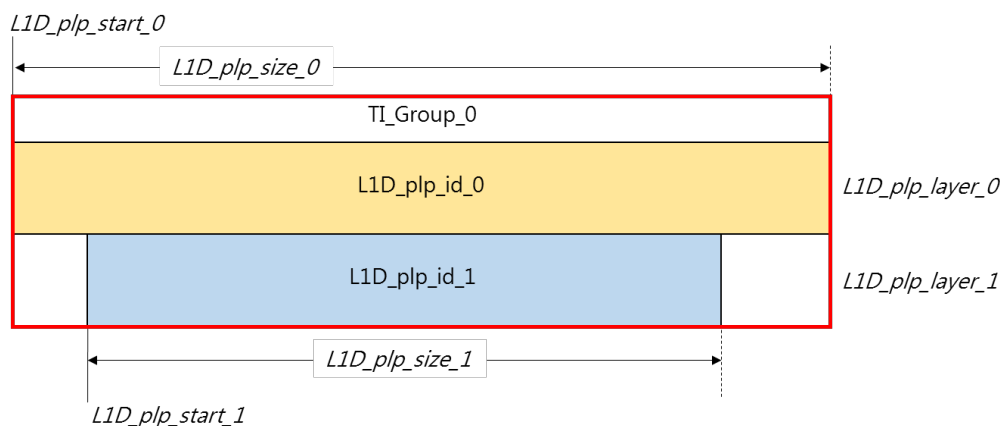


**Figure 5.15** Two Enhanced PLPs injected into a Core PLP.

### 5.3.3.4 Positioning Enhanced PLP(s) and Not Recommended LDM Cases

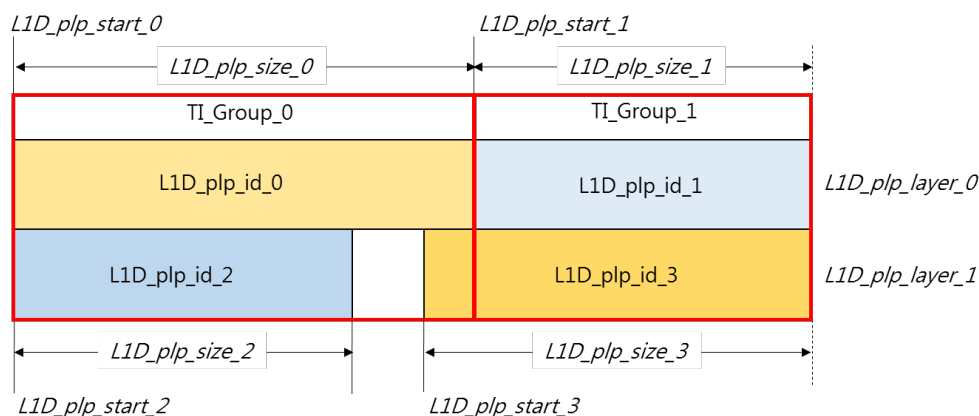
When Enhanced PLP(s) are positioned and associated with Core PLP(s) within a subframe, *L1D\_plp\_start* and *L1D\_plp\_size* of Enhanced PLP(s) should be carefully determined such that cells of Enhanced PLP(s) are continuously associated with cells of Core PLP(s). Figure 5.16 is an example case that is not recommended as an LDM configuration. As shown in the example, *L1D\_plp\_start* of the Enhanced PLP (*L1D\_plp\_id\_1*) is not the same as that of the Core PLP (*L1D\_plp\_id\_0*). For the same reason as described in Section 5.3.3.3, portions of the Core PLP in this

configuration will have different robustness, and therefore, such a configuration is not recommended. Furthermore, **L1D\_plp\_size** of the Enhanced PLP should not be either shorter or longer than the Core PLP. Note that when the HTI mode is used, all the PLPs configured by the HTI mode use integer numbers of FEC Blocks. In such cases, the number of actual data cells in the Enhanced Layer is only allowed to be less than or equal to those in the Core Layer, and Enhanced Layer dummy modulation values described in Section 7.2.7.4.6 of [3] are used when necessary. More details of the Enhanced Layer dummy modulation values are described in Section 5.3.3.5.2.



**Figure 5.16** Not recommended LDM configuration example #1.

Figure 5.17 is another example case that is not recommended as an LDM configuration. When multiple PLPs are configured in the Enhanced Layer, **L1D\_plp\_start** of the following Enhanced PLP in a subframe (i.e., **L1D\_plp\_start\_3** of Figure 5.17) should correspond to the immediately following cell of the preceding Enhanced PLP (i.e., **L1D\_plp\_id\_2**), to prevent gaps between Enhanced PLPs.



**Figure 5.17** Not recommended LDM configuration example #2.

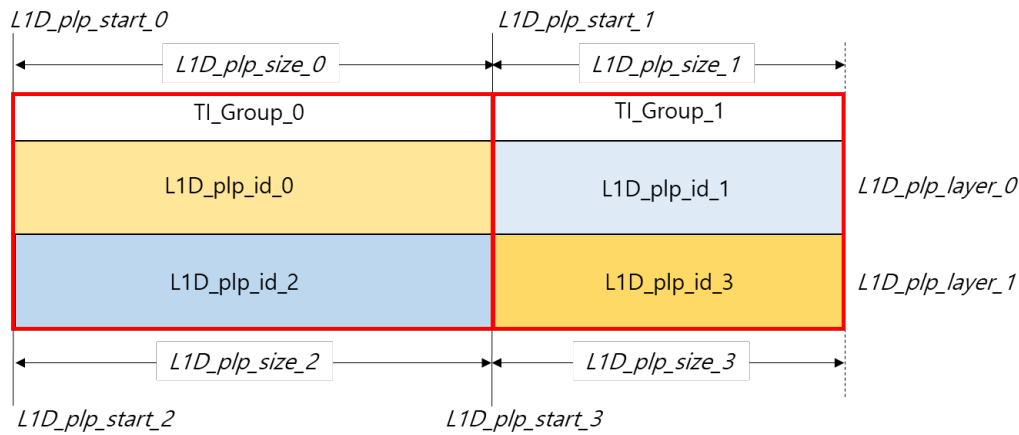
### 5.3.3.5 LDM Configuration with Different TI Modes

#### 5.3.3.5.1 CTI Mode

The CTI mode may be used when a complete delivered product consists of a single Core PLP that has a constant cell rate. A simple LDM example described in Section 7.2.7.4.1 of [3] is one of the common service scenarios using the CTI mode, as both Core and Enhanced PLPs of such simple

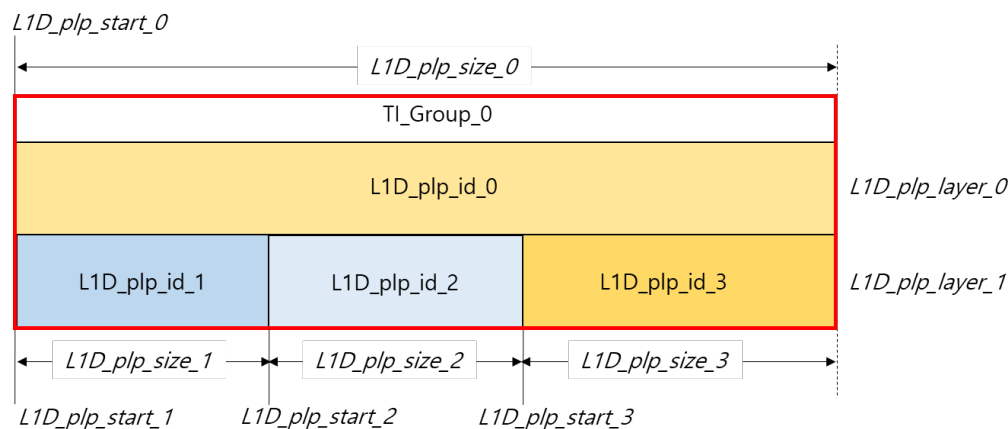
LDM have the same **L1D\_plp\_start** and **L1D\_plp\_size** with a constant cell rate. When the CTI mode is used, it is not necessary to achieve an integer number of FEC Blocks per subframe so it is therefore recommended that the data cells in both the Core and Enhanced Layers be completely filled in a subframe.

Figure 5.18 is another LDM configuration that is allowed by the CTI mode. When a subframe consists of multiple Core PLPs (i.e., multiple TI Groups) representing different delivered products as shown in this figure, each PLP within that subframe should have a constant cell rate in order to be configured with the CTI mode. Furthermore, any Enhanced PLPs associated with Core PLPs should not be spread over multiple TI Groups as exemplified in Figure 5.18. Note that in the CTI mode, an incomplete FEC Block at the last part of a Core PLP is time interleaved and it should be buffered until the next subframe to be decoded in a receiver. In such a case, the FEC Block of the Enhanced PLP associated with that incomplete FEC Block of the Core PLP should be also buffered until the next subframe. This implies that when an Enhanced PLP is spread over multiple TI Groups, any subsequent FEC Blocks of that Enhanced PLP associated with the following TI Group(s) should be buffered as well, which will consume a large amount of memory in a receiver. Due to this reason, the example configurations shown in Figure 5.14 and Figure 5.15, in which an Enhanced PLP is spread over multiple TI Groups, are not allowed when the CTI is used. Note also that in the CTI mode, when an LDM configuration as shown in Figure 5.18 is used, building a complete delivered product composed of PLPs belonging to different TI Groups is not allowed as specified in Section 7.1.1 of [3]. A complete delivered product should be composed of the Core and Enhanced PLPs within the same TI Group when the CTI mode is used.



**Figure 5.18** Allowed LDM configuration example #1 using the CTI mode.

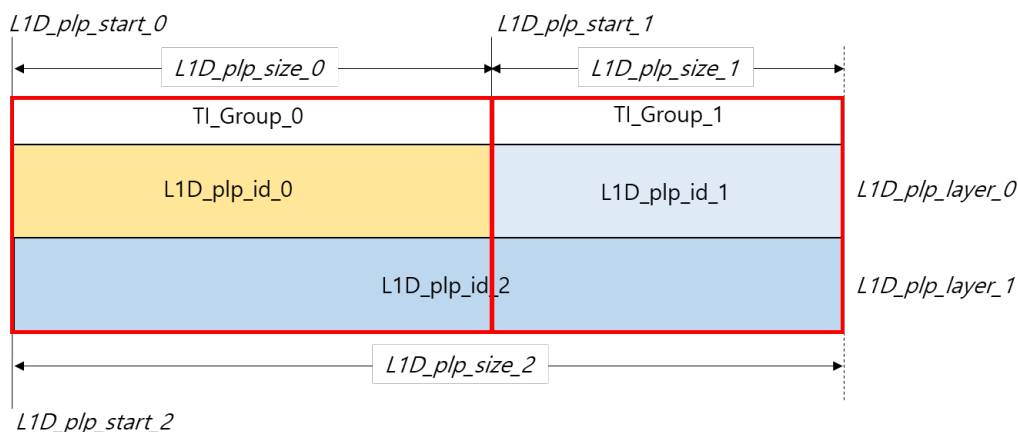
Figure 5.19 is another LDM case allowed by the CTI mode. As shown in this figure, a Core PLP that is associated with multiple Enhanced PLPs may be configured with a single CTI. When such a configuration is used, it is required that each of the Enhanced PLPs associated with the Core PLP also have a constant cell rate. This implies that **L1D\_plp\_start** and **L1D\_plp\_size** of each Enhanced PLP should remain constant from one subframe to the next subframe, so that receivers do not need to track these signaling values of the previous subframes.



**Figure 5.19** Allowed LDM configuration example #2 using the CTI mode.

#### 5.3.3.5.2 HTI Mode

When the HTI mode is used, each of the Core and Enhanced PLPs is composed of an integer number of FEC Blocks, and therefore, the case that an Enhanced PLP is spread over multiple TI Groups can be implemented without further receiver memory requirement. Figure 5.20 is an allowed LDM configuration when two Core PLPs associated with an Enhanced PLP are configured with the HTI mode. The 4-PLP configurations as shown in Figure 5.14 and Figure 5.15 are also cases where an Enhanced PLP is spread over multiple TI Groups, which is allowed by the HTI mode. Note that using different TI modes for different TI Groups associated with the same Enhanced PLP is not allowed. Note also that when the HTI mode is used in those cases that the same Enhanced PLP is spread over multiple TI Groups, the use of the Convolutional Delay Line (CDL) is not allowed. If the CDL were used, the two Core PLPs might have different interleaving depths over multiple subframes, and therefore, the portions of the single Enhanced PLP associated with those two Core PLPs might have different decoding times, which eventually would require a large amount of memory in receivers.

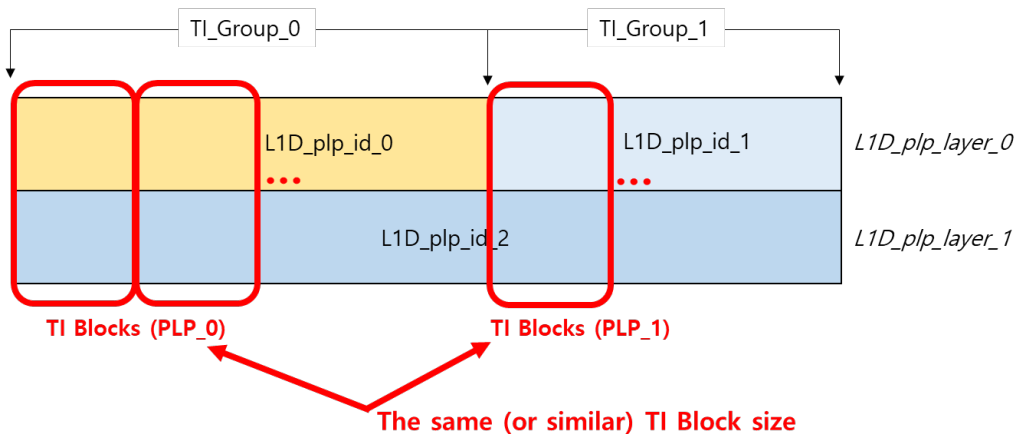


**Figure 5.20** Allowed LDM configuration example using the HTI mode.

Since the HTI mode requires an integer number of FEC Blocks for each PLP, the total number of cells of the Core PLP(s) may be different from that of the Enhanced PLP(s) depending on the ModCod choice for each PLP. In such cases, Enhanced Layer dummy modulation values as described in Section 7.2.7.4.6 of [3] are used, so that the CL and EL have the same number of cells.

Note that these Enhanced Layer dummy modulation values are only allowed to be inserted after the last Enhanced PLP in a ‘PLP group’ (defined in Section 7.2.7.4.6 of [3]). Furthermore, these dummy modulation values have the same constellation mapping and injection level as the preceding Enhanced PLP, so that the Core PLP associated with the preceding Enhanced PLP and the dummy modulation values has a uniform robustness.

When an Enhanced PLP is spread over multiple TI Groups (i.e., HTI-based LTDM or LFDM configurations), an extra frame buffer may be needed when the TI depths of Core PLPs belonging to multiple TI Groups are substantially different. For example, if the TI depth of the first Core PLP is larger than that of the second Core PLP, the portion of the Enhanced PLP associated with the second Core PLP should be buffered due to the larger TI depth of the first Core PLP. Note that for buffering such a portion of the Enhanced PLP, an extra frame buffer (e.g., DRAM) can be used, rather than consuming the TI memory (e.g., SRAM). In order to avoid the extra frame buffer for Enhanced PLP, it is recommended that multiple Core PLPs associated with an Enhanced PLP use the same or similar TI depth as shown in Figure 5.21. This can be achieved when the number of FEC Blocks per TI Block is the same or similar for the multiple Core PLPs associated with an Enhanced PLP. This is recommended not only to avoid extra frame memory, but also to provide the same performance for a single Enhanced PLP.



**Figure 5.21** Recommended use of TI Blocks for HTI-based LTDM or LFDM configurations.

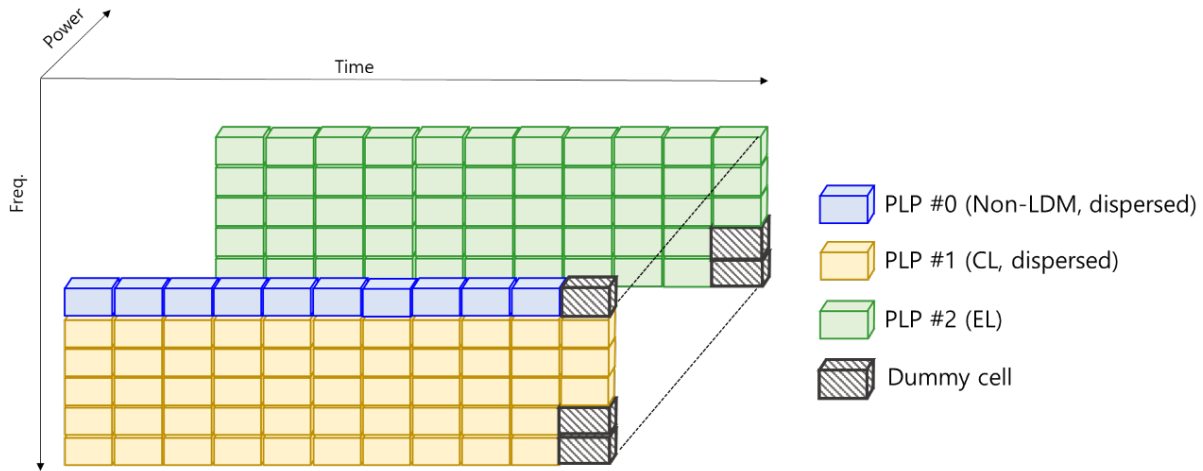
#### 5.3.3.5.3 No TI Mode

The no TI mode is generally not recommended regardless of the use of LDM, even though it is allowed by the specification. Refer also to Section 4.2.11.2 which discusses the use of the no TI mode. When the no TI mode is used with LDM, those configurations described in Section 5.3.3.5.1 and Section 5.3.3.5.2 are all allowed. However, when an Enhanced PLP is spread over multiple TI Groups, the Core PLPs associated with that Enhanced PLP should have integer numbers of FEC Blocks due to the reason described in Section 5.3.3.5.1.

#### 5.3.3.6 Combination with FDM

FDM, which is enabled by cell multiplexing methods described in Section 7.2.7 of [3], may be combined with LDM such as FLDM or LFDM configurations, and such cell multiplexing methods controlled by L1D\_plp\_type, L1D\_plp\_subslice\_interval, and L1D\_plp\_num\_subslices are applied with respect to Core PLP(s) only. An FLDM configuration is relatively simple because Core and Enhanced PLPs given the FDM cells have the same number of cells as shown in Figure 5.22. Note that when the cell multiplexing for FDM is applied, dummy modulation values described in

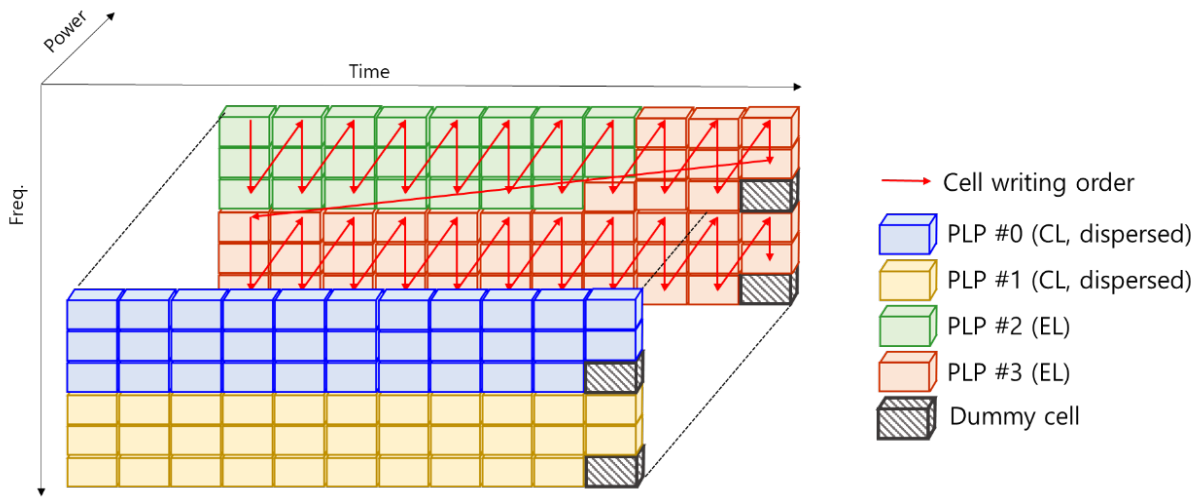
Section 7.2.6.5 of [3] are required in many cases because the defined subslice interval (**L1D\_plp\_subslice\_interval**) may not be an integer multiple of the total number of data cells. Note also that the cell multiplexing of FDM is generally not applied to the data part of the Preamble and SBS as specified in [3].



**Figure 5.22** FLDM configuration example.

Another type of FDM combination with LDM is an LFDM configuration as shown in Figure 5.23. Since the subslicing parameters are only applied to Core PLPs, the cell writing order of the associated Enhanced PLPs follows the cell writing order of those Core PLPs as described in Figure 5.23. As shown in this LFDM example, when the cell multiplexing for FDM requires a PLP to span the whole subframe duration, receivers will also need to buffer Enhanced PLP(s) for the whole subframe duration because the Enhanced PLP(s) that follow the cell writing order of Core PLP(s) should be re-ordered. Note that for buffering the Enhanced PLP(s), an extra frame buffer (e.g., DRAM) can be used, rather than consuming the TI memory (e.g., SRAM). Due to this additional frame memory requirement, it is recommended that the number of cells of Enhanced PLP(s) buffered in a frame memory be less than or equal to  $2^{20}$  when such an LFDM configuration is used. That is, in the example of Figure 5.23, the sum of **L1D\_plp\_size** of PLP #0 and PLP #1 in the CL (which is equal to the sum of **L1D\_plp\_size** of PLP #2 and PLP #3 in the EL) should not exceed  $2^{20}$  cells due to the limitation of frame buffer in receivers. Note that in the example configuration shown in Figure 5.23, the Enhanced PLP (PLP #3) is spread over multiple TI Groups, and therefore the CTI mode is disallowed.





**Figure 5.23** LFDM configuration example.

#### 5.3.4 Frequency Interleaving

The use of a frequency interleaver (FI) is recommended to provide robustness to a burst error on particular frequency-bins in block/multipath fading channels. In particular, in order to enhance the stability of FI over a burst error, the FI applies a different interleaving sequence every OFDM symbol within a subframe. The key properties of FI are:

- The FI operates on the data cells (not pilots) of one OFDM symbol, i.e., Preamble symbols, data symbols, and subframe boundary symbols. The FI is optionally used for data and subframe boundary symbols, while it is always used for Preamble symbols. The use of FI on a per subframe basis is indicated by **L1D\_frequency\_interleaver**.
- Three FI structures are provided for 8K, 16K, and 32K FFT sizes, respectively (see Section 7.3 of [3]). When FI is not used, input data cells are output in the same order as they are input.
- Each FI structure mainly consists of an interleaving sequence generator and a symbol offset generator. In particular, the symbol offset generator shifts cyclically the output of interleaving sequence generator. The cyclic shift is accomplished prior to the following address-check block in order to guarantee the frequency de-interleaving in a single-memory at a receiver side, even if the number of data cells in an OFDM symbol pair is different from each other (see Section 6.3.1).
- In the 32K FFT size case, for even OFDM symbols, a linear writing operation into memory is performed and then a pseudo-random reading operation from memory is performed. For odd OFDM symbols, a pseudo-random writing operation into memory is performed and then a linear reading operation (in a sequence order) from memory is performed. Conversely, in case of 8K and 16K FFT sizes, two memories are used alternately for the frequency interleaving of odd and even OFDM symbols.

In frequency interleaving, the normative conditions related to frame configuration are as follows:

- In the 32K FFT size case, the sum of the number of data and subframe boundary symbols in the subframe is always even, except for the first subframe of a frame where the sum of the number of Preamble, subframe boundary and data symbols is even (Section 7.2.4.2 of



[3]). This normative condition guarantees frequency de-interleaving in a single memory at a receiver side.

- On the first Preamble symbol of the frame, the FI is reset to the initial state of interleaving. Such a reset operation is accomplished by setting the symbol index count to zero and setting the PRBS registers of the interleaving sequence generator and the symbol offset generator to the initial values.
- With the exception of the first subframe in the frame, the FI is reset to the initial state of interleaving on the first symbol of the second and subsequent subframes in the frame.

## 5.4 Waveform Generation

### 5.4.1 Pilot Insertion

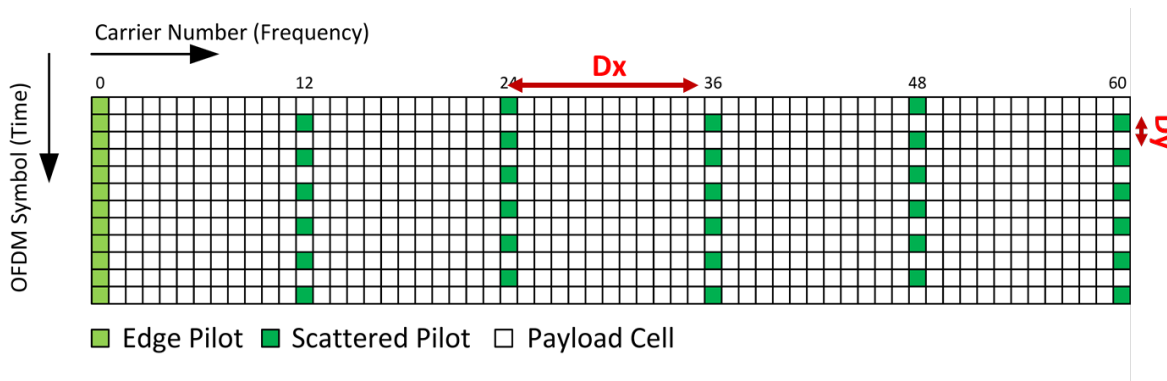
ATSC 3.0 employs scattered, continual, edge, Preamble and subframe boundary pilots. These cells are modulated with reference information whose transmitted values are known to ATSC 3.0 receivers. The pilots can be used for frame synchronization, frequency synchronization, time synchronization, channel estimation, and phase noise tracking. Table 5.1 gives an overview of the different types of pilots and the symbols in which they appear, where a check mark indicates the presence of a particular pilot type in that symbol type.

**Table 5.1** Types of Pilots in Each Type of Symbol

Symbol Type	Preamble Pilot	Scattered Pilot	Subframe Boundary Pilot	Common Continual Pilot	Additional Continual Pilot	Edge Pilot
Preamble	✓			✓		
Data		✓		✓	✓	✓
Subframe Boundary			✓	✓	✓	✓

#### 5.4.1.1 Scattered Pilot Insertion

ATSC 3.0 defines sixteen scattered pilot (SP) schemes. The terminology employed is  $SP_{a_b}$ , where  $a = D_x$  is the separation of pilot-bearing carriers (i.e., in the frequency direction) and  $b = D_y$  is the number of symbols forming one scattered pilot sequence (i.e., time direction), as shown in Figure 5.24.



**Figure 5.24** Scattered pilot pattern  $SP_{12_2}$  ( $D_x = 12$ ,  $D_y = 2$ ).

To enhance the channel estimation quality without degrading the data cells, the SP power can be optionally boosted. For each SP pattern, the boosting factor can be selected from five possible values and is signaled by `L1B_first_sub_scattered_pilot_boost` and `L1D_scattered_pilot_boost`. For

example, the boosting power for SP8\_4 ranges from 0 dB (no boosting) to 6.6 dB. The different boosting values are listed in Table 9.14 of [3].

#### 5.4.1.2 Continual Pilot Insertion

The minimum number of common continual pilots (CPs) is set to 45 for 8K FFT when the minimum number of carriers (NoC) is configured and doubles with each doubling of the FFT size. The number of common continual pilots is augmented slightly with the NoC increase. The indices of the CP locations (see Annex D of [3]) were selected to be random and evenly distributed within each OFDM symbol and occupy roughly 0.7% of the cells. They are transmitted at a boosted power level of 8.52 dB.

#### 5.4.1.3 Edge Pilot Insertion

The edge carriers, that is carriers with relative carrier indices  $k=0$  and  $k= \text{NoC} - 1$ , are edge pilots in every symbol except for the Preamble symbol(s). They are inserted in order to allow frequency interpolation of channel estimates up to the edge of the spectrum.

#### 5.4.1.4 Preamble Pilot Insertion

The  $D_x$  value used for the Preamble pilots of a frame is less than or equal to the  $D_x$  value used for the scattered pilots of the first subframe of the same frame, in order to provide more accurate equalization for the Preamble symbols.

#### 5.4.1.5 Subframe Boundary Pilot Insertion

The pilots for subframe boundary symbols are essentially denser than for the adjacent normal data symbols of the same subframe since the same  $D_x$  value is used but  $D_y$  is assumed to be equal to 1 for subframe boundary symbols.

### 5.4.2 MISO

ATSC 3.0 includes an optional Multiple-Input Single-Output (MISO) antenna scheme, known as Transmit Diversity Code Filter Sets (TDCFS), in order to minimize the possibility of cross-interference among the transmitted signals in an SFN over the entire reception area. TDCFS introduces a frequency pre-distortion of the common waveforms from the different transmitters of an SFN in such a way that special signal processing at receivers is not necessary, since the frequency pre-distortion appears as part of the propagation channel to receivers. The coding is done using linear filters so that the decoding in receivers can be implemented as part of the traditional equalizer process. Furthermore, the coding filters are designed in such a way as to provide robust performance at receivers over a wide range of expected multipath behavior in the transmission environment.

#### 5.4.2.1 Signal Model

A transmit diversity code filter set is a set of unique transmit filters used to filter a common modulated signal. These filtered signals are transmitted from separate transmitters in an SFN. The design of the transmit diversity code filter set is based on creating all-pass filters using a minimized metric, called the Peak Side Lobe (PSL), over all filter pairs within the constraints of the number of transmitters  $M$  and the length of the filters  $L$ . The use of such filter code sets creates an improved overall signal condition at receivers taking into account the likelihood of multipath transmission conditions.

The common modulated signal  $S[k]$  is individually filtered through  $M$  strategically optimized filter vectors  $\{C_1[k], C_2[k], \dots, C_M[k]\}$  to create uniquely pre-distorted signals  $\{F_1[k], F_2[k], \dots, F_M[k]\}$ . The code filters are implemented as a multiplication of fixed coefficients across all carrier frequencies, indexed within each block by  $k$ . Each pre-distorted signal block is transformed

through an Inverse Fast Fourier Transform (IFFT) and cyclically extended with a guard interval in an OFDM manner before being transmitted through its respective transmit antenna. These transmitted signals will then be modified through different channel conditions represented in the time domain by the channel impulse responses  $\{h_1[n], h_2[n], \dots, h_M[n]\}$ . The superposition of these signals combined with AWGN  $w[n]$  is received by an antenna at a receiver as function  $g[n]$ .

If the FFT block size of the OFDM system is  $N_B$  and, assuming proper synchronization of symbol blocks, the system can be described as:

$$G[k] = \left( \sum_{i=1}^M H_i[k] C_i[k] \right) S[k] + W[k]$$

where:

$$G[k] = \text{FFT}(g[n], N_B)$$

$$H_i[k] = \text{FFT}(h_i[n], N_B) \text{ with } i \in \{1..M\}$$

$$W[k] = \text{FFT}(w[n], N_B)$$

The system in the time domain can be described as:

$$g[n] = \left( \sum_{i=1}^M h_i[n] * c_i[n] \right) s[n] + w[n]$$

where  $*$  is the circular convolution operator over length  $N_B$ , and:

$$c_i[n] = \text{IFFT}(C_i[k], N_B) \text{ with } i \in \{1..M\}$$

$$s[n] = \text{IFFT}(S[k], N_B)$$

#### 5.4.3 Inverse Fast Fourier Transform (IFFT)

As an OFDM system, the IFFT algorithm for Preamble and subframe symbols is used as described in Section 8.3 of [3]. Given the three different choices of FFT sizes (i.e., 8K, 16K and 32K) allowed by ATSC 3.0, recommended choices of FFT sizes depending on broadcasters' intended services are described in Section 4.2.1.

#### 5.4.4 Guard Interval

The guard interval (GI) is a cyclic extension of the useful portion of the time domain symbol which consists of the samples belonging to the last part of the OFDM symbol. The guard interval is prepended as a prefix to the original symbol  $Tu$  (useful symbol length), leading to a new symbol of length  $Ts$  (total symbol length). GI insertion is used to prevent inter-symbol interference (ISI) at the expense of introducing overhead. When signals arrive outside the GI, ISI degradation increases until a certain value,  $Tp$ , is reached.  $Tp$  is defined as the Nyquist limit and can be considered as a limit to the channel extent that can be tolerated by the system when more than one signal is received. Furthermore, it has to be taken into account that the GI does not remove Self-Symbol Interference, i.e., the interference between the samples of the same OFDM symbol, but that can be easily equalized at receivers. The GI is appended at the transmitter and discarded at the receiver by means of the FFT window positioning, which has a length of  $Tu$ . The GI is also used for synchronization aspects at receivers.

ATSC 3.0 offers twelve possible selections of GI which can be configured with the three different values of FFT sizes. However, ATSC 3.0 does not allow certain combinations of GI and FFT size due to excessive overhead. The lengths in number of samples of the different GI values

and the FFT allowed combinations are presented in Table 5.2 where check marks indicate allowed combinations.

**Table 5.2** Allowed Combinations of GI and FFT Sizes

GI Samples	FFT Size		
	8K	16K	32K
192	✓	✓	✓
384	✓	✓	✓
512	✓	✓	✓
768	✓	✓	✓
1024	✓	✓	✓
1536	✓	✓	✓
2048	✓	✓	✓
2432	N/A	✓	✓
3072	N/A	✓	✓
3648	N/A	✓	✓
4096	N/A	✓	✓
4864	N/A	N/A	✓

#### 5.4.5 Bootstrap

An ATSC 3.0 frame starts with the highly robust bootstrap, which provides a universal entry point into a digital transmission signal. Broadcasters anticipate providing multiple wireless-based services, in addition to just broadcast television, in the future. A highly robust signal is needed to indicate, at a low level, the type or form of a waveform that is being transmitted during a particular time period, so that a receiver can discover and identify the signal. The bootstrap with extensible signaling transmission is suitable as a service indicator.

The bootstrap consists of a number of symbols, beginning with a synchronization symbol positioned at the start of each frame period to enable signal discovery, coarse synchronization, frequency offset estimation, and initial channel estimation. The remainder of the bootstrap contains sufficient control signaling to permit the reception and decoding of the remainder of the frame to begin. The bootstrap is first generated in the frequency domain and is then transformed into the time domain by Inverse Fast Fourier Transforming the frequency domain sequence. Then, the signaling information is communicated by a cyclic shift of the time domain signal. There are two variants of the time domain structure: C-A-B and B-C-A. The postfix or hyper prefix, part B, and the prefix, part C, are each composed of samples taken from the time domain main body signal, part A, with a frequency shift (equal to the carrier spacing). The initial symbol of the bootstrap is provided for sync detection and employs the C-A-B variant. The remaining bootstrap symbols conform to the B-C-A variant.

The generation of the bootstrap is defined in [2]. The syntax and semantics of the signaling fields for each bootstrap symbol are described in [2].

#### 5.5 Channel Bonding

Channel bonding allows a single PLP to be spread across multiple RF channels, and the primary purpose of channel bonding is to enable total service data rates that exceed the net capacity of a single RF channel and that are up to twice what can be transmitted in one RF channel.

Other benefits of channel bonding include greater frequency diversity and more efficient statistical multiplexing. The performance of statistical multiplexing depends on the transmission bandwidth, the number of multiplexed services, the statistical properties of service traffic, and implementation. An example of the possible gains is shown in Table 5.3.

**Table 5.3** Statistical Multiplexing Gains

Available Capacity (Mbps)	Number of Services (%StatMux Efficiency Increase)		
	4K UHD @15 Mbps	HD 1080p @5 Mbps	HD 720p @2.5 Mbps
10	0 (0%)	2 (7.5%)	4 (15%)
20	1 (0%)	4 (15%)	8 (25%)
40	2 (7.5%)	8 (25%)	16 (31%)

It is possible to bond RF channels from both the VHF and UHF bands (e.g., VHF/UHF), as well as different RF channels in the same band (e.g., UHF/UHF).

Channel bonding is described in detail in Annex K of [3]. There are two different types of channel bonding described in the specification, plain channel bonding and SNR averaging. Plain channel bonding can be realized at a receiver with two separate demodulators and the addition of combining logic and memory, and is more likely to be supported than SNR averaging, which requires exchange of data in the middle of the receiver data path.

#### 5.5.1 Memory Considerations

Channel bonding places additional memory constraints on receivers in the reconstruction circuit to absorb any delays from the two different paths that the data will take after partitioning at the transmitter, so it is important that the transmitter make efforts to reduce these delays as much as possible. For example, if one RF channel uses time interleaving and the other RF channel does not use time interleaving, it can be easily seen that memory to accommodate the delay equivalent to twice the time interleaving depth will be required at receivers, since both the transmitter time interleaving delay and receiver time de-interleaving delay should be considered.

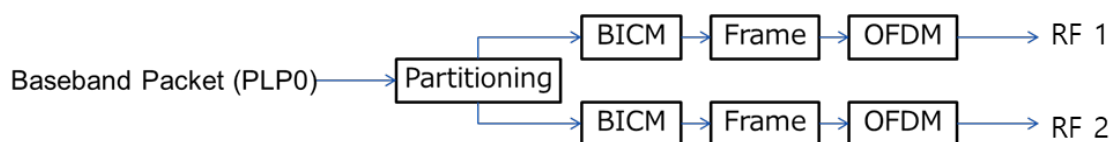
Therefore, it is recommended that after partitioning a PLP, the same PLP parameters should be used for both RF channels. That is, the same modulation, coding, time interleaving, number of symbols and so on should be used. This is required if channel bonding with SNR averaging is used, and is recommended if plain channel bonding is used.

The channel bonding specification in Annex K of [3] also limits the reconstruction memory size by requiring that Baseband Packets are assigned to the different RF channels in proportion to their respective PLP rates. Furthermore, it is specified that no more than 5 consecutive Baseband Packets are assigned to one of the RF channels before at least one Baseband Packet is assigned to the other RF channel.

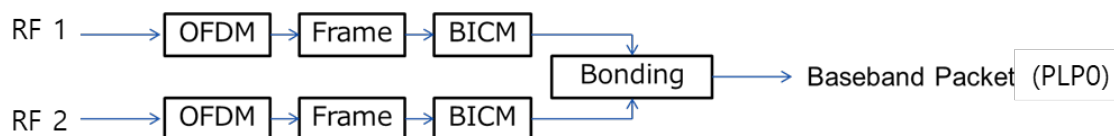
In the case where the two RF channels use exactly the same parameters, it is recommended that the delay on each RF channel (and thus the required receiver memory) be minimized by sending consecutive Baseband Packets alternatively to each RF channel. That is, a Baseband Packet sent to RF channel 1 should be followed by a Baseband Packet sent to RF channel 2, followed by a Baseband Packet to RF channel 1, and so on. This reduces the latency of the overall output and minimizes the need for buffering at receivers.

#### 5.5.2 Channel Bonding Examples

An example of plain channel bonding with a single PLP split over two RF channels is shown below in Figure 5.25, which shows the transmitter side, and Figure 5.26, which shows the receiver side.



**Figure 5.25** 1-PLP 2-Channel Bonding example transmitter architecture.



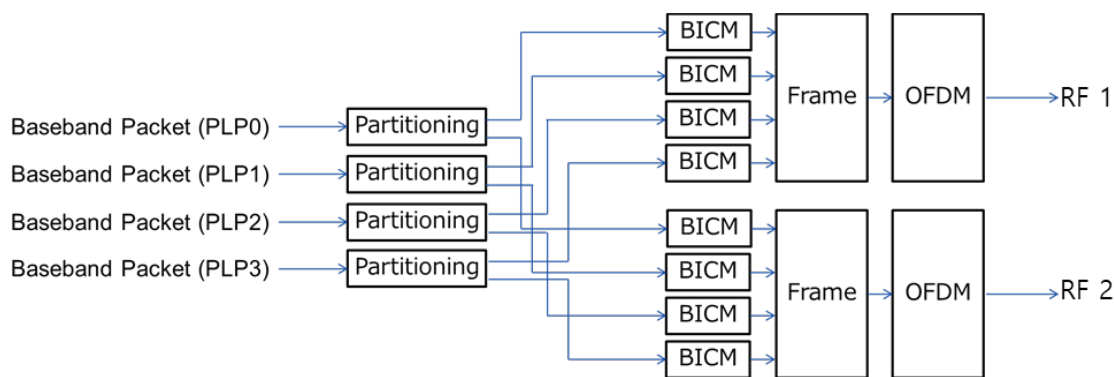
**Figure 5.26** 1-PLP 2-Channel Bonding example receiver architecture.

An example with parameter values, relevant bit rates and order of Baseband Packet partitioning is shown in Table 5.4. Note that since the data rates for each of the RF channels are the same, Baseband Packets are assigned to each of the RF channels in an alternating manner. This reduces latency through the channel bonding process.

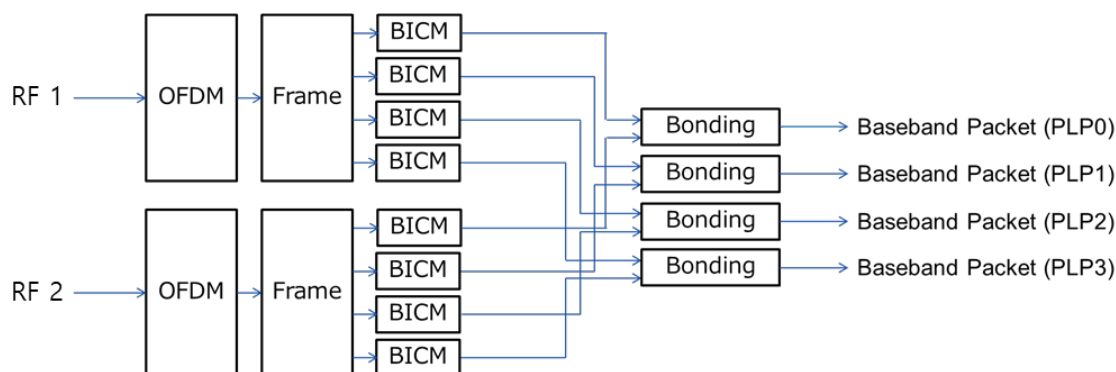
**Table 5.4** Example Parameters and Bit Rate for 1-PLP Channel Bonding

	Input PLP	RF 1	RF 2	Output PLP
Data Rate	57.69 Mbps	28.845 Mbps	28.845 Mbps	57.69 Mbps
BBP Order	1,2,3,4,5,6,7,8,9...	1,3,5,7,9 ...	2,4,6,8, ...	1,2,3,4,5,6,7,8,9...
PLP0 Modulation	-	256QAM	256QAM	-
PLP0 Coding Rate	-	10/15	10/15	-
PLP0 FEC Length	-	64K	64K	-
PLP0 FEC Outer	-	BCH	BCH	-
PLP0 TI Depth	-	1024	1024	-
PLP0 TI Type	-	CTI	CTI	-
PLP0 FFT Size	-	32K	32K	-
PLP0 Guard Interval	-	5_1024	5_1024	-
Pilot Pattern	-	SP24_2	SP24_2	-
Num. Symbols	-	49	49	-
Preamble FFT	-	32K	32K	-
Preamble GI	-	5_1024	5_1024	-
Preamble D <sub>x</sub>	-	12	12	-
Preamble L1B	-	Mode 5	Mode 5	-
Preamble L1D	-	Mode 5	Mode 5	-

An example of plain channel bonding with 4 PLPs split over 2 RF channels is shown in Figure 5.27 and Figure 5.28. The Baseband Packets are partitioned and channel bonded on a PLP basis.



**Figure 5.27** 4-PLP channel bonding example transmitter architecture.



**Figure 5.28** 4-PLP channel bonding example receiver architecture.

## 5.6 TxID Code Assignments

The insertion point for the 13-bit TxID code for identification of individual transmitters is shown in Table N.2.1 in ATSC Standard A/322 [3]. However, no code assignment methodology or actual values are assigned in the A/322 Standard.

### 5.6.1 TxID Code Assignments for the United States of America.

Next Gen TV (ATSC 3.0) TxID [17] is an industry-developed and maintained TxID database for full and low power television stations in the U.S. and within the licensing coordination zones in Canada and Mexico. It also includes the methodology used for determining TxID code assignments. [17] is recommended for use by such licensed stations in the designated regions for the purpose of assigning TxID code values to their transmitters.

### 5.6.2 TxID Code Assignments for the Republic of Korea

ATSC 3.0 TxID [18] is an industry-developed and maintained TxID database for high and low power television stations in the Republic of Korea. It also includes the methodology used for determining TxID code assignments. [18] is recommended for use by such licensed stations in the Republic of Korea for the purpose of assigning TxID code values to their transmitters.

## 6. GUIDELINES FOR RECEIVER IMPLEMENTATION

### 6.1 Signal Discovery and Synchronization

For ATSC 3.0 receivers, symbol timing offset (STO) and carrier frequency offset (CFO) have to be estimated and compensated before conducting data detection. The bootstrap inserted at the very

beginning of each frame is utilized for fast time-frequency tracking and for minimal initial signaling transmission. The bootstrap has the following four main purposes:

- 1) To enable receivers to detect and validate the presence of a standardized frame.
- 2) To enable receivers to achieve coarse frequency and timing synchronization in a very short time.
- 3) To signal some transmission parameters describing the associated physical layer frame structure to permit the reception of the succeeding portion of the frame.
- 4) To identify the standard version used when generating the signal

#### 6.1.1 Use of Bootstrap for Signal Acquisition and Synchronization

##### 6.1.1.1 Signal Acquisition and Timing Synchronization

The bootstrap acquisition aims to detect the presence of bootstrap symbols. In general, receivers can achieve signal acquisition and coarse timing synchronization simultaneously by employing the same metric. The signal detected at the correct position has a relatively high power, which indicates the presence of an expected signal. The number of OFDM symbols in the bootstrap is extensible, which enables dynamic signaling transmission capacity. In ATSC 3.0, the four-symbol bootstrap, which begins with a synchronization symbol and proceeds with three successive signaling symbols, is used. A, B, and C, respectively, denote the time domain main body signal, the postfix or hyper prefix, and the prefix as described in Section 5.4.5.

##### 6.1.1.1.1 Delayed Correlation

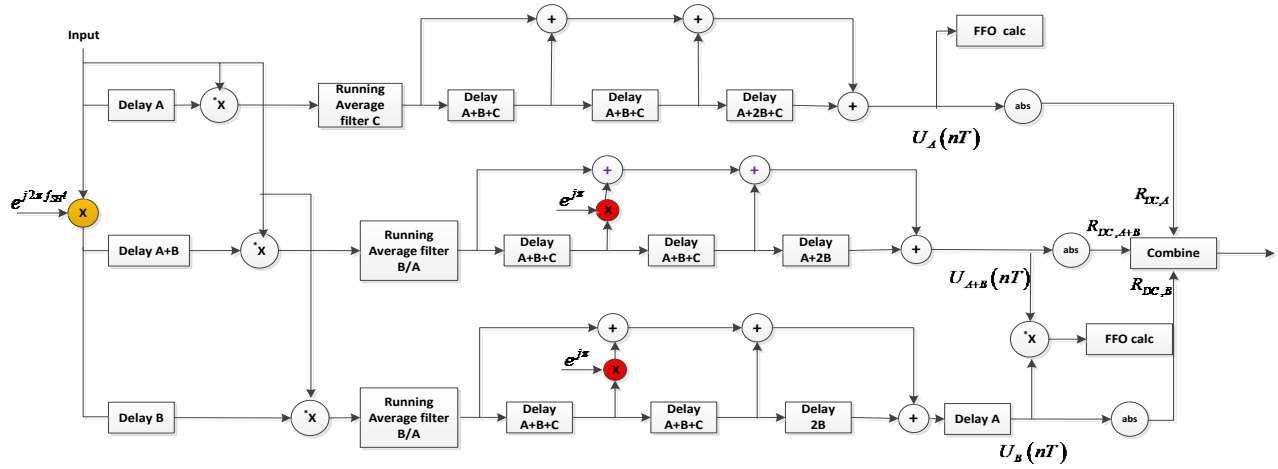
Delayed Correlation can be used to achieve fast and coarse synchronization. The implementation diagram shown in Figure 6.1 performs the correlation for all guard intervals of four bootstrap symbols. The diagram comprises three branches, one for correlating parts A and C, another for correlating parts B and C, and the third for correlating parts A and B. The correlation results are denoted as  $R_{DC,A}(\hat{\theta})$ ,  $R_{DC,A+B}(\hat{\theta})$ , and  $R_{DC,B}(\hat{\theta})$ , respectively, where DC denotes delayed correlation. The sum of the correlation values above is:

$$R_{DC}(\hat{\theta}) = R_{DC,A}(\hat{\theta}) + R_{DC,A+B}(\hat{\theta}) + R_{DC,B}(\hat{\theta})$$

which is the simplest combination method. The timing estimation  $\theta$  is obtained by locating the peak of  $R_{DC}(\hat{\theta})$  presented as:

$$\theta = \arg \max_{\hat{\theta}} \{R_{DC}(\hat{\theta})\}$$





**Figure 6.1** Delayed correlation diagram.

#### 6.1.1.1.2 Local Sequence Based Correlation

As the first bootstrap symbol carries limited information for detection by receivers, the waveform of the first bootstrap symbol can be generated locally at a receiver and received samples correlated with this local sequence. Since this method requires more complexity in receivers, it may be used to search within a smaller range after finding a rough range of valid signal by the delayed correlation method. To find the local sequence correlation, a received signal can be described as:

$$r_n = s_{n-\theta} e^{j2\pi\Delta f n}$$

where  $\Delta f$  is the normalized frequency offset with respect to the carrier spacing, and  $\theta$  is the delay of samples. First, differentiate the received samples by:

$$Z_n^{(D)} = r_n r_{n-D}^* = (s_{n-\theta} \cdot s_{n-D-\theta}^*) e^{j2\pi\Delta f D}$$

where  $D$  denotes the differential value. The phase shift caused by carrier frequency offset (CFO) is transformed to a fixed phase term  $e^{j2\pi\Delta f D}$ . Meanwhile, differentiate the local sequence as:

$$c_n^{(D)} = s_n \cdot s_{n-D}^*, n = D, \dots, L-1$$

Correlating the two differentiated sequences results in:

$$R_{LSBC,\hat{\theta}}^{(D)} = \sum_{n=D}^{L-D} Z_{n+\hat{\theta}}^{(D)} [c_n^{(D)}]^*$$

The correlation sequence  $R_{LSBC,\hat{\theta}}^{(D)}$  has a significant peak and will not be influenced by CFO. However, the differential operation will amplify any noise resulting in SNR degradation. To minimize the influence of SNR degradation, multiple differentiations can be calculated as  $R_{LSBC,\hat{\theta}}^{(D_0)}, \dots, R_{LSBC,\hat{\theta}}^{(D_{N-1})}$ , where  $D_0, D_1, \dots, D_{N-1}$  are the differential values with common difference  $K$ , e.g., 16, 32, 48, etc. Taking each adjacent differential correlation and doing conjugate multiplication yields:

$$RM_{i,\hat{\theta}} = R_{LSBC,\hat{\theta}}^{(D_i)} \cdot \left(R_{LSBC,\hat{\theta}}^{(D_{i+1})}\right)^*, i = 0, 1, 2, \dots, N-2$$

This operation can turn different phase terms  $e^{j2\pi\Delta f D_i}$  into identical terms  $e^{j2\pi\Delta f K}$ ; thus all correlation values can be summed equally to get the overall local sequence based correlation as:

$$R_{LSBC,\hat{\theta}} = \sum_{i=0}^{N-2} RM_{i,\hat{\theta}}$$

The timing estimation is obtained as:

$$\theta = \arg \max_{\hat{\theta}} \{R_{LSBC}(\hat{\theta})\}$$

#### 6.1.1.2 Fractional Frequency Offset (FFO) Estimation

FFO is estimated using results of delayed correlation,  $R_{DC,A}(\theta)$ ,  $R_{DC,A+B}(\theta)$  and  $R_{DC,B}(\theta)$  in Figure 6.1, where  $\theta$  is the estimation of time sync position. The FFO estimation is obtained as:

$$FFO_1 = \text{angle}\left(\frac{R_{DC,A}(\theta)}{2\pi}\right)$$

$$FFO_2 = \text{angle}\left(\frac{R_{DC,A+B}(\theta) \cdot (R_{DC,B}(\theta))^*}{2\pi}\right)$$

$$FFO = \frac{FFO_1 + FFO_2}{2}$$

#### 6.1.1.3 Integer Frequency Offset (IFO) Estimation and Validation

The FFT of the received first bootstrap symbol including pre/postfix (note that a residual timing offset may exist) is taken, and then the FFT results are circularly shifted for a given value in the set  $I = [-N: N]$ . Each circularly-shifted sequence is conjugate multiplied with the FFT of the local replica of the first bootstrap symbol (also pre/postfix inclusive), and then the IFFT of each conjugate multiplication result is taken.

For each IFFT result, significant peaks corresponding to main paths are picked and combined to get the total power  $h_{pwr}(k)$  where  $k$  belongs to  $I$ . Among all  $2N + 1$  combined powers, the largest one  $h_{pwr\_peak}$  is picked, and the corresponding shift value  $K$  is regarded as the IFO.

As for the validation operation, the peak-to-average-ratio, which is defined as  $h_{pwr\_peak}/h_{pwr\_ave}$ , is used for validation where  $h_{pwr\_ave}$  denotes the average of  $2N + 1$  powers. Only when such peak-to-average-ratio is larger than a pre-defined threshold, are the results of acquisition and synchronization validated.

#### 6.1.2 Signaling Detection of Bootstrap Symbols

Once the bootstrap is correctly detected and centered, the signaling detection and decoding is achieved through two steps, time domain cyclic shift detection and Gray de-mapping.

##### 6.1.2.1 Time Domain Cyclic Shift Detection

###### 6.1.2.1.1 Detection Method A

The bootstrap signaling information is conveyed through the use of cyclic shifts in the time domain

after the IFFT of the originating frequency domain sequence. Specifically, the signaling is carried by the relative cyclic shift between two consecutive bootstrap symbols, which can eliminate any side effect brought in by false detection of a previous symbol. The relative cyclic-shift value can be detected as follows. Note that it is assumed that the channel transfer functions of consecutive bootstrap symbols are almost equal. The method is performed in the frequency domain to take full advantage of the channel transfer function to eliminate the channel effects.

Step 1. Remove the prefix and postfix of the received bootstrap symbol and take the FFT of the remaining portion of the symbol to get the frequency domain equivalent of the symbol as  $\tilde{r}_n(k)$  where the subscript  $n$  denotes the index of the bootstrap symbol.

Step 2. Divide  $\tilde{r}_n(k)$  by a known reference  $s_n(k)$  to get the transfer function  $H_n(k)$  of the bootstrap symbol.

Step 3. Eliminate the channel effects of the symbol  $\tilde{r}_n(k)$  by multiplying it by the conjugate of the preceding symbol's transfer function  $H_{n-1}(k)$  to get  $r_n(k)$ .

Step 4. To leave out the extra IFFT operation by taking advantage of the circular time-shifting theorem, the cyclic shift in time domain applied in each symbol period can be considered as a phase rotation in the frequency domain; thus the relative cyclic shift  $M_n$  can be obtained as:

$$\tilde{M}_n = \max_{M_n \in [1:2048]} \left\{ \sum_{k=0}^{2047} r_n(k) [s_n(k) \exp(-\frac{j2\pi k \tilde{M}_n}{2048})]^* \right\}$$

#### 6.1.2.1.2 Detection Method B: Iterative Detection

As described in Section 6.1.2.1.1, the channel estimates of consecutive bootstrap symbols are used for the detection of bootstrap symbols. The reliability of these channel estimates affects the detection performance of the bootstrap symbols. In order to improve the reliability of channel estimates, the channel estimates for two consecutive bootstrap symbols can be iteratively averaged. The iterative detection consists of forward and backward detections.

##### Step 1. Forward detection

The original channel estimate  $H_n(k)$  can be obtained by multiplying the received signal  $\tilde{r}_n(k)$  by a known reference  $s_n(k)$ . The channel estimate  $H_{n-1}(k)$  of the preceding symbol is used for the detection of the  $n$ -th symbol. Then, the relative cyclic shift  $\tilde{M}_n$  can be obtained as:

$$\begin{aligned} \tilde{M}_n &= \arg \min_{\tilde{m}_n \in \chi_r} \sum_{k=0}^{N_{FFT}-1} \left| \tilde{r}_n(k) - H_{n-1}(k) s_n(k) e^{j\frac{2\pi k \tilde{m}_n}{N_{FFT}}} \right|^2 \\ &= \arg \max \text{Re}\{IFFT\{\tilde{r}_n^*(k) H_{n-1}(k) s_n(k)\}\} \end{aligned}$$

where  $\chi_r$  denotes the set of all possible values of the relative cyclic shift.

Conversely, after detecting the relative cyclic shift  $\tilde{M}_n$ , another estimate of the channel gain can be calculated as  $H_{n-1}(k) e^{j\frac{2\pi k \tilde{M}_n}{N_{FFT}}}$  for the  $n$ -th symbol using the detected  $\tilde{M}_n$ . Then, by averaging the original channel estimate  $H_n(k)$  and the calculated channel estimate  $H_{n-1}(k) e^{j\frac{2\pi k \tilde{M}_n}{N_{FFT}}}$ , the channel estimate can be updated as:

$$\tilde{H}_n(k) = \frac{1}{2} \left( H_{n-1}(k) e^{j \frac{2\pi k \tilde{M}_n}{N_{FFT}}} + H_n(k) \right)$$

Using the updated channel estimate  $\tilde{H}_n(k)$ , the subsequent symbol can be detected. In this manner, all symbols are successively detected up to the last relative cyclic shift. Accordingly, channel estimates are updated using original channel estimates and detected relative cyclic shifts.

#### Step 2. Backward detection

Since the detected relative cyclic shift is used for the update of the channel estimate in the forward detection, the symbol detection affects the reliability of the updated channel estimate. Therefore, in order to improve the reliability of the channel estimate, it can be further updated along the backward direction. For backward detection, the updated channel estimate  $\tilde{H}_n(k)$  is used for the detection of the  $n$ -th symbol using the preceding received signal  $\tilde{r}_{n-1}(k)$ . Then, the relative cyclic shift  $\tilde{M}_n$  can be obtained as:

$$\begin{aligned} \tilde{M}_n &= \arg \min_{\tilde{m}_n \in \mathcal{X}_r} \sum_{k=0}^{N_{FFT}-1} \left| \tilde{r}_{n-1}(k) - \tilde{H}_n(k) S_{n-1}(k) e^{j \frac{2\pi k (-\tilde{m}_n)}{N_{FFT}}} \right|^2 \\ &= \arg \max \operatorname{Re} \left\{ IFFT \left\{ \tilde{r}_{n-1}^*(k) \tilde{H}_n(k) S_{n-1}(k) \right\} \right\} \end{aligned}$$

The backward detection is started from the last symbol. Using the updated channel estimate, the last relative cyclic shift  $\tilde{M}_{N_s-1}$  is re-detected as:

$$\tilde{M}_{N_s-1} = \arg \max \operatorname{Re} \left\{ IFFT \left\{ \tilde{r}_{N_s-2}^*(k) \tilde{H}_{N_s-1}(k) S_{N_s-2}(k) \right\} \right\}$$

Conversely, similar to the forward detection, another estimate of the channel gain for the  $(n-1)$ -th symbol can be calculated as  $\tilde{H}_n(k) e^{j \frac{2\pi k (-\tilde{M}_n)}{N_{FFT}}}$  with the detected relative cyclic shift  $\tilde{M}_n$ . Then, by averaging the original channel estimate  $H_{n-1}(k)$  and the calculated channel estimate  $\tilde{H}_n(k) e^{j \frac{2\pi k (-\tilde{M}_n)}{N_{FFT}}}$ , the channel estimate can be updated as:

$$\tilde{H}_{n-1}(k) = \frac{1}{2} \left( \tilde{H}_n(k) e^{j \frac{2\pi k (-\tilde{M}_n)}{N_{FFT}}} + H_{n-1}(k) \right)$$

Using the updated channel estimate  $\tilde{H}_{n-1}(k)$ , the subsequent symbol is detected along the backward direction. In this manner, all symbols are successively detected up to the first relative cyclic shift. Accordingly, channel estimates are updated using the original channel estimates and detected relative cyclic shifts. Moreover, the channel estimates can be iteratively updated in the forward and backward directions in turn.

#### 6.1.2.2 Gray De-Mapping

In [2], a Gray code mapping of signaling bit values to a corresponding relative cyclic shift value for transmitter operation is specified. The corresponding de-mapping operation is present as follows.

Let the detected relative cyclic shift  $\tilde{M}_n$  be represented in binary form as  $\hat{m}_{10}^n \hat{m}_9^n \dots \hat{m}_1^n \hat{m}_0^n$ . The signaling bit values expected by a receiver can be estimated as follows, where  $\oplus$  represents the logical exclusive OR operator.

$$\hat{b}_i^n = \begin{cases} \hat{m}_{10}^n, & i = 0 \\ \hat{m}_{11-i}^n \oplus \hat{m}_{10-i}^n, & 1 \leq i < N_b^n \\ 0, & N_b^n \leq i < 11 \end{cases}$$

Note that  $N_b^n$  denotes the number of actual signaling bits for a given bootstrap symbol. After the signaling bits  $\hat{b}_0^n \hat{b}_1^n \dots \hat{b}_7^n$  have been decoded, the transmission parameters can be interpreted by looking up the relevant syntax and semantics tables.

## 6.2 Waveform Demodulation

### 6.2.1 Channel Estimation and Equalization

ATSC 3.0 uses OFDM modulation, which is a form of multi-carrier transmission, where each carrier delivers coherently modulated complex symbols. In a receiver, the received constellation symbol for the  $k$ th carrier of the  $l$ th OFDM symbol may be expressed as:

$$\tilde{R}_l(k) = S_l(k) \cdot H_l(k) + z_l(k)$$

where  $S_l(k)$  is the transmitted symbol,  $H_l(k)$  is the channel response of the  $k$ th carrier in the  $l$ th OFDM symbol, and  $z_l(k)$  is the system noise. Given the received symbol, equalization may be performed as:

$$\tilde{S}_l(k) = \frac{\tilde{R}_l(k)}{\tilde{H}_l(k)}$$

where  $\tilde{H}_l(k)$  is the estimate of the channel response,  $H_l(k)$ .

In ATSC 3.0, scattered pilots (see Section 8.1.3 of [3]) are transmitted on dedicated carriers, which are designed for receivers to obtain estimates of the channel status of each carrier. Each pilot pattern is defined by the spacing of the scattered pilots in the frequency domain and the number of OFDM symbols forming one scattered pilot sequence. The scattered pilots are allocated to different carrier locations in multiple consecutive OFDM symbols in order to better compensate for frequency selectivity. Since scattered pilots are transmitted in every OFDM symbol and are evenly distributed over the active frequency band, a commonly used channel estimation method is to perform frequency domain interpolation. The least square (LS) channel estimates can be first obtained as:

$$\tilde{H}_l(k_p) = \frac{\tilde{R}_l(k_p)}{X_l(k_p)}$$

where  $\tilde{R}_l(k_p)$  is the received pilot symbol,  $X_l(k_p)$  is the transmitted pilot symbol, and  $k_p$  is the carrier index assigned in the  $l$ th OFDM symbol for scattered pilot. The most popular method is linear interpolation, which may be carried out as:

$$\tilde{H}_l(k) = \frac{k_p^+ - k}{\Delta_p} \cdot \tilde{H}_l(k_p^-) + \frac{k - k_p^-}{\Delta_p} \cdot \tilde{H}_l(k_p^+)$$

where  $k_p^-$  is the closest pilot carrier index lower than  $k$ , and  $k_p^+$  is the closest pilot carrier index larger than  $k$ . In addition, no matter what scattered pilot pattern is used, known symbols are also transmitted on the two edge carriers. These are called edge pilots and are used to obtain accurate channel estimates on carriers close to either end of the active spectrum. Note that continual pilots (see Section 8.1.4 of [3]), which are also inserted in each OFDM symbol, are usually used for system frequency synchronization, rather than equalization.

Linear interpolation performs well for propagation channels with limited frequency selectivity, i.e., with small multipath delay spread. In this case, the channel frequency response between two adjacent pilot carriers can be well approximated by a linear curve. However, for wireless channels with multipath components of large delays, the channel response may change significantly on carriers between two adjacent pilot carriers. Linear interpolation may degrade the channel estimation performance. For more accurate channel estimates, frequency domain interpolation methods such as the cubic-spline interpolation, DFT-interpolation, or Wiener interpolation methods may be used.

#### 6.2.1.1 Channel Estimation for Mobile Reception

ATSC 3.0 mobile receivers for handheld, portable, and vehicular reception may experience very challenging channel conditions such as:

- Channel most likely consisting of many multipath components;
- Large multipath delay spread;
- Fast channel time-variation, which introduces high-level Doppler noise;
- Slow channel time-variation, which introduces long-lasting time domain fade;
- Low signal strength, especially for indoor reception.

For the improvement of reception performance under these challenging mobile channel environments, a short time domain window may be beneficial if a receiver uses a time domain smoothing filter. A longer time domain smoothing filter will be less effective with the time variation of a fast moving channel. The higher-order cubic-spline interpolation or DFT-interpolation in the frequency domain will outperform linear interpolation if there is significant frequency selectivity due to large delay spread.

#### 6.2.1.2 Channel Estimation for Fixed Reception

For receiving high throughput services with stationary powerful antennas (e.g., rooftop antennas), the received signal has the following characteristics:

- Strong received signal power, resulting in high SNR;
- Little or no time-variation;
- For signal received from one transmitter, the channel may be mostly modeled as either a near line-of-sight (LOS) channel or a Rician channel with a strong LOS component;
- Possibly large delay spread, especially in SFN environment.

Channel estimation for fixed services can be quite accurate because the channels usually follow the predictable LOS or Rician models, which are generally easier to estimate. Furthermore, if a typical value of SNR for fixed signal detection is around 15 dB, which is equivalent to pilots with a very high power boosting, such high SNR on pilot symbols can provide accurate channel estimates for normal propagation conditions with limited multipath delay spread. In order to achieve further improvement on channel estimation, or to overcome channels in SFN with very long delay spread, a longer time domain window may be beneficial if a receiver uses a time domain smoothing filter.

### 6.2.2 Removal of Peak to Average Power Ratio Reduction Techniques

Tone Reservation (TR) and/or Active Constellation Extension (ACE) techniques may be applied at a transmitter to reduce the Peak to Average Power Ratio (PAPR) of the transmitted ATSC 3.0 signal, as indicated by **L1B\_papr\_reduction** (Section 9.2.1 of [3]) in L1-Basic.

When TR is enabled, a set of carriers is reserved for PAPR reduction and this set of reserved carriers does not overlap with pilot carriers. Therefore, ATSC 3.0 receivers can simply discard the received symbols in the corresponding reserved carriers. The calculation of indices of reserved carriers is the same as the transmitter side, which is described in Section 8.4.1 of [3].

When ACE is enabled, no specific operation at ATSC 3.0 receivers is required.

## 6.3 De-Framing and De-Interleaving

### 6.3.1 Frequency De-Interleaving

To minimize the use of de-interleaving memory at a receiver, the frequency de-interleaving method in a single memory is recommended, where the single memory size should be set to a value greater than or equal to  $N_{data}^{max} = \max(N_{data,32K}^{max}, 2N_{data,16K}^{max}, 2N_{data,8K}^{max})$ :

- $N_{data,32K}^{max}$ : the maximum number of data cells carried in one 32K OFDM symbol.
- $N_{data,16K}^{max}$ : the maximum number of data cells carried in one 16K OFDM symbol.
- $N_{data,8K}^{max}$ : the maximum number of data cells carried in one 8K OFDM symbol.

For data recovery at a receiver, the frequency de-interleaver (FDI) performs the inverse of FI operation. Note that the de-interleaving sequences used for FDI operation are identical to the interleaving sequences used for the FI operation, which implies the address generator for frequency interleaving is identically used for generating the de-interleaving sequences.

#### 6.3.1.1 Frequency De-Interleaving for 8K/16K FFT Size

In the 8K/16K FFT size, frequency de-interleaving is accomplished by switching alternately between two memories. That is, the first input OFDM symbol is written to the first memory for the de-interleaver. The second input OFDM symbol is then written to the second memory while the first memory is being read.

#### 6.3.1.2 Frequency De-Interleaving for 32K FFT Size

From the interleaving operations for even and odd OFDM symbols in 32K FFT size, the FDI should perform the following two basic operations:

- For even symbols, a pseudo random writing operation into memory is performed and then a linear reading operation (in a sequence order) from memory is performed.
- For odd symbols, a linear writing operation into memory is performed and then a pseudo random reading operation from memory is performed.

Furthermore, note that in order to perform frequency de-interleaving in a single memory of size  $N_{data}^{max}$  without losing data cells (or overwriting between data cells) even if a sequence varies every symbol pair and each symbol length (in units of data cells) in a symbol pair is different (data symbol and subframe boundary symbol, for example), the FDI should comply with the following operations:

- In a received symbol pair, the address sequence for writing the odd symbol should match to the address sequence for reading the even symbol. Using the address generator used for frequency interleaving, the matching condition can be satisfied, especially by cyclically shifting the output address of the interleaving sequence generator, and then checking the

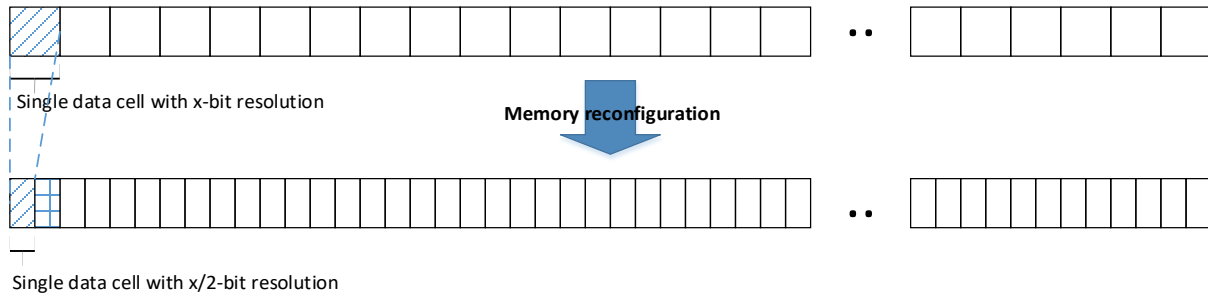
availability of the output address in the address check block after the symbol offset generator.

- The cell of the previous symbol should be read out from the memory location to which the cell of the current symbol is to be written. Otherwise, some data cells of the even symbol will be overwritten.

### 6.3.2 Time De-Interleaving

#### 6.3.2.1 Extended Time De-Interleaving

As explained in Section 4.2.11.3, the key role of the extended interleaving mode is to double the interleaving depth of the CTI and HTI modes and the implementation of each mode depends on manufacturer choice. In the support of the extended de-interleaving mode at a receiver, an efficient memory management may be used in order to reduce the cost of time de-interleaving memory. An efficient memory management can be achieved by adjusting the bit resolution of each cell of de-interleaving memory and appropriately quantizing the input values of that memory. Figure 6.2 illustrates the reconfiguration of a linear (sequential) de-interleaving memory after adjusting the bit resolution of each cell. Note that a linear memory configuration may be considered practically for convolutional time de-interleaving (CTDI) and hybrid time de-interleaving (HTDI). From Figure 6.2, it is shown that the number of memory cells doubles after memory reconfiguration, which means that  $M_{TI} = 2^{19}$  cells (without extended interleaving mode) are sufficient to support the extended de-interleaving mode.



**Figure 6.2** Memory reconfiguration to support extended de-interleaving.

#### 6.3.2.2 Hybrid Time De-Interleaving

The hybrid time interleaver can be flexibly configured with a combination among the cell interleaver, TBI and CDL. Note that the use of the TBI is mandatory if the HTI mode is enabled, while the use of the cell interleaver and CDL is optional and their use is indicated to a receiver via **L1D\_plp\_HTI\_cell\_interleaver** and **L1D\_plp\_HTI\_inter\_subframe**, respectively (see Section 7.1.5 of [3]). The configuration of the hybrid time de-interleaver (HTDI) depends on the HTI. For data recovery at a receiver, the HTDI performs the inverse of HTI operation. That is, the inverse CDL corresponding to the CDL used for HTI is first performed if **L1D\_plp\_HTI\_inter\_subframe**=1. Twisted block de-interleaving is then performed and cell de-interleaving is lastly accomplished if **L1D\_plp\_HTI\_cell\_interleaver**=1. In the following, the inverse CDL, TBDI and cell de-interleaver are described separately since each de-interleaving operation is unique and independent of the others (see Section 7.1.5 of [3]).

##### 6.3.2.2.1 Inverse CDL

From Section 5.3.1.2, the CDL follows a typical convolutional interleaving operation (ref. CTI mode) except that a FIFO register in CDL delays a group of cells defined as a block unit. Note that



the information needed for calculating the FIFO register size is delivered to a receiver via **L1D\_plp\_HTI\_num\_ti\_blocks**, **L1D\_plp\_HTI\_num\_fec\_blocks**, and **L1D\_plp\_HTI\_num\_fec\_blocks\_max**. The inverse CDL at a receiver simply performs the inverse of the CDL operation at a transmitter and its entire operation and implementation is similar to the CDL. The key role of the inverse CDL is to collect the spread FEC Blocks over multiple subframes in order to feed a complete TI Block to the TBDI.

#### 6.3.2.2.2 Twisted Block De-Interleaver

An efficient TBDI implementation method is described by using a single memory that is only one TI-block's worth of memory. The input of the TBDI can be the output of the de-framing process or the inverse CDL. In the following, to simplify the description, it is assumed that **L1D\_plp\_HTI\_inter\_subframe**=0. The de-interleaving method for a constant cell rate will be described in detail since it can be a basis to understand the core of the method for the variable cell rate (non-constant cell rate) case. The de-interleaver method for the variable cell rate case is almost identical to the constant cell rate case. As the TI Block is synchronized to the subframe boundary in the time direction, receivers can begin time de-interleaving after subframe detection. A receiver first detects the Preamble to get information about TBI configuration via **L1D\_plp\_HTI\_num\_fec\_blocks** and **L1D\_plp\_HTI\_num\_fec\_blocks\_max**. Then, the receiver can immediately start de-interleaving using an allocated TBDI memory.

For a comprehensive understanding of TBDI operation in a single-memory, a constant cell rate case is first considered, in which a virtual FEC Block is not required. An example case is given where a TBDI operation on a single linear memory array of size  $M(= N_r \times N_c)$  is considered where  $N_r$  and  $N_c$  denote the number of cells in a FEC Block and the number of FEC Blocks in a TI Block, respectively. Note that an address generation needed for accomplishing the exact reading-and-writing operation on a single linear memory array may be different depending on implementation methods, and this example is based on a 2-dimensional memory array such as a TBI operation. A basic TBDI operation can be achieved as follows.

- 1) After initial subframe synchronization, data cells of the first TI Block are received and written into a memory in an interleaving sequence order. During this TI Block only, there are no output data cells. Once the whole TI Block is stored in the memory, data cells are ready to be output.
- 2) While the input data cells of the second TI Block are being received, the data cells of the first TI Block are read out (in a de-interleaving sequence order). Note that the addresses for reading will also be used to write the new data cells belonging to the second TI Block, which leads to the efficient use of TBDI memory.
- 3) When the data cells of the second input TI Block are all stored (and the first TI Block is completely read out), those data cells will also need to be read out.
- 4) Repeat the second and third steps for the following input TI Blocks.

The following describes the address generation to perform a successful reading-and-writing operation for TI Blocks continuously being input into TBDI. By referring to the principle of the address generation used in the TBI (see Section 7.1.5.4 of [3]), the address for reading-and-writing on a single linear memory array can be achieved. As aforementioned, it is assumed that the first input TI Block to the TBDI is written into a linear memory array in an interleaving sequence order. In the following input TI Blocks, the address  $a_{i,j}$  needed for reading-and-writing operation can be generated as follows:

$$a_{i,j} = N_r \times C_{i,j} + R_{i,j}, \text{ for } i = 0, \dots, M - 1$$

where  $i$  is the input cell index and  $j$  is the input TI Block index. The parameters of  $R_{i,j}$  and  $C_{i,j}$  are calculated as follows:

$$R_{i,j} = i \bmod N_r,$$

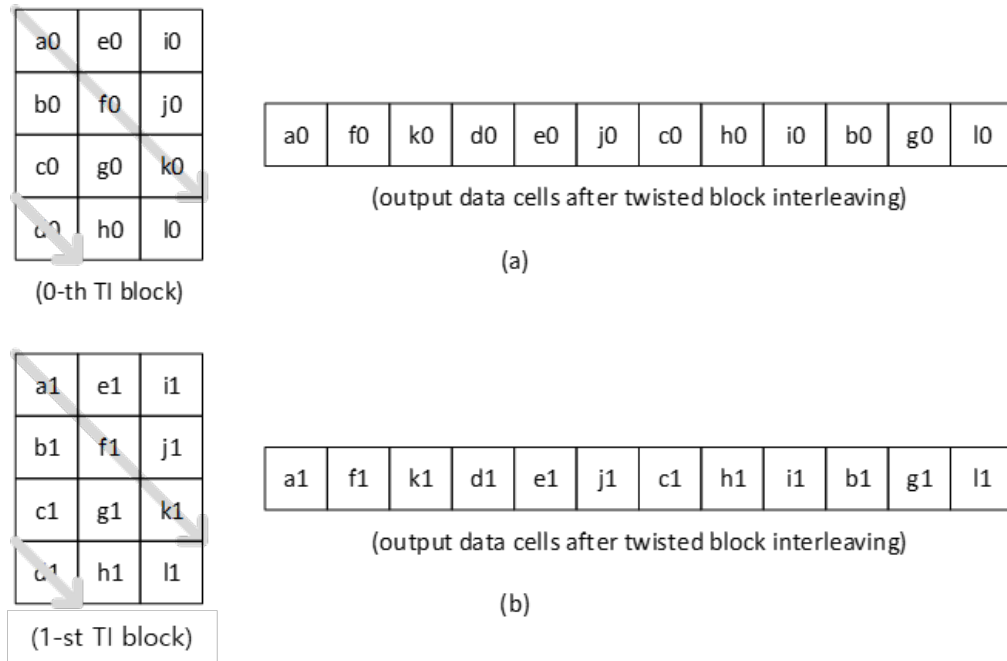
$$T_{i,j} = S_j \times R_{i,j} \bmod N_c,$$

$$C_{i,j} = \left( T_{i,j} + \left\lfloor \frac{i}{N_r} \right\rfloor \right) \bmod N_c.$$

Here, the parameters of  $R_{i,j}$  and  $C_{i,j}$  denote the row and column indices under the assumption of a 2-dimensional memory array such as a TBI operation, and  $T_{i,j}$  is a twisting parameter with the parameter  $S_j$  defined as:

$$s_j = \text{mod}(s_{j-1} - 1, N_c), \text{ where } s_{-1} = 0.$$

The following example illustrates an example of TBDI operation on a single linear memory array. In this example, two TI Blocks are considered, where each TI Block has size of  $N_r \times N_c = 4 \times 3$ , and the TI Block after interleaving is directly fed to the TBDI. **Figure 6.3** illustrates the input TI Blocks and output TI Blocks during the TBI operation.

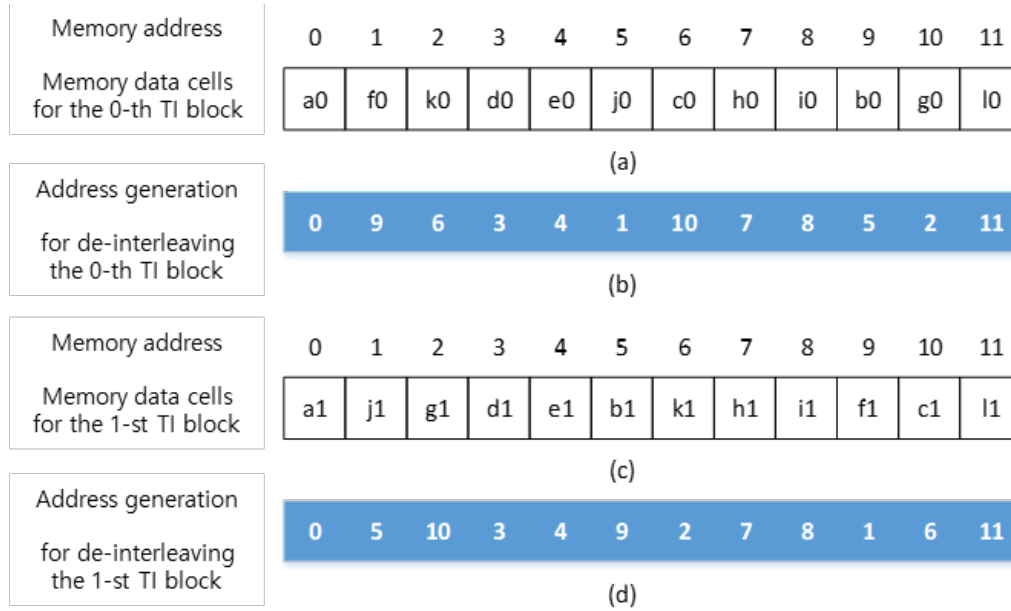


**Figure 6.3** Example of input TI Block and output TI Block in a TBI operation: (a) The 0-th TI Block, (b) The 1-st TI Block.

Then, an example of the de-interleaving process using a single linear memory array as shown in Figure 6.4 is as follows.

- 1) Data cells of the first TI Block are written into a memory in an interleaving sequence order as shown in Figure 6.4 (a). During this TI Block only, no output data cells are produced.

- 2) When data cells of the second TI Block are being received, the data cells of the first TI Block will be read out. The addresses used for reading will also be used to write the new data cells belonging to the second TI Block. Figure 6.4 (b) denotes the addresses for reading-and-writing on the memory after the first step and those addresses are calculated by using the aforementioned address generation.
- 3) When the data cells of the second input TI Block are all stored (and data cells of the first TI Block are completely read out) as shown in Figure 6.4 (c), those data cells will also need to be read out. Figure 6.4 (d) denotes the addresses for reading the data cells after the second step.
- 4) The second and third steps will be repeated for the following input TI Blocks.



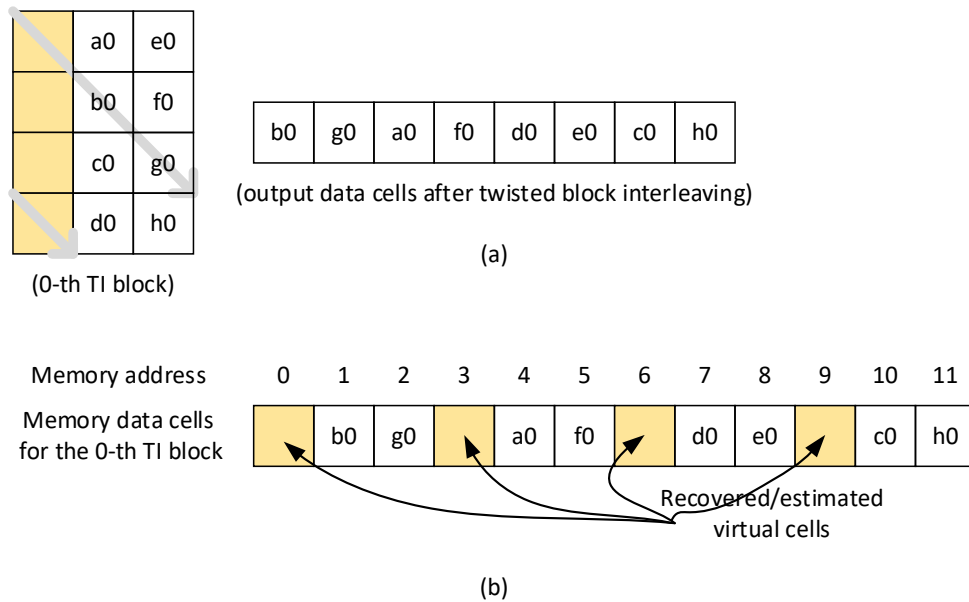
**Figure 6.4** Example of input TI Block and output TI Block in TBI operation: (a) Memory data cells for the 0-th TI Block, (b) Address generation for reading the 0-th input TI Block, (c) Memory data cells for the 1-st TI Block, (d) Address generation for reading the 1-st input TI Block.

In the case of a variable cell rate PLP that is, the number of FEC Blocks varies every TI Block, the position of virtual FEC Blocks (or virtual cells) which are not actually transmitted should be known for correct de-interleaving in receivers. Note that such position information of virtual cells as well as actual data cells is needed to generate the memory addresses for reading-and-writing operations. Figure 6.5 shows an example of time interleaving and de-interleaving operations for the variable cell rate case. In particular, this example illustrates the position of virtual cells when an input TI Block is written into a linear memory array at receivers. After writing, the following de-interleaving operations on a single linear memory array are similar with the constant cell rate case. In this example, it is assumed that a TI Block has size  $N_r \times N_c = 4 \times 3$ , and the maximum number of FEC Blocks and the current number of FEC Blocks are 3 and 2, respectively (i.e., a single virtual FEC Block is used). The interleaving and de-interleaving operations are illustrated as follows.

- 1) Figure 6.5 (a) shows the output TI Block after TBI operation at a transmitter, where virtual cells are not transmitted. In practice, such skip operation of virtual cells may be realized

by neglecting the memory addresses of virtual cells during reading operation. That is, the actual skipping of virtual cells is performed by an address generation, where a memory address calculation is neglected since the virtual cells are positioned ahead of the actual data cells at the TBI input.

- 2) Figure 6.5 (b) shows the memory data cells after writing the interleaved TI Block into the TBDI memory. Here, note that the position information of virtual cells skipped in the TBI reading process is recovered in the TBDI writing operation. In practice, the virtual cells are not inserted as actual data cells and the memory addresses corresponding to the position of virtual cells are not necessarily generated as well.



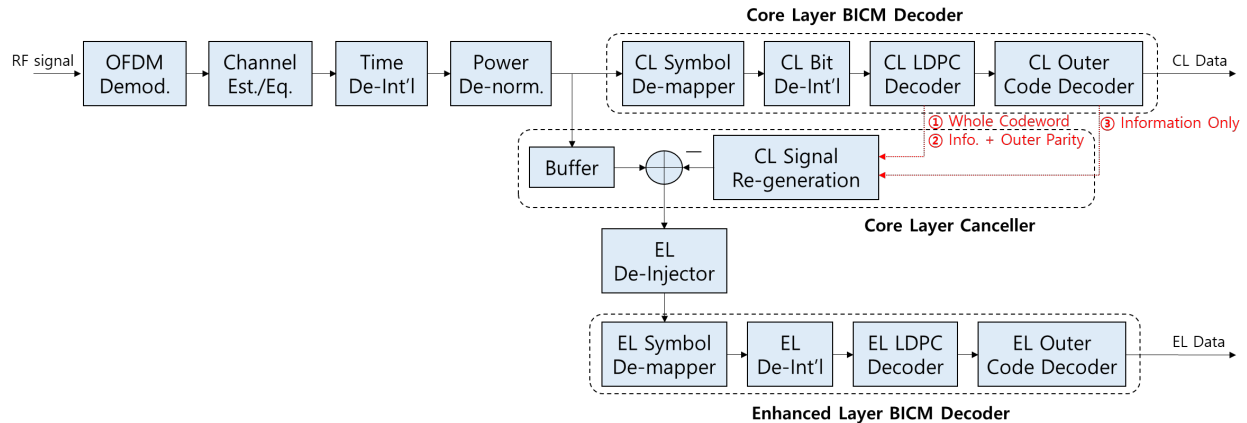
**Figure 6.5** Example of time interleaving/de-interleaving with virtual FEC Blocks:  
(a) Output data cells after TBI operation, (b) Memory data cells after writing into TBDI memory.

#### 6.3.2.2.3 Cell De-Interleaver

The output cells of the TBDI correspond to the input cells of the cell de-interleaver. The cell de-interleaver simply performs the inverse of the cell interleaver: 1) Pseudo-random writing operation and 2) linear reading operation. From the insight of cell interleaving operation (see Section 7.1.5.2 of [3]), it is analyzed that two memories required for cell de-interleaving may be replaced by two memories for FEC decoding. For example, before the pseudo-random writing operation of cell de-interleaving (into a FEC memory), the cell de-mapper operation is performed on-the-fly. This immediate de-mapping is possible since the cell mapper block operates independently on each cell at a transmitter. From the cell de-interleaving operation, each output vector of the cell de-mapper block is pseudo-randomly transferred into FEC memory, on-the-fly (without memory required). After a single FEC Block is stored in FEC memory, the bit de-interleaving and FEC decoding are performed sequentially. Note that such cell de-interleaving and cell de-mapping on-the-fly is possible since the cell interleaver performs the linear writing operation and pseudo-random reading operation. As another example (see Clause 10.4.4 of [10]), it may be possible to use the same memory as for the preceding or following stages (time de-interleaver or bit de-interleaver).

## 6.4 LDM Decoding

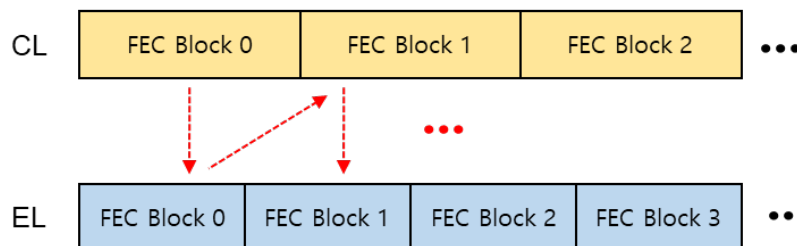
The block diagram for LDM decoding in an ATSC 3.0 receiver is shown in Figure 6.6. In ATSC 3.0, since both Core Layer (CL) and Enhanced Layer (EL) signals share the same OFDM signal structure, including FFT size, Guard Interval length, and pilot pattern, only one process for synchronization, channel estimation, frequency / time de-interleaving is needed for the decoding of services in both CL and EL.



**Figure 6.6** LDM decoding block diagram.

### 6.4.1 Decoding Process of Core and Enhanced Layers

When ATSC 3.0 receivers process combined cells of CL and EL, the CL should be decoded first treating the associated EL as additional noise, and then the EL is decoded through the CL re-generation and cancellation. When LDM is used, such decoding process of CL and EL should be performed with minimal memory consumption as shown in Figure 6.7. As shown in the figure, the first FEC Block of CL in a subframe is decoded first, and then the first FEC Block of EL is decoded through the re-generation and cancellation of the first FEC Block of CL. Then, the same process is performed for the second FEC Block, and so on. Note that FEC Block sizes of CL and EL may be different in general depending on the choice of ModCod combinations in CL and EL, and therefore, additional memory in receivers will be required in order to buffer an entire FEC Block. However, this additional memory will be no more than the size of one FEC Block regardless of subframe length because of the decoding process shown in Figure 6.7.



**Figure 6.7** LDM FEC Block decoding process of Core and Enhanced Layers.

#### 6.4.2 Core PLP Decoding

As shown in Figure 6.6, decoding a service carried in Core PLP(s) follows the same process as a non-LDM receiving process with the addition of a power de-normalization step prior to symbol de-mapping. The received two-layer LDM symbols on each carrier can be expressed as:

$$R_l(k) = \beta \cdot S_C^l(k) \cdot H_l(k) + \beta \cdot \alpha \cdot S_E^l(k) \cdot H_l(k) + N_l(k)$$

where  $l$  is the OFDM symbol index,  $k$  is the carrier index.  $S_C$  and  $S_E$  are the Core and Enhanced PLP signals, respectively,  $\alpha$  and  $\beta$  are scaling and normalizing factors as defined in Section 6.4 of [3],  $H_l(k)$  is the channel response of the  $k$ th carrier in the  $l$ th OFDM symbol, and  $N_l(k)$  is the system noise. Note that when decoding the CL signal, the EL signal is simply treated as interference.

The CL decoding is performed using the output of the channel equalization followed by time de-interleaving and power de-normalization. For the derivation of input values for the channel decoding, the SNR of the CL signal can be calculated as:

$$\gamma_C = \frac{P_C}{P_E + P_{ICI} + P_0}$$

where  $P_C$  is the power of the received CL signal,  $P_E$  is the power of the received EL signal,  $P_{ICI}$  is the power of inter-carrier-interference (ICI) generated by time-variation in OFDM signals, and  $P_0$  is the power of system noise.

#### 6.4.3 Core PLP Cancellation and Enhanced PLP Decoding

As shown in Figure 6.6, to decode the services delivered in the EL, the received CL signal needs to be removed first, which requires the CL signal detection and re-generation. In general, the EL is used to deliver high throughput services that require high SNR conditions. Therefore, the CL signal cancellation needs to be quite accurate in order to meet the EL signal SNR requirements. Fortunately, when there is sufficient SNR to support the EL reception, the successful recovery of CL is guaranteed.

The CL signal cancellation can be directly affected by the channel estimation performance, where the power of the residual CL signal after cancellation is calculated as:

$$\gamma_{CLI} = \frac{\sigma_H^2}{\alpha^2}$$

where  $\gamma_{CLI}$  is the power of the cross-layer-interference (CLI), and  $\sigma_H^2$  is the mean square error of the channel estimate. Therefore, the channel estimation for EL signal detection needs to be highly accurate in order to support the high SNR conditions. The CL signal cancellation can be performed as:

$$\tilde{R}_E^l(k) = R_l(k) - \alpha \cdot \tilde{S}_C^l(k) \cdot \tilde{H}_l(k)$$

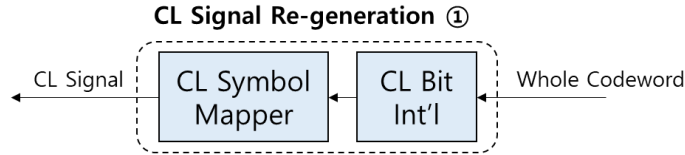
where  $\tilde{R}_E^l(k)$  is the EL symbol after CL cancellation,  $\tilde{S}_C^l(k)$  is the re-generated CL signal, and  $\tilde{H}_l(k)$  is the channel estimate. At higher SNR for EL signal decoding, it can be safely assumed that the CL signal can be perfectly detected.

Figure 6.8 shows three different methods for CL signal re-generation in the Core PLP canceller block of Figure 6.6. As shown in Figure 6.8, the CL signal can be re-generated by one of the following cases:

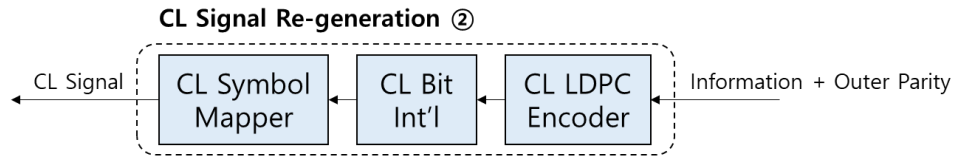
- 1) Whole codeword case: Information and the parities of LDPC and outer code are directly used from the Core Layer LDPC decoding block. LDPC re-encoding in the CL re-generation is not needed.
- 2) Information + outer code parity case: Information and the outer code parities are used from the Core Layer LDPC decoding block. Outer code (e.g., BCH) re-encoding in the CL re-generation is not needed.
- 3) Information only case: Only information is used from the Core Layer outer code decoding block. The entire re-encoding process (i.e., outer and LDPC re-encoding) in the CL re-generation is needed.

For fixed reception with a high SNR environment (e.g., 15 dB or higher), a Core PLP will be configured with a robust ModCod to have sufficient SNR headroom between the CL and EL decoding. In such cases, the CL decoding in a fixed reception area can be easily achieved with quasi error free (QEF) performance, and therefore, the CL signal re-generation can be performed using the (1) whole codeword case or (2) information + outer code parity case.

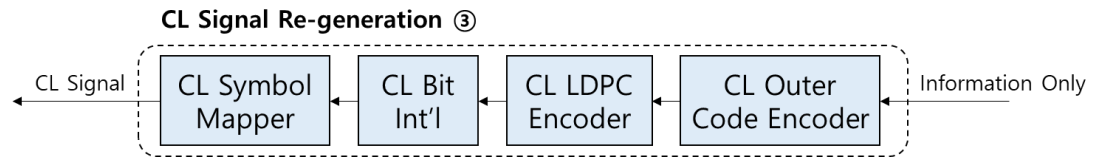
### ① Whole Codeword



### ② Information + Outer Code Parity



### ③ Information Only



**Figure 6.8** CL signal re-generation: (1) Whole codeword, (2) Information + outer code parity, and (3) Information-only cases.

After the CL signal cancellation, which is performed on the output of the channel equalization followed by the time de-interleaving and power de-normalization, EL decoding is performed using the output of CL signal cancellation. For the derivation of input values for the channel decoding, the SNR of the EL signal can be calculated as:

$$\gamma_E = \frac{P_E}{P_0 + P_{CLI}} \approx \frac{P_E}{P_0}$$

where  $P_{CLI}$  is the power of CLI after the CL signal cancellation, and  $P_0$  is the thermal noise power.

## 6.5 Channel Decoding

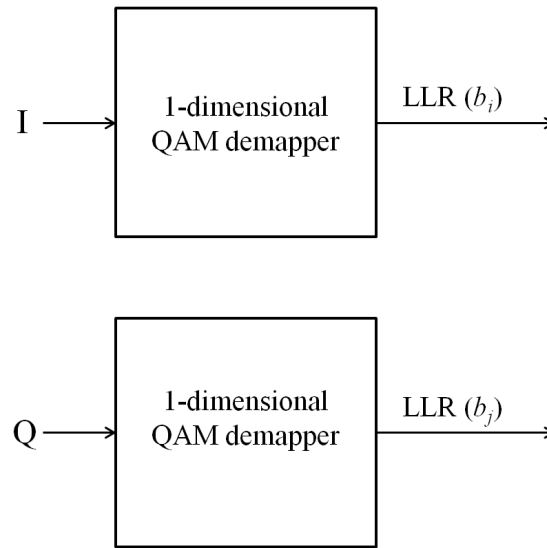
The channel decoding process includes the de-mapping of NUCs, bit de-interleaving, and inner/outer decoding. After the de-mapping of NUCs, values which correspond to the bit-interleaved codewords in the transmitter are fed to the bit de-interleaver, and then to the inner/outer decoders. Note that these values are often called channel values and they may be obtained in hard or soft decision form in receivers.

### 6.5.1 LLR De-Mapping for Non-Uniform Constellations

For optimal performance in decoding, the de-mapping of NUCs may be performed via soft decision such as Log Likelihood-Ratios (LLRs) calculation. In ATSC 3.0, two types of non-uniform constellations (NUC) are used: 1-dimensional (1D-NUC) and 2-dimensional (2D-NUC). When 1D-NUCs are used, the LLRs can be calculated using the well-known one-dimensional de-mapper described in Section 6.5.1.1. In the case of 2D-NUCs, the derivation of the LLRs is shown in Section 6.5.1.2.

#### 6.5.1.1 De-Mapping for 1D-NUC

In the cases of 1D-NUCs (QPSK, 1024QAM and 4096QAM), a receiver may form LLRs as a function of two non-uniform 1-dimensional pulse amplitude modulation (PAM) constellations representing the in-phase (I) and quadrature (Q) components of the 1D-NUC. A 2-dimensional de-mapper can be also applied but with higher computational expense. Considering that a QAM constellation conveys  $m$  coded bits, i.e., each constellation component has  $\sqrt{2^m}$  possible states, the structure of the de-mapper is shown in Figure 6.9.



**Figure 6.9** De-mapper structure for 1D-NUC.

##### 6.5.1.1.1 Computation of Perfect LLR for 1D-NUC

Given the de-mapper structure of Figure 6.9, LLRs may be defined from the received constellation components  $I$  and  $Q$ . Note that index  $i$  refers to the bits de-mapped from the  $I$  components and index  $j$  from the  $Q$  components, and these expressions describe the LLRs for the  $i$ th bit  $b_i$  and  $j$ th bit  $b_j$ :



$$\text{LLR}(b_i) = \ln \left( \frac{\Pr(b_i = 1 | I)}{\Pr(b_i = 0 | I)} \right)$$

$$\text{LLR}(b_j) = \ln \left( \frac{\Pr(b_j = 1 | Q)}{\Pr(b_j = 0 | Q)} \right)$$

A positive LLR indicates that  $b_i$  or  $b_j$  was more probably transmitted as 1, a negative LLR that  $b_i$  or  $b_j$  was more probably transmitted as 0. A particular constellation point  $x$  is transmitted with coordinates  $I_x$  and  $Q_x$ . Ideally, the received constellation components  $I$  and  $Q$  are expected to be identical. In practice, however, they are different because the cells in which  $I$  and  $Q$  travel are subjected to amplitude-fading factors  $\rho_I$  and  $\rho_Q$ , respectively, and additionally to noise. Therefore, given that the point  $x$  was transmitted, the conditional probability distribution function (pdf) of receiving a particular  $I$  and  $Q$  can be expressed as:

$$p(I | x \text{ was transmitted}) = \frac{1}{\sqrt{2\pi}\sigma} e^{-\frac{(I - \rho_I I_x)^2}{2\sigma^2}}$$

$$p(Q | x \text{ was transmitted}) = \frac{1}{\sqrt{2\pi}\sigma} e^{-\frac{(Q - \rho_Q Q_x)^2}{2\sigma^2}}$$

Considering reception of a particular bit  $b_i$  or  $b_j$ , if 1 was transmitted, then this implies that any of  $\frac{\sqrt{2^m}}{2}$  possible states was transmitted, which depends on the state of the other  $(\frac{m}{2} - 1)$  bits. If 0 was transmitted, then one of the other  $\frac{\sqrt{2^m}}{2}$  possible states was transmitted. Let  $C_i^k$  denote the set of constellation points  $x$  for which the  $i$ th bit,  $b_i$ , takes the value  $k$  (0 or 1), and  $C_j^k$  denote the set of constellation points  $x$  for which the  $j$ th bit,  $b_j$ , takes the value  $k$  (0 or 1). The conditional pdf for the received values  $I$  and  $Q$ , given that  $b_i$  or  $b_j$  was transmitted as 1, is thus given by the following expression, under the assumption that all of the  $\frac{\sqrt{2^m}}{2}$  possible transmitted states for which  $b_i = 1$  and  $b_j = 1$  are transmitted with equal probability. In other words, each of the other  $(\frac{m}{2} - 1)$  bits takes the values 0 and 1 with equal frequency.

$$p(I | b_i = 1) = \frac{1}{\frac{\sqrt{2^m}}{2} \sqrt{2\pi}\sigma} \sum_{x \in C_i^1} e^{-\frac{(I - \rho_I I_x)^2}{2\sigma^2}}$$

$$p(Q | b_j = 1) = \frac{1}{\frac{\sqrt{2^m}}{2} \sqrt{2\pi}\sigma} \sum_{x \in C_j^1} e^{-\frac{(Q - \rho_Q Q_x)^2}{2\sigma^2}}$$

The conditional pdf for receiving  $I$  and  $Q$ , given that  $b_i$  or  $b_j$  was transmitted as 0, is the same except that the summation is taken over points  $x \in C_i^0$  and  $x \in C_j^0$ . If Bayes' theorem is used, and further assuming that the transmitted bit  $b_i$  or  $b_j$  is itself equally likely to be 0 or 1, then the LLR can be obtained as:

$$\begin{aligned}
\text{LLR}(b_i) &= \ln \left( \frac{\text{Pr}(b_i = 1 | I)}{\text{Pr}(b_i = 0 | I)} \right) = \ln \left( \frac{p(I | b_i = 1)}{p(I | b_i = 0)} \right) \\
&= \ln \left( \frac{\sum_{x \in C_i^1} e^{-\frac{(I - \rho_I I_x)^2}{2\sigma^2}}}{\sum_{x \in C_i^0} e^{-\frac{(I - \rho_I I_x)^2}{2\sigma^2}}} \right) \\
\text{LLR}(b_j) &= \ln \left( \frac{\text{Pr}(b_j = 1 | Q)}{\text{Pr}(b_j = 0 | Q)} \right) = \ln \left( \frac{p(Q | b_j = 1)}{p(Q | b_j = 0)} \right) \\
&= \ln \left( \frac{\sum_{x \in C_j^1} e^{-\frac{(Q - \rho_Q Q_x)^2}{2\sigma^2}}}{\sum_{x \in C_j^0} e^{-\frac{(Q - \rho_Q Q_x)^2}{2\sigma^2}}} \right)
\end{aligned}$$

#### 6.5.1.1.2 Computation of Simplified LLR for 1D-NUC

The LLR computation may be simplified by applying the Max-Log approximation as:

$$\ln(e^{a_1} + \dots + e^{a_k}) \approx \max_{i=1 \dots k} (a_i)$$

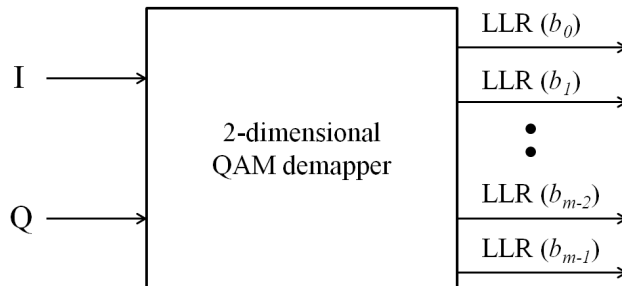
Then, the approximate LLR may be obtained as:

$$\begin{aligned}
\text{LLR}(b_i) &\approx \frac{1}{2\sigma^2} \left[ \min_{x \in C_i^0} ((I - \rho_I I_x)^2) - \min_{x \in C_i^1} ((I - \rho_I I_x)^2) \right] \\
\text{LLR}(b_j) &\approx \frac{1}{2\sigma^2} \left[ \min_{x \in C_j^0} ((Q - \rho_Q Q_x)^2) - \min_{x \in C_j^1} ((Q - \rho_Q Q_x)^2) \right]
\end{aligned}$$

Note that this simplification of LLR computation for 1D-NUC may be suitable for hardware implementation due to low complexity.

#### 6.5.1.2 De-Mapping for 2D-NUC

In the case of 2D-NUCs (16QAM, 64QAM and 256QAM), LLRs may be calculated as a 2-dimensional function. The structure of the de-mapper is shown in Figure 6.10.



**Figure 6.10** De-mapper structure for 2D-NUC.

#### 6.5.1.2.1 Computation of Perfect LLR for 2D-NUC

Given the de-mapper structure of Figure 6.10, the LLRs may be defined from the received constellation  $I$  and  $Q$ , which describes the LLR for the  $i$ th bit  $b_i$  as:

$$\text{LLR}(b_i) = \ln \left( \frac{\Pr(b_i = 1 | I, Q)}{\Pr(b_i = 0 | I, Q)} \right)$$

A positive LLR indicates that  $b_i$  was more probably transmitted as 1, and a negative value indicates that  $b_i$  was more probably transmitted as 0. A particular constellation point  $x$  is transmitted with coordinates  $I_x$  and  $Q_x$ . Ideally, the received constellation  $I$  and  $Q$  are expected to be identical. In practice, however, they are different because the cells in which  $I$  and  $Q$  travel are subjected to amplitude-fading factors  $\rho_I$  and  $\rho_Q$ , respectively, in addition to noise. Therefore, given that point  $x$  was transmitted, the pdf of receiving particular  $I$  and  $Q$  may be expressed as:

$$p(I, Q | x \text{ was transmitted}) = \frac{1}{2\pi\sigma^2} e^{-\frac{(I-\rho_I I_x)^2 + (Q-\rho_Q Q_x)^2}{2\sigma^2}}$$

Considering reception of a particular bit  $b_i$ , if 1 was transmitted, then any of  $2^{m-1}$  possible states is transmitted, which depends on the state of the other  $(m - 1)$  bits. If 0 was transmitted, then one of the other  $2^{m-1}$  possible states was transmitted. Let  $C_i^j$  denote the set of constellation points  $x$  for which the  $i$ th bit,  $b_i$ , takes the value  $j$  (0 or 1). The conditional pdf for the received values  $I$  and  $Q$ , given that  $b_i$  is transmitted as 1, is thus given by the following expression, under the assumption that all of the  $2^{m-1}$  possible transmitted states for which  $b_i = 1$  are transmitted with equal probability. In other words, each of the other  $(m - 1)$  bits takes the values 0 and 1 with equal frequency.

$$p(I, Q | b_i = 1) = \frac{1}{2^{m-1}\pi\sigma^2} \sum_{x \in C_i^1} e^{-\frac{(I-\rho_I I_x)^2 + (Q-\rho_Q Q_x)^2}{2\sigma^2}}$$

The conditional pdf for receiving  $I$  and  $Q$ , given that  $b_i$  was transmitted as 0 is the same except that the summation is taken over points  $x \in C_i^0$ . If Bayes' theorem is used, and assuming that the transmitted bit  $b_i$  is itself equally likely to be 0 or 1, then the LLR may be obtained as:

$$\begin{aligned} \text{LLR}(b_i) &= \ln \left( \frac{\Pr(b_i = 1 | I, Q)}{\Pr(b_i = 0 | I, Q)} \right) = \ln \left( \frac{p(I, Q | b_i = 1)}{p(I, Q | b_i = 0)} \right) \\ &= \ln \left( \frac{\sum_{x \in C_i^1} e^{-\frac{(I-\rho_I I_x)^2 + (Q-\rho_Q Q_x)^2}{2\sigma^2}}}{\sum_{x \in C_i^0} e^{-\frac{(I-\rho_I I_x)^2 + (Q-\rho_Q Q_x)^2}{2\sigma^2}}} \right) \end{aligned}$$

#### 6.5.1.2.2 Computation of Simplified LLR for 2D-NUC

The LLR computation may be simplified by applying the Max-Log approximation as:

$$\ln(e^{a_1} + \dots + e^{a_k}) \approx \max_{i=1 \dots k} (a_i)$$

Then, the approximated LLR may be obtained as:

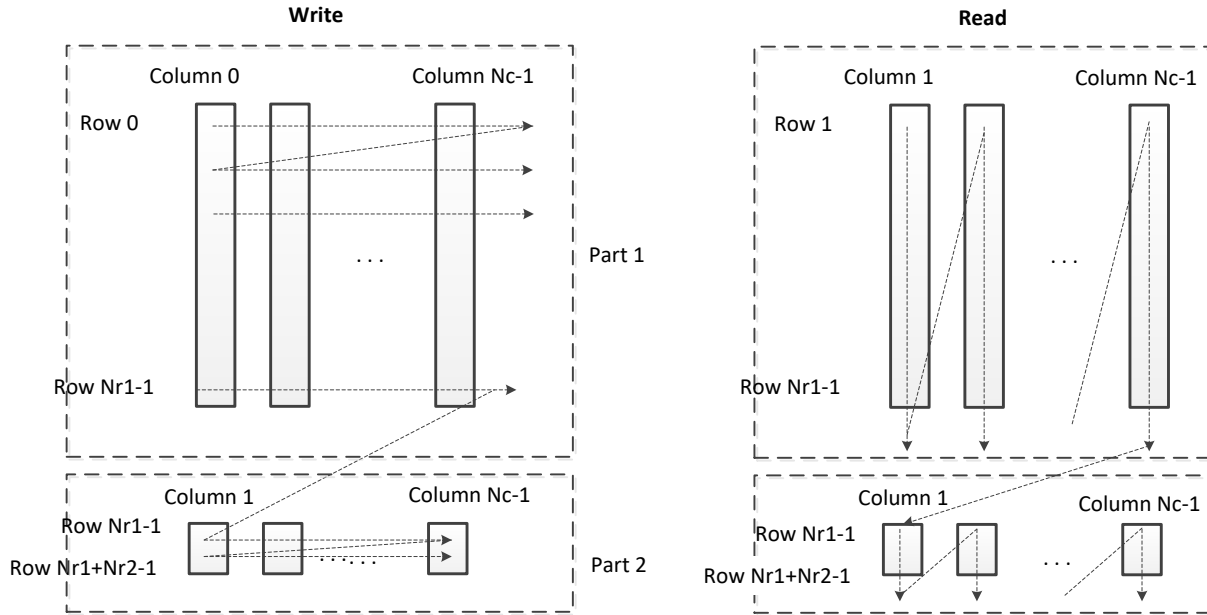
$$LLR(b_i) \approx \frac{1}{2\sigma^2} \left[ \min_{x \in C_1^0} \left( (I - \rho_I I_x)^2 + (Q - \rho_Q Q_x)^2 \right) - \min_{x \in C_1^1} \left( (I - \rho_I I_x)^2 + (Q - \rho_Q Q_x)^2 \right) \right]$$

Note that this simplification of LLR computation for 2D-NUC may be suitable for hardware implementation due to low complexity.

### 6.5.2 Bit De-Interleaving

Bit de-interleaving in a receiver is the reverse operation of the bit interleaving operation in a transmitter. Note that the bit de-interleaving in receivers is performed on channel values (e.g., multi-bit LLR values) while the bit interleaving in transmitters is performed on individual codeword bits.

The channel values such as LLR values are first de-interleaved by the block de-interleaver. For correct decoding the type and configurations of the block de-interleaver should be the same as those of the block interleaver in the transmitter. The block de-interleaving can be performed using memory containers (e.g., columns for Type A block de-interleaver and rows for Type B block de-interleaver) based on the write/read operations. As shown in Figure 6.11, when the Type A and Type B block interleavers are implemented based on the column-writing/row-reading and row-writing/column-reading operations, respectively, the Type A and Type B block de-interleavers should be implemented based on the row-writing/column-reading and column-writing/row-reading operations, respectively. Note that the column and row operations can be implemented by switching each other.



**Figure 6.11** De-interleaving process of Type A block de-interleaver.

Similar to the block interleaver in the transmitter, the containers for the Type A and Type B block de-interleavers are divided into two parts: Part 1 and Part 2, and the configurations for Part 1 and Part 2 block de-interleaving are also determined based on each modulation format and code length used in the transmitter. In the case of Type A block de-interleaver, for example, if an LDPC code of length 64800 and 256QAM modulation are used in the transmitter, the numbers of rows

in Part 1 and Part 2 are 7920 and 180, respectively. If an LDPC code of length 16200 and 256QAM modulation are used in the transmitter, the numbers of rows in Part 1 and Part 2 are 1800 and 225, respectively. Note that the unit for de-interleaving is the channel values.

The number of columns of the block de-interleaver is determined by the modulation format used in the transmitter. In the case of Type A de-interleaver, the number of rows in Part 2 is obtained by  $(\frac{N_{inner}}{N_c} - N_{r1})$  where  $N_c$  and  $N_{r1}$  denote the numbers of columns and rows in Part 1, respectively. If  $(\frac{N_{inner}}{N_c} - N_{r1}) > 0$ , the channel values corresponding to at least one bit group of transmitters are divided in at least two columns and de-interleaved in Part 2.

Following the block de-interleaver, the group-wise de-interleaver de-interleaves the output of the block de-interleaver. Since the group-wise de-interleaving is performed on a group basis, the block de-interleaved channel values are first split into multiple channel value groups. Note that each channel value group has the same size as the parallel factor of the LDPC codeword (i.e., 360) so as to correspond to a bit group (360 bits) in transmitters. The channel value groups are de-interleaved based on the equation and de-interleaving order defined in Section 6.2.2 and Annex B of [3], respectively. Since the de-interleaving order is a reverse of the interleaving order, the de-interleaving is also performed based on the pattern defined in Annex B of [3].

When a Type A LDPC code is used in the transmitter, the output of the group-wise de-interleaver is the input to the LDPC decoder. When a Type B LDPC code is used, the output of the group-wise de-interleaver is further parity de-interleaved, and the parity de-interleaved values are the input to the LDPC decoder.

### 6.5.3 Inner and Outer Decoding

For inner decoding, the LDPC decoding corresponding to the PCM is performed to correct errors over a physical channel. There are a number of LDPC decoding algorithms which may provide tradeoffs between decoding performance and hardware complexity.

The sum-product algorithm (SPA) is known as the best performing and the most complex decoding algorithm. In order to reduce decoding complexity of the SPA, simplified decoding schemes can be used. First, the min-sum algorithm (MSA) is a simplified method that can greatly reduce decoding complexity compared to the SPA, but it may introduce substantial performance degradation in terms of bit error rate (BER) or frame error rate (FER). The modified MSAs can be used to improve the BER and FER performance of the MSA, and there are the normalized min-sum algorithm (NMSA) and offset min-sum algorithm (OMSA), which use normalization and offset terms for the output of check node operations, respectively.

Given the four different LDPC decoding algorithms (i.e., SPA, MSA, OMSA, and NMSA), the simulation performance of ATSC 3.0 LDPC codes in an AWGN channel was analyzed. For the NMSA and OMSA, decoding parameters for each combination of code rate and code length should be appropriately determined. Table 6.1 shows the optimized scaling and offset values of OMSA and NMSA that support the best decoding performance with extensive simulation.

**Table 6.1** Optimized Offset and Scaling Values

Code Rate	16200 Bit		64800 Bit	
	Offset Value	Scaling Value	Offset Value	Scaling Value
2/15	0.31	0.9	0.46	0.63
3/15	0.47	0.65	0.48	0.63
4/15	0.47	0.67	0.46	0.62
5/15	0.5	0.65	0.48	0.64
6/15	0.5	0.8	0.51	0.8
7/15	0.57	0.78	0.44	0.73
8/15	0.57	0.76	0.6	0.77
9/15	0.6	0.78	0.54	0.75
10/15	0.6	0.72	0.57	0.75
11/15	0.6	0.73	0.56	0.73
12/15	0.6	0.72	0.58	0.72
13/15	0.63	0.65	0.6	0.72

The performance of ATSC 3.0 LDPC codes was analyzed given the theoretical thresholds and computer simulation results. Note that the theoretical thresholds of each code were calculated by Density Evolution algorithm, and the computer simulation results were obtained using 50 iterations for LDPC decoding. Note also that a threshold is defined as the theoretical performance limit that a given LDPC code can achieve when the code length goes to infinity. Table 6.2 and Table 6.3 show the performance differences from the Shannon limits to the theoretical thresholds and simulation results in the cases of ATSC 3.0 short and long codes, respectively. Note that the target FER for LDPC codes in computer simulation was set to  $10^{-4}$  since the concatenation of LDPC and BCH codes provides overall FER performance lower than  $10^{-6}$ .

**Table 6.2** Performance Difference from the Shannon Capacity Limit to the Theoretical Thresholds and Simulation Results (Short Code Cases)

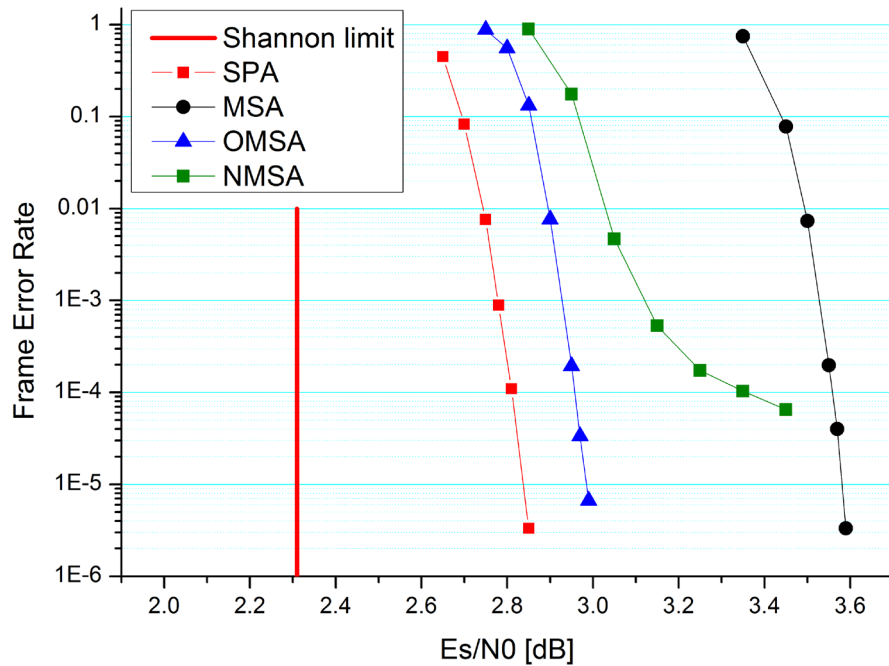
Code Rate	Performance Difference from Theoretical Thresholds (dB)				Performance Difference from Simulation Results (dB) @ FER= $10^{-4}$			
	SPA	MSA	OMSA	NMSA	SPA	MSA	OMSA	NMSA
2/15	0.5	2.47	0.78	0.96	1.35	2.09	1.58	1.69
3/15	0.5	2.07	0.9	0.86	1.14	2.52	1.49	1.46
4/15	0.56	1.85	0.86	0.82	1.1	2.07	1.37	1.34
5/15	0.41	1.61	0.69	0.71	0.93	2.18	1.35	1.34
6/15	0.24	1.66	0.58	1.1	0.91	2.09	1.18	2.32*
7/15	0.23	1.52	0.54	0.94	0.82	1.93	1.08	2.16*
8/15	0.16	1.37	0.41	0.8	0.74	1.78	0.95	1.96*
9/15	0.25	1.16	0.4	0.54	0.72	1.5	0.86	1.04*
10/15	0.15	1.12	0.32	0.49	0.65	1.49	0.77	1.44*
11/15	0.25	0.91	0.35	0.36	0.64	1.22	0.72	0.82*
12/15	0.19	0.8	0.28	0.29	0.62	1.12	0.68	0.75
13/15	0.23	0.75	0.31	0.29	0.62	1.08	0.68	0.71*

**Table 6.3** Performance Difference from the Shannon Capacity Limit to the Theoretical Thresholds and Simulation Results (Long Code Cases)

Code Rate	Performance Difference from Theoretical Thresholds (dB)				Performance Difference from Simulation Results (dB) @ FER=10 <sup>-4</sup>			
	SPA	MSA	OMSA	NMSA	SPA	MSA	OMSA	NMSA
2/15	0.19	2.28	0.70	1.00	0.71	2.62	1.66	2.37
3/15	0.19	2.00	0.57	0.65	0.63	2.27	1.01	1.09
4/15	0.21	1.75	0.50	0.47	0.6	1.99	0.89	0.93
5/15	0.22	1.58	0.46	0.44	0.6	1.79	0.81	0.81
6/15	0.29	1.67	0.58	1.09	0.73	1.87	1.05	2.59*
7/15	0.25	1.23	0.43	0.45	0.58	1.39	0.74	0.76
8/15	0.24	1.38	0.44	0.76	0.58	1.56	0.84	2.03*
9/15	0.19	1.17	0.36	0.54	0.53	1.35	0.69	1.63*
10/15	0.18	1.08	0.33	0.47	0.5	1.25	0.65	1.05*
11/15	0.18	0.90	0.29	0.33	0.46	1.05	0.56	0.82*
12/15	0.17	0.82	0.27	0.30	0.43	0.99	0.52	0.58
13/15	0.17	0.68	0.24	0.25	0.41	0.85	0.48	0.52*

As shown in Table 6.2 and Table 6.3, the performance differences from the Shannon limits to the theoretical thresholds in the use of the SPA algorithm are 0.15 to 0.56 dB for short LDPC code cases, and 0.17 to 0.29 dB for long LDPC codes. This implies that the ATSC 3.0 short and long LDPC codes are well-designed to approach the Shannon capacity limits. The results also show that the long LDPC codes have approximately 0.15 to 0.64 dB better performance than the short LDPC codes because of length benefit. The SPA algorithm outperforms all other algorithms in the theoretical thresholds and computer simulation results for all cases, although it has the highest decoding complexity. The OMSA also provides stable and good decoding performance close to the SPA. Conversely, the NMSA has significant performance degradation for some cases marked by asterisks in Table 6.2 and Table 6.3. In those cases, the NMSA performs similarly or worse than the MSA. This is caused by NMSA's inevitable error floors due to the channel mismatch effect. To resolve this problem, BCH codes can be used in conjunction with LDPC codes. Therefore, it is recommended that an ATSC 3.0 transmitter use the concatenation of BCH outer code and LDPC inner code to support good decoding performance at ATSC 3.0 receivers.

Figure 6.12 shows the Shannon limit and the FER performance for each LDPC decoding algorithm for code rate 10/15 and code length 64800. As shown in this figure, the SPA shows the best performance while the MSA provides the worst performance. The performance of the OMSA and NMSA is similar in high FER region; however, the NMSA has a serious error floor at FER lower than 10<sup>-4</sup> and can predict that there is a cross-over near FER = 10<sup>-5</sup> between the MSA and NMSA. Conversely, the OMSA provides stable performance without any error floor in all FER regions. The decoding complexity of the OMSA is slightly higher than the NMSA, but it can provide a stable and superior coding performance in all the cases.



**Figure 6.12** LDPC code performance based on various decoding algorithms (Code rate = 10/15, Code length = 64800, AWGN channel).

#### 6.5.4 Decoding of L1 Signaling

Decoding of L1 signaling is the reverse operation of L1 protection operation in the transmitter. First of all, receivers can acquire the information about the L1-Basic Mode from the bootstrap. Since the length of L1-Basic signaling is fixed at 200 bits, receivers can easily calculate the number of cells occupied by L1-Basic signaling bits in the first Preamble symbol. After decoding L1-Basic, ATSC 3.0 receivers acquire the information about the L1-Detail Mode and the length of L1-Detail. Note that each L1 protection mode is determined based on a combination of the LDPC code rate, modulation order, and the number of punctured bits to the number of shortened bits ratio (PSR), as shown in Table 4.9 of Section 4.2.10.

Since the L1 signaling is protected by a shortened and punctured LDPC code at the transmitter, the LDPC decoder at a receiver determines the length of shortened (i.e., zero-padding) and punctured bits in an LDPC codeword as well as appropriate shortening and puncturing patterns. For each L1 protection mode, the shortening and puncturing patterns are determined based on the LDPC code rate, modulation order, and PSR. Note that the shortening and puncturing patterns are defined on a bit-group basis.

Based on the determined shortening length and pattern, the decoder inserts a fixed channel value at the positions corresponding to shortened bits. Here, the fixed channel value is usually set to the maximum LLR value defined in the LDPC decoder since a zero-padding bit can be treated as a signal with  $\text{LLR} = \infty$ , theoretically. Similarly, based on the determined puncturing length and pattern, the decoder inserts another fixed channel value at the punctured positions. Here, the latter fixed channel value is usually set to  $\text{LLR} = 0$  since a punctured bit is an erasure, i.e., a lost signal. When the repetition of parity bits is applied at the transmitter for L1-Basic Mode 1 and L1-Detail Mode 1, the decoder combines the LLR values for the repeated parity bits. The combining of the LLR values is simply achieved by adding the LLR values of repeated parity bits for the same parity bit locations. Note that the length of the repeated parity bits is determined based on the size of concatenation of L1 signaling and BCH parity-check bits.



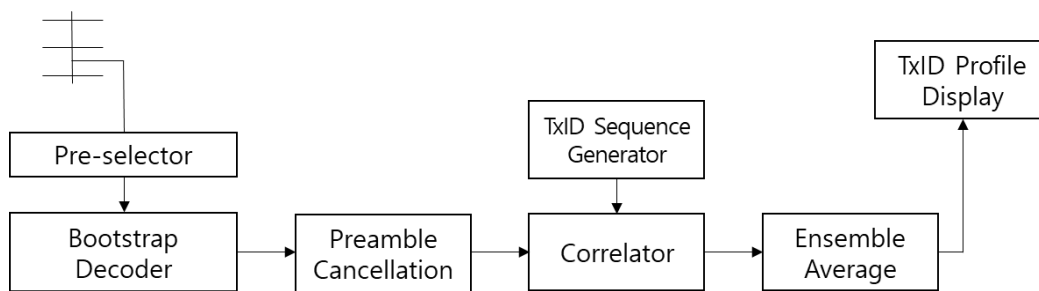
After the insertion of appropriate LLR values for the shortened and punctured bits and combining of LLR values for repeated parity bits, de-interleaving corresponding to the Group-Wise Interleaver included in the parity permutation specified in Section 6.5.2.6 of A/322 [3] is performed, followed by LDPC decoding. After the LDPC decoding and zero removal for the output of LDPC decoding, the decoder performs BCH decoding, and finally, the L1 signaling is obtained by de-scrambling the output of BCH decoding.

When the size of L1-Detail signaling exceeds a segmentation reference value  $K_{seg}$ , the L1-Detail signaling is segmented into multiple smaller blocks at the transmitter and the L1-Detail signaling is transmitted by one or more FEC Frames. Therefore, when applying the segmentation of L1-Detail signaling at the transmitter, ATSC 3.0 receivers combine the segmented multiple blocks based on the value  $K_{seg}$  after decoding each segmented block.  $K_{seg}$  for each L1-Detail mode is determined based on the LDPC code rate and PSR, as described in Section 5.2.5.2.

When additional parity is configured at the transmitter and the number of additional parity bits exceeds the number of punctured bits, repeated bits are selected. Then, similar to the repetition of parity, the decoder combines the LLR values for the repeated parity. The combining of the LLR values is simply achieved by adding the LLR values of repeated parity bits for the same parity bit locations.

## 6.6 TxID Detection

TxID can be utilized by specialized receivers to obtain channel impulse response information for separation of signals from multiple transmitters in an SFN. A block diagram for TxID detection in a specialized receiver (i.e., a TxID analyzer) is shown in Figure 6.13. When RF signals including TxID from multiple transmitters are received via a receiving antenna, a bootstrap decoder is used to decode the bootstrap and to achieve synchronization with the following ATSC 3.0 frame. When **preamble\_structure** in the bootstrap is obtained, the FFT size of the Preamble is known, which determines the length of a TxID sequence. The TxID sequence is generated from a TxID sequence generator according to Annex N of [3], and then a correlator is used to perform a correlation between the received baseband signal and the generated TxID sequence. An ensemble average scheme may be used to improve TxID detection performance, as this scheme aggregates and averages the correlation values over multiple ATSC 3.0 frames. Channel profiles of individual transmitters in SFN are represented at a TxID profile display.



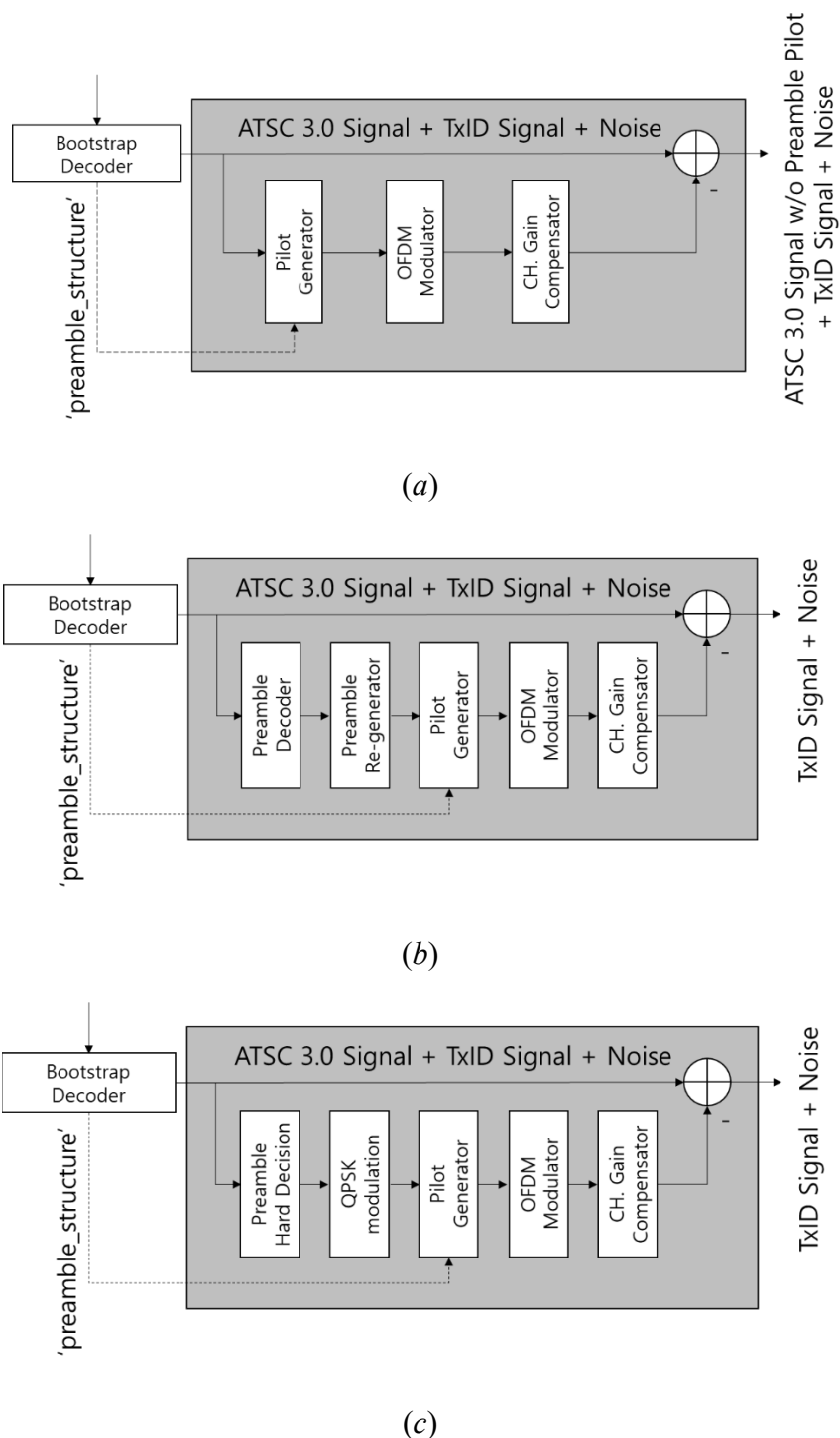
**Figure 6.13** Block Diagram of ATSC 3.0 TxID Analyzer

Preamble cancellation methods may be also used to improve the TxID detection performance more significantly. Figure 6.14 shows three different methods that perform Preamble cancellation. The details of the Preamble cancellation methods are as follows:

- 1) Preamble pilot cancellation method: When the randomness of the Preamble is not sufficiently high due to a pilot pattern in the Preamble, TxID detection performance can be

saturated even though an ensemble average is used over a large number of frames. The key idea of this cancellation method is to remove constant components, i.e., pilots, in the first Preamble symbol so that the frame averaging gain can be significantly increased. First of all, the pilot generator generates Preamble pilots and common continual pilots according to the indicated value of **preamble\_structure**. The generated pilots are then OFDM modulated, which transforms frequency domain pilots into time domain signals. A channel gain compensator includes channel estimation and compensation of the received signal based on the estimated channel response. The channel response in the frequency domain is estimated by using the pilots of the first Preamble symbol, and the compensated signal is generated by using the estimated channel response and the modulated pilots. The compensated signals are subtracted from the received baseband signals so that the components corresponding to pilots of the first Preamble symbol are removed from the received signals. Therefore, the output of the Preamble cancellation block consists of ATSC 3.0 signals without pilots of the first Preamble symbol, TxID, and noise.

- 2) Preamble cancellation with full LDPC decoding: The Preamble pilot cancellation method provides a significant performance only when the number of averaging frames is large enough. For improved detection performance without using the ensemble average over multiple frames, it is necessary to remove the whole Preamble including the data and pilots. To remove the data part of the Preamble, LDPC decoding of the Preamble is required. After the Preamble is decoded, the signals corresponding to the decoded data are re-generated according to the process of protection for L1 signaling as specified in Section 6.5 of [3]. After the Preamble re-generation, the same process as in the Preamble pilot cancellation method is used.
- 3) Preamble cancellation with QPSK hard decision: Implementation of Preamble decoding in method (2) includes an LDPC decoder, which may result in high complexity of a TxID analyzer. For achieving low complexity of TxID analyzer hardware, hard decision decoding of the Preamble may be used. As QPSK modulation is used for Modes 1, 2, and 3 of L1-Basic and L1-Detail, a TxID analyzer performs QPSK hard decision decoding of the Preamble. Therefore, the LDPC decoding and Preamble re-generation as in method (2) can be omitted to achieve low complexity of a TxID analyzer. Note that this method may provide similar TxID detection performance as method (2), but it is useful only when Mode 1, 2, or 3 of L1 signaling is used.



**Figure 6.14** Preamble cancellation methods: (a) Preamble pilot cancellation; (b) Preamble cancellation with full LDPC decoding; (c) Preamble cancellation with QPSK hard decision

## 7. GUIDELINES FOR MOBILE SERVICES

As the ATSC 3.0 physical layer protocol offers flexibility, it allows broadcasters to choose a wide range of physical layer parameters from ultra-robust modes to high-capacity modes. This section

provides a guideline for ATSC 3.0 mobile services, by taking into account ATSC 3.0 physical layer parameter choices enabling robust reception and lower power consumption. ATSC 3.0 mobile receivers that may have limited power resources and require lower power consumption (e.g., portable or handheld devices) should be able to support the physical layer parameter choices described in this section.

## 7.1 Input Formatting

The same Input Formatting guidelines as in Section 5.1.1 should be applied for ATSC 3.0 mobile services. When a complete delivered product is composed of multiple PLPs, ATSC 3.0 mobile receivers may decode only a portion of the delivered product. For example, when SHVC is used such that the Base Layer is carried in a robust PLP and the Enhancement Layer is carried in a high-capacity PLP (i.e., less robust), ATSC 3.0 mobile receivers may decode only the robust PLP.

## 7.2 Bit Interleaved Coding and Modulation (BICM)

### 7.2.1 BICM for Data Payload

The recommended ModCod combinations for ATSC 3.0 mobile services are described in Table 7.1. Note that Table 7.1 defines a subset of the  $N_{inner} = 16200$  bits (i.e., short codes) ModCod combinations of Table 4.8 with the higher code rates of 12/15 and 13/15, as well as the higher-order modulation of 256QAM, being omitted due to lower robustness. It is also recommended that BCH be always used as the outer code in order to provide additional error correction capability and prevent possible error floors. Although a check mark ✓ in Table 7.1 represents the mandatory ModCod combinations (see Section 4.2.9), it is recommended that all the ModCod combinations described in Table 7.1 be implemented in ATSC 3.0 mobile receivers as well as ATSC 3.0 transmitters for the full range of flexibility within this limited set of Table 7.1.

**Table 7.1** Recommended ModCod Combinations for ATSC 3.0 Mobile Services  
( $N_{inner} = 16200$  bits, i.e., Short Codes)

Code Rate/ Constellation	2/ 15	3/ 15	4/ 15	5/ 15	6/ 15	7/ 15	8/ 15	9/ 15	10/ 15	11/ 15
QPSK	✓	✓	✓	✓	✓	✓	✓	✓		
16QAM				✓	✓	✓	✓			✓
64QAM				✓	✓	✓	✓	✓	✓	✓

### 7.2.2 Protection for L1-Signaling

The recommended L1 protection modes for ATSC 3.0 mobile services are L1-Basic Mode 1, Mode 2, or Mode 3, and L1-Detail Mode 1, Mode 2, or Mode 3. Additional parity may be used to further enhance time diversity of L1-Detail. When additional parity is used, it is also recommended that L1-Detail Mode 1, Mode 2, or Mode 3 be used.

## 7.3 Framing and Interleaving

### 7.3.1 Time Interleaving

#### 7.3.1.1 Time Interleaver Modes

It is recommended that each PLP intended for an ATSC 3.0 mobile service be configured with either the CTI mode (see Section 7.1.4 of [3]) or the HTI mode (see Section 7.1.5 of [3]). When a complete delivered product for an ATSC 3.0 mobile service is configured with a single Core PLP that has a constant cell rate, it is recommended that the CTI mode with the maximum depth (1024 rows in the non-extended mode) be used to maximize time diversity. When a complete delivered

product of an ATSC 3.0 mobile service is configured with multiple Core PLPs (up to four), it is recommended that the HTI mode be used.

#### 7.3.1.2 Time Interleaver Size

As the maximum size of time interleaver memory for a single, complete delivered product is  $2^{19}$  cells (see Section 7.1.2 of [3]), ATSC 3.0 mobile receivers should be able to support up to  $2^{19}$  cells for time de-interleaving (and up to  $2^{20}$  cells for extended time de-interleaving).

#### 7.3.2 Framing

##### 7.3.2.1 Frame Length

It is recommended that the ATSC 3.0 frame length be set less than or equal to 250 ms when fast service acquisition is required. It is also recommended that both time-aligned frames and symbol-aligned frames be supported for ATSC 3.0 mobile services.

##### 7.3.2.2 PLP Multiplexing

It is recommended that all the multiplexing techniques that the ATSC 3.0 physical layer protocol offers (i.e., TDM, SSM, FDM, and LDM) be supported for ATSC 3.0 mobile services. When a multiplexing technique is used, ATSC 3.0 mobile receivers should be able to decode PLP(s) that are intended for mobile service(s). For example, when TDM is used and two subframes are configured to deliver mobile and fixed services, ATSC 3.0 mobile receivers will decode the first subframe that is intended for mobile services (see Section 5.3.2). When LDM is used, ATSC 3.0 mobile receivers will decode Core PLP(s) intended for mobile services (see Section 5.2.4).

#### 7.3.3 Frequency Interleaving

It is recommended that the frequency interleaver address generation schemes for the 8K or 16K FFT sizes be used. The frequency interleaver address generation scheme for the 32K FFT size should not be used as the 32K FFT size is not recommended for ATSC 3.0 mobile services.

### 7.4 Waveform Generation

#### 7.4.1 Pilot Insertion

It is recommended that scattered pilots for ATSC 3.0 mobile services always use  $D_y = 2$ . The recommended choices of scattered pilot patterns for ATSC 3.0 mobile services are described in Table 7.2. Note that configuration combinations which are not allowed are indicated by N/A.

The pilot boost signaled by **L1B\_first\_sub\_scattered\_pilot\_boost** and **L1D\_scattered\_pilot\_boost** may be used for improved channel estimation performance in ATSC 3.0 mobile services. Details of the pilot boost recommendations are described in Section 4.2.4.

**Table 7.2** Recommended Scattered Pilot Patterns for ATSC 3.0 Mobile Services

GI Pattern	Samples	8K FFT	16K FFT
GI1_192	192	SP32_2, SP16_2	SP32_2
GI2_384	384	SP16_2, SP8_2	SP32_2, SP16_2
GI3_512	512	SP12_2, SP6_2	SP24_2, SP12_2
GI4_768	768	SP8_2, SP4_2	SP16_2, SP8_2
GI5_1024	1024	SP6_2, SP3_2	SP12_2, SP6_2
GI6_1536	1536	SP4_2	SP8_2, SP4_2
GI7_2048	2048	SP3_2	SP6_2, SP3_2
GI8_2432	2432	N/A	SP6_2, SP3_2
GI9_3072	3072	N/A	SP4_2
GI10_3648	3648	N/A	SP4_2
GI11_4096	4096	N/A	SP3_2

#### 7.4.2 Inverse Fast Fourier Transform (IFFT)

It is recommended that 8K or 16K FFT sizes be used for ATSC 3.0 mobile services. 32K FFT size should not be used for ATSC 3.0 mobile services due to the narrower carrier spacing. Note that this recommendation applies to both Preamble and subframe symbols.

#### 7.4.3 Guard Interval

The recommended guard interval choices for ATSC 3.0 mobile services are described in Table 7.3. Note that the guard interval choices in Table 7.3 are only listed for 8K and 16K FFT sizes since the 32K FFT size is not recommended for mobile use. Note also that the guard intervals allowed for each FFT size are indicated by a check mark ✓, and the disallowed guard intervals are indicated by N/A.

**Table 7.3** Recommended Guard Intervals for ATSC 3.0 Mobile Services

GI Pattern	Duration in Samples	8K FFT	16K FFT
GI1_192	192	✓	✓
GI2_384	384	✓	✓
GI3_512	512	✓	✓
GI4_768	768	✓	✓
GI5_1024	1024	✓	✓
GI6_1536	1536	✓	✓
GI7_2048	2048	✓	✓
GI8_2432	2432	N/A	✓
GI9_3072	3072	N/A	✓
GI10_3648	3648	N/A	✓
GI11_4096	4096	N/A	✓

## **Annex A: System Performance**

### **A.1 INTRODUCTION**

This section describes the system performance of the ATSC 3.0 physical layer including BICM, OFDM, and time and frequency interleavers in various channel conditions. The system performance was measured through computer simulations, laboratory tests and field tests.

Note that the computer simulation results shown in Annex A are the theoretical limits that each ModCod combination in ATSC 3.0 can achieve. The laboratory and field test results that were obtained through professional ATSC 3.0 equipment show possible implementation losses compared to the theoretical limits. Note also that when pilot boosting is used, the measured values can be re-computed by adding the power reduction values shown in Table B.4.1.

### **A.2 CHANNEL MODELS**

The system performance was measured under four different channel models such as AWGN, Rician (DVB-F1), Rayleigh (DVB-P1), and TU-6 channel models. Rician and Rayleigh channel models are commonly used to simulate fixed reception and portable reception, respectively. Rician channel consists of one main line-of-sight (LOS) path and 20 multipaths without Doppler shift. Rayleigh channel has one main non-LOS path and 19 multipaths without Doppler shift. TU-6 channel is used to simulate mobile reception conditions as it can be simulated with different velocities (e.g., 3 ~ 300 km/h). The details of each channel model are described in [10].

### **A.3 SIMULATION, LABORATORY TEST AND FIELD TEST RESULTS**

The system performance of the ATSC 3.0 physical layer was measured through computer simulations, laboratory tests, and field tests. In computer simulations and laboratory tests, the channel models were accurately simulated and reflected. In the real field tests, the reception locations were selected by measuring the real channel conditions that were close to the channel models used for computer simulations and laboratory tests. Nevertheless, note that the Rician-like channel in the field environment was worse than the Rician model used for computer simulations and laboratory tests. In addition, the Rayleigh-like channel in the field was milder than the Rayleigh model used for computer simulations and laboratory tests. The detailed system parameter choices for the ModCod performance results are shown in Table A.3.1. The system performance results in AWGN, Rician, and Rayleigh channels are shown in Table A.3.2, Table A.3.3, and Table A.3.4, respectively. The simulation performance results in TU-6 channel with variable velocities (3 ~ 300 km/h) are shown in Table A.3.5 and Table A.3.6.

**Table A.3.1** System Parameters for Simulations, Laboratory Tests, and Field Tests

<b>Frame Length (Symbol Aligned Mode)</b>		255.33ms (Including the bootstrap)
<b>Bandwidth</b>		6 MHz
<b>RF Channel</b>		50 (Center frequency = 689 MHz)
<b>Preamble Parameters</b>	FFT Size	16K
	Guard interval	GI7_2048
	Pilot Pattern	SP_D <sub>x</sub> = 3
	Signaling Protection	L1-Basic Mode 1
	# of Preamble Symbols	1
<b>Payload OFDM Parameters</b>	FFT Size	16K
	Guard interval	GI7_2048
	Pilot pattern	SP_D <sub>x</sub> = 3, SP_D <sub>y</sub> = 4
	Pilot boosting	No pilot boosting
	# of payload symbols	94
	Time interleaver	CTI (1024 depth)
<b>Payload BICM Parameters</b>	Frequency interleaver	On
	Inner/outer code	LDPC 2/15~13/15 (64800, 16200) /BCH
	Constellation	QPSK ~ 4096QAM for AWGN, Rician and Rayleigh QPSK ~ 256QAM for TU-6



**Table A.3.2** Required C/N (dB) for BER =  $10^{-6}$  After LDPC and BCH Decoding  
Under AWGN Channel

			2/15	3/15	4/15	5/15	6/15	7/15	8/15	9/15	10/15	11/15	12/15	13/15
<b>QPSK</b>	Long	Lab test	-4.0	-3.1	-2.0	-1.0	0.5	0.9	2.0	2.8	3.7	4.2	5.1	6.0
		Simulation	-6.1	-4.2	-2.8	-1.6	-0.4	0.4	1.3	2.1	2.9	3.7	4.6	5.6
		Field test	-3.9	-2.9	-1.9	-0.7	0.7	1.1	2.2	2.9	3.9	4.4	5.3	6.2
	Short	Lab test	-4.2	-2.8	-1.6	-0.7	0.7	1.4	2.1	2.8	3.7	4.2	5.1	6.1
		Simulation	-5.5	-3.7	-2.3	-1.2	-0.2	0.6	1.5	2.3	3.1	3.9	4.8	5.8
		Field test	-4.1	-2.7	-1.5	-0.5	0.9	1.6	2.3	2.9	3.9	4.5	5.3	6.3
<b>16QAM</b>	Long	Lab test	-1.8	0.7	2.1	3.6	5.5	5.9	7.2	8.3	9.2	10.1	11.1	12.3
		Simulation	-2.6	-0.1	1.6	2.9	4.4	5.4	6.5	7.5	8.5	9.6	10.7	11.9
		Field test	-1.6	0.9	2.4	3.7	5.7	6.1	7.3	8.5	9.4	10.5	11.4	12.6
	Short	Lab test	-1.4	1.0	2.6	3.8	5.5	6.3	7.4	8.3	9.4	10.2	11.3	12.5
		Simulation	-2.1	0.4	2.0	3.3	4.6	5.7	6.6	7.7	8.7	9.8	10.9	12.2
		Field test	-1.3	1.2	2.9	3.9	5.8	6.5	7.6	8.6	9.6	10.5	11.8	12.8
<b>64QAM</b>	Long	Lab test	0.5	3.0	4.9	6.5	8.9	9.5	11.3	12.6	13.8	15.0	16.3	17.6
		Simulation	-0.2	2.4	4.3	6.1	7.8	9.1	10.5	11.7	13.0	14.4	15.7	17.3
		Field test	0.6	3.2	5.2	6.9	9.2	9.6	11.4	12.8	13.9	15.2	16.6	17.7
	Short	Lab test	0.9	3.5	5.3	6.9	9.1	10.4	11.7	12.7	14.0	15.1	16.4	17.9
		Simulation	0.4	2.8	4.7	6.8	8.1	9.5	10.7	12.0	13.2	14.7	16.0	17.4
		Field test	1.2	3.7	5.5	7.1	9.3	10.6	11.9	12.9	14.2	15.5	16.5	18.1
<b>256QAM</b>	Long	Lab test	2.3	4.8	7.2	9.1	11.7	12.7	14.9	16.5	18.3	19.7	21.3	23.0
		Simulation	1.7	4.4	6.7	8.7	10.9	12.2	14.1	15.7	17.3	18.9	20.6	22.4
		Field test	2.5	5.0	7.3	9.3	11.8	12.9	15.0	16.8	18.5	19.9	21.6	23.4
	Short	Lab test	2.7	5.3	7.8	9.5	11.8	13.8	15.4	16.6	18.4	19.8	21.5	23.3
		Simulation	2.4	4.8	7.2	9.0	11.1	12.8	14.4	16.1	17.5	19.2	20.9	22.8
		Field test	2.9	5.6	8.1	9.8	12.1	14.1	15.6	16.8	18.5	19.9	21.7	23.4
<b>1024QAM</b>	Long	Lab test	3.8	6.8	9.4	11.7	14.4	16.0	18.5	20.6	22.5	25.3	26.4	28.4
		Simulation	3.4	6.3	8.9	11.2	13.8	15.4	17.7	19.7	21.6	23.6	25.7	27.8
		Field test	4.1	7.2	9.7	11.9	14.5	16.4	18.7	20.8	22.8	25.2	26.6	28.5
<b>4096QAM</b>	Long	Lab test	5.2	8.5	11.5	14.1	17.0	19.1	21.7	24.0	26.5	28.7	30.8	33.4
		Simulation	4.7	8.0	10.8	13.6	16.3	18.3	20.9	23.3	25.8	28.1	30.5	33.1
		Field test	5.4	8.8	11.9	14.2	17.1	19.3	22.1	24.2	26.7	28.9	31.5	34.0

**Table A.3.3** Required C/N (dB) for BER =  $10^{-6}$  After LDPC and BCH Decoding  
Under Rician Channel

			2/15	3/15	4/15	5/15	6/15	7/15	8/15	9/15	10/15	11/15	12/15	13/15
<b>QPSK</b>	Long	Lab test	-4.3	-2.9	-1.8	-0.8	0.9	1.2	2.4	3.2	4.1	4.7	5.7	6.8
		Simulation	-6.0	-4.2	-2.7	-1.5	-0.2	0.7	1.6	2.5	3.4	4.2	5.2	6.4
		Field test	-3.7	-2.3	-1.2	0.0	1.4	2.1	3.2	4.2	5.1	5.8	7.0	8.7
	Short	Lab test	-3.9	-2.7	-1.4	-0.4	1.1	1.7	2.5	3.2	4.2	4.8	5.8	7.0
		Simulation	-5.5	-3.6	-2.2	-1.1	0.1	1.0	1.8	2.7	3.5	4.4	5.4	6.6
		Field test	-3.6	-2.1	-0.9	0.4	1.8	2.3	3.2	3.9	5.0	6.1	7.2	8.5
<b>16QAM</b>	Long	Lab test	-1.6	0.9	2.4	3.8	5.8	6.2	7.7	8.9	9.8	10.8	11.9	13.1
		Simulation	-2.5	0.1	1.8	3.2	4.7	5.6	6.8	7.9	9.0	10.1	11.2	12.6
		Field test	-1.0	1.5	2.7	4.5	6.1	6.9	8.6	9.9	10.6	11.8	13.1	14.4
	Short	Lab test	-1.1	1.1	2.9	4.1	6.0	6.9	7.9	8.8	9.9	10.9	11.9	13.4
		Simulation	-2.0	0.6	2.2	3.6	4.9	5.9	7.0	8.1	9.2	10.3	11.4	12.9
		Field test	-0.5	1.8	3.7	4.8	6.7	7.5	8.6	9.8	11.3	12.2	13.6	14.9
<b>64QAM</b>	Long	Lab test	0.7	3.3	5.1	7.0	9.4	10.0	11.9	13.2	14.5	15.7	17.1	18.6
		Simulation	0.1	2.6	4.6	6.4	8.2	9.3	10.9	12.1	13.5	14.9	16.2	17.8
		Field test	1.3	3.8	5.9	7.5	10.0	10.7	12.4	14.0	15.3	16.4	18.0	19.5
	Short	Lab test	1.2	3.8	5.7	7.2	9.6	11.0	12.2	13.4	14.6	15.8	17.2	18.7
		Simulation	0.6	3.1	5.1	7.2	8.5	9.9	11.1	12.4	13.7	15.1	16.5	18.1
		Field test	2.0	4.5	6.6	8.1	10.5	11.8	13.1	14.5	15.7	17.2	18.7	20.5
<b>256QAM</b>	Long	Lab test	2.6	5.2	7.6	9.6	12.3	13.3	15.6	17.1	19.1	20.2	21.8	23.5
		Simulation	2.0	4.7	7.0	9.0	11.2	12.6	14.5	16.1	17.7	19.4	21.0	22.9
		Field test	3.3	6.3	8.3	10.4	13.1	14.1	16.5	18.1	19.5	21.3	23.1	24.8
	Short	Lab test	3.1	5.8	8.3	10.0	12.6	14.4	16.3	17.3	18.8	20.3	21.9	23.8
		Simulation	2.5	5.2	7.6	9.4	11.4	13.1	14.8	16.5	18.0	19.7	21.3	23.3
		Field test	3.9	6.6	9.1	10.9	13.4	15.6	17.3	18.1	20.2	21.5	23.3	25.2
<b>1024QAM</b>	Long	Lab test	4.2	7.2	9.9	12.2	15.0	16.7	18.9	21.0	23.0	25.9	27.6	29.7
		Simulation	3.5	6.6	9.3	11.6	14.2	15.8	18.0	20.2	22.0	24.1	26.2	28.3
		Field test	5.1	8.5	10.9	13.2	15.9	17.6	20.0	22.2	23.9	26.5	28.3	30.8
<b>4096QAM</b>	Long	Lab test	5.6	8.9	12.1	14.8	17.4	19.9	22.2	25.0	27.8	29.9	32.9	35.8
		Simulation	5.0	8.3	11.2	14.0	16.7	18.8	21.4	23.8	26.2	28.4	31.0	33.5
		Field test	6.6	9.6	13.1	15.8	18.7	21.0	23.4	26.0	28.9	31.0	33.9	37.1

**Table A.3.4** Required C/N (dB) for BER =  $10^{-6}$  After LDPC and BCH Decoding  
Under Rayleigh Channel

			2/15	3/15	4/15	5/15	6/15	7/15	8/15	9/15	10/15	11/15	12/15	13/15
<b>QPSK</b>	Long	Lab test	-3.1	-1.8	-0.4	1.1	2.9	3.1	4.4	5.6	6.6	7.9	9.7	12.0
		Simulation	-5.7	-3.7	-2.0	-0.6	0.8	1.8	3.2	4.3	5.5	6.8	8.5	10.7
		Field test	-3.9	-2.5	-1.0	0.1	1.7	2.2	3.5	4.6	5.6	6.6	8.3	10.1
	Short	Lab test	-3.4	-1.4	0.2	1.6	3.0	3.5	4.8	5.7	6.9	8.1	10.0	12.6
		Simulation	-5.1	-3.1	-1.5	-0.2	1.0	2.3	3.3	4.5	5.7	7.2	8.9	11.2
		Field test	-4.0	-2.1	-0.7	0.4	1.8	2.3	3.3	4.4	5.6	6.5	8.5	10.6
<b>16QAM</b>	Long	Lab test	-0.1	2.6	3.7	5.0	7.3	7.9	9.6	11.1	12.5	13.6	15.4	17.7
		Simulation	-1.9	0.7	2.6	4.2	5.9	7.1	8.5	9.8	11.3	12.7	14.3	16.6
		Field test	-1.2	1.6	2.9	4.4	6.5	7.1	8.7	10.2	11.3	12.0	14.2	15.7
	Short	Lab test	0.5	2.8	4.1	5.7	7.5	8.6	9.8	11.2	12.6	13.9	15.7	18.2
		Simulation	-1.2	1.3	3.3	4.6	6.3	7.5	8.8	10.1	11.5	13.0	14.7	17.0
		Field test	-0.5	1.8	3.2	4.6	6.3	7.5	8.7	10.0	11.2	12.5	14.1	16.5
<b>64QAM</b>	Long	Lab test	2.7	4.4	6.5	8.4	11.0	11.8	13.7	15.4	16.9	18.4	20.3	22.7
		Simulation	0.8	3.5	5.8	7.6	9.8	11.1	12.7	14.1	15.6	17.4	19.2	22.6
		Field test	1.6	3.7	5.7	7.8	9.9	10.7	13.0	14.6	15.9	16.6	18.5	21.1
	Short	Lab test	2.9	4.9	7.1	8.9	11.2	12.7	14.3	15.5	17.0	18.5	20.5	23.2
		Simulation	1.5	4.1	6.4	8.1	10.0	11.5	13.0	14.4	15.9	17.6	19.5	22.0
		Field test	1.6	4.0	6.0	8.1	10.1	11.5	13.2	14.4	16.0	17.4	19.6	21.7
<b>256QAM</b>	Long	Lab test	4.1	6.8	9.2	11.3	14.2	15.3	17.7	19.3	21.3	23.0	24.2	27.5
		Simulation	2.8	5.8	8.3	10.5	13.0	14.4	16.4	18.1	20.0	21.7	23.8	26.4
		Field test	2.9	6.0	8.1	10.5	13.3	14.5	16.4	18.0	20.3	21.8	23.2	26.0
	Short	Lab test	4.5	7.4	10.0	11.9	14.3	16.7	18.4	19.4	21.4	23.1	24.5	28.0
		Simulation	3.6	6.5	9.1	11.1	13.3	15.1	16.8	18.6	20.2	22.2	24.2	26.8
		Field test	3.5	6.6	9.2	11.0	13.5	15.4	17.3	18.3	20.2	21.8	23.8	26.4
<b>1024QAM</b>	Long	Lab test	5.4	8.8	11.6	14.0	17.1	18.7	21.3	23.7	25.9	27.7	29.6	32.2
		Simulation	4.7	7.9	10.9	13.1	15.9	17.7	20.2	22.4	24.3	26.4	28.6	31.3
		Field test	5.0	8.2	11.1	12.9	16.1	17.9	20.2	22.8	24.8	26.8	29.6	32.0
<b>4096QAM</b>	Long	Lab test	6.9	10.6	13.7	16.5	20.0	22.0	24.6	27.8	29.8	32.5	35.2	38.0
		Simulation	6.1	9.8	12.9	15.7	18.9	20.9	23.6	26.4	28.6	31.1	33.6	36.3
		Field test	6.5	10.0	12.9	16.1	18.9	21.0	23.9	26.9	29.5	32.5	35.8	38.9

**Table A.3.5** Required C/N (dB) for BER=10<sup>-4</sup> After LDPC and BCH Decoding  
Under TU-6 Channel (Long LDPC Codes)

		Mobile Velocity [km/h]									
		3	10	20	60	80	100	120	200	250	300
QPSK	2/15	-0.667	-2.11	-2.89	-3.70	-3.68	-3.78	-3.78	-3.38	-2.98	-2.28
	3/15	1.21	-0.39	-1.10	-1.79	-1.89	-1.88	-1.88	-1.38	-0.88	0.20
	4/15	2.74	1.29	0.50	-0.39	-0.29	-0.28	-0.28	0.22	1.02	2.12
	5/15	4.21	2.60	1.91	1.11	1.18	1.12	1.12	1.82	2.82	4.52
	6/15	5.64	4.09	3.31	2.61	2.51	2.52	2.62	3.62	5.02	8.02
	7/15	6.63	5.09	4.31	3.61	3.61	3.72	3.72	5.02	6.82	11.72
	8/15	7.84	6.39	5.60	4.91	4.82	5.02	5.12	7.02	10.62	
	9/15	9.03	7.50	6.81	6.01	6.11	6.22	6.42	9.40		
	10/15	10.33	8.79	8.11	7.41	7.51	7.72	8.11			
	11/15	11.73	10.19	9.50	8.81	9.01	9.42	10.12			
	12/15	13.34	11.89	11.20	10.71	11.11	11.92	13.62			
	13/15	15.41	14.10	13.51	13.20	14.31	17.22				
16QAM	2/15	3.03	1.48	0.50	-0.19	-0.18	-0.29	-0.18	0.32	1.02	2.13
	3/15	5.53	3.99	3.00	2.29	2.31	2.31	2.42	3.42	4.92	8.32
	4/15	7.33	5.79	4.89	4.21	4.21	4.32	4.42	5.91	8.72	
	5/15	8.93	7.39	6.49	5.80	5.91	6.12	6.32	9.32	17.62	
	6/15	10.63	9.08	8.30	7.61	7.70	8.01	8.41			
	7/15	11.82	10.29	9.39	8.79	9.10	9.52	10.11			
	8/15	13.33	11.78	10.90	10.40	10.80	11.62	13.22			
	9/15	14.63	13.08	12.20	11.90	12.61	14.01	17.71			
	10/15	16.03	14.58	13.70	13.70	15.00	18.73				
	11/15	17.53	15.99	15.20	15.60	18.20					
	12/15	19.33	17.89	17.10	19.30						
	13/15	21.53	20.19	19.50							
64QAM	2/15	5.59	3.98	3.09	2.40	2.40	2.41	2.52	3.42	4.71	8.02
	3/15	8.36	6.69	5.80	5.10	5.10	5.21	5.41	7.62	12.92	
	4/15	10.56	8.88	8.01	7.41	7.61	7.81	8.22	15.32		
	5/15	12.46	10.78	9.91	9.40	9.70	10.11	11.02			
	6/15	14.46	12.78	12.00	11.70	12.30	13.61	16.92			
	7/15	15.86	14.19	13.31	13.20	14.20	16.52				
	8/15	17.48	15.88	15.10	15.60	18.50					
	9/15	18.93	17.48	16.69	18.30						
	10/15	20.61	19.09	18.39							
	11/15	22.51	20.89								
	12/15		23.08								
	13/15										
256QAM	2/15	7.58	5.86	5.00	4.21	4.30	4.43	4.51	6.22	9.42	
	3/15	10.59	8.97	8.09	7.40	7.61	7.81	8.21	16.21		
	4/15	13.03	11.50	10.61	10.11	10.51	11.11	12.31			
	5/15	15.16	13.70	12.81	12.60	13.40	15.41	21.61			
	6/15	17.56	16.10	15.31	15.90	19.30					
	7/15	19.23	17.77	17.01	18.80						
	8/15		19.87	19.13							

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	9/15		21.68	21.21							
	10/15										
	11/15										
	12/15										
	13/15										

**Table A.3.6** Required C/N (dB) for BER= $10^{-4}$  After LDPC and BCH Decoding  
Under TU-6 Channel (Short LDPC Codes)

		Mobile Velocity [km/h]									
		3	10	20	60	80	100	120	200	250	300
QPSK	2/15	-0.27	-1.81	-2.70	-3.49	-3.50	-3.48	-3.48	-3.18	-2.68	-2.08
	3/15	1.73	0.10	-0.80	-1.49	-1.50	-1.48	-1.48	-1.08	-0.38	0.52
	4/15	3.23	1.69	0.81	0.00	0.00	0.02	0.02	0.62	1.42	2.62
	5/15	4.53	2.98	2.10	1.31	1.30	1.32	1.32	2.12	3.12	4.92
	6/15	5.73	4.18	3.41	2.50	2.60	2.62	2.62	3.72	5.22	8.22
	7/15	6.83	5.29	4.48	3.70	3.70	3.82	3.92	5.22	7.42	13.33
	8/15	8.03	6.49	5.72	4.80	4.90	5.03	5.12	7.22	10.92	
	9/15	9.23	7.68	6.90	6.10	6.20	6.32	6.62	9.82		
	10/15	10.43	8.99	8.21	7.40	7.50	7.82	8.22			
	11/15	11.93	10.49	9.81	9.01	9.20	9.62	10.42			
	12/15	13.53	12.08	11.50	10.80	11.20	12.12	13.92			
	13/15	15.84	14.49	13.81	13.60	15.00	18.92				
16QAM	2/15	3.49	1.77	0.90	0.20	0.10	0.11	0.12	0.72	1.52	2.62
	3/15	5.76	4.17	3.41	2.60	2.60	2.61	2.72	3.72	5.22	9.13
	4/15	7.77	6.06	5.30	4.60	4.60	4.72	4.82	6.72	10.72	
	5/15	9.17	7.57	6.69	6.00	6.10	6.21	6.41	9.92		
	6/15	10.67	9.08	8.31	7.70	7.80	8.02	8.41			
	7/15	12.00	10.38	9.59	9.00	9.21	9.72	10.41			
	8/15	13.36	11.79	11.01	10.50	10.90	11.72	13.32			
	9/15	14.66	13.09	12.40	12.00	12.61	14.12	17.72			
	10/15	16.06	14.58	13.81	13.80	15.20	18.92				
	11/15	17.56	16.09	15.51	15.90	18.91					
	12/15	19.36	17.88	17.41	19.50						
	13/15	21.66	20.40	19.90							
64QAM	2/15	5.88	4.28	3.71	2.70	2.80	2.72	2.82	3.82	5.22	8.12
	3/15	8.58	6.89	6.11	5.31	5.50	5.52	5.72	8.71	17.22	
	4/15	10.89	9.04	8.60	7.70	8.00	8.21	8.61			
	5/15	12.56	10.89	10.20	9.60	9.80	10.43	11.41			
	6/15	14.46	12.78	12.11	11.71	12.31	13.72	17.01			
	7/15	16.06	14.38	13.71	13.51	14.71	17.91				
	8/15	17.56	16.00	15.28	15.61	18.51					
	9/15	19.08	17.60	17.02	18.51						
	10/15	20.66	19.08	18.60							
	11/15	22.58	20.98								
	12/15		23.37								
	13/15										
256QAM	2/15	7.77	6.16	5.50	4.61	4.60	4.71	4.91	6.61	9.61	
	3/15	10.87	9.26	8.61	7.80	7.90	8.31	8.81			
	4/15	13.37	11.76	11.20	10.61	11.00	12.02	14.31			
	5/15	15.27	13.90	13.20	12.81	13.81	16.62				
	6/15	17.68	16.10	15.61	15.90	18.91					
	7/15	19.47	17.90	17.64	19.51						
	8/15		19.87	19.41							

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	9/15		22.36	22.09							
	10/15										
	11/15										
	12/15										
	13/15										

## **Annex B: ATSC 3.0 Receiver C/N Model**

### **B.1 INTRODUCTION**

This section describes a method of calculating the ATSC 3.0 receiver C/N specification for different modulation parameter settings, assuming that a receiver implements channel estimation in the time domain using linear time interpolation. This method has been adopted for DVB-T2 in Clause 3.4.10.3 of [7], Clause 2.5.4 of [8], and in [9]. The description of the boosted pilot correction factor calculation is based on Clause 14.5 of [10].

Note that the performance values shown in : ATSC 3.0 Receiver C/N Model Annex B are computed based on the assumptions of receiver implementation losses, concerning the worst possible reception case. Therefore, the performance results of a receiver implemented according to the specification [3] are expected to be better than the values shown in Annex B.

### **B.2 METHOD**

The overall receiver tuner input C/N can be expressed by the following equation:

$$C/N = -10 \log_{10} [10^{-(C/N_{raw} + A + \Delta_{BP} + IM)/10} - 10^{P_x/10}] \quad [dB] \quad [Eq.1]$$

where

$C/N_{raw}$  = required raw BICM C/N in dB for BER=10<sup>-6</sup> after LDPC decoding (see Table 4.3 to Table 4.6 in Section 4.2.9 for these values)

$A = 0.5$  dB. The additional C/N in dB to achieve QEF BER=10<sup>-11</sup> after LDPC decoding

$\Delta_{BP}$  = correction for pilot boosting as defined in [8] (see Table B.4.1 for these values)

$IM$  is the Implementation Margin. This is the C/N loss due to real channel estimation ( $\Delta_{RCE}$ ), plus various other losses such as imperfect LDPC decoding, synchronization, demodulator fixed point losses and other imperfections not considered part of the backstop noise. These other losses are estimated to be approximately 0.5 dB.

Thus  $IM = \Delta_{RCE} + 0.5$  dB.  $\Delta_{RCE}$  is estimated in [Eq. 6] below.

$P_x$  = backstop or excess noise of transmitter and receiver. In this document, the transmitter contribution has been set to -50 dBc, representing a good quality transmitter with minimal contribution to the overall  $P_x$ . The receiver contribution has been set to the standard value of -33 dBc for QPSK, 16QAM, 64QAM and 256QAM. A tighter value of -38 dBc was used for 1024QAM and 4096QAM. For further information on  $P_x$  see the note below.

Note on  $P_x$ :

In the transmitter, the contribution to  $P_x$  represents the non-ideal characteristics of the transmitted signal, such as the presence of intermodulation products.

In a receiver,  $P_x$  corresponds mainly to the effect of the noise floor of the tuner plus local oscillator phase noise and quantization effects of the demodulator Analog to Digital Converter (ADC). These have the effect of raising the required receiver tuner input C/N so that the demodulator sees the correct C/N to demodulate the signal.  $P_x$  is more dominant at high values of



$C/N_{raw}$  which, when combined with the other terms of [Eq. 1], start to approach the value of  $-P_x$ . The value of  $P_x$  for 4096QAM needs more verification from actual receiver measurements when they become available but for the time being it is set to the same value as for 1024QAM to allow comparisons of performance requirements. Note that for a Rayleigh channel, even -38 dBc is not sufficient for 4096QAM 13/15 code rate because the other terms of the  $C/N$  in [Eq. 1] exceed 38 dBc in a Rayleigh channel; that is, a value better than -38 dBc might be needed for 4096QAM if used in a Rayleigh channel.

### B.2.1 Calculation of Boosted Pilot Correction Factor

The ideal  $E_s/N_o$  or  $C/N_{raw}$  simulation values are for BICM only and do not take into account the decreased received signal power due to boosted pilots. This means the receiver  $C/N$  specification is increased by a small amount  $\Delta_{BP}$  to compensate for the fact that the data carriers are of lower power compared to the total signal power.

$$\Delta_{BP} = 10 \log_{10} \left( \frac{\text{Total Symbol Power}}{\text{Non Boosted Symbol Power}} \right)$$

So:

$$\Delta_{BP} = 10 \log_{10} \left( \frac{\text{Total Symbol Power}}{\text{NoC}} \right) \quad [\text{Eq. 2}]$$

where:

Total symbol power is given in Tables I.2.1 to I.2.5 of the ATSC 3.0 physical layer specification A/322 [3]. The total symbol power given in these tables also varies with the amplitude value of the scattered pilot boost factor **L1D\_scattered\_pilot\_boost** as listed in Table 9.15 of [3].

NoC = number of useful carriers/symbol (each carrier has a nominal unboosted power of 1). NoC varies with the value of  $C_{red\_coeff}$  so that must also be taken into account. NoC is given in Table 7.1 of [3]. Pre-calculated values of  $\Delta_{BP}$  are given in Table B.4.1.

### B.2.2 Estimation of Channel Estimation Loss

In a practical receiver, each received data carrier is divided by the channel frequency response estimate at that particular carrier frequency. However, errors in the interpolation of the scattered pilots used to calculate the channel estimate and the effects of added noise cause the resulting data carrier estimate to contain an error, which increases the implementation loss of receivers. The accuracy of this noisy channel estimate derived from the scattered pilots depends on the degree of pilot boosting as well as the accuracy of scattered pilot interpolation. However, summing the contributions from different pilots in the interpolator also has the effect of averaging the noise slightly resulting in a small noise gain. This noise gain can also be taken into account in estimating the channel estimation loss.

Assume that the interpolator changes the noise-power in the pilot-based measurements by a ‘noise-gain’ factor  $f_{INT}$ , so that  $f_{INT} < 1$  corresponds to a reduction in the noise power. Assuming that the noise added to all carriers, pilot and data, has the same power, it follows that the SNRs (in linear power ratios) for the data carriers and interpolated channel estimates can be related as follows:

$$SNR_{channel-estimate} = \frac{L1D\_scattered\_pilot\_boost^2 SNR_{data}}{f_{INT}} \quad [\text{Eq. 3}]$$

$f_{INT}$  actually varies from carrier to carrier due to the different phases within the two-dimensional frequency/time structure of the scattered pilot patterns, but it is possible to estimate an average value of  $f_{INT}$ .

### B.2.3 Estimation of Average Value of $f_{INT}$

Assuming the pilot patterns are chosen in relation to the guard intervals to allow operation approaching the Nyquist limit, there is very little noise gain in the frequency interpolator. Therefore, it is assumed that the noise-gain contribution from frequency interpolation is approximately unity and can be ignored.

The time interpolator is assumed to be a linear interpolator which does offer some noise gain benefit depending upon the value of  $D_y$ .

- 1) For scattered pilot patterns with  $D_y$  of 2, the two phases of the interpolator will be either lying on a pilot, or be half way between two pilots. Therefore, the average noise gain is:

$$f_{INT} = \frac{1^2 + (0.5^2 + 0.5^2)}{2} = \mathbf{0.75} \quad [\text{Eq. 4}]$$

- 2) For scattered pilot patterns with  $D_y$  of 4, the four phases of the interpolator will be either lying on a pilot, or be quarter or half way between two pilots. Therefore, the average noise gain  $f_{INT}$  is:

$$f_{INT} = \frac{1^2 + (0.75^2 + 0.25^2) + (0.5^2 + 0.5^2) + (0.25^2 + 0.75^2)}{4} = \mathbf{0.6875} \quad [\text{Eq. 5}]$$

The SNR of the channel estimates will affect the SNR of the equalized data carriers. Using the normal method of combining SNRs, the SNR of the equalized data carriers can be estimated as:

$$\frac{1}{SNR_{eq-data}} = \frac{1}{SNR_{data}} + \frac{1}{SNR_{channel-estimate}}$$

So from [Eq. 3]:

$$\frac{1}{SNR_{eq-data}} = \frac{1}{SNR_{data}} \left( 1 + \frac{f_{INT}}{L1D\_scattered\_pilot\_boost^2} \right)$$

So the channel estimation loss  $\Delta_{RCE}$  can be written as:

$$\Delta_{RCE} = \frac{SNR_{data}}{SNR_{eq-data}}$$

So:

$$\Delta_{RCE} = 10 \text{ Log}_{10} \left( 1 + \frac{f_{INT}}{L1D\_scattered\_pilot\_boost^2} \right) \quad [\text{Eq. 6}]$$

Pre-calculated values of  $\Delta_{RCE}$  are given in Table B.5.1.

Tables of C/N based on this model are given in Table B.6.1 – Table B.6.15.

### B.3 EXAMPLE C/N CALCULATION

An example calculation is given below assuming the following parameters:

32K FFT, 256QAM, 13/15 code rate,  $D_y = 2$ , Guard interval 1024 samples, SP12\_2, 64K LDPC size

$L1D\_scattered\_pilot\_boost = 1$ ,  $C_{red\_coeff} = 0$ ,  $D_y = 2$

Receiver  $P_x = -33$  dBc for 256QAM. Transmitter  $P_x = -50$  dBc

$$C/N = -10 \log_{10} [10^{-(C/N_{raw} + A + \Delta_{BP} + IM)/10} - 10^{P_x/10}] \quad [dB]$$

$$C/N_{raw} = \mathbf{22.224 \text{ dB}}$$

$$A = 0.5 \text{ dB}$$

$$\Delta_{BP} = 10 \log_{10} \left( \frac{\text{Total Symbol Power}}{\text{NoC}} \right) = 10 \log_{10} \left( \frac{30080.16}{27649} \frac{\text{(from table I.2.1 [3])}}{\text{(from table 8.8 [3])}} \right) = \mathbf{0.366 \text{ dB}}$$

$$\Delta_{RCE} = 10 \log_{10} \left( 1 + \frac{f_{INT}}{L1D\_scattered\_pilot\_boost^2} \right)$$

$$f_{INT} = \mathbf{0.75} \text{ for } D_y = 2$$

$$L1D\_scattered\_pilot\_boost = 3.2 \text{ dB or } 1.445 \text{ in linear terms from Table 9.14 of [3]}$$

$$\text{So } \Delta_{RCE} = 10 \log_{10} \left( 1 + \frac{0.75}{1.445^2} \right) = \mathbf{1.332 \text{ dB}}$$

$$\text{so } IM = \Delta_{RCE} + 0.5 = \mathbf{1.832 \text{ dB}}$$

$$P_x = 10 \log_{10} [10^{-33/10} + 10^{-50/10}] = \mathbf{-32.914 \text{ dB}}$$

$$\text{So } CNR = -10 \log_{10} [10^{-(22.224 + 0.5 + 0.366 + 1.832)/10} - 10^{-32.914/10}] = \mathbf{25.7 \text{ dB}}$$

**B.4 EXAMPLE CALCULATED VALUES OF  $\Delta_{BP}$** **Table B.4.1** Calculated Values of  $\Delta_{BP}$ 

Cred_coeff		0					1					2					3					4				
L1D_scattered_pilot_boost		000	001	010	011	100	000	001	010	011	100	000	001	010	011	100	000	001	010	011	100	000	001	010	011	100
8K FFT	SP3_2	0.18	0.18	0.44	0.62	0.80	0.18	0.18	0.44	0.62	0.80	0.18	0.18	0.44	0.62	0.80	0.18	0.18	0.44	0.62	0.80	0.18	0.18	0.44	0.62	0.79
	SP3_4	0.18	0.31	0.50	0.64	0.75	0.18	0.31	0.50	0.65	0.76	0.18	0.31	0.50	0.65	0.76	0.18	0.31	0.50	0.64	0.75	0.18	0.31	0.50	0.64	0.75
	SP4_2	0.18	0.26	0.49	0.67	0.81	0.18	0.26	0.50	0.67	0.81	0.18	0.26	0.50	0.67	0.81	0.18	0.26	0.49	0.67	0.81	0.18	0.26	0.49	0.67	0.81
	SP4_4	0.18	0.34	0.51	0.62	0.73	0.18	0.34	0.51	0.62	0.73	0.18	0.34	0.51	0.62	0.73	0.18	0.34	0.51	0.62	0.73	0.18	0.34	0.51	0.62	0.73
	SP6_2	0.18	0.33	0.53	0.68	0.79	0.18	0.34	0.53	0.68	0.79	0.18	0.33	0.53	0.68	0.79	0.18	0.33	0.53	0.68	0.79	0.18	0.33	0.53	0.68	0.79
	SP6_4	0.18	0.35	0.49	0.59	0.68	0.18	0.36	0.49	0.60	0.68	0.18	0.35	0.49	0.60	0.68	0.18	0.35	0.49	0.59	0.68	0.18	0.35	0.49	0.59	0.68
	SP8_2	0.18	0.35	0.53	0.65	0.76	0.18	0.35	0.53	0.65	0.77	0.18	0.35	0.53	0.65	0.77	0.18	0.35	0.53	0.65	0.76	0.18	0.35	0.53	0.65	0.76
	SP8_4	0.18	0.35	0.47	0.56	0.63	0.18	0.35	0.47	0.56	0.63	0.18	0.35	0.47	0.56	0.63	0.18	0.35	0.47	0.56	0.63	0.18	0.35	0.47	0.56	0.63
	SP12_2	0.18	0.37	0.51	0.62	0.70	0.18	0.37	0.51	0.62	0.70	0.18	0.37	0.51	0.62	0.70	0.18	0.37	0.51	0.62	0.70	0.18	0.37	0.51	0.62	0.70
	SP12_4	0.18	0.34	0.44	0.52	0.57	0.18	0.34	0.44	0.52	0.58	0.18	0.34	0.44	0.52	0.58	0.18	0.34	0.44	0.52	0.58	0.18	0.34	0.44	0.51	0.57
	SP16_2	0.18	0.36	0.48	0.58	0.65	0.18	0.36	0.49	0.58	0.65	0.18	0.36	0.48	0.58	0.65	0.18	0.36	0.48	0.58	0.65	0.18	0.36	0.48	0.58	0.65
	SP16_4	0.18	0.33	0.42	0.49	0.54	0.18	0.33	0.42	0.49	0.54	0.18	0.34	0.42	0.49	0.55	0.18	0.33	0.42	0.49	0.54	0.18	0.33	0.42	0.49	0.54
	SP24_2	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
	SP24_4	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
16K FFT	SP32_2	0.18	0.34	0.43	0.49	0.56	0.18	0.34	0.43	0.49	0.56	0.18	0.34	0.43	0.49	0.56	0.18	0.34	0.43	0.49	0.56	0.18	0.34	0.43	0.49	0.56
	SP32_4	0.18	0.31	0.37	0.42	0.46	0.18	0.31	0.37	0.42	0.45	0.18	0.31	0.37	0.42	0.46	0.18	0.31	0.37	0.42	0.46	0.18	0.31	0.37	0.42	0.46
	SP3_2	0.18	0.18	0.44	0.62	0.80	0.18	0.18	0.44	0.62	0.80	0.18	0.18	0.44	0.62	0.79	0.18	0.18	0.44	0.62	0.80	0.18	0.18	0.44	0.62	0.79
	SP3_4	0.18	0.31	0.50	0.64	0.75	0.18	0.31	0.50	0.64	0.75	0.18	0.31	0.50	0.64	0.75	0.18	0.31	0.50	0.64	0.75	0.18	0.31	0.50	0.64	0.75
	SP4_2	0.18	0.26	0.49	0.67	0.81	0.18	0.26	0.50	0.67	0.81	0.18	0.26	0.49	0.67	0.81	0.18	0.26	0.49	0.67	0.81	0.18	0.26	0.49	0.67	0.81
	SP4_4	0.18	0.34	0.51	0.62	0.73	0.18	0.34	0.51	0.62	0.73	0.18	0.34	0.51	0.62	0.73	0.18	0.34	0.51	0.62	0.73	0.18	0.34	0.50	0.62	0.73
	SP6_2	0.18	0.33	0.53	0.68	0.79	0.18	0.34	0.53	0.68	0.79	0.18	0.33	0.53	0.68	0.79	0.18	0.33	0.53	0.68	0.79	0.18	0.33	0.53	0.68	0.79
	SP6_4	0.18	0.35	0.49	0.59	0.67	0.18	0.35	0.49	0.59	0.68	0.18	0.35	0.49	0.59	0.67	0.18	0.35	0.49	0.59	0.67	0.18	0.35	0.49	0.59	0.67
	SP8_2	0.18	0.35	0.53	0.65	0.76	0.18	0.35	0.53	0.65	0.77	0.18	0.35	0.53	0.65	0.76	0.18	0.35	0.53	0.65	0.76	0.18	0.35	0.53	0.65	0.76
	SP8_4	0.18	0.35	0.46	0.56	0.63	0.18	0.35	0.47	0.56	0.63	0.18	0.35	0.46	0.56	0.63	0.18	0.35	0.46	0.56	0.63	0.18	0.35	0.46	0.55	0.63
	SP12_2	0.18	0.37	0.51	0.62	0.70	0.18	0.37	0.51	0.62	0.70	0.18	0.37	0.51	0.62	0.70	0.18	0.37	0.51	0.62	0.70	0.18	0.37	0.51	0.62	0.70
	SP12_4	0.18	0.34	0.44	0.51	0.57	0.18	0.34	0.44	0.51	0.57	0.18	0.34	0.43	0.51	0.57	0.18	0.34	0.44	0.51	0.57	0.18	0.34	0.43	0.51	0.57
	SP16_2	0.18	0.36	0.48	0.58	0.65	0.18	0.36	0.48	0.58	0.65	0.18	0.36	0.48	0.58	0.65	0.18	0.36	0.48	0.58	0.65	0.18	0.36	0.48	0.58	0.65
	SP16_4	0.18	0.33	0.42	0.48	0.54	0.18	0.33	0.42	0.49	0.54	0.18	0.33	0.42	0.48	0.54	0.18	0.33	0.42	0.49	0.54	0.18	0.33	0.42	0.48	0.54
32K FFT	SP24_2	0.18	0.35	0.45	0.53	0.59	0.18	0.35	0.45	0.53	0.59	0.18	0.35	0.45	0.53	0.59	0.18	0.35	0.45	0.53	0.59	0.18	0.35	0.45	0.53	0.59
	SP24_4	0.18	0.32	0.39	0.44	0.49	0.18	0.32	0.39	0.45	0.49	0.18	0.32	0.39	0.44	0.49	0.18	0.32	0.39	0.44	0.49	0.18	0.31	0.39	0.44	0.49
	SP32_2	0.18	0.34	0.43	0.49	0.55	0.18	0.34	0.43	0.49	0.56	0.18	0.34	0.43	0.49	0.55	0.18	0.34	0.43	0.49	0.55	0.18	0.34	0.43	0.49	0.55
	SP32_4	0.18	0.30	0.37	0.41	0.45	0.18	0.30	0.37	0.41	0.45	0.18	0.30	0.37	0.41	0.45	0.18	0.30	0.36	0.41	0.45	0.18	0.30	0.37	0.41	0.45
	SP3_2	0.18	0.18	0.44	0.62	0.79	0.18	0.18	0.44	0.62	0.80	0.18	0.18	0.44	0.62	0.79	0.18	0.18	0.44	0.62	0.79	0.18	0.18	0.44	0.62	0.79
	SP3_4	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
32K FFT	SP4_2	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
	SP4_4	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
	SP6_2	0.18	0.33	0.53	0.68	0.79	0.18	0.34	0.53	0.68	0.79	0.18	0.33	0.53	0.68	0.79	0.18	0.33	0.53	0.68	0.79	0.18	0.33	0.53	0.68	0.79
	SP6_4	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A

	SP8_2	0.18	0.35	0.53	0.65	0.76	0.18	0.35	0.53	0.65	0.76	0.18	0.35	0.53	0.65	0.76	0.18	0.35	0.53	0.65	0.76	0.18	0.35	0.53	0.64	0.76
	SP8_4	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
	SP12_2	0.18	0.37	0.51	0.62	0.70	0.18	0.37	0.51	0.62	0.70	0.18	0.37	0.51	0.61	0.70	0.18	0.37	0.51	0.62	0.70	0.18	0.36	0.51	0.61	0.70
	SP12_4	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
	SP16_2	0.18	0.36	0.48	0.58	0.65	0.18	0.36	0.48	0.58	0.65	0.18	0.36	0.48	0.57	0.65	0.18	0.36	0.48	0.58	0.65	0.18	0.36	0.48	0.57	0.65
	SP16_4	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
	SP24_2	0.18	0.35	0.45	0.53	0.59	0.18	0.35	0.45	0.53	0.59	0.18	0.35	0.45	0.53	0.59	0.18	0.35	0.45	0.53	0.59	0.18	0.35	0.45	0.52	0.59
	SP24_4	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A
	SP32_2	0.18	0.34	0.43	0.49	0.55	0.18	0.34	0.43	0.49	0.55	0.18	0.34	0.43	0.49	0.55	0.18	0.34	0.43	0.49	0.55	0.18	0.34	0.43	0.49	0.55
	SP32_4	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A	N/A

## B.5 CALCULATED VALUES OF $\Delta_{RCE}$

Table B.5.1 Calculated Values of  $\Delta_{RCE}$

Pilot Pattern SISO	L1D_scattered_pilot_boost →	Calculated Real Channel Estimation Loss $\Delta_{RCE}$ (dB)							
		000	001	010	011	100	101	110	111
SP3_2		2.430	2.430	1.885	1.619	1.413	RFU	RFU	RFU
SP3_4		2.272	1.755	1.312	1.094	0.968	RFU	RFU	RFU
SP4_2		2.430	2.183	1.651	1.386	1.230	RFU	RFU	RFU
SP4_4		2.272	1.535	1.140	0.968	0.837	RFU	RFU	RFU
SP6_2		2.430	1.815	1.359	1.135	1.004	RFU	RFU	RFU
SP6_4		2.272	1.286	0.948	0.786	0.692	RFU	RFU	RFU
SP8_2		2.430	1.619	1.181	1.004	0.868	RFU	RFU	RFU
SP8_4		2.272	1.140	0.837	0.692	0.609	RFU	RFU	RFU
SP12_2		2.430	1.332	0.983	0.816	0.718	RFU	RFU	RFU
SP12_4		2.272	0.948	0.692	0.570	0.501	RFU	RFU	RFU
SP16_2		2.430	1.181	0.868	0.718	0.632	RFU	RFU	RFU
SP16_4		2.272	0.819	0.596	0.490	0.430	RFU	RFU	RFU
SP24_2		2.430	0.983	0.718	0.593	0.521	RFU	RFU	RFU
SP24_4		2.272	0.677	0.490	0.403	0.353	RFU	RFU	RFU
SP32_2		2.430	0.850	0.619	0.521	0.447	RFU	RFU	RFU
SP32_4		2.272	0.596	0.430	0.353	0.309	RFU	RFU	RFU

## B.6 EXPECTED RECEIVER AWGN C/N BASED ON CALCULATION MODEL

This section contains the RF guidelines for expected receiver performance with 8K, 16K and 32K FFT modes. Tables are color-coded such that a cell with a background color of GREEN indicates a mandatory ModCod combination, while a cell with a background color of GRAY indicates a non-mandatory ModCod combination.

All entries are in units of dB and are for the following conditions:

$L1D\_scattered\_pilot\_boost = 001$ ,

$C_{red\_coeff} = 0$ ,

LDPC code length = 64800

$D_y = 4$  for 8K and 16K FFT,  $D_y = 2$  for 32K FFT,

Receiver  $P_x = -33$  dBc for QPSK, 16QAM, 64QAM and 256QAM.

Receiver  $P_x = -38$  dBc for 1024QAM and 4096QAM (preliminary placeholder value – requires further study),

Transmitter  $P_x = -50$  dBc

Compared to the expected C/N range of current digital television receivers, A/322 covers a much larger range of C/N values (see Section 3.4.10.3 of [7]), both in the very noisy range below 0 dB and also the very high C/N range above 35 dB. Care should be exercised when expecting consumer receivers to conform to the values in these ranges and further study of the performance of actual commercial receivers and refinement of the values may be needed.

**Table B.6.1** Gaussian Channel 8K FFT, QPSK Expected C/N Values

FFT Size: 8K			GI: 192 samples (D <sub>x</sub> =16)	GI: 384 samples (D <sub>x</sub> =8)	GI: 512 samples (D <sub>x</sub> =6)	GI: 768 samples (D <sub>x</sub> =4)	GI: 1024 samples (D <sub>x</sub> =3)	GI: 1536 samples (D <sub>x</sub> =4)	GI: 2048 samples (D <sub>x</sub> =3)
Mod	Code-length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
QPSK	64800	2/15	-4.1	-3.7	-3.6	-3.4	-3.2	-3.4	-3.2
		3/15	-2.2	-1.8	-1.7	-1.4	-1.3	-1.4	-1.3
		4/15	-0.7	-0.4	-0.3	0.0	0.2	0.0	0.2
		5/15	0.5	0.8	0.9	1.2	1.4	1.2	1.4
		6/15	1.6	1.9	2.1	2.3	2.5	2.3	2.5
		7/15	2.5	2.8	2.9	3.2	3.4	3.2	3.4
		8/15	3.3	3.7	3.8	4.0	4.2	4.0	4.2
		9/15	4.1	4.5	4.6	4.9	5.0	4.9	5.0
		10/15	4.9	5.3	5.4	5.7	5.8	5.7	5.8
		11/15	5.8	6.1	6.3	6.5	6.7	6.5	6.7
		12/15	6.7	7.0	7.1	7.4	7.6	7.4	7.6
		13/15	7.7	8.0	8.2	8.4	8.6	8.4	8.6
QPSK	16200	2/15	-3.4	-3.1	-2.9	-2.7	-2.5	-2.7	-2.5
		3/15	-1.6	-1.2	-1.1	-0.9	-0.7	-0.9	-0.7
		4/15	-0.2	0.2	0.3	0.6	0.7	0.6	0.7
		5/15	0.9	1.2	1.3	1.6	1.8	1.6	1.8
		6/15	1.8	2.2	2.3	2.5	2.7	2.5	2.7
		7/15	2.7	3.1	3.2	3.4	3.6	3.4	3.6
		8/15	3.5	3.9	4.0	4.3	4.4	4.3	4.4
		9/15	4.4	4.7	4.8	5.1	5.3	5.1	5.3
		10/15	5.1	5.4	5.6	5.8	6.0	5.8	6.0
		11/15	6.0	6.3	6.5	6.7	6.9	6.7	6.9
		12/15	6.9	7.2	7.4	7.6	7.8	7.6	7.8
		13/15	7.9	8.3	8.4	8.6	8.8	8.6	8.8

**Table B.6.2** Gaussian Channel 8K FFT, 16QAM Expected C/N Values

FFT Size: 8K			GI: 192 samples (D <sub>x</sub> =16)	GI: 384 samples (D <sub>x</sub> =8)	GI: 512 samples (D <sub>x</sub> =6)	GI: 768 samples (D <sub>x</sub> =4)	GI: 1024 samples (D <sub>x</sub> =3)	GI: 1536 samples (D <sub>x</sub> =4)	GI: 2048 samples (D <sub>x</sub> =3)
Mod	Code-length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
16QAM	64800	2/15	-0.6	-0.2	-0.1	0.2	0.3	0.2	0.3
		3/15	1.9	2.2	2.4	2.6	2.8	2.6	2.8
		4/15	3.6	4.0	4.1	4.3	4.5	4.3	4.5
		5/15	5.0	5.3	5.5	5.7	5.9	5.7	5.9
		6/15	6.4	6.7	6.9	7.1	7.3	7.1	7.3
		7/15	7.4	7.7	7.9	8.1	8.3	8.1	8.3
		8/15	8.5	8.8	9.0	9.2	9.4	9.2	9.4
		9/15	9.5	9.8	10.0	10.2	10.4	10.2	10.4
		10/15	10.5	10.9	11.0	11.3	11.5	11.3	11.5
		11/15	11.7	12.0	12.2	12.4	12.6	12.4	12.6
		12/15	12.8	13.1	13.3	13.5	13.7	13.5	13.7
		13/15	14.0	14.4	14.5	14.8	15.0	14.8	15.0
16QAM	16200	2/15	0.0	0.3	0.5	0.7	0.9	0.7	0.9
		3/15	2.5	2.8	3.0	3.2	3.4	3.2	3.4
		4/15	4.1	4.5	4.6	4.9	5.1	4.9	5.1
		5/15	5.3	5.7	5.8	6.0	6.2	6.0	6.2
		6/15	6.6	6.9	7.1	7.3	7.5	7.3	7.5
		7/15	7.7	8.0	8.2	8.4	8.6	8.4	8.6
		8/15	8.7	9.0	9.2	9.4	9.6	9.4	9.6
		9/15	9.8	10.1	10.2	10.5	10.7	10.5	10.7
		10/15	10.8	11.1	11.3	11.5	11.7	11.5	11.7
		11/15	11.9	12.3	12.4	12.7	12.9	12.7	12.9
		12/15	13.0	13.4	13.5	13.7	13.9	13.7	13.9
		13/15	14.3	14.6	14.8	15.0	15.2	15.0	15.2



**Table B.6.3** Gaussian Channel 8K FFT, 64QAM Expected C/N Values

FFT Size: 8K			GI: 192 samples (D <sub>x</sub> =16)	GI: 384 samples (D <sub>x</sub> =8)	GI: 512 samples (D <sub>x</sub> =6)	GI: 768 samples (D <sub>x</sub> =4)	GI: 1024 samples (D <sub>x</sub> =3)	GI: 1536 samples (D <sub>x</sub> =4)	GI: 2048 samples (D <sub>x</sub> =3)
Mod	Code-length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
64QAM	64800	2/15	1.9	2.2	2.4	2.6	2.8	2.6	2.8
		3/15	4.4	4.8	4.9	5.2	5.3	5.2	5.3
		4/15	6.3	6.6	6.8	7.0	7.2	7.0	7.2
		5/15	8.1	8.5	8.6	8.9	9.0	8.9	9.0
		6/15	9.8	10.2	10.3	10.6	10.8	10.6	10.8
		7/15	11.1	11.4	11.6	11.8	12.0	11.8	12.0
		8/15	12.5	12.8	13.0	13.2	13.4	13.2	13.4
		9/15	13.8	14.1	14.3	14.5	14.7	14.5	14.7
		10/15	15.1	15.4	15.6	15.8	16.0	15.8	16.0
		11/15	16.5	16.9	17.0	17.3	17.5	17.3	17.5
		12/15	17.9	18.2	18.4	18.6	18.8	18.6	18.8
		13/15	19.4	19.7	19.9	20.1	20.3	20.1	20.3
64QAM	16200	2/15	2.5	2.8	3.0	3.2	3.4	3.2	3.4
		3/15	5.0	5.3	5.5	5.7	5.9	5.7	5.9
		4/15	6.8	7.1	7.3	7.5	7.7	7.5	7.7
		5/15	8.5	8.8	9.0	9.2	9.4	9.2	9.4
		6/15	10.1	10.4	10.6	10.8	11.0	10.8	11.0
		7/15	11.5	11.8	12.0	12.2	12.4	12.2	12.4
		8/15	12.8	13.1	13.2	13.5	13.7	13.5	13.7
		9/15	14.0	14.4	14.5	14.8	15.0	14.8	15.0
		10/15	15.4	15.7	15.9	16.1	16.3	16.1	16.3
		11/15	16.8	17.1	17.3	17.5	17.7	17.5	17.7
		12/15	18.2	18.5	18.7	18.9	19.1	18.9	19.1
		13/15	19.7	20.0	20.2	20.4	20.6	20.4	20.6

**Table B.6.4** Gaussian Channel 8K FFT, 256QAM Expected C/N Values

FFT Size: 8K			GI: 192 samples (D <sub>x</sub> =16)	GI: 384 samples (D <sub>x</sub> =8)	GI: 512 samples (D <sub>x</sub> =6)	GI: 768 samples (D <sub>x</sub> =4)	GI: 1024 samples (D <sub>x</sub> =3)	GI: 1536 samples (D <sub>x</sub> =4)	GI: 2048 samples (D <sub>x</sub> =3)
Mod	Code-length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
256QAM	64800	2/15	3.8	4.1	4.2	4.5	4.7	4.5	4.7
		3/15	6.5	6.8	6.9	7.2	7.4	7.2	7.4
		4/15	8.7	9.1	9.2	9.5	9.7	9.5	9.7
		5/15	10.7	11.0	11.2	11.4	11.6	11.4	11.6
		6/15	12.8	13.1	13.3	13.5	13.7	13.5	13.7
		7/15	14.3	14.7	14.8	15.0	15.2	15.0	15.2
		8/15	16.2	16.5	16.7	16.9	17.1	16.9	17.1
		9/15	17.8	18.2	18.3	18.6	18.8	18.6	18.8
		10/15	19.5	19.8	20.0	20.2	20.4	20.2	20.4
		11/15	21.2	21.6	21.7	22.0	22.2	22.0	22.2
		12/15	23.0	23.4	23.6	23.8	24.0	23.8	24.0
		13/15	25.0	25.4	25.6	25.9	26.1	25.9	26.1
256QAM	16200	2/15	4.4	4.8	4.9	5.2	5.3	5.2	5.3
		3/15	6.9	7.3	7.4	7.7	7.9	7.7	7.9
		4/15	9.4	9.7	9.8	10.1	10.3	10.1	10.3
		5/15	11.1	11.5	11.6	11.8	12.0	11.8	12.0
		6/15	13.1	13.4	13.6	13.8	14.0	13.8	14.0
		7/15	14.8	15.1	15.3	15.5	15.7	15.5	15.7
		8/15	16.5	16.8	17.0	17.2	17.4	17.2	17.4
		9/15	18.1	18.4	18.6	18.8	19.0	18.8	19.0
		10/15	19.8	20.2	20.3	20.6	20.8	20.6	20.8
		11/15	21.5	21.9	22.1	22.3	22.5	22.3	22.5
		12/15	23.4	23.8	23.9	24.2	24.4	24.2	24.4
		13/15	25.4	25.8	26.0	26.3	26.5	26.3	26.5

**Table B.6.5** Gaussian Channel 8K FFT, 1024 and 4096QAM Expected C/N Values

FFT Size: 8K			GI: 192 samples (D <sub>x</sub> =16)	GI: 384 samples (D <sub>x</sub> =8)	GI: 512 samples (D <sub>x</sub> =6)	GI: 768 samples (D <sub>x</sub> =4)	GI: 1024 samples (D <sub>x</sub> =3)	GI: 1536 samples (D <sub>x</sub> =4)	GI: 2048 samples (D <sub>x</sub> =3)
Mod	Code-length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
1024QAM	64800	2/15	5.4	5.7	5.9	6.1	6.3	6.1	6.3
		3/15	8.3	8.7	8.8	9.0	9.2	9.0	9.2
		4/15	10.9	11.3	11.4	11.7	11.8	11.7	11.8
		5/15	13.2	13.6	13.7	14.0	14.2	14.0	14.2
		6/15	15.6	16.0	16.1	16.4	16.6	16.4	16.6
		7/15	17.5	17.8	18.0	18.2	18.4	18.2	18.4
		8/15	19.7	20.0	20.2	20.4	20.6	20.4	20.6
		9/15	21.7	22.1	22.2	22.4	22.6	22.4	22.6
		10/15	23.7	24.0	24.2	24.4	24.6	24.4	24.6
		11/15	25.9	26.2	26.4	26.6	26.8	26.6	26.8
		12/15	28.1	28.5	28.7	28.9	29.2	28.9	29.2
		13/15	30.5	30.9	31.1	31.4	31.6	31.4	31.6
4096QAM	64800	2/15	6.7	7.1	7.2	7.5	7.6	7.5	7.6
		3/15	10.0	10.3	10.5	10.7	10.9	10.7	10.9
		4/15	12.9	13.2	13.4	13.6	13.8	13.6	13.8
		5/15	15.6	16.0	16.1	16.4	16.6	16.4	16.6
		6/15	18.2	18.6	18.7	19.0	19.2	19.0	19.2
		7/15	20.4	20.8	20.9	21.2	21.4	21.2	21.4
		8/15	23.0	23.3	23.5	23.7	23.9	23.7	23.9
		9/15	25.5	25.8	26.0	26.2	26.4	26.2	26.4
		10/15	28.2	28.5	28.7	29.0	29.2	29.0	29.2
		11/15	31.1	31.5	31.7	32.0	32.3	32.0	32.3
		12/15	34.0	34.5	34.7	35.1	35.4	35.1	35.4
		13/15	38.3	39.0	39.4	40.0	40.5	40.0	40.5

**Table B.6.6** Gaussian Channel 16K FFT, QPSK Expected C/N Values

FFT Size: 16K			GI: 192 samples (D <sub>x</sub> =32)	GI: 384 samples (D <sub>x</sub> =16)	GI: 512 samples (D <sub>x</sub> =12)	GI: 768 samples (D <sub>x</sub> =8)	GI: 1024 samples (D <sub>x</sub> =6)	GI: 1536 samples (D <sub>x</sub> =4)	GI: 2048 samples (D <sub>x</sub> =3)	GI: 2432 samples (D <sub>x</sub> =3)	GI: 3072 samples (D <sub>x</sub> =4)	GI: 3648 samples (D <sub>x</sub> =4)	GI: 4096 samples (D <sub>x</sub> =3)
Mod	Code- length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
QPSK	64800	2/15	-4.3	-4.1	-3.9	-3.7	-3.6	-3.4	-3.2	-3.2	-3.4	-3.4	-3.2
		3/15	-2.4	-2.2	-2.0	-1.8	-1.7	-1.4	-1.3	-1.3	-1.4	-1.4	-1.3
		4/15	-1.0	-0.7	-0.6	-0.4	-0.3	0.0	0.2	0.2	0.0	0.0	0.2
		5/15	0.2	0.5	0.6	0.8	0.9	1.2	1.4	1.4	1.2	1.2	1.4
		6/15	1.4	1.6	1.7	1.9	2.1	2.3	2.5	2.5	2.3	2.3	2.5
		7/15	2.2	2.5	2.6	2.8	2.9	3.2	3.4	3.4	3.2	3.2	3.4
		8/15	3.1	3.3	3.4	3.7	3.8	4.0	4.2	4.2	4.0	4.0	4.2
		9/15	3.9	4.1	4.3	4.5	4.6	4.9	5.0	5.0	4.9	4.9	5.0
		10/15	4.7	4.9	5.1	5.3	5.4	5.7	5.8	5.8	5.7	5.7	5.8
		11/15	5.5	5.8	5.9	6.1	6.3	6.5	6.7	6.7	6.5	6.5	6.7
		12/15	6.4	6.6	6.8	7.0	7.1	7.4	7.6	7.6	7.4	7.4	7.6
		13/15	7.4	7.7	7.8	8.0	8.2	8.4	8.6	8.6	8.4	8.4	8.6
QPSK	16200	2/15	-3.7	-3.4	-3.3	-3.1	-2.9	-2.7	-2.5	-2.5	-2.7	-2.7	-2.5
		3/15	-1.8	-1.6	-1.4	-1.2	-1.1	-0.9	-0.7	-0.7	-0.9	-0.9	-0.7
		4/15	-0.4	-0.2	0.0	0.2	0.3	0.6	0.7	0.7	0.6	0.6	0.7
		5/15	0.6	0.9	1.0	1.2	1.3	1.6	1.8	1.8	1.6	1.6	1.8
		6/15	1.6	1.8	2.0	2.2	2.3	2.5	2.7	2.7	2.5	2.5	2.7
		7/15	2.5	2.7	2.9	3.1	3.2	3.4	3.6	3.6	3.4	3.4	3.6
		8/15	3.3	3.5	3.7	3.9	4.0	4.3	4.4	4.4	4.3	4.3	4.4
		9/15	4.1	4.4	4.5	4.7	4.8	5.1	5.3	5.3	5.1	5.1	5.3
		10/15	4.8	5.1	5.2	5.4	5.6	5.8	6.0	6.0	5.8	5.8	6.0
		11/15	5.7	6.0	6.1	6.3	6.5	6.7	6.9	6.9	6.7	6.7	6.9
		12/15	6.6	6.9	7.0	7.2	7.4	7.6	7.8	7.8	7.6	7.6	7.8
		13/15	7.7	7.9	8.1	8.3	8.4	8.6	8.8	8.8	8.6	8.6	8.8

**Table B.6.7** Gaussian Channel 16K FFT, 16QAM Expected C/N Values

FFT Size:16K			GI: 192 samples (D <sub>x</sub> =32)	GI: 384 samples (D <sub>x</sub> =16)	GI: 512 samples (D <sub>x</sub> =12)	GI: 768 samples (D <sub>x</sub> =8)	GI:1024 samples (D <sub>x</sub> =6)	GI: 1536 samples (D <sub>x</sub> =4)	GI: 2048 samples (D <sub>x</sub> =3)	GI: 2432 samples (D <sub>x</sub> =3)	GI: 3072 samples (D <sub>x</sub> =4)	GI: 3648 samples (D <sub>x</sub> =4)	GI: 4096 samples (D <sub>x</sub> =3)
Mod	Code- length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
16QAM	64800	2/15	-0.8	-0.6	-0.4	-0.2	-0.1	0.2	0.3	0.3	0.2	0.2	0.3
		3/15	1.7	1.9	2.0	2.2	2.4	2.6	2.8	2.8	2.6	2.6	2.8
		4/15	3.4	3.6	3.8	4.0	4.1	4.3	4.5	4.5	4.3	4.3	4.5
		5/15	4.7	5.0	5.1	5.3	5.5	5.7	5.9	5.9	5.7	5.7	5.9
		6/15	6.1	6.4	6.5	6.7	6.9	7.1	7.3	7.3	7.1	7.1	7.3
		7/15	7.1	7.4	7.5	7.7	7.9	8.1	8.3	8.3	8.1	8.1	8.3
		8/15	8.2	8.5	8.6	8.8	9.0	9.2	9.4	9.4	9.2	9.2	9.4
		9/15	9.2	9.5	9.6	9.8	10.0	10.2	10.4	10.4	10.2	10.2	10.4
		10/15	10.3	10.5	10.7	10.9	11.0	11.3	11.5	11.5	11.3	11.3	11.5
		11/15	11.4	11.7	11.8	12.0	12.2	12.4	12.6	12.6	12.4	12.4	12.6
		12/15	12.5	12.8	12.9	13.1	13.3	13.5	13.7	13.7	13.5	13.5	13.7
		13/15	13.8	14.0	14.2	14.4	14.5	14.8	15.0	15.0	14.8	14.8	15.0
16QAM	16200	2/15	-0.3	0.0	0.1	0.3	0.5	0.7	0.9	0.9	0.7	0.7	0.9
		3/15	2.3	2.5	2.6	2.8	3.0	3.2	3.4	3.4	3.2	3.2	3.4
		4/15	3.9	4.1	4.3	4.5	4.6	4.9	5.1	5.1	4.9	4.9	5.1
		5/15	5.1	5.3	5.5	5.7	5.8	6.0	6.2	6.2	6.0	6.0	6.2
		6/15	6.4	6.6	6.7	6.9	7.1	7.3	7.5	7.5	7.3	7.3	7.5
		7/15	7.4	7.7	7.8	8.0	8.2	8.4	8.6	8.6	8.4	8.4	8.6
		8/15	8.4	8.7	8.8	9.0	9.2	9.4	9.6	9.6	9.4	9.4	9.6
		9/15	9.5	9.7	9.9	10.1	10.2	10.5	10.7	10.7	10.5	10.5	10.7
		10/15	10.5	10.8	10.9	11.1	11.3	11.5	11.7	11.7	11.5	11.5	11.7
		11/15	11.7	11.9	12.1	12.3	12.4	12.7	12.9	12.9	12.7	12.7	12.9
		12/15	12.8	13.0	13.1	13.3	13.5	13.7	13.9	13.9	13.7	13.7	13.9
		13/15	14.0	14.3	14.4	14.6	14.8	15.0	15.2	15.2	15.0	15.0	15.2

**Table B.6.8** Gaussian Channel 16K FFT, 64QAM Expected C/N Values

FFT Size:16K			GI: 192 samples (D <sub>x</sub> =32)	GI: 384 samples (D <sub>x</sub> =16)	GI: 512 samples (D <sub>x</sub> =12)	GI: 768 samples (D <sub>x</sub> =8)	GI:1024 samples (D <sub>x</sub> =6)	GI: 1536 samples (D <sub>x</sub> =4)	GI: 2048 samples (D <sub>x</sub> =3)	GI: 2432 samples (D <sub>x</sub> =3)	GI: 3072 samples (D <sub>x</sub> =4)	GI: 3648 samples (D <sub>x</sub> =4)	GI: 4096 samples (D <sub>x</sub> =3)
Mod	Code- length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
64QAM	64800	2/15	1.6	1.9	2.0	2.2	2.4	2.6	2.8	2.8	2.6	2.6	2.8
		3/15	4.2	4.4	4.6	4.8	4.9	5.2	5.3	5.3	5.2	5.2	5.3
		4/15	6.1	6.3	6.4	6.6	6.8	7.0	7.2	7.2	7.0	7.0	7.2
		5/15	7.9	8.1	8.3	8.5	8.6	8.9	9.0	9.0	8.9	8.9	9.0
		6/15	9.6	9.8	10.0	10.2	10.3	10.6	10.8	10.8	10.6	10.6	10.8
		7/15	10.8	11.1	11.2	11.4	11.6	11.8	12.0	12.0	11.8	11.8	12.0
		8/15	12.2	12.5	12.6	12.8	13.0	13.2	13.4	13.4	13.2	13.2	13.4
		9/15	13.5	13.8	13.9	14.1	14.3	14.5	14.7	14.7	14.5	14.5	14.7
		10/15	14.8	15.1	15.2	15.4	15.6	15.8	16.0	16.0	15.8	15.8	16.0
		11/15	16.3	16.5	16.7	16.9	17.0	17.3	17.5	17.5	17.3	17.3	17.5
		12/15	17.6	17.9	18.0	18.2	18.4	18.6	18.8	18.8	18.6	18.6	18.8
		13/15	19.1	19.4	19.5	19.7	19.9	20.1	20.3	20.3	20.1	20.1	20.3
64QAM	16200	2/15	2.3	2.5	2.6	2.8	3.0	3.2	3.4	3.4	3.2	3.2	3.4
		3/15	4.8	5.0	5.1	5.3	5.5	5.7	5.9	5.9	5.7	5.7	5.9
		4/15	6.6	6.8	6.9	7.1	7.3	7.5	7.7	7.7	7.5	7.5	7.7
		5/15	8.2	8.5	8.6	8.8	9.0	9.2	9.4	9.4	9.2	9.2	9.4
		6/15	9.8	10.1	10.2	10.4	10.6	10.8	11.0	11.0	10.8	10.8	11.0
		7/15	11.2	11.5	11.6	11.8	12.0	12.2	12.4	12.4	12.2	12.2	12.4
		8/15	12.5	12.7	12.9	13.1	13.2	13.5	13.7	13.7	13.5	13.5	13.7
		9/15	13.8	14.0	14.2	14.4	14.5	14.8	15.0	15.0	14.8	14.8	15.0
		10/15	15.1	15.4	15.5	15.7	15.9	16.1	16.3	16.3	16.1	16.1	16.3
		11/15	16.5	16.8	16.9	17.1	17.3	17.5	17.7	17.7	17.5	17.5	17.7
		12/15	17.9	18.1	18.3	18.5	18.7	18.9	19.1	19.1	18.9	18.9	19.1
		13/15	19.4	19.7	19.8	20.0	20.2	20.4	20.6	20.6	20.4	20.4	20.6

**Table B.6.9** Gaussian Channel 16K FFT, 256QAM Expected C/N Values

FFT Size:16K			GI: 192 samples (D <sub>x</sub> =32)	GI: 384 samples (D <sub>x</sub> =16)	GI: 512 samples (D <sub>x</sub> =12)	GI: 768 samples (D <sub>x</sub> =8)	GI:1024 samples (D <sub>x</sub> =6)	GI: 1536 samples (D <sub>x</sub> =4)	GI: 2048 samples (D <sub>x</sub> =3)	GI: 2432 samples (D <sub>x</sub> =3)	GI: 3072 samples (D <sub>x</sub> =4)	GI: 3648 samples (D <sub>x</sub> =4)	GI: 4096 samples (D <sub>x</sub> =3)
Mod	Code- length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
256QAM	64800	2/15	3.5	3.8	3.9	4.1	4.2	4.5	4.7	4.7	4.5	4.5	4.7
		3/15	6.2	6.5	6.6	6.8	6.9	7.2	7.4	7.4	7.2	7.2	7.4
		4/15	8.5	8.7	8.9	9.1	9.2	9.5	9.7	9.7	9.5	9.5	9.7
		5/15	10.5	10.7	10.8	11.0	11.2	11.4	11.6	11.6	11.4	11.4	11.6
		6/15	12.5	12.8	12.9	13.1	13.3	13.5	13.7	13.7	13.5	13.5	13.7
		7/15	14.1	14.3	14.4	14.7	14.8	15.0	15.2	15.2	15.0	15.0	15.2
		8/15	15.9	16.2	16.3	16.5	16.7	16.9	17.1	17.1	16.9	16.9	17.1
		9/15	17.6	17.8	18.0	18.2	18.3	18.6	18.8	18.8	18.6	18.6	18.8
		10/15	19.2	19.5	19.6	19.8	20.0	20.2	20.4	20.4	20.2	20.2	20.4
		11/15	20.9	21.2	21.3	21.6	21.7	22.0	22.2	22.2	22.0	22.0	22.2
		12/15	22.7	23.0	23.2	23.4	23.6	23.8	24.0	24.0	23.8	23.8	24.0
		13/15	24.7	25.0	25.2	25.4	25.6	25.9	26.1	26.1	25.9	25.9	26.1
256QAM	16200	2/15	4.2	4.4	4.6	4.8	4.9	5.2	5.3	5.3	5.2	5.2	5.3
		3/15	6.7	6.9	7.1	7.3	7.4	7.7	7.9	7.9	7.7	7.7	7.9
		4/15	9.1	9.4	9.5	9.7	9.8	10.1	10.3	10.3	10.1	10.1	10.3
		5/15	10.9	11.1	11.2	11.4	11.6	11.8	12.0	12.0	11.8	11.8	12.0
		6/15	12.8	13.1	13.2	13.4	13.6	13.8	14.0	14.0	13.8	13.8	14.0
		7/15	14.5	14.8	14.9	15.1	15.3	15.5	15.7	15.7	15.5	15.5	15.7
		8/15	16.2	16.5	16.6	16.8	17.0	17.2	17.4	17.4	17.2	17.2	17.4
		9/15	17.8	18.1	18.2	18.4	18.6	18.8	19.0	19.0	18.8	18.8	19.0
		10/15	19.5	19.8	20.0	20.2	20.3	20.6	20.8	20.8	20.6	20.6	20.8
		11/15	21.3	21.5	21.7	21.9	22.1	22.3	22.5	22.5	22.3	22.3	22.5
		12/15	23.1	23.4	23.5	23.8	23.9	24.2	24.4	24.4	24.2	24.2	24.4
		13/15	25.1	25.4	25.6	25.8	26.0	26.3	26.5	26.5	26.3	26.3	26.5

**Table B.6.10** Gaussian Channel 16K FFT, 1024QAM and 4096QAM Expected C/N Values

FFT Size:16K			GI: 192 samples (D <sub>x</sub> =32)	GI: 384 samples (D <sub>x</sub> =16)	GI: 512 samples (D <sub>x</sub> =12)	GI: 768 samples (D <sub>x</sub> =8)	GI:1024 samples (D <sub>x</sub> =6)	GI: 1536 samples (D <sub>x</sub> =4)	GI: 2048 samples (D <sub>x</sub> =3)	GI: 2432 samples (D <sub>x</sub> =3)	GI: 3072 samples (D <sub>x</sub> =4)	GI: 3648 samples (D <sub>x</sub> =4)	GI: 4096 samples (D <sub>x</sub> =3)
Mod	Code- length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
1024QAM	64800	2/15	5.1	5.4	5.5	5.7	5.9	6.1	6.3	6.3	6.1	6.1	6.3
		3/15	8.1	8.3	8.5	8.7	8.8	9.0	9.2	9.2	9.0	9.0	9.2
		4/15	10.7	10.9	11.1	11.3	11.4	11.7	11.8	11.8	11.7	11.7	11.8
		5/15	13.0	13.2	13.4	13.6	13.7	14.0	14.2	14.2	14.0	14.0	14.2
		6/15	15.4	15.6	15.8	16.0	16.1	16.4	16.6	16.6	16.4	16.4	16.6
		7/15	17.2	17.5	17.6	17.8	18.0	18.2	18.4	18.4	18.2	18.2	18.4
		8/15	19.4	19.7	19.8	20.0	20.2	20.4	20.6	20.6	20.4	20.4	20.6
		9/15	21.4	21.7	21.8	22.0	22.2	22.4	22.6	22.6	22.4	22.4	22.6
		10/15	23.4	23.7	23.8	24.0	24.2	24.4	24.6	24.6	24.4	24.4	24.6
		11/15	25.6	25.8	26.0	26.2	26.4	26.6	26.8	26.8	26.6	26.6	26.8
		12/15	27.8	28.1	28.3	28.5	28.7	28.9	29.1	29.1	28.9	28.9	29.1
		13/15	30.2	30.5	30.7	30.9	31.1	31.4	31.6	31.6	31.4	31.4	31.6
4096QAM	64800	2/15	6.5	6.7	6.9	7.1	7.2	7.5	7.6	7.6	7.5	7.5	7.6
		3/15	9.8	10.0	10.1	10.3	10.5	10.7	10.9	10.9	10.7	10.7	10.9
		4/15	12.6	12.9	13.0	13.2	13.4	13.6	13.8	13.8	13.6	13.6	13.8
		5/15	15.4	15.6	15.8	16.0	16.1	16.4	16.6	16.6	16.4	16.4	16.6
		6/15	18.0	18.2	18.4	18.6	18.7	19.0	19.2	19.2	19.0	19.0	19.2
		7/15	20.2	20.4	20.6	20.8	20.9	21.2	21.4	21.4	21.2	21.2	21.4
		8/15	22.7	23.0	23.1	23.3	23.5	23.7	23.9	23.9	23.7	23.7	23.9
		9/15	25.2	25.5	25.6	25.8	26.0	26.2	26.4	26.4	26.2	26.2	26.4
		10/15	27.9	28.1	28.3	28.5	28.7	29.0	29.2	29.2	29.0	29.0	29.2
		11/15	30.8	31.1	31.3	31.5	31.7	32.0	32.3	32.3	32.0	32.0	32.3
		12/15	33.7	34.0	34.2	34.5	34.7	35.1	35.4	35.4	35.1	35.1	35.4
		13/15	37.7	38.3	38.6	39.0	39.4	40.0	40.5	40.5	40.0	40.0	40.5



**Table B.6.11** Gaussian Channel 32K FFT, QPSK Expected C/N Values

FFT Size:32K			GI: 192 samples (D <sub>x</sub> =32)	GI: 384 samples (D <sub>x</sub> =32)	GI: 512 samples (D <sub>x</sub> =24)	GI: 768 samples (D <sub>x</sub> =16)	GI:1024 samples (D <sub>x</sub> =12)	GI: 1536 samples (D <sub>x</sub> =8)	GI: 2048 samples (D <sub>x</sub> =6)	GI: 2432 samples (D <sub>x</sub> =6)	GI: 3072 samples (D <sub>x</sub> =8)	GI: 3648 samples (D <sub>x</sub> =8)	GI: 4096 samples (D <sub>x</sub> =3)	GI: 4864 samples (D <sub>x</sub> =3)
Mod	Code- length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
QPSK	64800	2/15	-4.0	-4.0	-3.9	-3.7	-3.5	-3.3	-3.1	-3.1	-3.3	-3.3	-2.6	-2.6
		3/15	-2.1	-2.1	-2.0	-1.8	-1.6	-1.4	-1.2	-1.2	-1.4	-1.4	-0.7	-0.7
		4/15	-0.7	-0.7	-0.6	-0.3	-0.2	0.1	0.3	0.3	0.1	0.1	0.7	0.7
		5/15	0.5	0.5	0.6	0.8	1.0	1.3	1.4	1.4	1.3	1.3	1.9	1.9
		6/15	1.6	1.6	1.8	2.0	2.2	2.4	2.6	2.6	2.4	2.4	3.1	3.1
		7/15	2.5	2.5	2.6	2.8	3.0	3.3	3.5	3.5	3.3	3.3	3.9	3.9
		8/15	3.4	3.4	3.5	3.7	3.9	4.1	4.3	4.3	4.1	4.1	4.8	4.8
		9/15	4.2	4.2	4.3	4.5	4.7	4.9	5.1	5.1	4.9	4.9	5.6	5.6
		10/15	5.0	5.0	5.1	5.3	5.5	5.7	5.9	5.9	5.7	5.7	6.4	6.4
		11/15	5.8	5.8	5.9	6.2	6.3	6.6	6.8	6.8	6.6	6.6	7.2	7.2
		12/15	6.7	6.7	6.8	7.0	7.2	7.5	7.6	7.6	7.5	7.5	8.1	8.1
		13/15	7.7	7.7	7.9	8.1	8.2	8.5	8.7	8.7	8.5	8.5	9.2	9.2
QPSK	16200	2/15	-3.4	-3.4	-3.2	-3.0	-2.9	-2.6	-2.4	-2.4	-2.6	-2.6	-1.9	-1.9
		3/15	-1.5	-1.5	-1.4	-1.2	-1.0	-0.8	-0.6	-0.6	-0.8	-0.8	-0.1	-0.1
		4/15	-0.1	-0.1	0.0	0.2	0.4	0.6	0.8	0.8	0.6	0.6	1.3	1.3
		5/15	0.9	0.9	1.0	1.2	1.4	1.7	1.9	1.9	1.7	1.7	2.3	2.3
		6/15	1.9	1.9	2.0	2.2	2.4	2.6	2.8	2.8	2.6	2.6	3.3	3.3
		7/15	2.8	2.8	2.9	3.1	3.3	3.5	3.7	3.7	3.5	3.5	4.2	4.2
		8/15	3.6	3.6	3.7	3.9	4.1	4.3	4.5	4.5	4.3	4.3	5.0	5.0
		9/15	4.4	4.4	4.5	4.7	4.9	5.2	5.4	5.4	5.2	5.2	5.8	5.8
		10/15	5.1	5.1	5.3	5.5	5.6	5.9	6.1	6.1	5.9	5.9	6.6	6.6
		11/15	6.0	6.0	6.2	6.4	6.5	6.8	7.0	7.0	6.8	6.8	7.4	7.4
		12/15	6.9	6.9	7.0	7.3	7.4	7.7	7.9	7.9	7.7	7.7	8.3	8.3
		13/15	8.0	8.0	8.1	8.3	8.5	8.7	8.9	8.9	8.7	8.7	9.4	9.4

**Table B.6.12** Gaussian Channel 32K FFT, 16QAM Expected C/N Values

FFT Size:32K			GI: 192 samples (D <sub>x</sub> =32)	GI: 384 samples (D <sub>x</sub> =32)	GI: 512 samples (D <sub>x</sub> =24)	GI: 768 samples (D <sub>x</sub> =16)	GI:1024 samples (D <sub>x</sub> =12)	GI: 1536 samples (D <sub>x</sub> =8)	GI: 2048 samples (D <sub>x</sub> =6)	GI: 2432 samples (D <sub>x</sub> =6)	GI: 3072 samples (D <sub>x</sub> =8)	GI: 3648 samples (D <sub>x</sub> =8)	GI: 4096 samples (D <sub>x</sub> =3)	GI: 4864 samples (D <sub>x</sub> =3)
Mod	Code- length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
16QAM	64800	2/15	-0.5	-0.5	-0.4	-0.2	0.0	0.2	0.4	0.4	0.2	0.2	0.9	0.9
		3/15	1.9	1.9	2.1	2.3	2.5	2.7	2.9	2.9	2.7	2.7	3.4	3.4
		4/15	3.7	3.7	3.8	4.0	4.2	4.4	4.6	4.6	4.4	4.4	5.1	5.1
		5/15	5.0	5.0	5.2	5.4	5.5	5.8	6.0	6.0	5.8	5.8	6.4	6.4
		6/15	6.4	6.4	6.6	6.8	6.9	7.2	7.4	7.4	7.2	7.2	7.8	7.8
		7/15	7.4	7.4	7.6	7.8	7.9	8.2	8.4	8.4	8.2	8.2	8.8	8.8
		8/15	8.5	8.5	8.6	8.9	9.0	9.3	9.5	9.5	9.3	9.3	9.9	9.9
		9/15	9.5	9.5	9.7	9.9	10.0	10.3	10.5	10.5	10.3	10.3	11.0	11.0
		10/15	10.6	10.6	10.7	10.9	11.1	11.4	11.5	11.5	11.4	11.4	12.0	12.0
		11/15	11.7	11.7	11.9	12.1	12.2	12.5	12.7	12.7	12.5	12.5	13.2	13.2
		12/15	12.8	12.8	12.9	13.2	13.3	13.6	13.8	13.8	13.6	13.6	14.2	14.2
		13/15	14.1	14.1	14.2	14.4	14.6	14.9	15.1	15.1	14.9	14.9	15.5	15.5
16QAM	16200	2/15	0.0	0.0	0.2	0.4	0.5	0.8	1.0	1.0	0.8	0.8	1.5	1.5
		3/15	2.5	2.5	2.7	2.9	3.1	3.3	3.5	3.5	3.3	3.3	4.0	4.0
		4/15	4.2	4.2	4.3	4.5	4.7	5.0	5.1	5.1	5.0	5.0	5.6	5.6
		5/15	5.4	5.4	5.5	5.7	5.9	6.1	6.3	6.3	6.1	6.1	6.8	6.8
		6/15	6.6	6.6	6.8	7.0	7.2	7.4	7.6	7.6	7.4	7.4	8.1	8.1
		7/15	7.7	7.7	7.9	8.1	8.2	8.5	8.7	8.7	8.5	8.5	9.1	9.1
		8/15	8.7	8.7	8.9	9.1	9.2	9.5	9.7	9.7	9.5	9.5	10.1	10.1
		9/15	9.8	9.8	9.9	10.1	10.3	10.6	10.8	10.8	10.6	10.6	11.2	11.2
		10/15	10.8	10.8	10.9	11.2	11.3	11.6	11.8	11.8	11.6	11.6	12.2	12.2
		11/15	12.0	12.0	12.1	12.3	12.5	12.8	12.9	12.9	12.8	12.8	13.4	13.4
		12/15	13.0	13.0	13.2	13.4	13.6	13.8	14.0	14.0	13.8	13.8	14.5	14.5
		13/15	14.3	14.3	14.5	14.7	14.9	15.1	15.3	15.3	15.1	15.1	15.8	15.8

**Table B.6.13** Gaussian Channel 32K FFT, 64QAM Expected C/N Values

FFT Size:32K			GI: 192 samples (D <sub>x</sub> =32)	GI: 384 samples (D <sub>x</sub> =32)	GI: 512 samples (D <sub>x</sub> =24)	GI: 768 samples (D <sub>x</sub> =16)	GI:1024 samples (D <sub>x</sub> =12)	GI: 1536 samples (D <sub>x</sub> =8)	GI: 2048 samples (D <sub>x</sub> =6)	GI: 2432 samples (D <sub>x</sub> =6)	GI: 3072 samples (D <sub>x</sub> =8)	GI: 3648 samples (D <sub>x</sub> =8)	GI: 4096 samples (D <sub>x</sub> =3)	GI: 4864 samples (D <sub>x</sub> =3)
Mod	Code- length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
64QAM	64800	2/15	1.9	1.9	2.1	2.3	2.4	2.7	2.9	2.9	2.7	2.7	3.4	3.4
		3/15	4.5	4.5	4.6	4.8	5.0	5.2	5.4	5.4	5.2	5.2	5.9	5.9
		4/15	6.3	6.3	6.5	6.7	6.9	7.1	7.3	7.3	7.1	7.1	7.8	7.8
		5/15	8.2	8.2	8.3	8.5	8.7	8.9	9.1	9.1	8.9	8.9	9.6	9.6
		6/15	9.9	9.9	10.0	10.2	10.4	10.7	10.8	10.8	10.7	10.7	11.3	11.3
		7/15	11.1	11.1	11.3	11.5	11.7	11.9	12.1	12.1	11.9	11.9	12.6	12.6
		8/15	12.5	12.5	12.7	12.9	13.0	13.3	13.5	13.5	13.3	13.3	14.0	14.0
		9/15	13.8	13.8	13.9	14.2	14.3	14.6	14.8	14.8	14.6	14.6	15.2	15.2
		10/15	15.1	15.1	15.3	15.5	15.7	15.9	16.1	16.1	15.9	15.9	16.6	16.6
		11/15	16.6	16.6	16.7	16.9	17.1	17.4	17.6	17.6	17.4	17.4	18.0	18.0
		12/15	17.9	17.9	18.0	18.3	18.4	18.7	18.9	18.9	18.7	18.7	19.4	19.4
		13/15	19.4	19.4	19.6	19.8	19.9	20.2	20.4	20.4	20.2	20.2	20.9	20.9
64QAM	16200	2/15	2.5	2.5	2.7	2.9	3.1	3.3	3.5	3.5	3.3	3.3	4.0	4.0
		3/15	5.0	5.0	5.2	5.4	5.6	5.8	6.0	6.0	5.8	5.8	6.5	6.5
		4/15	6.8	6.8	7.0	7.2	7.4	7.6	7.8	7.8	7.6	7.6	8.3	8.3
		5/15	8.5	8.5	8.7	8.9	9.0	9.3	9.5	9.5	9.3	9.3	9.9	9.9
		6/15	10.1	10.1	10.3	10.5	10.7	10.9	11.1	11.1	10.9	10.9	11.6	11.6
		7/15	11.5	11.5	11.7	11.9	12.0	12.3	12.5	12.5	12.3	12.3	12.9	12.9
		8/15	12.8	12.8	12.9	13.1	13.3	13.6	13.8	13.8	13.6	13.6	14.2	14.2
		9/15	14.1	14.1	14.2	14.4	14.6	14.9	15.0	15.0	14.9	14.9	15.5	15.5
		10/15	15.4	15.4	15.5	15.8	15.9	16.2	16.4	16.4	16.2	16.2	16.8	16.8
		11/15	16.8	16.8	17.0	17.2	17.3	17.6	17.8	17.8	17.6	17.6	18.3	18.3
		12/15	18.2	18.2	18.3	18.6	18.7	19.0	19.2	19.2	19.0	19.0	19.7	19.7
		13/15	19.7	19.7	19.9	20.1	20.3	20.5	20.7	20.7	20.5	20.5	21.2	21.2

**Table B.6.14** Gaussian Channel 32K FFT, 256QAM Expected C/N Values

FFT Size:32K			GI: 192 samples (D <sub>x</sub> =32)	GI: 384 samples (D <sub>x</sub> =32)	GI: 512 samples (D <sub>x</sub> =24)	GI: 768 samples (D <sub>x</sub> =16)	GI:1024 samples (D <sub>x</sub> =12)	GI: 1536 samples (D <sub>x</sub> =8)	GI: 2048 samples (D <sub>x</sub> =6)	GI: 2432 samples (D <sub>x</sub> =6)	GI: 3072 samples (D <sub>x</sub> =8)	GI: 3648 samples (D <sub>x</sub> =8)	GI: 4096 samples (D <sub>x</sub> =3)	GI: 4864 samples (D <sub>x</sub> =3)
Mod	Code- length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
256QAM	64800	2/15	3.8	3.8	3.9	4.1	4.3	4.6	4.8	4.8	4.6	4.6	5.2	5.2
		3/15	6.5	6.5	6.6	6.8	7.0	7.3	7.5	7.5	7.3	7.3	7.9	7.9
		4/15	8.8	8.8	8.9	9.1	9.3	9.6	9.7	9.7	9.6	9.6	10.2	10.2
		5/15	10.7	10.7	10.9	11.1	11.3	11.5	11.7	11.7	11.5	11.5	12.2	12.2
		6/15	12.8	12.8	13.0	13.2	13.4	13.6	13.8	13.8	13.6	13.6	14.3	14.3
		7/15	14.4	14.4	14.5	14.7	14.9	15.1	15.3	15.3	15.1	15.1	15.8	15.8
		8/15	16.2	16.2	16.3	16.6	16.7	17.0	17.2	17.2	17.0	17.0	17.7	17.7
		9/15	17.9	17.9	18.0	18.2	18.4	18.7	18.9	18.9	18.7	18.7	19.3	19.3
		10/15	19.5	19.5	19.7	19.9	20.0	20.3	20.5	20.5	20.3	20.3	21.0	21.0
		11/15	21.2	21.2	21.4	21.6	21.8	22.1	22.3	22.3	22.1	22.1	22.8	22.8
		12/15	23.1	23.1	23.2	23.4	23.6	23.9	24.1	24.1	23.9	23.9	24.7	24.7
		13/15	25.1	25.1	25.2	25.5	25.7	26.0	26.2	26.2	26.0	26.0	26.8	26.8
256QAM	16200	2/15	4.5	4.5	4.6	4.8	5.0	5.2	5.4	5.4	5.2	5.2	5.9	5.9
		3/15	7.0	7.0	7.1	7.3	7.5	7.8	7.9	7.9	7.8	7.8	8.4	8.4
		4/15	9.4	9.4	9.5	9.8	9.9	10.2	10.4	10.4	10.2	10.2	10.8	10.8
		5/15	11.2	11.2	11.3	11.5	11.7	11.9	12.1	12.1	11.9	11.9	12.6	12.6
		6/15	13.1	13.1	13.3	13.5	13.7	13.9	14.1	14.1	13.9	13.9	14.6	14.6
		7/15	14.8	14.8	15.0	15.2	15.3	15.6	15.8	15.8	15.6	15.6	16.3	16.3
		8/15	16.5	16.5	16.7	16.9	17.1	17.3	17.5	17.5	17.3	17.3	18.0	18.0
		9/15	18.1	18.1	18.3	18.5	18.7	18.9	19.1	19.1	18.9	18.9	19.6	19.6
		10/15	19.9	19.9	20.0	20.2	20.4	20.7	20.9	20.9	20.7	20.7	21.4	21.4
		11/15	21.6	21.6	21.7	22.0	22.1	22.4	22.6	22.6	22.4	22.4	23.1	23.1
		12/15	23.4	23.4	23.6	23.8	24.0	24.3	24.5	24.5	24.3	24.3	25.0	25.0
		13/15	25.5	25.5	25.6	25.9	26.1	26.4	26.6	26.6	26.4	26.4	27.2	27.2

**Table B.6.15** Gaussian Channel 32K FFT, 1024QAM and 4096QAM Expected C/N Values

FFT Size:32K			GI: 192 samples (D <sub>x</sub> =32)	GI: 384 samples (D <sub>x</sub> =32)	GI: 512 samples (D <sub>x</sub> =24)	GI: 768 samples (D <sub>x</sub> =16)	GI:1024 samples (D <sub>x</sub> =12)	GI: 1536 samples (D <sub>x</sub> =8)	GI: 2048 samples (D <sub>x</sub> =6)	GI: 2432 samples (D <sub>x</sub> =6)	GI: 3072 samples (D <sub>x</sub> =8)	GI: 3648 samples (D <sub>x</sub> =8)	GI: 4096 samples (D <sub>x</sub> =3)	GI: 4864 samples (D <sub>x</sub> =3)
Mod	Code- length	Code rate	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N	Threshold C/N
1024QAM	64800	2/15	5.4	5.4	5.6	5.8	5.9	6.2	6.4	6.4	6.2	6.2	6.8	6.8
		3/15	8.4	8.4	8.5	8.7	8.9	9.1	9.3	9.3	9.1	9.1	9.8	9.8
		4/15	11.0	11.0	11.1	11.3	11.5	11.7	11.9	11.9	11.7	11.7	12.4	12.4
		5/15	13.3	13.3	13.4	13.6	13.8	14.1	14.2	14.2	14.1	14.1	14.7	14.7
		6/15	15.7	15.7	15.8	16.0	16.2	16.5	16.6	16.6	16.5	16.5	17.1	17.1
		7/15	17.5	17.5	17.7	17.9	18.0	18.3	18.5	18.5	18.3	18.3	19.0	19.0
		8/15	19.7	19.7	19.9	20.1	20.2	20.5	20.7	20.7	20.5	20.5	21.2	21.2
		9/15	21.7	21.7	21.9	22.1	22.3	22.5	22.7	22.7	22.5	22.5	23.2	23.2
		10/15	23.7	23.7	23.9	24.1	24.2	24.5	24.7	24.7	24.5	24.5	25.2	25.2
		11/15	25.9	25.9	26.0	26.3	26.4	26.7	26.9	26.9	26.7	26.7	27.4	27.4
		12/15	28.2	28.2	28.3	28.6	28.7	29.0	29.2	29.2	29.0	29.0	29.8	29.8
		13/15	30.6	30.6	30.7	31.0	31.2	31.5	31.7	31.7	31.5	31.5	32.3	32.3
4096QAM	64800	2/15	6.8	6.8	6.9	7.1	7.3	7.5	7.7	7.7	7.5	7.5	8.2	8.2
		3/15	10.0	10.0	10.2	10.4	10.6	10.8	11.0	11.0	10.8	10.8	11.5	11.5
		4/15	12.9	12.9	13.1	13.3	13.4	13.7	13.9	13.9	13.7	13.7	14.4	14.4
		5/15	15.7	15.7	15.8	16.0	16.2	16.5	16.6	16.6	16.5	16.5	17.1	17.1
		6/15	18.3	18.3	18.4	18.6	18.8	19.1	19.3	19.3	19.1	19.1	19.7	19.7
		7/15	20.5	20.5	20.6	20.8	21.0	21.3	21.5	21.5	21.3	21.3	21.9	21.9
		8/15	23.0	23.0	23.2	23.4	23.5	23.8	24.0	24.0	23.8	23.8	24.5	24.5
		9/15	25.5	25.5	25.6	25.9	26.0	26.3	26.5	26.5	26.3	26.3	27.0	27.0
		10/15	28.2	28.2	28.4	28.6	28.8	29.1	29.3	29.3	29.1	29.1	29.8	29.8
		11/15	31.2	31.2	31.3	31.6	31.8	32.1	32.4	32.4	32.1	32.1	33.0	33.0
		12/15	34.1	34.1	34.3	34.6	34.8	35.2	35.5	35.5	35.2	35.2	36.3	36.3
		13/15	38.4	38.4	38.7	39.1	39.5	40.2	40.8	40.8	40.2	40.2	42.3	42.3

## Annex C: Physical Layer Configurations

This Annex provides various Physical Layer configurations of one or more complete delivered products (as defined in Section 4.2.11). The first subsection defines a variety of syntax variations for receiver testing. The second subsection provides recommended structures for specific use cases.

### C.1 EXAMPLE VARIATIONS

The configurations in this part of the Annex provide variations on the physical layer syntax suitable for exercising receiver robustness. These are a baseline set of configurations for which a broadcaster might consider there to be verified receiver support. This is not an exhaustive list, and many other physical layer configurations are available in the A/322 Standard for use. One might use this Annex to construct a physical layer configuration for deployment by starting with one of these configurations in this baseline set and then deviate by parameter modifications to optimize for the uniqueness of the deployment location (differences in terrain, ground clutter, building materials, etc.) and the types of services that are intended to be delivered (fixed, indoor, mobile, etc.).

#### C.1.1 PLP Configuration: 1 PLP

This provides physical layer parameter choices for a single PLP configuration for a single complete delivered product. The configuration has a similar coverage as ATSC 1.0 (i.e., 15 dB required SNR). Given this set of physical layer parameters, the achievable data rate in the physical layer is around 25 Mbps. Therefore, a high quality 4K UHD or multiple HD offerings intended for fixed reception are feasible. Note that the required SNRs for each configuration were obtained from Annex A.

**Table C.1.1** Physical Layer Parameters for a Single PLP

<b>Frame Length</b>		245.185 ms (Including Bootstrap)
<b>Bandwidth</b>		6 MHz
<b>Preamble Parameters</b>	FFT Size	32K
	Guard Interval	GI6_1536
	Pilot Pattern	SP D <sub>x</sub> =8
	Signaling Protection	L1-Basic / Detail Mode 1
	# of Preamble Symbols	1
	Reduced Carriers	None
<b>Payload OFDM Parameters</b>	FFT Size	32K
	Guard Interval	GI6_1536
	Pilot Pattern	SP D <sub>x</sub> =16, D <sub>y</sub> =2
	Pilot Boosting	No Pilot Boosting
	# of Payload Symbols	47
	Time Interleaver	CTI (1024 depth)
	Frequency Interleaver	On

	First / Last SBS	On / On
<b>Payload BICM Parameters</b>	Outer Code	BCH
	Inner Code	9/15 LDPC (64800)
	Constellation	256QAM
<b>PHY Data Rate</b>		25.158 Mbps
<b>Required SNR (AWGN)</b>	Simulation	15.7 dB
	Lab. Test	16.5 dB
	Field Test	16.8 dB
<b>Required SNR (RC20)</b>	Simulation	16.1 dB
	Lab. Test	17.1 dB
	Field Test	18.1 dB
<b>Required SNR (RL20)</b>	Simulation	18.1 dB
	Lab. Test	19.3 dB
	Field Test	18.0 dB

### C.1.2 Configuration: 2 PLPs TDM in 1 Subframe

This provides possible physical layer parameter choices for a 2-PLP TDM configuration using a single subframe. This multiple PLP configuration uses the same waveform parameters (FFT size, guard interval and pilot patterns) for both PLPs, and hence, 16K FFT and  $D_x=6$ ,  $D_y=2$  are used for this configuration to accommodate both mobile and fixed devices. Due to the use of a multiple PLP configuration within a subframe, the HTI mode is configured as the time interleaver choice, which requires an integer number of FEC Blocks allowing inevitable dummy modulation values at the end of a subframe.

**Table C.1.2** Physical Layer Parameters for 2-PLP TDM

<b>Frame Length</b>		245.704 ms (Including Bootstrap)		
<b>Bandwidth</b>		6 MHz		
<b>Preamble Parameters</b>	FFT Size	16K		
	Guard Interval	GI6_1536		
	Pilot Pattern	SP $D_x=4$		
	Signaling Protection	L1-Basic / Detail Mode 1		
	# of Preamble Symbols	1		
	Reduced Carriers	None		
<b>Payload OFDM Parameters</b>	FFT Size	16K		
	Guard Interval	GI6_1536		
	Pilot Pattern	SP $D_x=8$ , $D_y=2$		
	Pilot Boosting	No Pilot Boosting		
	# of Payload Symbols	93		
	Time Interleaver	HTI (Cell Interleaver: On, CDL: Off)		
		# of TI Blocks	PLP 0	2
			PLP 1	3
		Max # of FEC Blocks	PLP 0	75
			PLP 1	110
		# of FEC Blocks	PLP 0	75
			PLP 1	110
	Frequency Interleaver	On		
	First / Last SBS	On / On		

<b>Payload BICM Parameters</b>	PLP 0	Outer Code	BCH
		Inner Code	8/15 LDPC (16200)
		Constellation	16QAM
	PLP 1	Outer Code	BCH
		Inner Code	9/15 LDPC (64800)
		Constellation	256QAM
<b>PHY Data Rate</b>	PLP 0	2.586 Mbps	
	PLP 1	17.320 Mbps	
<b>Required SNR (AWGN)</b>	PLP 0	Simulation	6.6 dB
		Lab. Test	7.4 dB
		Field Test	7.6 dB
	PLP 1	Simulation	15.7 dB
		Lab. Test	16.5 dB
		Field Test	16.8 dB
<b>Required SNR (RC20)</b>	PLP 0	Simulation	7.0 dB
		Lab. Test	7.9 dB
		Field Test	8.6 dB
	PLP 1	Simulation	16.1 dB
		Lab. Test	17.1 dB
		Field Test	18.1 dB
<b>Required SNR (RL20)</b>	PLP 0	Simulation	8.8 dB
		Lab. Test	9.8 dB
		Field Test	8.7 dB
	PLP 1	Simulation	18.1 dB
		Lab. Test	19.3 dB
		Field Test	18.0 dB

### C.1.3 Configuration: 2 PLPs LDM in 1 Subframe

This provides possible physical layer parameter choices for a 2-PLP configuration using a simple LDM (i.e., PLP 0 in Core Layer and PLP 1 in Enhanced Layer within one subframe). This LDM configuration provides superior performance (around 5 dB SNR) compared to the TDM configuration described in Section C.1.2 and Section C.2.1.

**Table C.1.3** Physical Layer Parameters for 2 PLP LDM

<b>Frame Length</b>		245.704 ms (Including Bootstrap)
<b>Bandwidth</b>		6 MHz
<b>Preamble Parameters</b>	FFT Size	16K
	Guard Interval	GI6_1536
	Pilot Pattern	SP D <sub>x</sub> =4
	Signaling Protection	L1-Basic / Detail Mode 1
	# of Preamble Symbols	1
	Reduced Carriers	None
<b>Payload OFDM Parameters</b>	FFT Size	16K
	Guard Interval	GI6_1536
	Pilot Pattern	SP D <sub>x</sub> =8, D <sub>y</sub> =2
	Pilot Boosting	No Pilot Boosting
	# of Payload Symbols	93



	Time Interleaver		CTI (1024 depth)
	Frequency Interleaver		On
	First / Last SBS		On / On
<b>Payload BICM Parameters</b>	Core PLP (PLP 0)	Outer Code	BCH
		Inner Code	4/15 LDPC (16200)
		Constellation	QPSK
	Enhanced PLP (PLP 1)	Outer Code	BCH
		Inner Code	9/15 LDPC (64800)
		Constellation	64QAM
	Injection Level		2.0 dB
<b>PHY Data Rate</b>	Core PLP (PLP 0)		2.497 Mbps
	Enhanced PLP (PLP 1)		17.320 Mbps
<b>Required SNR (AWGN)</b>	Core PLP (PLP 0)	Simulation	1.9 dB
		Lab. Test	3.0 dB
		Field Test	3.3 dB
	Enhanced PLP (PLP 1)	Simulation	15.8 dB
		Lab. Test	16.7 dB
		Field Test	16.9 dB
<b>Required SNR (RC20)</b>	Core PLP (PLP 0)	Simulation	2.1 dB
		Lab. Test	3.4 dB
		Field Test	4.3 dB
	Enhanced PLP (PLP 1)	Simulation	16.2 dB
		Lab. Test	17.3 dB
		Field Test	18.8 dB
<b>Required SNR (RL20)</b>	Core PLP (PLP 0)	Simulation	3.3 dB
		Lab. Test	7.0 dB
		Field Test	4.7 dB
	Enhanced PLP (PLP 1)	Simulation	18.3 dB
		Lab. Test	19.5 dB
		Field Test	18.7 dB

#### C.1.4 Configuration: 3 PLPs with 3 Subframes: Variety Quality of Service

This provides possible physical layer parameter choices for a 3-PLP configuration using the HTI mode in TDM configuration with multiple subframes. This TDM configuration allows each PLP to use different waveform parameters (FFT size, pilot pattern, or guard interval) for scale in service quality. In this configuration, PLP 0 is intended to be more robust as it uses 8K FFT and a denser pilot pattern. PLP 1 and PLP 2 are configured to have the same coverage (around 15~16 dB SNR) as this configuration intends a tower sharing use case such that each broadcaster's content should be delivered by a separate PLP. Note that service layer examples that require such 3-PLP configuration can be found in [16].

**Table C.1.4** Physical Layer Parameters for 3-PLP TDM

<b>Frame Length</b>		244.77 ms (Including Bootstrap)
<b>Bandwidth</b>		6 MHz
<b>Preamble Parameters</b>	FFT Size	8K
	Guard Interval	GI4_768
	Pilot Pattern	SP D <sub>x</sub> =4

	Signaling Protection		L1-Basic / Detail Mode 3
	# of Preamble Symbols		1
	Reduced Carriers		None
<b>Payload OFDM Parameters</b>	1 <sup>st</sup> Subframe (PLP 0)	FFT Size	8K
		Guard Interval	GI4_768
		Pilot Pattern	SP D <sub>x</sub> =8, D <sub>y</sub> =2
		Pilot Boosting	No Pilot Boosting
		# of Payload Symbols	54
		Time Interleaver	HTI (# of TI Blocks: 2, # of FEC Blocks: 21)
		Frequency Interleaver	On
		First / Last SBS	Off / On
	2 <sup>nd</sup> Subframe (PLP 1)	FFT Size	16K
		Guard Interval	GI4_768
		Pilot Pattern	SP D <sub>x</sub> =8, D <sub>y</sub> =4
		Pilot Boosting	No Pilot Boosting
		# of Payload Symbols	30
		Time Interleaver	HTI (# of TI Blocks: 3, # of FEC Blocks: 48)
		Frequency Interleaver	On
		First / Last SBS	On / On
	3 <sup>rd</sup> Subframe (PLP 2)	FFT Size	32K
		Guard Interval	GI4_768
		Pilot Pattern	SP D <sub>x</sub> =16, D <sub>y</sub> =2
		Pilot Boosting	No Pilot Boosting
		# of Payload Symbols	20
		Time Interleaver	HTI (# of TI Blocks: 3, # of FEC Blocks: 65)
		Frequency Interleaver	On
		First / Last SBS	On / On
<b>Payload BICM Parameters</b>	1 <sup>st</sup> Subframe (PLP 0)	Outer Code	BCH
		Inner Code	9/15 LDPC (64800)
		Constellation	16QAM
	2 <sup>nd</sup> Subframe (PLP 1)	Outer Code	BCH
		Inner Code	9/15 LDPC (64800)
		Constellation	256QAM
	3 <sup>rd</sup> Subframe (PLP 2)	Outer Code	BCH
		Inner Code	9/15 LDPC (64800)
		Constellation	256QAM
<b>PHY Data Rate</b>	1 <sup>st</sup> Subframe (PLP 0)		3.30 Mbps
	2 <sup>nd</sup> Subframe (PLP 1)		7.54 Mbps
	3 <sup>rd</sup> Subframe (PLP 2)		10.21 Mbps
<b>Required SNR (AWGN)</b>	1 <sup>st</sup> Subframe (PLP 0)	Simulation	7.5 dB
		Lab. Test	8.3 dB

		Field Test	8.5 dB
		Simulation	15.7 dB
		Lab. Test	16.5 dB
	2 <sup>nd</sup> Subframe (PLP 1)	Field Test	16.8 dB
		Simulation	15.7 dB
		Lab. Test	16.5 dB
	3 <sup>rd</sup> Subframe (PLP 2)	Field Test	16.8 dB
		Simulation	15.7 dB
		Lab. Test	16.5 dB
<b>Required SNR (RC20)</b>	1 <sup>st</sup> Subframe (PLP 0)	Simulation	7.9 dB
		Lab. Test	8.9 dB
		Field Test	9.9 dB
	2 <sup>nd</sup> Subframe (PLP 1)	Simulation	16.1 dB
		Lab. Test	17.1 dB
		Field Test	18.1 dB
	3 <sup>rd</sup> Subframe (PLP 2)	Simulation	16.1 dB
		Lab. Test	17.1 dB
		Field Test	18.1 dB
<b>Required SNR (RL20)</b>	1 <sup>st</sup> Subframe (PLP 0)	Simulation	9.8 dB
		Lab. Test	11.1 dB
		Field Test	10.2 dB
	2 <sup>nd</sup> Subframe (PLP 1)	Simulation	18.1 dB
		Lab. Test	19.3 dB
		Field Test	18.0 dB
	3 <sup>rd</sup> Subframe (PLP 2)	Simulation	18.1 dB
		Lab. Test	19.3 dB
		Field Test	18.0 dB

### C.1.5 Configuration: 4 PLPs TDM in 1 Subframe

This provides possible physical layer parameter choices for a 4-PLP configuration using the HTI mode in a single subframe. This exercises the maximum number of PLPs receivers are expected to demodulate simultaneously, and hence a complete delivered product carried in multiple PLPs must conform to the time interleaving memory requirement (524288 cells). In this configuration, PLP 0 uses a very robust ModCod combination that provides a negative SNR but very small PLP capacity; therefore, it may be suitable to carry service signaling (e.g., LLS/LMT) only. PLP 3 is also intended for robust delivery such as ESG or NRT services. Note that service layer examples that require such 4-PLP configuration can be found in [16] and Section C.1.6.

**Table C.1.5 Physical Layer Parameters for 4-PLP TDM**

<b>Frame Length</b>		245.18 ms (Including Bootstrap)
<b>Bandwidth</b>		6 MHz
<b>Preamble Parameters</b>	FFT Size	16K
	Guard Interval	GI4_768
	Pilot Pattern	SP D <sub>x</sub> =8
	Signaling Protection	L1-Basic / Detail Mode 1
	# of Preamble Symbols	1
	Reduced Carriers	None
<b>Payload OFDM Parameters</b>	FFT Size	16K
	Guard Interval	GI4_768

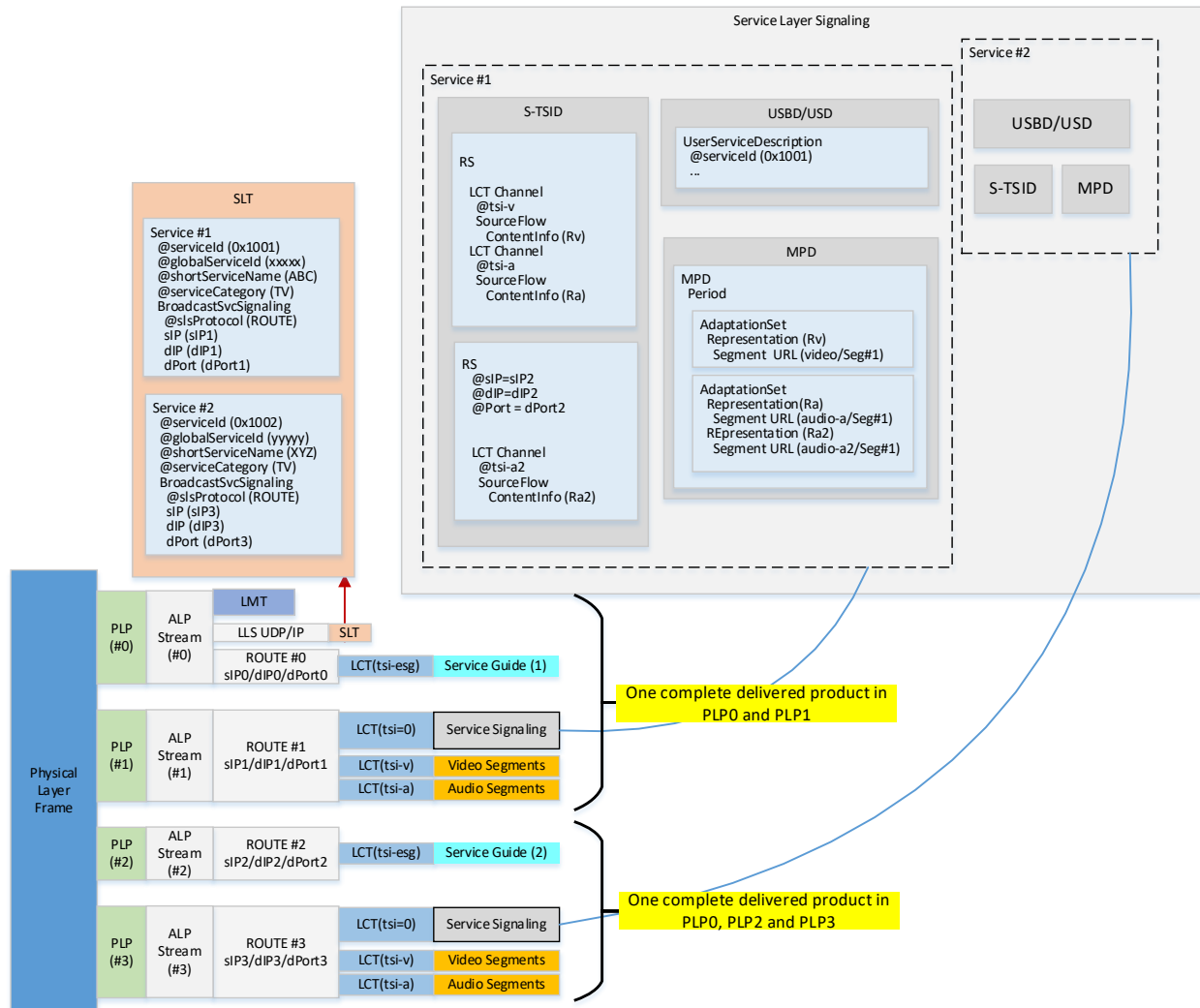
	Pilot Pattern		SP D <sub>x</sub> =8, D <sub>y</sub> =4		
	Pilot Boosting		1		
	# of Payload Symbols		97		
	Time Interleaver		HTI (Cell Interleaver: On, CDL: Off)		
			# of TI Blocks	PLP 0	2
				PLP 1	3
				PLP 2	3
				PLP 3	3
			Max # of FEC Blocks	PLP 0	4
PLP 1				58	
PLP 2				58	
PLP 3				13	
# of FEC Blocks			PLP 0	4	
			PLP 1	58	
			PLP 2	58	
			PLP 3	13	
Frequency Interleaver		On			
First / Last SBS		On / On			
Payload BICM Parameters	PLP 0	Outer Code	BCH		
		Inner Code	3/15 LDPC (64800)		
		Constellation	QPSK		
	PLP 1	Outer Code	BCH		
		Inner Code	7/15 LDPC (64800)		
		Constellation	256QAM		
	PLP 2	Outer Code	BCH		
		Inner Code	7/15 LDPC (64800)		
		Constellation	256QAM		
	PLP 3	Outer Code	BCH		
		Inner Code	5/15 LDPC (64800)		
		Constellation	16QAM		
PHY Data Rate	PLP 0		0.2 Mbps		
	PLP 1		7.1 Mbps		
	PLP 2		7.1 Mbps		
	PLP 3		1.13 Mbps		
Required SNR (AWGN)	PLP 0	Simulation	-4.0 dB		
		Lab. Test	-2.9 dB		
		Field Test	-2.8 dB		
	PLP 1	Simulation	12.4 dB		
		Lab. Test	12.9 dB		
		Field Test	13.1 dB		
	PLP 2	Simulation	12.4 dB		
		Lab. Test	12.9 dB		
		Field Test	13.1 dB		
	PLP 3	Simulation	3.1 dB		
		Lab. Test	3.8 dB		
		Field Test	3.9 dB		
Required SNR (RC20)	PLP 0	Simulation	-4.0 dB		

		Lab. Test	-2.7 dB
		Field Test	-2.2 dB
	PLP 1	Simulation	12.7 dB
		Lab. Test	13.5 dB
		Field Test	14.3 dB
	PLP 2	Simulation	12.7 dB
		Lab. Test	13.5 dB
		Field Test	14.3 dB
	PLP 3	Simulation	3.3 dB
		Lab. Test	4.0 dB
		Field Test	4.6 dB
<b>Required SNR (RL20)</b>	PLP 0	Simulation	-3.5 dB
		Lab. Test	-1.6 dB
		Field Test	-2.3 dB
	PLP 1	Simulation	14.6 dB
		Lab. Test	15.5 dB
		Field Test	14.6 dB
	PLP 2	Simulation	14.6 dB
		Lab. Test	15.5 dB
		Field Test	14.6 dB
	PLP 3	Simulation	4.4 dB
		Lab. Test	5.2 dB
		Field Test	4.5 dB

### C.1.6 Multiple PLPs Data Location

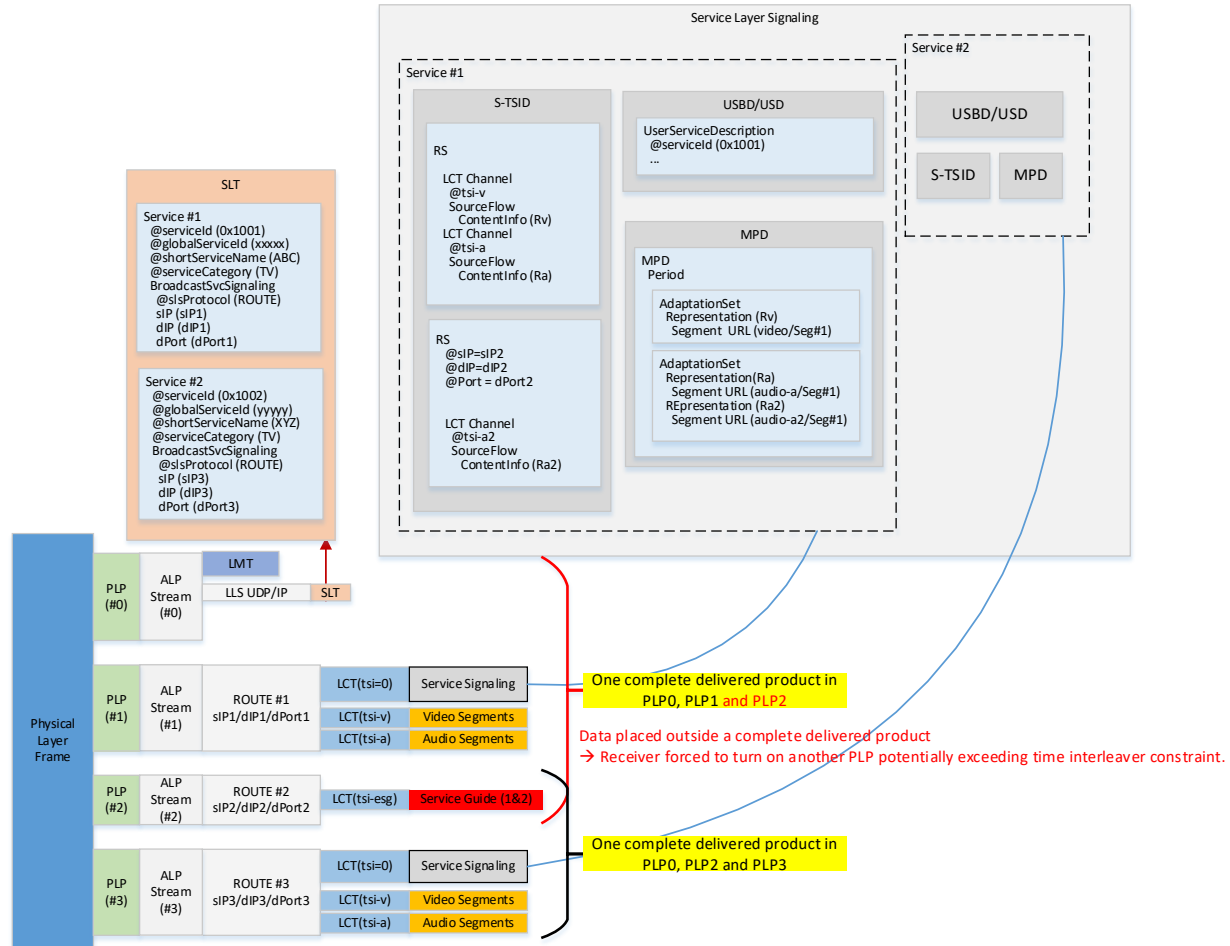
Care must be taken when using multiple-PLP configurations. A/322 has a strict requirement for time interleaving memory depth of 524288 cells (Section 7.1.2 of [3]) and when A/V services (as defined in A/331 [6] with video, audio, and/or captions) are combined with other data (e.g., program guides) to form a complete delivered product across several PLPs, this time interleaving memory constraint needs careful consideration. Receivers use the LLS/LMT to turn on relevant PLPs for complete delivered product rendering and if data is referenced outside that single delivered product PLP mapping, time interleaving depth may be exceeded.

Figure C.1 shows two complete delivered products carried by a 4-PLP configuration (as in Annex C.1.5). That is, service layer signaling (LLS/LMT) carried in the robust PLP (PLP 0) indicates the two complete delivered products where the first complete product is comprised of PLP 0 and PLP 1 and the second complete delivered product is comprised of PLP 0, PLP 2 and PLP 3. Figure C.1 illustrates a correct placement of service layer data as each of the complete delivered products meets the time interleaving memory requirement.



**Figure C.1** 4-PLP configuration with correct data placement.

Figure C.2 shows two complete delivered products in a 4-PLP configuration. In this configuration, a combined electronic service guide (ESG) including two complete delivered products is carried in PLP 2, and therefore, the first complete delivered product is comprised of PLP 0, PLP 1 and PLP 2, and the second complete delivered product is comprised of PLP 1, PLP 2 and PLP 3. This illustrates an incorrect placement of service layer data if the memory use of the first complete delivered product exceeds the time interleaving constraint.



**Figure C.2 4-PLP configuration with incorrect data placement.**

## C.2 RECOMMENDED STRUCTURES

This part of the Annex provides recommended physical layer structure suitable for specific use cases.

### C.2.1 Structure: Services for Both Mobile and Fixed Receivers

This section provides a selection of possible physical layer parameter choices for services targeted at fixed and at mobile devices that should be a multiple-PLP configuration, in which at least one PLP is contained in a separate subframe. This configuration varies the FFT size and/or pilot patterns. In the example 2-PLP configuration in Table C.2.1, the parameters such as FFT and pilot pattern are adjusted for the separate subframes. PLP 0 is shown contained in the first subframe that could be suitable for mobile or indoor devices and uses 8K FFT size and a denser pilot pattern. Conversely, PLP 1 in the second subframe could be suitable for fixed devices using 32K FFT size and a sparser pilot pattern. Parameters may be modified based on other factors such as terrain, etc.

**Table C.2.1** Physical Layer Parameters for 2-Subframes

Frame Length			245.333 ms (Including Bootstrap)
Bandwidth			6 MHz
Preamble Parameters	FFT Size		8K
	Guard Interval		GI6_1536
	Pilot Pattern		SP D <sub>x</sub> =4
	Signaling Protection		L1-Basic / Detail Mode 1
	# of Preamble Symbols		2
	Reduced Carriers		None
Payload OFDM Parameters	1 <sup>st</sup> Subframe (PLP 0)	FFT Size	8K
		Guard Interval	GI6_1536
		Pilot Pattern	SP D <sub>x</sub> =4, D <sub>y</sub> =2
		Pilot Boosting	No Pilot Boosting
		# of Payload Symbols	51
		Time Interleaver	CTI (1024 depth)
		Frequency Interleaver	On
		First / Last SBS	Off / On
	2 <sup>nd</sup> Subframe (PLP 1)	FFT Size	32K
		Guard Interval	GI6_1536
		Pilot Pattern	SP D <sub>x</sub> =16, D <sub>y</sub> =2
		Pilot Boosting	No Pilot Boosting
		# of Payload Symbols	34
		Time Interleaver	CTI (1024 depth)
		Frequency Interleaver	On
		First / Last SBS	On / On
Payload BICM Parameters	1 <sup>st</sup> Subframe (PLP 0)	Outer Code	BCH
		Inner Code	8/15 LDPC (16200)
		Constellation	16QAM
	2 <sup>nd</sup> Subframe (PLP 1)	Outer Code	BCH
		Inner Code	9/15 LDPC (64800)
		Constellation	256QAM
PHY Data Rate	1 <sup>st</sup> Subframe (PLP 0)		2.620 Mbps
	2 <sup>nd</sup> Subframe (PLP 1)		17.568 Mbps
Required SNR (AWGN)	1 <sup>st</sup> Subframe (PLP 0)	Simulation	6.6 dB
		Lab. Test	7.4 dB
		Field Test	7.6 dB
	2 <sup>nd</sup> Subframe (PLP 1)	Simulation	15.7 dB
		Lab. Test	16.5 dB
		Field Test	16.8 dB
Required SNR (RC20)	1 <sup>st</sup> Subframe (PLP 0)	Simulation	7.0 dB
		Lab. Test	7.9 dB
		Field Test	8.6 dB
	2 <sup>nd</sup> Subframe (PLP 1)	Simulation	16.1 dB
		Lab. Test	17.1 dB
		Field Test	18.1 dB
Required SNR (RL20)	1 <sup>st</sup> Subframe (PLP 0)	Simulation	8.8 dB
		Lab. Test	9.8 dB



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	2 <sup>nd</sup> Subframe (PLP 1)	Field Test	8.7 dB
		Simulation	18.1 dB
		Lab. Test	19.3 dB
		Field Test	18.0 dB

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## ***Annex D: Field Issues***

### **D.1 INTRODUCTION**

This Annex reports issues that have been found in some fielded ATSC 3.0 receivers and suggests methods that broadcasters may take to resolve or avoid the issues from occurring in those receivers.

### **D.2 HYBRID TIME INTERLEAVER BLOCK-SIZE ISSUE**

#### **D.2.1 Brief Summary of Issue**

A limited number of receivers are unable to demodulate the broadcast correctly under conditions using multiple PLPs where TI Block sizes in the Hybrid Time Interleaver (HTI) that differ beyond a certain level are applied to each PLP, and a complete delivered product is carried by the multiple PLPs.

#### **D.2.2 Scope**

##### **D.2.2.1 Affected Receivers**

The issue occurs with a limited number of receiver models made between 2020 and 2021. The implementation described in Section 6.3.2.2.2 leads to the need for a delay before the de-interleaver memory, and this was not sufficient in these receiver models. The implementation issue in these receivers has been identified as a hardware memory issue that cannot be fixed with a software update. The problem has subsequently been fixed and does not occur in receivers sold after 2021.

##### **D.2.2.2 Conditions Under Which the Issue Occurs**

The problem occurs only in HTI Mode, where differing TI Block sizes are applied to each PLP (and that difference between TI Block sizes exceeds a certain value), and a complete delivered product is carried by multiple PLPs. Note that when a complete delivered product is carried by multiple PLPs, simultaneous decoding of the multiple PLPs is required at receivers, and therefore, the multiple PLPs share TI memory up to  $2^{19}$  cells.

#### **D.2.3 Recommendations to Broadcasters**

Most receivers will not require any broadcaster considerations on TI Block size. However, if the broadcaster wants to make sure affected legacy receivers can also receive their multi-PLP broadcasts using different TI Block sizes successfully, the following workarounds may be considered.

##### **Workaround 1:**

Use HTI without applying differing TI Block sizes to each PLP.

**Workaround 2:**

Use HTI applying differing TI Block sizes, but ensure that the TI Block sizes of the PLPs satisfy the following condition:

$$N_{cells(n)} \cdot N_{FEC\_TI(n, \text{last TI Block})} \leq N_{cells(n+1)} \cdot N_{FEC\_TI(n+1, \text{first TI Block})} + 2^{17}$$

where  $N_{cells(n)}$  and  $N_{FEC\_TI(n, \text{first/last TI Block})}$  denote the FEC Block size (cells) and the number of FEC Blocks in the first or last TI Block of the  $n^{\text{th}}$  PLP respectively. That is, the difference in TI Block size between adjacent PLPs should not exceed  $2^{17}$  (128K) cells. This includes adjacent PLPs that cross frame or subframe boundaries.

## **Annex E: Estimation of MIMO System Performance**

### **E.1 INTRODUCTION**

This Annex describes a tractable measure to predict the physical layer performance of ATSC 3.0 MIMO systems. The presented is a calculation model that maps SISO system performance onto MIMO system performance, referencing Annex A measurements previously evaluated for ATSC 3.0 SISO systems.

Note: Those C/N values from Annex A already include margins for implementation loss in a SISO reference receiver. For a MIMO reference receiver, an additional implementation loss (e.g., 0.5dB) margin could be added to the C/N values from Annex A.

This estimation model captures the penalty of cross-polarization interference that arises in MIMO channels. The increase in required C/N is identified as dependent on XPD: Given an XPD value as part of the channel condition, the estimation model converts required C/N data in Annex A into performance estimates for the MIMO system using identical ModCod combinations.

#### **E.1.1 System Performance Criteria**

System performance in this Annex refers to the minimum C/N required to achieve a QEF condition. The QEF criteria applied to the estimation result are consistent with those used to measure the rationale SISO performance data. The Annex A data were measured at  $\text{BER} = 10^{-6}$  (i.e.,  $\text{FER} = 10^{-4}$ ), and the MIMO C/N estimates deduced therefrom are interpreted to promise the same error performance.

Note that the estimation model may also use other reference datasets (instead of Annex A) measured at different target error rates. The guaranteed error performance should follow the referenced criteria.

The results in this Annex are theoretical estimates relying on optimal MIMO detection (i.e., MIMO equalization) assumption at the receiver. Maximum likelihood (ML) MIMO equalization is assumed for the calculation model, so potential implementation losses can additionally occur when other MIMO detection schemes are used, such as minimum mean-square error (MMSE) methods.

#### **E.1.2 Channel Model Types and Description of XPD**

The estimation model is compatible with three types of channel conditions: AWGN, Rayleigh (RL), and Rician (RC). AWGN channel represents a situation where the channel consists solely of line-of-sight (LoS) paths; RL channel depicts the converse where the channel consists solely of non-LoS (NLoS) scatters. RC channel represents the case having both LoS and NLoS components, where the power ratio between those is characterized by Rician  $K$ -factor.

Formulaic descriptions for the considered channel models are described in Table E.1.1.

**Table E.1.1** Channel Model Description

Channel Model	Formulaic Description
AWGN (Full-LoS)	$\mathbf{H}_{\text{AWGN}}$ $= \begin{bmatrix} \sqrt{\rho_L} & \sqrt{1 - \rho_L} \\ \sqrt{1 - \rho_L} & \sqrt{\rho_L} \end{bmatrix}$
RL	$\mathbf{H}_{\text{RL}} = \begin{bmatrix} \sqrt{\rho_N} g_{00} & \sqrt{1 - \rho_N} g_{10} \\ \sqrt{1 - \rho_N} g_{01} & \sqrt{\rho_N} g_{11} \end{bmatrix}$
RC	$\mathbf{H}_{\text{RC}}$ $= \sqrt{\frac{K}{1 + K}} \mathbf{H}_{\text{AWGN}}$ $+ \sqrt{\frac{1}{1 + K}} \mathbf{H}_{\text{RL}}$

where:

$\rho_L$  denotes a parameter identifying the power portion of co- and cross-polarization components in the LoS part of MIMO channel. This value is determined by  $\text{XPD}_L$ ;

$\rho_N$  denotes a parameter identifying the power portion of co- and cross-polarization components in the NLoS part of MIMO channel. This value is determined by  $\text{XPD}_N$ ;

$\text{XPD}_L$  denotes the XPD evaluated in the LoS part of MIMO channel, described in dB unit;

$\text{XPD}_N$  denotes the XPD evaluated in the NLoS part of MIMO channel, described in dB unit;

$g_{00}, g_{10}, g_{01}, g_{11}$  denote the normalized random fading gain at each MIMO channel entity, which are i.i.d. complex Gaussian random variables with a zero-mean and unit variance;

$K$  is the Rician  $K$ -factor, given  $K = 10$  in this Annex.

In this Annex, XPD is described in terms of channel XPD incorporating all cross-polarization effects introduced from antennas and propagation paths. XPD in this context denotes the ratio between co- and cross-polarization channel powers. Relationships between  $\rho_L, \rho_N, \text{XPD}_L$ , and  $\text{XPD}_N$  are given as  $\text{XPD}_L = 10 \log_{10}(\rho_L/(1 - \rho_L))$  and  $\text{XPD}_N = 10 \log_{10}(\rho_N/(1 - \rho_N))$ , which can be rewritten as:

$$\rho_L = \frac{10^{\frac{\text{XPD}_L}{10}}}{1 + 10^{\frac{\text{XPD}_L}{10}}} \quad \text{and} \quad \rho_N = \frac{10^{\frac{\text{XPD}_N}{10}}}{1 + 10^{\frac{\text{XPD}_N}{10}}}, \quad \text{Eq. (E1)}$$

respectively. Further details on XPD and MIMO channel models are provided in Annex F.

### E.1.3 Organization

There is a provision to support erroneous CSI environment in addition to ideal estimation with perfect CSI. The estimation model is categorized into two classes contingent upon the availability of CSI:

Class P: Perfect CSIR assumed (Section E.2).

Class E: Channel estimation errors accounted (Section E.3).

Note that the pilot boosting effect is accessible in Class E whereas Class P neglects channel estimation operations.

Both classes are modeled over representative samples of channel conditions. The channel conditions supported are listed in Table E.1.2.

**Table E.1.2** Channel XPD Configurations Supported in Estimation Models

Channel Model	XPD Configuration $\Theta_{\text{XPD}}$	
	XPD in LoS components: $\text{XPD}_L$	XPD in NLoS components: $\text{XPD}_N$
AWGN	Any values are applicable if $\text{XPD}_L \geq 0$ dB	N/A (NLoS signals absent)
Rayleigh	N/A (LoS signals absent)	20 dB
		10 dB
		5 dB
		0 dB
Rician	20 dB	20 dB
		10 dB
		5 dB
		0 dB
	10 dB	10 dB
		5 dB
		0 dB

The estimation model presents a unified structure compatible across its subdivided classes and available channel conditions. The general procedure derives  $\tau_{\text{MIMO}}$  from an input variable set  $(\tau_{\text{SISO}}, \text{ChMod}, \Theta_{\text{XPD}})$ , where:

$\tau_{\text{MIMO}}$  denotes the linear scale expression of the required C/N estimate in a MIMO system.

The dB scale expression of this C/N value is given by  $10\log_{10} \tau_{\text{MIMO}}$ ;

$\tau_{\text{SISO}}$  denotes the linear scale expression of the reference C/N requirement measured in SISO systems.  $\tau_{\text{SISO}}$  particularly refers to the AWGN channel measurements, i.e., when Annex A is referenced, values in the ‘Lab test’ or ‘Simulation’ rows of Table A.3.2 can be used. This value relates to the measurement obtained without applying LDM and pilot boosting. The dB scale expression of this C/N value is given by  $10\log_{10} \tau_{\text{SISO}}$ ;

$\text{ChMod}$  is a parameter identifying the channel model condition such that  $\text{ChMod} \in \{\text{AWGN}, \text{RL}, \text{RC}\}$ ;

$\Theta_{\text{XPD}}$  is a parameter identifying the channel XPD configuration and is defined as subject to the channel model. If  $\text{ChMod} = \text{AWGN}$ ,  $\Theta_{\text{XPD}} = \text{XPD}_L \in \{20, 10, 5, 0\}$ ; if  $\text{ChMod} = \text{RL}$ ,  $\Theta_{\text{XPD}} = \text{XPD}_N \in \{20, 10, 5, 0\}$ ; and if  $\text{ChMod} = \text{RC}$ ,  $\Theta_{\text{XPD}} = (\text{XPD}_L, \text{XPD}_N)$  whose available value pairs are specified in Table E.1.2.

When LDM is applied,  $\tau_{MIMO}$ s for CL and EL are individually obtained (see Section E.2.2 and Section E.3.2). For these cases, the calculation model requires  $IL$  as an input variable in addition, where:

$IL$  denotes the injection level described in dB scale. This value is determined by **L1D\_plp\_ldm\_injection\_level** and refers to Table 9.24 in [3].

Note that, for LDM examples, only Layered MIMO Type A is supported in the current version of Annex E in this recommended practice.

For Class E model in Section E.3, input variables  $F_{PB}$ ,  $D_X$ , and  $D_Y$  are additionally required, where:

$F_{PB}$  denotes the dB scale power of pilot boosting applied to the scattered pilots. This value is determined by **L1D\_scattered\_pilot\_boost** (or **L1B\_first\_sub\_scattered\_pilot\_boost**) combined with  $D_X$  and  $D_Y$ , and refers to Table 9.16 in [3];

$D_X$  is the frequency domain separation of pilot bearing carriers, which is determined by **L1D\_scattered\_pilot\_pattern** (or **L1B\_first\_sub\_scattered\_pilot\_pattern**);

$D_Y$  is the time domain separation of pilot-bearing cells, i.e., the number of symbols forming one scattered pilot sequence, which is determined by **L1D\_scattered\_pilot\_pattern** (or **L1B\_first\_sub\_scattered\_pilot\_pattern**).

Note: The reference C/N  $\tau_{SISO}$  uses the values measured in unfaded channels. When Annex A is referenced, values in the ‘Lab test’ or ‘Simulation’ rows of Table A.3.2 are recommended. The Annex A values should be converted into linear scale before being used for  $\tau_{SISO}$  as follows since the Annex A data are recorded in dB scale.

$$\tau_{SISO} = 10^{\frac{\text{Required C/N in SISO System [dB]}}{10}}$$

Conversely, the resultant  $\tau_{MIMO}$  can be converted into dB scale as follows:

$$\text{dB Scale Estimate of Required C/N in MIMO System [dB]} = 10\log_{10} \tau_{MIMO}$$

## E.2 ESTIMATION WITH PERFECT CSI ASSUMPTION (CLASS P MODEL)

This section describes Class P method that assumes perfect CSIR, i.e., no channel estimation error. Class P estimates can be regarded as the theoretical limit that each ModCod combination in ATSC 3.0 MIMO can achieve.

Section E.2.1 presents estimations for non-LDM use cases. Estimations for LDMed systems are provided in Section E.2.2, identifying the CL and EL performances each. Section E.2.3 offers several exercise examples to guide practical applications.

### E.2.1 Method Description: Non-LDM Cases

A generalized formula for Class P estimation is outlined as

$$\begin{aligned} \text{Required C/N [dB]} &= 10\log_{10} \tau_{MIMO} \\ &= 10\log_{10} \zeta + f_{co}^{ChMod}(\zeta_{dB} | \Theta_{XPD}) \end{aligned} \quad \text{Eq. (E2)}$$

when LDM is not applied. The linear scale formulation constitutes

$$\tau_{MIMO} = \zeta \times 10^{\frac{f_{co}^{ChMod}(\zeta_{dB} | \Theta_{XPD})}{10}}. \quad \text{Eq. (E3)}$$

This is composed of an intermediate estimate

$$\zeta = \frac{-1 + \sqrt{1 + \Omega_{ChMod}(\mathcal{E}_R - 1)}}{\Omega_{ChMod}} \quad \text{Eq. (E4)}$$

and a correction offset function  $f_{co}^{ChMod}(\zeta_{dB} | \Theta_{XPD})$ , where  $\zeta_{dB} = 10\log_{10} \zeta$ . Note that each  $ChMod$  realization (i.e., AWGN, RL, or RC) has a unique  $f_{co}^{ChMod}(\zeta_{dB} | \Theta_{XPD})$ . Sections E.2.1.1, E.2.1.2, and E.2.1.3 detail their respective definitions.

The parameters  $\mathcal{E}_R$  and  $\Omega_{ChMod}$  are specified as

$$\mathcal{E}_R = 1 + 2\tau_{SISO} + \tau_{SISO}^2 \quad \text{Eq. (E5)}$$

and

$$\Omega_{ChMod} = \begin{cases} \Omega_{AWGN} & ChMod = AWGN \\ \Omega_{RL} & ChMod = RL \\ \Omega_{RC} & ChMod = RC \end{cases}, \quad \text{Eq. (E6)}$$

given as dependent on  $\tau_{SISO}$  and  $ChMod$ , respectively. Each realization of  $\Omega_{ChMod}$  is a scalar coefficient solely determined by XPD values; and is quantified in Sections E.2.1.1, E.2.1.2, and E.2.1.3.

The estimation procedure computing  $\tau_{MIMO}$  unfolds as follows:

---

<b>Input:</b>	$\tau_{SISO}, ChMod, \Theta_{XPD}$
<b>Initialization:</b>	Compute $\mathcal{E}_R$ and $\Omega_{ChMod}$ .
<b>Step i:</b>	Compute $\zeta$ using Eq. (E4).
<b>Step ii:</b>	Obtain $\tau_{MIMO}$ by applying $f_{co}^{ChMod}(\zeta_{dB}   \Theta_{XPD})$ , using $\zeta_{dB} = 10\log_{10} \zeta$ .
<b>Output:</b>	$\tau_{MIMO}$

---

#### E.2.1.1 AWGN Channel (Full-LoS)

Only LoS components are present in AWGN channels, so the effective XPD in AWGN channels directly equals  $XPD_L$ .  $XPD_N$  is not defined for this type of channel, and hence the following holds:  $\Theta_{XPD} = XPD_L$ .

Given  $\rho_L$  by Eq. (E1), the parameter  $\Omega_{ChMod}$  is specified as

$$\Omega_{AWGN} = (2\rho_L - 1)^2. \quad \text{Eq. (E7)}$$

For every instance of AWGN channel,  $f_{co}^{ChMod}(\zeta_{dB} | \Theta_{XPD}) = 0$  holds regardless of any  $\zeta_{dB}$  and  $\Theta_{XPD}$ . Simply,



$$\tau_{MIMO} = \begin{cases} \frac{-1 + \sqrt{1 + (2\rho_L - 1)^2(2\tau_{SISO} + \tau_{SISO}^2)}}{(2\rho_L - 1)^2} & \rho_L > \frac{1}{2} \text{ (XPD}_L > 0) \\ \tau_{SISO} + \frac{\tau_{SISO}^2}{2} & \rho_L = \frac{1}{2} \text{ (XPD}_L = 0) \end{cases}$$

holds in AWGN channel.

Note that this calculation model under AWGN channel condition allows any real-valued  $\rho_L$  within a range of  $\frac{1}{2} < \rho_L \leq 1$ . This means that any  $\text{XPD}_L \geq 0$  are supported when AWGN environment is considered.

### E.2.1.2 Rayleigh Channel

Conversely to AWGN channels, only NLoS components are present in RL channels. The effective XPD in RL channels directly equals  $\text{XPD}_N$ .  $\text{XPD}_L$  is not defined for this type of channel, and hence the following holds:  $\Theta_{\text{XPD}} = \text{XPD}_N$ .

Given  $\rho_N$  by Eq. (E1), the parameter  $\Omega_{\text{chMod}}$  is specified as

$$\Omega_{\text{RL}} = \rho_N^2 + (1 - \rho_N)^2. \quad \text{Eq. (E8)}$$

When conditioned on RL channel, a correction offset function

$$f_{co}^{\text{RL}}(\zeta_{dB} | \Theta_{\text{XPD}}) = \begin{cases} c_5 \zeta_{dB}^5 + c_4 \zeta_{dB}^4 + c_3 \zeta_{dB}^3 + c_2 \zeta_{dB}^2 + c_1 \zeta_{dB} + c_0 & \zeta_{dB} < 30 \\ f_{sat}^{\text{RL}} & \zeta_{dB} \geq 30 \end{cases} \quad \text{Eq. (E9)}$$

applies to Eq. (E3) (see **Step ii** of the estimation procedure described in Section E.2.1). The coefficients  $c_5, c_4, \dots, c_0$  constructing  $f_{co}^{\text{RL}}(\zeta_{dB} | \Theta_{\text{XPD}})$  refer to Table E.2.1. Note that these coefficient values are also specific to  $\text{XPD}_N$ .

**Table E.2.1** Coefficients of  $f_{co}^{\text{RL}}(\zeta_{dB} | \Theta_{\text{XPD}})$  w.r.t. XPD Levels

XPD Configuration: $\text{XPD}_N$	Coefficients					
	$c_5$	$c_4$	$c_3$	$c_2$	$c_1$	$c_0$
20 dB	$-1.237 \times 10^{-7}$	$1.156 \times 10^{-5}$	$-3.366 \times 10^{-4}$	$8.187 \times 10^{-4}$	0.117	0.9813
10 dB	$-1.263 \times 10^{-7}$	$1.225 \times 10^{-5}$	$-3.841 \times 10^{-4}$	$2 \times 10^{-3}$	0.108	0.8518
5 dB	$-9.448 \times 10^{-8}$	$1.005 \times 10^{-5}$	$-3.544 \times 10^{-4}$	$2.814 \times 10^{-3}$	$8.911 \times 10^{-2}$	0.6548
0 dB	$-5.598 \times 10^{-8}$	$7.061 \times 10^{-6}$	$-2.891 \times 10^{-4}$	$2.997 \times 10^{-3}$	$6.902 \times 10^{-2}$	0.4957

Eq. (E9) relates that  $f_{co}^{\text{RL}}(\zeta_{dB} | \Theta_{\text{XPD}})$  is saturated by  $f_{sat}^{\text{RL}}$  when  $\zeta_{dB} \geq 30$  dB. Table E.2.2 specifies this value  $f_{sat}^{\text{RL}}$  according to  $\text{XPD}_N$ .

**Table E.2.2** Values of  $f_{sat}^{RL}$  w.r.t. XPD Levels

XPD Configuration: $XPD_N$	$f_{sat}^{RL}$ [dB]
20 dB	2.5
10 dB	2.42
5 dB	2.14
0 dB	1.83

### E.2.1.3 Rician Channel

RC channel represents a compound of AWGN and RL channel responses where both LoS and NLoS components are present.  $XPD_L$  and  $XPD_N$  are individually realized in RC channels, so the XPD condition  $\Theta_{XPD} = (XPD_L, XPD_N)$  is defined as a pair consisting of  $XPD_L$  and  $XPD_N$ . The effective XPD can be derived therefrom as described in Annex F.

Given  $\rho_L$  and  $\rho_N$  by Eq. (E1), the parameter  $\Omega_{ChMod}$  is specified as

$$\Omega_{RC} = \left( \frac{\rho_L K}{1+K} + \frac{\rho_N}{1+K} \right)^2 + \left( \frac{(1-\rho_L)K}{1+K} + \frac{(1-\rho_N)}{1+K} \right)^2 - \frac{2\rho_L(1-\rho_L)K^2}{(1+K)^2}. \quad \text{Eq. (E10)}$$

Note here that the Rician  $K$ -factor is given as  $K = 10$  throughout this Annex.

When conditioned on RC channel, a correction offset function

$$f_{co}^{RC}(\zeta_{dB} | \Theta_{XPD}) = \begin{cases} c_5 \zeta_{dB}^5 + c_4 \zeta_{dB}^4 + c_3 \zeta_{dB}^3 + c_2 \zeta_{dB}^2 + c_1 \zeta_{dB} + c_0 & \zeta_{dB} < 30 \\ f_{sat}^{RC} & \zeta_{dB} \geq 30 \end{cases} \quad \text{Eq. (E11)}$$

applies to Eq. (E3) (see **Step ii** of the estimation procedure described in Section E.2.1). The coefficients  $c_5, c_4, \dots, c_0$  constructing  $f_{co}^{RC}(\zeta_{dB} | \Theta_{XPD})$  refer to Table E.2.3. Note that these coefficient values are also specific to the pair  $(XPD_L, XPD_N)$ .

**Table E.2.3** Coefficients of  $f_{co}^{RC}(\zeta_{dB} | \Theta_{XPD})$  w.r.t. XPD Levels

XPD Configuration		Coefficients					
$XPD_L$	$XPD_N$	$c_5$	$c_4$	$c_3$	$c_2$	$c_1$	$c_0$
20 dB	20 dB	$-2.504 \times 10^{-8}$	$2.234 \times 10^{-6}$	$-5.701 \times 10^{-5}$	$-1.261 \times 10^{-4}$	$2.266 \times 10^{-2}$	0.1916
	10 dB	$-1.961 \times 10^{-8}$	$1.782 \times 10^{-6}$	$-4.566 \times 10^{-5}$	$-1.64 \times 10^{-4}$	$2.088 \times 10^{-2}$	0.1766
	5 dB	$-1.784 \times 10^{-8}$	$1.625 \times 10^{-6}$	$-4.239 \times 10^{-5}$	$-9.539 \times 10^{-5}$	$1.764 \times 10^{-2}$	0.1478
	0 dB	$-1.073 \times 10^{-8}$	$9.887 \times 10^{-7}$	$-2.627 \times 10^{-5}$	$-6.453 \times 10^{-5}$	$1.193 \times 10^{-2}$	$9.908 \times 10^{-2}$
10 dB	10 dB	$-3.442 \times 10^{-8}$	$3.416 \times 10^{-6}$	$-1.072 \times 10^{-4}$	$5.958 \times 10^{-4}$	$2.508 \times 10^{-2}$	0.1751
	5 dB	$-2.896 \times 10^{-8}$	$2.944 \times 10^{-6}$	$-9.511 \times 10^{-5}$	$5.922 \times 10^{-4}$	$2.127 \times 10^{-2}$	0.1466
	0 dB	$-1.965 \times 10^{-8}$	$2.109 \times 10^{-6}$	$-7.294 \times 10^{-5}$	$5.714 \times 10^{-4}$	$1.458 \times 10^{-2}$	$9.731 \times 10^{-2}$

Note also that  $f_{co}^{RC}(\zeta_{dB} | \Theta_{XPD})$  is saturated by  $f_{sat}^{RC}$  when  $\zeta_{dB} \geq 30$  dB. Table E.2.4 specifies this value  $f_{sat}^{RC}$  according to  $(XPD_L, XPD_N)$ .

**Table E.2.4** Values of  $f_{sat}^{RC}$  and Thresholds of Saturation w.r.t. XPD Levels

XPD Configuration		$f_{sat}^{RC}$ [dB]
XPD <sub>L</sub>	XPD <sub>N</sub>	
20 dB	20 dB	0.42
	10 dB	0.39
	5 dB	0.33
	0 dB	0.23
10 dB	10 dB	0.5
	5 dB	0.43
	0 dB	0.31

**E.2.2 Estimations in LDM Scenarios (Layered MIMO Type A)**

This section illustrates Class P estimations for LDM systems. Note that every LDM example in this Annex refers to Layered MIMO, the combined use of LDM and MIMO (see Annex O in [3]). The presented model specifically applies to Layered MIMO Type A, in which both the CL and EL use MIMO.  $\tau_{MIMO}$  is accordingly identified for each LDM layer in the following subsections.

**E.2.2.1 Core Layer**

For explicit identification, the  $\tau_{MIMO}$  of CL in LDM signals is designated by  $\tau_{MIMO}|_{LDM\ CL}$ . A Class P estimation model yields a formula

$$\tau_{MIMO}|_{LDM\ CL} = \frac{\hat{\zeta}_{CL}}{1 - \Delta_{LDM} - \Delta_{LDM}\hat{\zeta}_{CL}} \quad \text{Eq. (E12)}$$

where a latent variable  $\hat{\zeta}_{CL}$  is given as

$$\hat{\zeta}_{CL} = \zeta_{CL} \times 10^{\frac{f_{co}^{ChMod}(\zeta_{CL}^{dB} | \Theta_{XPD})}{10}} \quad \text{Eq. (E13)}$$

for another latent variable  $\zeta_{CL}$  and  $f_{co}^{ChMod}(\zeta_{CL}^{dB} | \Theta_{XPD})$ . Note that the same  $f_{co}^{ChMod}(\cdot)$  as in Section E.2.1 shall be used while holding  $\zeta_{CL}^{dB} = 10\log_{10} \zeta_{CL}$  as input.

$$\zeta_{CL} = \frac{(1 - \Delta_{LDM})\zeta}{1 + \Delta_{LDM}\zeta} \quad \text{Eq. (E14)}$$

The parameters and  $\zeta$  and  $\Delta_{LDM}$  determining  $\zeta_{CL}$  are given by

$$\zeta = \frac{\varepsilon_R \Delta_{LDM} - 1 + \sqrt{(\varepsilon_R \Delta_{LDM} - 1)^2 + \Omega_{ChMod}(1 - \varepsilon_R \Delta_{LDM}^2)(\varepsilon_R - 1)}}{\Omega_{ChMod}(1 - \varepsilon_R \Delta_{LDM}^2)} \quad \text{Eq. (E15)}$$

and

$$\Delta_{LDM} = \frac{10^{-\frac{IL}{10}}}{1 + 10^{-\frac{IL}{10}}}, \quad \text{Eq. (E16)}$$

respectively.  $\mathcal{E}_R$  and  $\Omega_{ChMod}$  herein share the definitions in Section E.2.1.

The estimation procedure computing  $\tau_{MIMO}$  unfolds as follows:

---

<b>Input:</b>	$\tau_{SISO}, ChMod, \Theta_{XPD}, IL$
<b>Initialization:</b>	Compute $\mathcal{E}_R$ , $\Omega_{ChMod}$ , and $\Delta_{LDM}$ . See Eqs. (E5), (E6), and (E16).
<b>Step i:</b>	Compute $\zeta$ using Eq. (E15).
<b>Step ii:</b>	Convert $\zeta$ into $\zeta_{CL}$ using Eq. (E14).
<b>Step iii:</b>	Obtain $\hat{\zeta}_{CL}$ by applying $f_{co}^{ChMod}(\zeta_{CL}^{dB}   \Theta_{XPD})$ , using $\zeta_{CL}^{dB} = 10\log_{10} \zeta_{CL}$ and Eq. (E13).
<b>Step iv:</b>	Obtain $\tau_{MIMO} _{LDM\ CL}$ from Eq. (E12).
<b>Output:</b>	$\tau_{MIMO} _{LDM\ CL}$

---

Note above that  $\tau_{MIMO}|_{LDM\ CL}$  directly agree with  $\zeta$  (i.e.,  $\tau_{MIMO}|_{LDM\ CL} = \zeta$ ) when  $ChMod = AWGN$ .

Note: The  $\tau_{SISO}$  value corresponds to the measurement obtained without applying LDM.

#### E.2.2.2 Enhanced Layer

When the  $\tau_{MIMO}$  of LDM EL is denoted as  $\tau_{MIMO}|_{LDM\ EL}$ , Class P finds the corresponding equation as

$$\begin{aligned} \tau_{MIMO}|_{LDM\ EL} &= \frac{\zeta}{\Delta_{LDM}} \times 10^{\frac{f_{co}^{ChMod}(\zeta_{dB} | \Theta_{XPD})}{10}} \\ &= \frac{-1 + \sqrt{1 + \Omega_{ChMod}(\mathcal{E}_R - 1)}}{\Omega_{ChMod} \Delta_{LDM}} \times 10^{\frac{f_{co}^{ChMod}(\zeta_{dB} | \Theta_{XPD})}{10}}, \end{aligned} \quad \text{Eq. (E17)}$$

where the related parameters are given by

$$\zeta = \frac{-1 + \sqrt{1 + \Omega_{ChMod}(\mathcal{E}_R - 1)}}{\Omega_{ChMod}},$$

$\Delta_{LDM} = 10^{-\frac{IL}{10}} / \left(1 + 10^{-\frac{IL}{10}}\right)$ , and by Eq. (E5). The same  $\Omega_{ChMod}$  and  $f_{co}^{ChMod}(\cdot)$  as in Section E.2.1 shall be applied also.

The estimation proceeds with the same as which described in Section E.2.1 but divides the result by  $\Delta_{LDM}$  in addition. This procedure corresponds with the following.

---

<b>Input:</b>	$\tau_{SISO}, ChMod, \Theta_{XPD}, IL$
<b>Initialization:</b>	Compute $\mathcal{E}_R$ , $\Omega_{ChMod}$ , and $\Delta_{LDM}$ . See Eqs. (E5), (E6), and (E16).
<b>Step i:</b>	Compute $\zeta$ using Eq. (E4).
<b>Step ii:</b>	Obtain $\tau_{MIMO} _{LDM\ EL}$ by applying $f_{co}^{ChMod}(\zeta_{dB}   \Theta_{XPD})$ to $\zeta/\Delta_{LDM}$ . See Eq. (E17).

---

---

**Output:**  $\tau_{MIMO}|_{LDM\ EL}$

---

Note: The  $\tau_{SISO}$  value corresponds to the measurement obtained without applying LDM.

### E.2.3 Calculation Examples

Example calculations are given below assuming:

$$\tau_{SISO} = 1.9588 \text{ (= 2.92 dB)}$$

$$ChMod = RL$$

$$\Theta_{XPD} = XPD_N = 10 \text{ dB (} XPD_L = N/A \text{)}$$

Note: The considered value of  $\tau_{SISO}$  refers to a ModCod combination described in Table E.2.5. The simulation result in Table A.3.2 is used. Note that the target QEF condition inherits  $BER = 10^{-6}$  (used in Table A.3.2) thereby.

**Table E.2.5** ModCod Combination for Calculation Examples

Constellation	16QAM
Inner Code	LDPC Code (Code Length: 64,800 bits, Code Rate: 5/15)
Outer Code	BCH Code

Based on input parameters above, the initialization step prepares parameters computed as:

$$\mathcal{E}_R = 1 + 2 \times 1.9588 + (1.9588)^2 = 8.7548$$

$$\rho_N = 10^{\frac{10}{10}} / (1 + 10^{\frac{10}{10}}) = 0.9091$$

$$\Omega_{RL} = (0.9091)^2 + (1 - 0.9091)^2 = 0.8347$$

These parameter values are uniformly applied to both non-LDM and LDM examples that follow.

#### E.2.3.1 Non-LDM Example

Based on the parameter set described above, Class P estimation for non-LDM configuration proceeds as follows.

$\zeta$  and  $\zeta_{dB}$  are computed as:

$$\zeta = \frac{(-1 + \sqrt{1 + 0.8347 \times (8.7548 - 1)})}{0.8347} = 2.0770$$

$$\zeta_{dB} = 10 \log_{10} 2.0770 = 3.1743$$

$f_{co}^{RL}(\zeta_{dB} | \Theta_{XPD})$  is computed as:

$$\begin{aligned} f_{co}^{RL}(3.1743 | XPD_N = 10 \text{ dB}) &= -1.263 \times 10^{-7} \times (3.1743)^5 + 1.225 \times 10^{-5} \times (3.1743)^4 \\ &\quad - 3.841 \times 10^{-4} \times (3.1743)^3 + 2 \times 10^{-3} \times (3.1743)^2 + 0.108 \times \\ &\quad (3.1743) + 0.8518 \\ &= 1.2037 \end{aligned}$$

The estimate  $\tau_{MIMO}$  is then derived as

$$\tau_{MIMO} = 2.0770 \times 10^{\frac{1.2037}{10}} = 2.7403$$

and leads to the dB scale estimate

$$10 \log_{10} \tau_{MIMO} \quad 4.3780 \text{ dB.}$$

### E.2.3.2 LDM Example

LDM examples are given below assuming:

$$IL \quad 10 \text{ dB}$$

The initialization step additionally prepares a parameter computed therefrom:

$$\Delta_{LDM} = 10^{-\frac{10}{10}} / (1 + 10^{-\frac{10}{10}}) = 0.0909$$

This LDM parameter value is uniformly applied to both CL and EL examples that follow.

#### E.2.3.2.1 Core Layer Example

$\zeta$  for CL is computed as:

$$\zeta = \frac{(8.7548 \times 0.0909 - 1 + \sqrt{(8.7548 \times 0.0909 - 1)^2 + 0.8347 \times (1 - 8.7548 \times 0.0909^2) \times (8.7548 - 1)})}{0.8347 \times (1 - 8.7548 \times 0.0909^2)} = 2.9120$$

$\zeta_{CL}$  and  $\zeta_{CL}^{dB}$  are computed as:

$$\zeta_{CL} = \frac{(1 - 0.0909) \times 2.9120}{1 + 0.0909 \times 2.9120} = 2.0932$$

$$\zeta_{CL}^{dB} = 10 \log_{10} 2.0932 = 3.2080$$

$f_{co}^{RL}(\zeta_{CL}^{dB} \mid \Theta_{XPD})$  is computed as:

$$\begin{aligned} f_{co}^{RL}(3.2080 \mid XPD_N = 10 \text{ dB}) &= -1.263 \times 10^{-7} \times (3.2080)^5 + 1.225 \times 10^{-5} \times (3.2080)^4 \\ &\quad - 3.841 \times 10^{-4} \times (3.2080)^3 + 2 \times 10^{-3} \times (3.2080)^2 + 0.108 \times \\ &\quad (3.2080) + 0.8518 \\ &= 1.2074 \end{aligned}$$

$\hat{\zeta}_{CL}$  is computed as:

$$\hat{\zeta}_{CL} = 2.0932 \times 10^{\frac{1.2074}{10}} = 2.7641$$

The estimate  $\tau_{MIMO}|_{LDM \text{ CL}}$  is then derived as

$$\tau_{MIMO}|_{LDM \text{ CL}} = \frac{2.7641}{1 - 0.0909 - 0.0909 \times 2.7641} = 4.2019$$

and leads to the dB scale estimate

$$10 \log_{10} \tau_{MIMO}|_{LDM\ CL} \quad 6.2344 \text{ dB.}$$

#### E.2.3.2.2 Enhanced Layer Example

$\zeta$  and  $\zeta_{dB}$  for EL is computed as:

$$\zeta = \frac{(-1 + \sqrt{1 + 0.8347 \times (8.7548 - 1)})}{0.8347} = 2.0770$$

$$\zeta_{dB} = 10 \log_{10} 2.0770 = 3.1743$$

$f_{co}^{RL}(\zeta_{dB} | \Theta_{XPD})$  is computed as:

$$\begin{aligned} f_{co}^{RL}(3.1744 | XPD_N = 10 \text{ dB}) &= -1.263 \times 10^{-7} \times (3.1744)^5 + 1.225 \times 10^{-5} \times (3.1744)^4 \\ &\quad - 3.841 \times 10^{-4} \times (3.1744)^3 + 2 \times 10^{-3} \times (3.1744)^2 + 0.108 \times \\ &\quad (3.1744) + 0.8518 \\ &= 1.2037 \end{aligned}$$

The estimate  $\tau_{MIMO}|_{LDM\ EL}$  is then derived as

$$\tau_{MIMO}|_{LDM\ EL} = \frac{2.0770}{0.0909} \times 10^{\frac{1.2037}{10}} = 30.147$$

and leads to the dB scale estimate

$$10 \log_{10} \tau_{MIMO}|_{LDM\ CL} \quad 14.792 \text{ dB.}$$

### E.3 ESTIMATION WITH CHANNEL ESTIMATION ERRORS (CLASS E MODEL)

Class E method accounts for erroneous CSIR. The figure of CSI errors is modeled through an actual channel estimation process, provisioning a comprehensive scaling according to the impact of pilot boosting on system performance. Note that Class E method assumes a theoretical channel estimation operation, namely, linear MMSE estimation. The system performance of commercial receivers may vary depending on the channel estimation schemes they implement.

Basic approaches for non-LDM configurations are presented in Section E.3.1 subject to different channel conditions. Estimations under Layered MIMO configurations (specifically Type A) are provided in Section E.3.2. Section E.3.3 offers several exercise examples to guide practices.

Note: The referenced  $\tau_{SISO}$  values relate to the measurements obtained without applying LDM and pilot boosting.

#### E.3.1 Non-LDM Case

##### E.3.1.1 AWGN Channel (Full-LoS)

When conditioned on AWGN channel, channel estimation errors are neglected. Class E estimation in this case corresponds to Class P estimation described in Section E.2.2.1 unless pilot boosting is applied.

When pilot boosting effect applies, the result amounts to  $\tau_{MIMO} = \zeta/\kappa_d$  where  $\zeta$  and  $\kappa_d$  refer to Eq. (E4) and

$$\kappa_d = \frac{1}{1 - \frac{1}{D_X D_Y} + \frac{A_{SP}^2}{D_X D_Y}}, \quad \text{Eq. (E18)}$$

respectively. This  $\kappa_d$  above quantifies the power reduction at the data cells that offsets boosted pilots. Following the notation in Section 8 of [3],  $A_{SP}$  denotes the amplitude in scattered pilot cells and is given by

$$A_{SP} = 10^{\frac{F_{PB}}{20}} \quad \text{Eq. (E19)}$$

reliant on the pilot boosting power  $F_{PB}$ .  $F_{PB}$  refers to Table 9.16 in [3] and is determined by **L1D\_scattered\_pilot\_boost** (or **L1B\_first\_sub\_scattered\_pilot\_boost**) in conjunction with the scattered pilot pattern ( $D_X$  and  $D_Y$ ). Note that  $A_{SP}$  is interpreted as an amplitude gain in the context of pilot boosting since Table 9.17 is described to normalize the non-boosted pilot power as 1.

### E.3.1.2 Rayleigh Channel

As described in Section E.2.1.2, only NLoS components are present in RL channels.  $\Theta_{XPD} = XPD_N$  and  $\Omega_{RL} = \rho_N^2 + (1 - \rho_N)^2$  hold, where Eq. (E1) gives  $\rho_N$ .

When conditioned on RL channel (i.e.,  $ChMod = RL$ ),  $\tau_{MIMO}$  amounts to

$$\tau_{MIMO} = \frac{(A_{SP}^2 + \kappa_d)\hat{\zeta} + \sqrt{\left((A_{SP}^2 + \kappa_d)\hat{\zeta}\right)^2 + 4A_{SP}^2\kappa_d\hat{\zeta}}}{2A_{SP}^2\kappa_d} \quad \text{Eq. (E20)}$$

whereby  $A_{SP}$  and  $\kappa_d$  refer to Eq. (E19) and Eq. (E18) shown in Section E.3.1.1, and where

$$\hat{\zeta} = \zeta \times 10^{\frac{f_{co}^{RL|CE}(\zeta_{dB} | \Theta_{XPD})}{10}}. \quad \text{Eq. (E21)}$$

If pilot boosting is not applied, Eq. (E20) can be further simplified into  $\tau_{MIMO} = \hat{\zeta} + \sqrt{\hat{\zeta}^2 + \hat{\zeta}}$ . The intermediate estimate  $\hat{\zeta}$  consists of another intermediate estimate

$$\zeta = \frac{-1 + \sqrt{1 + \Omega_{RL}(\mathcal{E}_R - 1)}}{\Omega_{RL}} \quad \text{Eq. (E22)}$$

and a correction offset function

$$f_{co}^{RL|CE}(\zeta_{dB} | \Theta_{XPD}) = \begin{cases} c_5\zeta_{dB}^5 + c_4\zeta_{dB}^4 + c_3\zeta_{dB}^3 + c_2\zeta_{dB}^2 + c_1\zeta_{dB} + c_0 & \zeta_{dB} < 30 \\ f_{sat}^{RL|CE} & \zeta_{dB} \geq 30 \end{cases}, \quad \text{Eq. (E23)}$$

where  $\mathcal{E}_R$  is determined from  $\tau_{SISO}$  by Eq. (E5), and  $\zeta_{dB} = 10\log_{10} \zeta$ .



Note that this  $f_{co}^{RL|CE}(\cdot)$  differs from the  $f_{co}^{RL}(\cdot)$  shown in Section E.2.1.2. The coefficients  $c_5, c_4, \dots, c_0$  constituting  $f_{co}^{RL|CE}(\zeta_{dB} | \Theta_{XPD})$  refer to Table E.3.1 below.

**Table E.3.1** Coefficients of  $f_{co}^{RL|CE}(\zeta_{dB} | \Theta_{XPD})$  w.r.t. XPD Levels

XPD Configuration: $XPD_N$	Coefficients					
	$c_5$	$c_4$	$c_3$	$c_2$	$c_1$	$c_0$
20 dB	$-1.761 \times 10^{-7}$	$1.571 \times 10^{-5}$	$-4.391 \times 10^{-4}$	$1.377 \times 10^{-3}$	0.1255	0.9056
10 dB	$-1.6 \times 10^{-7}$	$1.485 \times 10^{-5}$	$-4.469 \times 10^{-4}$	$2.345 \times 10^{-3}$	0.1149	0.7823
5 dB	$-1.072 \times 10^{-7}$	$1.141 \times 10^{-5}$	$-4.008 \times 10^{-4}$	$3.255 \times 10^{-3}$	$9.319 \times 10^{-2}$	0.5874
0 dB	$-6.628 \times 10^{-8}$	$8.22 \times 10^{-6}$	$-3.313 \times 10^{-4}$	$3.483 \times 10^{-3}$	$7.17 \times 10^{-2}$	0.4319

Note in Eq. (E23) also that  $f_{co}^{RL|CE}(\zeta_{dB} | \Theta_{XPD})$  is saturated by  $f_{sat}^{RL|CE}$  when  $\zeta_{dB} \geq 30$  dB. Table E.3.2 specifies this value  $f_{sat}^{RL|CE}$  according to  $XPD_N$ .

**Table E.3.2** Values of  $f_{sat}^{RL|CE}$  w.r.t. XPD Levels

XPD Configuration: $XPD_N$	$f_{sat}^{RL CE}$ [dB]
20 dB	2.5
10 dB	2.41
5 dB	2.14
0 dB	1.83

Briefly, Class E method involves one more step extracting Eq. (E20) from Eq. (E21) compared to Class P process. A stepwise description of the estimation procedure is as follows:

<b>Input:</b>	$\tau_{ISO}, ChMod = RL, \Theta_{XPD}, F_{PB}, D_X, D_Y$
<b>Initialization:</b>	Compute $\mathcal{E}_R, \Omega_{RL}, A_{SP}, \kappa_d$ . See Eqs. (E5), (E8), (E19), and (E18).
<b>Step i:</b>	Compute $\zeta$ using Eq. (E22).
<b>Step ii:</b>	Obtain $\hat{\zeta}$ by applying $f_{co}^{RL CE}(\zeta_{dB}   \Theta_{XPD})$ , using $\zeta_{dB} = 10\log_{10} \zeta_{CL}$ and Eq. (E21).
<b>Step iii:</b>	Convert $\hat{\zeta}$ into $\tau_{MIMO}$ using Eq. (E20).
<b>Output:</b>	$\tau_{MIMO}$

### E.3.1.3 Rician Channel

As described in Section E.2.1.3, LoS and NLoS components are both present in RC channels.  $XPD_L$  and  $XPD_N$  are individually defined, and the pair of them constitutes  $\Theta_{XPD} = (XPD_L, XPD_N)$ . For RC examples,  $\Omega_{RC}$  is given by Eq. (E10) where  $\rho_L$  and  $\rho_N$  refer to Eq. (E1).

When conditioned on RC channel (i.e.,  $ChMod = RC$ ),  $\tau_{MIMO}$  amounts to

$$\tau_{MIMO} = \frac{(A_{SP}^2 + \kappa_d)\hat{\zeta} - (1 + K)\kappa_d + \sqrt{\left((A_{SP}^2 + \kappa_d)\hat{\zeta} - (1 + K)\kappa_d\right)^2 + 4A_{SP}^2\kappa_d(1 + K)\hat{\zeta}}}{2A_{SP}^2\kappa_d} \quad \text{Eq. (E24)}$$

whereby  $A_{SP}$  and  $\kappa_d$  refer to Eq. (E19) and Eq. (E18) shown in Section E.3.1.1, and where

$$\hat{\zeta} = \zeta \times 10^{\frac{f_{co}^{RC|CE}(\zeta_{dB} | \Theta_{XPD})}{10}}. \quad \text{Eq. (E25)}$$

This intermediate estimate  $\hat{\zeta}$  consists of another intermediate estimate

$$\zeta = \frac{-1 + \sqrt{1 + \Omega_{RC}(\mathcal{E}_R - 1)}}{\Omega_{RC}} \quad \text{Eq. (E26)}$$

and a correction offset function

$$f_{co}^{RC|CE}(\zeta_{dB} | \Theta_{XPD}) = \begin{cases} c_5 \zeta_{dB}^5 + c_4 \zeta_{dB}^4 + c_3 \zeta_{dB}^3 + c_2 \zeta_{dB}^2 + c_1 \zeta_{dB} + c_0 & \zeta_{dB} < Th(\Theta_{XPD}) \\ f_{sat}^{RC|CE} & \zeta_{dB} \geq Th(\Theta_{XPD}) \end{cases} \quad \text{Eq. (E27)}$$

where  $\mathcal{E}_R$  is determined from  $\tau_{SISO}$  by Eq. (E5), and  $\zeta_{dB} = 10 \log_{10} \zeta$ .

Note that this  $f_{co}^{RC|CE}(\cdot)$  differs from the  $f_{co}^{RC}(\cdot)$  shown in Section E.2.1.3. The coefficients  $c_5, c_4, \dots, c_0$  constituting  $f_{co}^{RC|CE}(\zeta_{dB} | \Theta_{XPD})$  refer to Table E.3.3 below. The coefficient values are also specific to  $(XPD_L, XPD_N)$ .

**Table E.3.3** Coefficients of  $f_{co}^{RC|CE}(\zeta_{dB} | \Theta_{XPD})$  w.r.t. XPD Levels

XPD Configuration		Coefficients					
$XPD_L$	$XPD_N$	$c_5$	$c_4$	$c_3$	$c_2$	$c_1$	$c_0$
20 dB	20 dB	0	0	0	$-5.331 \times 10^{-6}$	$3.715 \times 10^{-4}$	0.416
	10 dB	0	0	$-1.296 \times 10^{-6}$	$8.327 \times 10^{-5}$	$-1.628 \times 10^{-3}$	0.3982
	5 dB	0	0	$-3.408 \times 10^{-6}$	$2.372 \times 10^{-4}$	$-5.249 \times 10^{-3}$	0.3658
	0 dB	$3.05 \times 10^{-8}$	$-2.178 \times 10^{-6}$	$4.31 \times 10^{-5}$	$1.382 \times 10^{-4}$	$-1.185 \times 10^{-2}$	0.3149
10 dB	10 dB	0	$7.126 \times 10^{-8}$	$-2.277 \times 10^{-6}$	$-1.175 \times 10^{-4}$	$5.261 \times 10^{-3}$	0.4544
	5 dB	0	0	0	$-1.566 \times 10^{-5}$	$1.07 \times 10^{-3}$	0.4214
	0 dB	$2.311 \times 10^{-8}$	$-1.652 \times 10^{-6}$	$3.44 \times 10^{-5}$	$5.056 \times 10^{-6}$	$-6.783 \times 10^{-3}$	0.367

Note in Eq. (E27) also that  $f_{co}^{RC|CE}(\zeta_{dB} | \Theta_{XPD})$  is saturated by  $f_{sat}^{RC|CE}$  when  $\zeta_{dB} \geq Th(\Theta_{XPD})$ . The values of  $f_{sat}^{RC|CE}$  and  $Th(\Theta_{XPD})$  according to  $\Theta_{XPD}$  are specified in Table E.3.4.

**Table E.3.4** Values of  $f_{sat}^{RC|CE}$  and Thresholds of Saturation w.r.t. XPD Levels

XPD Configuration		$f_{sat}^{RC CE}$ [dB]	$Th(\Theta_{XPD})$ [dB]
$XPD_L$	$XPD_N$		
20 dB	20 dB	0.42	25
	10 dB	0.39	20
	5 dB	0.33	20
	0 dB	0.22	20
10 dB	10 dB	0.5	20
	5 dB	0.44	30
	0 dB	0.32	20

A stepwise description of the estimation procedure is as follows:

---

<b>Input:</b>	$\tau_{SISO}, ChMod = RC, K = 10, \Theta_{XPD}, F_{PB}, D_X, D_Y$
<b>Initialization:</b>	Compute $\mathcal{E}_R, \Omega_{RC}, A_{SP}, \kappa_d$ . See Eqs. (E5), (E8), (E19), and (E18).
<b>Step i:</b>	Compute $\zeta$ using Eq. (E26).
<b>Step ii:</b>	Obtain $\hat{\zeta}$ by applying $f_{co}^{RL CE}(\zeta_{dB}   \Theta_{XPD})$ , using $\zeta_{dB} = 10\log_{10} \zeta_{CL}$ and Eq. (E25).
<b>Step iii:</b>	Convert $\hat{\zeta}$ into $\tau_{MIMO}$ using Eq. (E24).
<b>Output:</b>	$\tau_{MIMO}$

---

### E.3.2 Estimations in LDM Scenarios (Layered MIMO Type A)

This section illustrates Class E estimations for Layered MIMO Type A systems (see Annex O in [3] for Layered MIMO systems).  $\tau_{MIMO}$ s for CL and EL are identified in the following subsections.

Note: Throughout this section, the parameters  $\mathcal{E}_R, \Delta_{LDM}, A_{SP}$ , and  $\kappa_d$  conform to the definitions in the previous sections, referring to Eqs. (E5), (E8), (E19), and (E18).

Note:  $\tau_{SISO}$  corresponds to the measurements obtained without applying LDM, and also pilot boosting.

#### E.3.2.1 Core Layer

The CL model is described below per channel condition. The notation  $\tau_{MIMO}|_{LDM\ CL}$  indicates the  $\tau_{MIMO}$  of CL as in Section E.2.2.

##### E.3.2.1.1 AWGN Channel

The C/N estimate is modeled as follows when  $ChMod = AWGN$ :

$$\begin{aligned} \tau_{MIMO}|_{LDM\ CL} &= \frac{\zeta}{\kappa_d} \\ &= \frac{\mathcal{E}_R \Delta_{LDM} - 1 + \sqrt{(\mathcal{E}_R \Delta_{LDM} - 1)^2 + \Omega_{AWGN}(1 - \mathcal{E}_R \Delta_{LDM}^2)(\mathcal{E}_R - 1)}}{\Omega_{AWGN}(1 - \mathcal{E}_R \Delta_{LDM}^2)\kappa_d}, \quad \text{Eq. (E28)} \end{aligned}$$

where  $\Omega_{AWGN} = (2\rho_L - 1)^2$ .

The estimation procedure computing  $\tau_{MIMO}|_{LDM\ CL}$  unfolds as follows:

---

<b>Input:</b>	$\tau_{SISO}, ChMod = AWGN, \Theta_{XPD}, F_{PB}, D_X, D_Y, IL$
<b>Initialization:</b>	Compute $\mathcal{E}_R, \Omega_{AWGN}, A_{SP}, \kappa_d$ , and $\Delta_{LDM}$ .
<b>Step i:</b>	Compute Eq. (E28) to obtain $\tau_{MIMO} _{LDM\ CL}$ : Calculate $\zeta$ and divide it by $\kappa_d$ .
<b>Output:</b>	$\tau_{MIMO} _{LDM\ CL}$

---

##### E.3.2.1.2 Rayleigh Channel

When conditioned on RL channel,  $\tau_{MIMO}|_{LDM\ CL}$  is described as

$$\tau_{MIMO|LDM\ CL} = \frac{(A_{SP}^2 + \kappa_d)\zeta_r + \sqrt{((A_{SP}^2 + \kappa_d)\zeta_r)^2 + 4A_{SP}^2\kappa_d\zeta_r}}{2A_{SP}^2\kappa_d}, \quad \text{Eq. (E29)}$$

where

$$\zeta_r = \frac{\hat{\zeta}_{CL}}{1 - \Delta_{LDM} - \Delta_{LDM}\hat{\zeta}_{CL}} \quad \text{Eq. (E30)}$$

traces back to

$$\hat{\zeta}_{CL} = \zeta_{CL} \times 10^{\frac{f_{co}^{RL|CE}(\zeta_{CL}^{dB} | \Theta_{XPD})}{10}}. \quad \text{Eq. (E31)}$$

This metric  $\hat{\zeta}_{CL}$  is factorized into

$$\zeta_{CL} = \frac{(1 - \Delta_{LDM})\zeta}{1 + \Delta_{LDM}\zeta} \quad \text{Eq. (E32)}$$

and  $f_{co}^{RL|CE}(\zeta_{CL}^{dB} | \Theta_{XPD})$  as described above. Note that the same  $f_{co}^{RL|CE}(\cdot)$  as in Section E.3.1.2 shall be used while holding  $\zeta_{CL}^{dB} = 10\log_{10} \zeta_{CL}$  as input.

The intermediate estimate  $\zeta$  is given by

$$\zeta = \frac{\varepsilon_R \Delta_{LDM} - 1 + \sqrt{(\varepsilon_R \Delta_{LDM} - 1)^2 + \Omega_{RL}(1 - \varepsilon_R \Delta_{LDM}^2)(\varepsilon_R - 1)}}{\Omega_{RL}(1 - \varepsilon_R \Delta_{LDM}^2)} \quad \text{Eq. (E33)}$$

where  $\Omega_{RL} = \rho_N^2 + (1 - \rho_N)^2$  shares the same definition as in Section E.3.1.2.

The estimation procedure computing  $\tau_{MIMO|LDM\ CL}$  unfolds as follows:

---

<b>Input:</b>	$\tau_{ISO}, ChMod = RL, \Theta_{XPD}, F_{PB}, D_X, D_Y, IL$
<b>Initialization:</b>	Compute $\varepsilon_R, \Omega_{RL}, A_{SP}, \kappa_d$ , and $\Delta_{LDM}$ .
<b>Step i:</b>	Compute $\zeta$ using Eq. (E33).
<b>Step ii:</b>	Convert $\zeta$ into $\zeta_{CL}$ . See Eq. (E32).
<b>Step iii:</b>	Obtain $\hat{\zeta}_{CL}$ by applying $f_{co}^{RL CE}(\zeta_{CL}^{dB}   \Theta_{XPD})$ , using $\zeta_{CL}^{dB} = 10\log_{10} \zeta_{CL}$ and Eq. (E31).
<b>Step iv:</b>	Convert $\hat{\zeta}_{CL}$ into $\zeta_r$ using Eq. (E30).
<b>Step v:</b>	Obtain $\tau_{MIMO LDM\ CL}$ from Eq. (E29).
<b>Output:</b>	$\tau_{MIMO LDM\ CL}$

---

### E.3.2.1.3 Rician Channel

When conditioned on RC channel,  $\tau_{MIMO|LDM\ CL}$  is described as

$$\tau_{MIMO|LDM\ CL} = \frac{(A_{SP}^2 + \kappa_d)\zeta_r - (1 + K)\kappa_d + \sqrt{\left((A_{SP}^2 + \kappa_d)\zeta_r - (1 + K)\kappa_d\right)^2 + 4A_{SP}^2\kappa_d(1 + K)\zeta_r}}{2A_{SP}^2\kappa_d} \text{ Eq. (E34)}$$

where

$$\zeta_r = \frac{\hat{\zeta}_{CL}}{1 - \Delta_{LDM} - \Delta_{LDM}\hat{\zeta}_{CL}} \text{ Eq. (E35)}$$

traces back to

$$\hat{\zeta}_{CL} = \zeta_{CL} \times 10^{\frac{f_{co}^{RC|CE}(\zeta_{CL}^{dB} | \Theta_{XPD})}{10}}. \text{ Eq. (E36)}$$

This metric  $\hat{\zeta}_{CL}$  is factorized into

$$\zeta_{CL} = \frac{(1 - \Delta_{LDM})\zeta}{1 + \Delta_{LDM}\zeta} \text{ Eq. (E37)}$$

and  $f_{co}^{RC|CE}(\zeta_{CL}^{dB} | \Theta_{XPD})$  as described above. Note that the same  $f_{co}^{RC|CE}(\cdot)$  as in Section E.3.1.3 shall be used while holding  $\zeta_{CL}^{dB} = 10\log_{10} \zeta_{CL}$  as input.

The intermediate estimate  $\zeta$  is given by

$$\zeta = \frac{\varepsilon_R \Delta_{LDM} - 1 + \sqrt{(\varepsilon_R \Delta_{LDM} - 1)^2 + \Omega_{RL}(1 - \varepsilon_R \Delta_{LDM}^2)(\varepsilon_R - 1)}}{\Omega_{RL}(1 - \varepsilon_R \Delta_{LDM}^2)} \text{ Eq. (E38)}$$

where  $\Omega_{RC}$  agrees with the same definition as in Section E.2.1.3.

The estimation procedure computing  $\tau_{MIMO|LDM\ CL}$  unfolds as follows:

---

<b>Input:</b>	$\tau_{SISO}, ChMod = RC, \Theta_{XPD}, F_{PB}, D_X, D_Y, IL$
<b>Initialization:</b>	Calculate $\varepsilon_R, \Omega_{RC}, A_{SP}, \kappa_d$ , and $\Delta_{LDM}$ .
<b>Step i:</b>	Calculate $\zeta$ using Eq. (E38).
<b>Step ii:</b>	Convert $\zeta$ into $\zeta_{CL}$ . See Eq. (E37).
<b>Step iii:</b>	Obtain $\hat{\zeta}_{CL}$ by applying $f_{co}^{RC CE}(\zeta_{CL}^{dB}   \Theta_{XPD})$ , using $\zeta_{CL}^{dB} = 10\log_{10} \zeta_{CL}$ and Eq. (E36).
<b>Step iv:</b>	Convert $\hat{\zeta}_{CL}$ into $\zeta_r$ using Eq. (E35).
<b>Step v:</b>	Obtain $\tau_{MIMO LDM\ CL}$ from Eq. (E34)
<b>Output:</b>	$\tau_{MIMO LDM\ CL}$

---

### E.3.2.2 Enhanced Layer

When  $\tau_{MIMO|LDM\ EL}$  designates the  $\tau_{MIMO}$  of EL as in Section E.2.2, it is described per channel condition as

$$\tau_{MIMO|LDM\ EL} = \begin{cases} \tau_{MIMO|EL}^{AWGN} & ChMod = AWGN \\ \tau_{MIMO|EL}^{RL} & ChMod = RL \\ \tau_{MIMO|EL}^{RC} & ChMod = RC \end{cases} \quad \text{Eq. (E39)}$$

where:

$$\tau_{MIMO|EL}^{AWGN} = \frac{\zeta_{EL}}{\kappa_d}$$

$$\tau_{MIMO|EL}^{RL} = \frac{(A_{SP}^2 + \kappa_d)\zeta_{EL} + \sqrt{((A_{SP}^2 + \kappa_d)\zeta_{EL})^2 + 4A_{SP}^2\kappa_d\zeta_{EL}}}{2A_{SP}^2\kappa_d}$$

$$\tau_{MIMO|EL}^{RC} = \frac{(A_{SP}^2 + \kappa_d)\zeta_{EL} - (1 + K)\kappa_d + \sqrt{((A_{SP}^2 + \kappa_d)\zeta_{EL} - (1 + K)\kappa_d)^2 + 4A_{SP}^2\kappa_d(1 + K)\zeta_{EL}}}{2A_{SP}^2\kappa_d}$$

specify the respective realizations. All those realization instances trace back to an intermediate estimate

$$\zeta_{EL} = \frac{\zeta}{\Delta_{LDM}} \times 10^{\frac{f_{co}^{ChMod|CE}(\zeta_{dB} | \Theta_{XPD})}{10}},$$

which attributes to

$$\zeta = \frac{-1 + \sqrt{1 + \Omega_{ChMod}(\mathcal{E}_R - 1)}}{\Omega_{ChMod}},$$

$\Delta_{LDM}$ , and  $f_{co}^{ChMod|CE}(\zeta_{dB} | \Theta_{XPD})$ . Note that  $f_{co}^{ChMod|CE}(\cdot)$  herein agrees with the same described in Section E.3.1 for each  $ChMod$  realization.  $\Omega_{ChMod}$  refers to Eqs. (E7), (E8), and (E10).

Note: The estimation for LDM EL overall resembles that for non-LDM case in Section E.3.1 but involves a scaling of  $\zeta$  by  $1/\Delta_{LDM}$  during the process.

The estimation procedure computing  $\tau_{MIMO|LDM\ EL}$  unfolds as follows:

---

<b>Input:</b>	$\tau_{SISO}, ChMod, \Theta_{XPD}, F_{PB}, D_X, D_Y, IL$
<b>Initialization:</b>	Calculate $\mathcal{E}_R, \Omega_{ChMod}, A_{SP}, \kappa_d$ , and $\Delta_{LDM}$ .
<b>Step i:</b>	Calculate $\zeta$ according to $ChMod$ . See Eq. (E4).
<b>Step ii:</b>	Convert $\zeta$ into $\zeta_{EL}$ , using $f_{co}^{ChMod CE}(\zeta_{dB}   \Theta_{XPD})$ and $\Delta_{LDM}$ .
<b>Step iii:</b>	Obtain $\tau_{MIMO LDM\ EL}$ from $\zeta_{EL}$ , using Eq. (E39).
<b>Output:</b>	$\tau_{MIMO LDM\ EL}$

---

### E.3.3 Calculation Examples

Example calculations are given below assuming:

---

$\tau_{ISO}$	1.9588 (= 2.92 dB)
$ChMod$	RL
$\Theta_{XPD}$	$XPD_N = 10$ dB ( $XPD_L = N/A$ )
$F_{PB}$	5.3 dB
$D_X$	8
$D_Y$	2

Note: This parameter setting refers to a ModCod combination described in Table E.2.5, MP8\_2 pilot pattern, and **L1D\_scattered\_pilot\_boost** with value 100.

Based on input parameters above, the initialization step prepares parameters computed as:

$$\begin{aligned}\mathcal{E}_R &= 1 + 2 \times 1.9588 + (1.9588)^2 = 8.7548 \\ \rho_N &= 10^{\frac{10}{10}} / (1 + 10^{\frac{10}{10}}) = 0.9091 \\ \Omega_{RL} &= (0.9091)^2 + (1 - 0.9091)^2 = 0.8347 \\ A_{SP} &= 10^{\frac{5.3}{20}} = 1.8408 \\ \kappa_d &= 1 / \left( 1 - \frac{1}{8 \times 2} + \frac{1.8408^2}{8 \times 2} \right) = 0.8701\end{aligned}$$

These parameter values are uniformly applied to both non-LDM and LDM examples that follow.

### E.3.3.1 Non-LDM Example

Based on the parameter set described above, Class E estimation for non-LDM configuration proceeds as follows.

$\zeta$  and  $\zeta_{dB}$  are computed as:

$$\zeta = \frac{(-1 + \sqrt{1 + 0.8347 \times (8.7548 - 1)})}{0.8347} = 2.0770$$

$$\zeta_{dB} = 10 \log_{10} 2.0770 = 3.1743$$

$f_{co}^{RL|CE}(\zeta_{dB} | \Theta_{XPD})$  is computed as:

$$\begin{aligned}f_{co}^{RL|CE}(3.1743 | XPD_N = 10 \text{ dB}) &= -1.6 \times 10^{-7} \times (3.1743)^5 + 1.485 \times 10^{-5} \times (3.1743)^4 \\ &\quad - 4.469 \times 10^{-4} \times (3.1743)^3 + 2.345 \times 10^{-3} \times (3.1743)^2 + \\ &\quad 0.1149 \times (3.1743) + 0.7823 \\ &= 1.1578\end{aligned}$$

$\hat{\zeta}$  is computed as:

$$\hat{\zeta} = 2.0770 \times 10^{\frac{1.1578}{10}} = 2.7115$$

The estimate  $\tau_{MIMO}$  is then derived as

$$\tau_{MIMO} = \frac{(1.8408^2 + 0.8701) \times 2.7115 + \sqrt{((1.8408^2 + 0.8701) \times 2.7115)^2 + 4 \times 1.8408^2 \times 0.8701 \times 2.7115}}{2 \times 1.8408^2 \times 0.8701} = 4.1387$$

and leads to the dB scale estimate

$$10 \log_{10} \tau_{MIMO} = 6.1687 \text{ dB.}$$

### E.3.3.2 LDM Example

LDM examples are given below assuming:

$$IL = 10 \text{ dB}$$

The initialization step additionally prepares a parameter computed therefrom:

$$\Delta_{LDM} = 10^{-\frac{10}{10}} / (1 + 10^{-\frac{10}{10}}) = 0.0909$$

This LDM parameter value is uniformly applied to both CL and EL examples that follow.

### E.3.3.3 Core Layer Example

$\zeta$  for CL is computed as:

$$\zeta = \frac{(8.7548 \times 0.0909 - 1 + \sqrt{(8.7548 \times 0.0909 - 1)^2 + 0.8347 \times (1 - 8.7548 \times 0.0909^2) \times (8.7548 - 1)})}{0.8347 \times (1 - 8.7548 \times 0.0909^2)} = 2.9120$$

$\zeta_{CL}$  and  $\zeta_{CL}^{dB}$  are computed as:

$$\zeta_{CL} = \frac{(1 - 0.0909) \times 2.9120}{1 + 0.0909 \times 2.9120} = 2.0932$$

$$\zeta_{CL}^{dB} = 10 \log_{10} 2.0932 = 3.2080$$

$f_{co}^{RL|CE}(\zeta_{CL}^{dB} | \Theta_{XPD})$  is computed as:

$$\begin{aligned} f_{co}^{RL|CE}(3.2080 | XPD_N = 10 \text{ dB}) &= -1.6 \times 10^{-7} \times (3.2080)^5 + 1.485 \times 10^{-5} \times (3.2080)^4 \\ &\quad - 4.469 \times 10^{-4} \times (3.2080)^3 + 2.345 \times 10^{-3} \times (3.2080)^2 + \\ &\quad 0.1149 \times (3.2080) + 0.7823 \\ &= 1.1618 \end{aligned}$$

$\hat{\zeta}_{CL}$  is computed as:

$$\hat{\zeta}_{CL} = 2.0932 \times 10^{\frac{1.1618}{10}} = 2.7352$$

$\zeta_r$  is computed as:

$$\zeta_r = \frac{2.7352}{1 - 0.0909 - 0.0909 \times 2.7352} = 4.1414$$

The estimate  $\tau_{MIMO}|_{LDM \text{ CL}}$  is then derived as



$$\tau_{MIMO|LDM\ CL} = \frac{(1.8408^2 + 0.8701) \times 4.1414 + \sqrt{((1.8408^2 + 0.8701) \times 4.1414)^2 + 4 \times 1.8408^2 \times 0.8701 \times 4.1414}}{2 \times 1.8408^2 \times 0.8701} = 6.2081$$

and leads to the dB scale estimate

$$10 \log_{10} \tau_{MIMO|LDM\ CL} = 7.9296 \text{ dB.}$$

#### E.3.3.4 Enhanced Layer Example

$\zeta$  and  $\zeta_{dB}$  for EL is computed as:

$$\zeta = \frac{(-1 + \sqrt{1 + 0.8347 \times (8.7548 - 1)})}{0.8347} = 2.0770$$

$$\zeta_{dB} = 10 \log_{10} 2.0770 = 3.1743$$

$f_{co}^{RL|CE}(\zeta_{dB} | \Theta_{XPD})$  is computed as:

$$\begin{aligned} f_{co}^{RL|CE}(3.1743 | XPD_N = 10 \text{ dB}) &= -1.6 \times 10^{-7} \times (3.1743)^5 + 1.485 \times 10^{-5} \times (3.1743)^4 \\ &\quad - 4.469 \times 10^{-4} \times (3.1743)^3 + 2.345 \times 10^{-3} \times (3.1743)^2 + \\ &\quad 0.1149 \times (3.1743) + 0.7823 \\ &= 1.1578 \end{aligned}$$

$\zeta_{EL}$  is computed as:

$$\zeta_{EL} = \frac{2.0770}{0.0909} \times 10^{\frac{1.1578}{10}} = 29.827$$

The estimate  $\tau_{MIMO|LDM\ EL}$  is then derived as

$$\tau_{MIMO|LDM\ EL} = \frac{(1.8408^2 + 0.8701) \times 29.827 + \sqrt{((1.8408^2 + 0.8701) \times 29.827)^2 + 4 \times 1.8408^2 \times 0.8701 \times 29.827}}{2 \times 1.8408^2 \times 0.8701} = 43.315$$

and leads to the dB scale estimate

$$10 \log_{10} \tau_{MIMO|LDM\ EL} = 16.366 \text{ dB.}$$

## **Annex F: MIMO Channel Characterization**

### **F.1 INTRODUCTION**

This Annex provides a fundamental model describing MIMO channel environments. The presented is a stochastic model enabling abstraction of MIMO channel environment and supports theoretic estimations, analysis, and applications possible otherwise, such as those in Annex E. Channel distortions in this model apply to baseband cells and account for the small-scale fading effect and interactions between Polarization paths. There is a provision to support estimating Channel XPD from the respective properties of transmit and receive antenna units.

Note: The presented gives a mathematical rationale for MIMO channel model described in Section E.1.2. Reformulation of the model yields Table E.1.1, preserving equivalence. There also is a provision to support comprehension of field observations.

### **F.2 PRELIMINARIES AND SCOPE**

#### **F.2.1 General**

ATSC 3.0 MIMO consists of two Polarization paths spatially multiplexed between them. A generic expression according to this configuration shapes the signal model as

$$\begin{bmatrix} y_0 \\ y_1 \end{bmatrix} = \mathbf{H} \begin{bmatrix} x_0 \\ x_1 \end{bmatrix} + \begin{bmatrix} n_0 \\ n_1 \end{bmatrix},$$

where:

$y_0, y_1$  denote the received signals in terms of baseband cells associated with respective Polarization chain;

$x_0, x_1$  denote the transmit signals in terms of baseband cells associated with respective Polarization chain;

$n_0, n_1$  denote additive noise observed at the baseband cell level, each affecting the respective Polarization chain;

and where the subscripts 0 and 1 indicate association with Polarization #1 and #2, respectively. This follows theoretic conventions using descriptions at the baseband cell level. The transmit cells  $x_0$  and  $x_1$  are assumed as i.i.d. unbiased complex Gaussian random variables unless otherwise noted.

The channel matrix  $\mathbf{H}$  is described as

$$\mathbf{H} = \begin{bmatrix} h_{00} & h_{10} \\ h_{01} & h_{11} \end{bmatrix}. \quad \text{Eq. (F)}$$

The diagonal elements represent co-polarization fading, while the off-diagonal elements denote cross-polarization counterparts. These off-diagonal entities quantify the contribution of signals with Polarization converted from their original orientation.

Channel XPD in this context characterizes the amount of isolation between co- and cross-polarization signals. This is described in terms of the relative ratios

$$10 \log_{10} \left( \frac{\mathbb{E}[|h_{00}|^2]}{\mathbb{E}[|h_{10}|^2]} \right) \quad \text{and} \quad 10 \log_{10} \left( \frac{\mathbb{E}[|h_{11}|^2]}{\mathbb{E}[|h_{01}|^2]} \right)$$

when expressed in dB scale. The operator  $\mathbb{E}[\cdot]$  denotes expectation over ensembles. Symmetric channel is regarded unless otherwise noted, i.e.,  $\mathbb{E}[|h_{00}|^2] = \mathbb{E}[|h_{11}|^2]$  and  $\mathbb{E}[|h_{10}|^2] = \mathbb{E}[|h_{01}|^2]$ .

Each element in  $\mathbf{H}$  can be split into LoS and NLoS components, each exhibiting distinct statistical properties. This Annex proceeds with a Rician model description that renders those LoS and NLoS components as additive. Channel XPDs for the LoS and NLoS components are individually defined accordingly, while the overall Channel XPD is specified in terms of Effective Channel XPD. Note that Annex E refers to this Rician model as a generalized formulation encompassing AWGN and Rayleigh models.

### F.2.2 Antenna XPD and Channel XPD

Channel XPD is partially attributed to antenna impairments, which introduce cross-polarization leakage to radio signals. Polarized waves passing through antennas exhibit some degree of mixing in practice, whereas ideal antennas would ensure perfect isolation. The extent of this leakage (or isolation) is measured in terms of Antenna XPD.

This effect occurs at both transmit and receive antennas. Antenna XPDs for transmit and receive antennas are hence defined individually as  $\text{XPD}_{\text{Tx}}^{\text{Ant}}$  and  $\text{XPD}_{\text{Rx}}^{\text{Ant}}$  while sharing a common definition

$$10 \log_{10} \left( \frac{\text{Co – polarized signal power at the antenna output}}{\text{Polarization – shifted signal power at the antenna output}} \right).$$

Note: The terminology in this Annex distinguishes between Antenna XPD and Channel XPD. Antenna XPD pertains to the input and output characteristics of individual antennas, while Channel XPD characterizes the overall channel incorporating Antenna XPDs' contribution. These semantic distinctions are detailed in Section F.2.5.

### F.2.3 Reflection and Polarization Conversion

Wave reflections during the air propagation may accompany polarization conversion. Scatters may introduce an unexpected increase in Channel XPD thereby. Such random effect is parameterized in terms of the expected amount of polarization shift, which can be statistically determined. This modeling applies exclusively to the NLoS channel component, as the LoS counterpart does not involve any signal bouncing.

The statistics of polarization conversion are assumed as symmetric between the two Polarization orientations, unless otherwise noted as in Section F.3.3.

### F.2.4 Scope

The scope of this Annex includes:

- Channel modeling for ATSC 3.0 MIMO systems that reflects inter-polarization interactions attributed to antenna properties and physics-driven factors observable in fields.

- Comprehension of underlying factors related.
- Evaluation of Channel XPD derived therefrom.

### F.2.5 Terms and Notation

Terms used in this Annex are enumerated as follows:

**Channel XPD** – The XPD defined at the input and output of MIMO channels, in an inclusive context that encompasses contributions from fading and antenna. When the channel includes both LoS and NLoS components, Channel XPDs specific to these channel components can be defined individually.

**Antenna XPD** – The XPD defined at the input and output of an individual antenna.

**Effective Channel XPD** – The Channel XPD explicitly indicating the value measured over the entire channel, combining the contributions of LoS and NLoS components.

Parameter notations used in this Annex are enumerated as follows:

$XPD_L$  denotes a dB scale Channel XPD evaluated in the LoS part of MIMO channel;

$XPD_N$  denotes a dB scale Channel XPD evaluated in the NLoS part of MIMO channel;

$XPD_{eff}$  denotes an Effective Channel XPD measured in dB scale;

$XPD_{Tx}^{Ant}$  denotes a dB scale Antenna XPD measured at the transmit antenna;

$XPD_{Rx}^{Ant}$  denotes a dB scale Antenna XPD measured at the receive antenna;

$\chi_{LoS}$  is the linear scale expression of  $XPD_L$ , i.e.,  $\chi_{LoS} = 10^{\frac{XPD_L}{10}}$ ;

$\chi_{NLoS}$  is the linear scale expression of  $XPD_N$ , i.e.,  $\chi_{NLoS} = 10^{\frac{XPD_N}{10}}$ ;

$\chi_{eff}$  is the linear scale expression of  $XPD_{eff}$ , i.e.,  $\chi_{LoS} = 10^{\frac{XPD_{eff}}{10}}$ ;

$e_T$  denotes the relative level of cross-polarization leakage compared to co-polarization signal power within the radiation output of transmit antenna. This value is determined by  $XPD_{Tx}^{Ant}$  and is expressed in linear scale;

$e_R$  denotes the relative level of cross-polarization leakage compared to co-polarization signal power within the radiation output of transmit antenna. This value is determined by  $XPD_{Tx}^{Ant}$  and is expressed in linear scale;

$r \in [0, 1]$  denotes the fraction of polarization-shifted signal power within the reflected signal waves;

$\rho_L \in [0, 1]$  denotes a parameter representing the power distribution between co- and cross-polarization components in the LoS part of the channel model. This value is determined by  $XPD_L$ ;

$\rho_N \in [0, 1]$  denotes a parameter representing the power distribution between of co- and cross-polarization components in the NLoS part of the channel model. This value is determined by  $XPD_N$ ;

$K$  is the Rician  $K$ -factor.

### F.3 MODEL DESCRIPTION

$XPD_{Tx}^{Ant}$  and  $XPD_{Rx}^{Ant}$  applies to the model as

$$\mathbf{H} = \begin{bmatrix} 1 & \sqrt{e_R} \\ \sqrt{e_R} & 1 \end{bmatrix} (A_L \mathbf{G}_{LoS} + A_N \mathbf{G}_{NLoS}) \begin{bmatrix} 1 & \sqrt{e_T} \\ \sqrt{e_T} & 1 \end{bmatrix} \triangleq A_L \mathbf{H}_L^o + A_N \mathbf{H}_N^o$$

where  $e_R = 10^{-\frac{\text{XPD}_{\text{Rx}}^{\text{Ant}}}{10}}$  and  $e_T = 10^{-\frac{\text{XPD}_{\text{Tx}}^{\text{Ant}}}{10}}$  realize cross-polarization leakage at the antennas; and  $A_L$  and  $A_N$  are scaling coefficients that normalize and weight the LoS and NLoS contributions. The parameters  $A_L$  and  $A_N$  do not require explicit specification since they are implicitly accounted for in the Rician  $K$ -factor within the final model formulation.

$\mathbf{H}_L^o$  and  $\mathbf{H}_N^o$  denote the primitive forms of LoS and NLoS components that are expressed as

$$\mathbf{H}_L^o = \begin{bmatrix} 1 & \sqrt{e_R} \\ \sqrt{e_R} & 1 \end{bmatrix} \mathbf{G}_{LoS} \begin{bmatrix} 1 & \sqrt{e_T} \\ \sqrt{e_T} & 1 \end{bmatrix}$$

and

$$\mathbf{H}_N^o = \begin{bmatrix} 1 & \sqrt{e_R} \\ \sqrt{e_R} & 1 \end{bmatrix} \mathbf{G}_{NLoS} \begin{bmatrix} 1 & \sqrt{e_T} \\ \sqrt{e_T} & 1 \end{bmatrix}.$$

The propagation fading terms  $\mathbf{G}_{LoS}$  and  $\mathbf{G}_{NLoS}$  therein are defined as

$$\mathbf{G}_{LoS} = \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$$

and

$$\mathbf{G}_{NLoS} = \begin{bmatrix} \sqrt{(1-r)}g_{00}^N & \sqrt{r}g_{10}^N \\ \sqrt{r}g_{01}^N & \sqrt{(1-r)}g_{11}^N \end{bmatrix},$$

where:

$g_{00}^N, g_{10}^N, g_{01}^N, g_{11}^N$  denote the normalized random fading gain that apply to each entry of  $\mathbf{G}_{NLoS}$ , which are i.i.d. complex Gaussian random variables with a zero-mean and unit variance.

Abstraction and normalization reformulate the channel model to be

$$\mathbf{H} = \sqrt{\frac{K}{1+K}} \mathbf{H}_{AWGN} + \sqrt{\frac{1}{1+K}} \mathbf{H}_{RL}$$

that agrees with Table E.1.1 in Annex E. The LoS and NLoS components herein are specified as

$$\mathbf{H}_{AWGN} = \begin{bmatrix} \sqrt{\rho_L} & \sqrt{1-\rho_L} \\ \sqrt{1-\rho_L} & \sqrt{\rho_L} \end{bmatrix} \quad \text{and} \quad \mathbf{H}_{RL} = \begin{bmatrix} \sqrt{\rho_N}g_{00} & \sqrt{1-\rho_N}g_{10} \\ \sqrt{1-\rho_N}g_{01} & \sqrt{\rho_N}g_{11} \end{bmatrix},$$

where:

$g_{00}, g_{10}, g_{01}, g_{11}$  denote the normalized random fading gain that apply to each entry of  $\mathbf{H}_{RL}$ , which are i.i.d. complex Gaussian random variables with a zero-mean and unit variance.

$\rho_L$  and  $\rho_N$  comply with the following equations determined by  $e_T, e_R$ , and  $r$ :

$$\rho_L = \frac{\chi_{LoS}}{1 + \chi_{LoS}}, \quad \rho_N = \frac{\chi_{NLoS}}{1 + \chi_{NLoS}},$$

and are used on behalf of Channel XPD values.

The Channel XPD values are specified as

$$\chi_{LoS} = \left( \frac{1 + \sqrt{e_R e_T}}{\sqrt{e_R} + \sqrt{e_T}} \right)^2$$

and

$$\chi_{NLoS} = \frac{1 + e_R e_T - (1 - e_R - e_T + e_R e_T)r}{e_R + e_T + (1 - e_R - e_T + e_R e_T)r},$$

where these are the linear scale expressions of  $\text{XPD}_L = 10\log_{10} \chi_{LoS}$  and  $\text{XPD}_N = 10\log_{10} \chi_{NLoS}$ .

Effective Channel XPD combining  $\chi_{LoS}$  and  $\chi_{NLoS}$  amounts to

$$\chi_{eff} = \frac{K(1 + \sqrt{e_R e_T})^2 + 1 + e_R e_T - (1 - e_R - e_T + e_R e_T)r}{K(\sqrt{e_R} + \sqrt{e_T})^2 + e_R + e_T + (1 - e_R - e_T + e_R e_T)r},$$

whose dB scale expression finds  $\text{XPD}_{eff} = 10\log_{10} \chi_{eff}$ .

Note: This Effective Channel XPD is the value likely to be measured at field receivers. Most receivers are unable to distinguish between LoS and NLoS contributions. Such receiver implementations will limit the measurement ability to the comprehensive value of Effective Channel XPD rather than detailed evaluations for  $\text{XPD}_L$  and  $\text{XPD}_N$ .

### F.3.1 Special Case: AWGN Channel

AWGN channel designates a special case with  $K \rightarrow \infty$ . NLoS signals are absent in AWGN channel and  $\mathbf{G}_{NLoS}$  is zero accordingly. The Effective Channel XPD agrees with the XPD evaluated in the LoS part, i.e.,  $\chi_{eff} = \chi_{LoS}$ . In this case, Effective Channel XPD across the overall channel elements is deterministic as controlled by the properties of transmit and receive antennas.

### F.3.2 Special Case: Rayleigh Channel

Rayleigh channel designates a special case with  $K = 0$ . LoS signals are absent in Rayleigh channel and  $\mathbf{G}_{LoS}$  is zero accordingly. The Effective Channel XPD agrees with the XPD evaluated in the NLoS part, i.e.,  $\chi_{eff} = \chi_{NLoS}$ . In this case, uncontrollable environmental factor  $r$  affects the Effective Channel XPD in addition to antenna properties.

### F.3.3 Generalization Toward Asymmetric Reflection Effects

Field observations may advocate channel asymmetry in that XPD deviates between Polarizations. Such asymmetry is mostly ascribed to physical reactions in radio wave reflections: The energy loss and Polarization shift may not amount alike between horizontal and vertical polarizations. Those may depend on the orientation of the reflection plane as well.

The NLoS channel component can be adjusted to accommodate generalization as

$$\mathbf{G}_{NLoS} = \begin{bmatrix} \sqrt{2b_G(1-r_0)}g_{00}^N & \sqrt{2(1-b_G)r_1}g_{10}^N \\ \sqrt{2b_Gr_0}g_{01}^N & \sqrt{2(1-b_G)(1-r_1)}g_{11}^N \end{bmatrix}$$

where:

$b_G \in [0,1]$  denotes the relative weight of energy from Polarization #1 retained after reflections compared to that of Polarization #2;

$r_0$  denotes the portion of signal power converted from Polarization #1 to Polarization #2, relative to the total reflected signal power originating from Polarization #1 incidence;

$r_1$  denotes the portion of signal power converted from Polarization #2 to Polarization #1, relative to the total reflected signal power originating from Polarization #2 incidence.

In this generalized model,  $\text{XPD}_N$  and  $\text{XPD}_{\text{eff}}$  are split based on the Polarization orientation in which they are measured. The  $\text{XPD}_N$  values measured on Polarizations #1 and #2 are denoted as  $\text{XPD}_N(0)$  and  $\text{XPD}_N(1)$ , respectively, and are defined as  $\text{XPD}_N(0) = 10\log_{10} \chi_{NLoS}(0)$  and  $\text{XPD}_N(1) = 10\log_{10} \chi_{NLoS}(1)$  for

$$\chi_{NLoS}(0) = \frac{b_G(1-r_0) + b_Gr_0e_R + (1-b_G)r_1e_T + (1-b_G)(1-r_1)e_Re_T}{(1-b_G)r_1 + (1-b_G)(1-r_1)e_R + b_G(1-r_0)e_T + b_Gr_0e_Re_T}$$

and

$$\chi_{NLoS}(1) = \frac{b_Gr_0 + (1-b_G)r_1e_R + (1-b_G)(1-r_1)e_T + (1-b_G)r_1e_Re_T}{(1-b_G)(1-r_1) + (1-b_G)r_1e_R + b_Gr_0e_T + b_G(1-r_0)e_Re_T}.$$

The  $\text{XPD}_{\text{eff}}$  values measured on Polarizations #1 and #2 are denoted as  $\text{XPD}_{\text{eff}}(0)$  and  $\text{XPD}_{\text{eff}}(1)$  alike, and are specified by  $\text{XPD}_{\text{eff}}(0) = 10\log_{10} \chi_{\text{eff}}(0)$  and  $\text{XPD}_{\text{eff}}(1) = 10\log_{10} \chi_{\text{eff}}(1)$  for

$$\chi_{\text{eff}}(0) = \frac{K(1 + \sqrt{e_Re_T})^2 + b_G(1-r_0) + b_Gr_0e_R + (1-b_G)r_1e_T + (1-b_G)(1-r_1)e_Re_T}{K(\sqrt{e_R} + \sqrt{e_T})^2 + (1-b_G)r_1 + (1-b_G)(1-r_1)e_R + b_G(1-r_0)e_T + b_Gr_0e_Re_T}$$

and

$$\chi_{\text{eff}}(1) = \frac{K(1 + \sqrt{e_Re_T})^2 + b_Gr_0 + (1-b_G)r_1e_R + (1-b_G)(1-r_1)e_T + (1-b_G)r_1e_Re_T}{K(\sqrt{e_R} + \sqrt{e_T})^2 + (1-b_G)(1-r_1) + (1-b_G)r_1e_R + b_Gr_0e_T + b_G(1-r_0)e_Re_T}.$$

Within  $\mathbf{H} = \sqrt{\frac{K}{1+K}}\mathbf{H}_{AWGN} + \sqrt{\frac{1}{1+K}}\mathbf{H}_{RL}$  characterizing the overall channel,  $\mathbf{H}_{RL}$  is modified accordingly as

$$\mathbf{H}_{RL} = \begin{bmatrix} \sqrt{2b_H\rho_N(0)}g_{00} & \sqrt{2b_H(1-\rho_N(0))}g_{10} \\ \sqrt{2(1-b_H)(1-\rho_N(1))}g_{01} & \sqrt{2(1-b_H)\rho_N(1)}g_{11} \end{bmatrix}$$

while  $\mathbf{H}_{AWGN}$  remains the same as before. The parameters related refer to:

$\rho_N(0)$  denotes the power portion of co- and cross-polarization components originated in Polarization #1 signals, particularly in context of the NLoS part of MIMO channel. This value is determined by  $\rho_N(0) = \frac{\chi_{NLoS}(0)}{1+\chi_{NLoS}(0)}$ ;

$\rho_N(1)$  denotes the power portion of co- and cross-polarization components originated in Polarization #2 signals, particularly in context of the NLoS part of MIMO channel. This value is determined by  $\rho_N(1) = \frac{\chi_{NLoS}(1)}{1+\chi_{NLoS}(1)}$ ;

$b_H \in [0, 1]$  denotes the relative weight of Polarization #1's signal energy observed at the receiver, compared to that of Polarization #2.

Note that  $b_H$  illustrates potential power asymmetry between signal waves received through different Polarization orientations. This value is determined as

$$b_H = \frac{b_G(1-r_0) + (1-b_G)r_1 + \{b_G r_0 + (1-b_G)(1-r_1)\}e_R + \{(1-b_G)r_1 + b_G(1-r_0)\}e_T + \{(1-b_G)(1-r_1) + b_G r_0\}e_R e_T}{(1+e_R)(1+e_T)}.$$

#### F.4 CALCULATION EXAMPLE

Calculation exercise is introduced to instruct practices. This exercise applies an example parameter set of:

$$\begin{aligned} \text{XPD}_{\text{Tx}}^{\text{Ant}} & 26 \text{ dB} \\ \text{XPD}_{\text{Rx}}^{\text{Ant}} & 26 \text{ dB} \\ r & 0.1 (= 10\%) \end{aligned}$$

Based on the given setting, model parameters are computed as follows. The given values of  $\text{XPD}_{\text{Tx}}^{\text{Ant}}$  and  $\text{XPD}_{\text{Rx}}^{\text{Ant}}$  transform into:

$$e_T = 10^{-\frac{26}{10}} = 2.5119 \times 10^{-3}$$

$$e_R = 10^{-\frac{26}{10}} = 2.5119 \times 10^{-3}$$

A combination of  $e_T$ ,  $e_R$ , and  $r$  results in

$$\chi_{LoS} = \left( \frac{1 + \sqrt{(2.5119 \times 10^{-3}) \times (2.5119 \times 10^{-3})}}{\sqrt{2.5119 \times 10^{-3}} + \sqrt{2.5119 \times 10^{-3}}} \right)^2 = 100.03$$

$$\begin{aligned} \chi_{NLoS} &= \frac{1 + (2.5119 \times 10^{-3})^2 - (1 - 2.5119 \times 10^{-3} - 2.5119 \times 10^{-3} + (2.5119 \times 10^{-3})^2) \times 0.1}{2.5119 \times 10^{-3} + 2.5119 \times 10^{-3} + (1 - 2.5119 \times 10^{-3} - 2.5119 \times 10^{-3} + (2.5119 \times 10^{-3})^2) \times 0.1} \\ &= 8.1655 \end{aligned}$$

which coincide with

$$\text{XPD}_L = 10 \log_{10} 100.03 = 20 \text{ dB}$$

$$\text{XPD}_N = 10 \log_{10} 8.1655 = 9.35 \text{ dB}$$



When  $K = 10$ , Effective Channel XPD is computed as:

$$\chi_{eff} = \frac{10 \times \left(1 + \sqrt{(2.5119 \times 10^{-3})^2}\right)^2 + 1 + (2.5119 \times 10^{-3})^2 - \left(1 - 2 \times 2.5119 \times 10^{-3} + (2.5119 \times 10^{-3})^2\right) \times 0.1}{10 \times (2 \times \sqrt{2.5119 \times 10^{-3}})^2 + 2 \times 2.5119 \times 10^{-3} + (1 - 2.5119 \times 10^{-3} - 2.5119 \times 10^{-3} + (2.5119 \times 10^{-3})^2) \times 0.1} \\ = 53.419$$

$$\text{XPD}_{\text{eff}} = 10 \log_{10} 53.419 = 17.28 \text{ dB}$$

When  $K$  approaches infinity (AWGN channel), Effective Channel XPD is computed as:

$$\chi_{eff} = 100.03$$

$$\text{XPD}_{\text{eff}} = 20 \text{ dB}$$

When  $K = 0$  (Rayleigh channel), Effective Channel XPD is computed as:

$$\chi_{eff} = 8.1655$$

$$\text{XPD}_{\text{eff}} = 9.35 \text{ dB}$$

Following values of  $\rho_L$  and  $\rho_N$  derived according to  $\chi_{LoS}$  and  $\chi_{NLoS}$  determine  $\mathbf{H}_{AWGN}$  and  $\mathbf{H}_{RL}$ :

$$\rho_L = \frac{100.03}{1 + 100.03} = 0.9901$$

$$\rho_N = \frac{8.1655}{1 + 8.1655} = 0.8960$$

In conjunction with  $K$ , the overall channel model  $\mathbf{H} = \sqrt{\frac{K}{1+K}} \mathbf{H}_{AWGN} + \sqrt{\frac{1}{1+K}} \mathbf{H}_{RL}$  is determined.

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